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**Optical system design and engineering  
considerations**

ITU-T G-series Recommendations – Supplement 39

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## **Supplement 39 to ITU-T G-series Recommendations**

### **Optical system design and engineering considerations**

#### **Summary**

This Supplement provides information on the background and methodologies used in the development of optical interface Recommendations such as ITU-T Recs G.957, G.691, and G.959.1.

#### **Source**

Supplement 39 to ITU-T G-series Recommendations was agreed on 31 October 2003 by ITU-T Study Group 15 (2001-2004).

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## Supplement 39 to ITU-T G-series Recommendations

### Optical system design and engineering considerations

#### 1 Scope

This Supplement is NOT a Recommendation and has no standards status. In case of conflict between the material contained in this Supplement and the material of the relevant Recommendations, the latter always prevails. This Supplement should NOT be used as a reference; only the relevant Recommendations can be referenced.

This Supplement describes design and engineering considerations for unamplified and amplified single-channel and multichannel digital optical line systems supporting PDH, SDH, and OTN signals in intra-office, inter-office, and long-haul terrestrial networks.

One intent of this Supplement is to consolidate and expand on related material that is currently included in several Recommendations, including ITU-T Recs G.955, G.957, G.691, G.692, and G.959.1. This Supplement is also intended to allow a better correlation of the specifications of the fibre, components, and system interface Recommendations currently developed in ITU-T Study Group 15 by Question Groups 15, 17 and 16 respectively.

#### 2 References

- ITU-T Recommendation G.650 (2000), *Definition and test methods for the relevant parameters of single-mode fibres.*
- ITU-T Recommendation G.652 (2003), *Characteristics of a single-mode optical fibre cable.*
- ITU-T Recommendation G.653 (2000), *Characteristics of a dispersion-shifted single-mode optical fibre cable.*
- ITU-T Recommendation G.654 (2002), *Characteristics of a cut-off shifted single-mode optical fibre and cable.*
- ITU-T Recommendation G.655 (2003), *Characteristics of a non-zero dispersion-shifted single-mode optical fibre and cable.*
- ITU-T Recommendation G.661 (1998), *Definition and test methods for the relevant generic parameters of optical amplifiers devices and subsystems.*
- ITU-T Recommendation G.662 (1998), *Generic characteristics of optical amplifier devices and subsystems.*
- ITU-T Recommendation G.663 (2000), *Application-related aspects of optical amplifier devices and subsystems.*
- ITU-T Recommendation G.691 (2000), *Optical interfaces for single-channel STM-64, STM-256 and other SDH systems with optical amplifiers.*
- ITU-T Recommendation G.692 (1998), *Optical interfaces for multichannel systems with optical amplifiers.*
- ITU-T Recommendation G.957 (1999), *Optical interfaces for equipments and systems relating to the synchronous digital hierarchy.*
- ITU-T Recommendation G.959.1 (2001), *Optical transport network physical layer interfaces.*

- ITU-T Recommendation G.982 (1996), *Optical access networks to support services up to the ISDN primary rate or equivalent bit rates.*
- ITU-T Recommendation G.983.1 (1998), *Broadband optical access systems based on Passive Optical Networks (PON).*
- ITU-T Recommendation L.40 (2000), *Optical fibre outside plant maintenance support, monitoring, and testing system.*
- ITU-T Recommendation L.41 (2000), *Maintenance wavelength on fibres carrying signals.*
- IEC/TR 61292-3:2003, *Optical amplifiers – Part 3: Classification, characteristics, and applications.*

### **3 Terms and definitions**

Formal definitions are found in the primary Recommendations.

### **4 Abbreviations**

This Supplement uses the following abbreviations:

1R	Regeneration of power
2R	Regeneration of power and shape
3R	Regeneration of power, shape, and timing
ADM	Add/Drop Multiplexer
ASE	Amplified Spontaneous Emission
ASK	Amplitude Shift Key
BCH	Bose-Chaudhuri-Hocquenghem
BER	Bit Error Ratio
BPM	Beam Propagation Method
CD	Chromatic Dispersion
CS-RZ	Carrier Suppressed Return to Zero
DA	Dispersion Accommodation
DC	Direct Current
DCF	Dispersion-Compensating Fibre
DGD	Differential Group Delay
DST	Dispersion-Supported Transmission
E/O	Electrical Optical conversion
EDC	Error Detection Code
EDFA	Erbium-Doped Fibre Amplifier
FEC	Forward Error Correction
FSK	Frequency Shift Key
FWHM	Full Width at Half Maximum
FWM	Four-Wave Mixing
IaDI	Intra-Domain Interface



IrDI	Inter-Domain Interface
LD	Laser Diode
MC	Multichannel
MI	Modulation Instability
MLM	Multi-Longitudinal Mode
MPI-R	Multi-Path Interface at the Receiver
MPI-S	Multi-Path Interface at the Source
MPN	Mode Partition Noise
M-Rx	Multichannel Receiver equipment
M-Tx	Multichannel Transmitter equipment
MZM	Mach-Zehnder Modulator
NCG	Net Coding Gain
NRZ	Non-Return to Zero
O/E	Optical to Electrical conversion
OA	Optical Amplifier
OAC	Optical Auxiliary Channel
OADM	Optical ADM (also WADM)
OCh	Optical Channel
ODUk	Optical channel Data Unit of order k
OFA	Optical Fibre Amplifier
OLS	Optical Label Switching
OMS	Optical Multiplex Section
ONE	Optical Network Element
OSC	Optical Supervisory Channel
OSNR	Optical Signal-to-Noise Ratio
OTDR	Optical Time Domain Reflectometer
OTN	Optical Transport Network
OTUk	Optical channel transport unit of order k
OXC	Optical Cross Connect (also WSXC)
PDC	Passive Dispersion Compensator
PDFFA	Praseodymium-Doped Fluoride Fibre Amplifiers
PDH	Plesiosynchronous Digital Hierarchy
PMD	Polarization Mode Dispersion
ptp	point-to-point
R	single-channel optical interface point at the Receiver
RF	Radio Frequency
RFA	Raman Fibre Amplifier

RX	(optical) Receiver
RZ	Return to Zero
S	single-channel optical interface at the Source
SBS	Stimulated Brillouin Scattering
SC	Single Channel
SDH	Synchronous Digital Hierarchy
SLM	Single Longitudinal Mode
SOA	Semiconductor Optical Amplifier
SPM	Self-Phase Modulation
SRS	Stimulated Raman Scattering
STM	Synchronous Transport Module
TDM	Time Division Multiplex
TX	(optical) Transmitter
WADM	Wavelength ADM (also OADM)
WDM	Wavelength Division Multiplex
WSXC	Wavelength-Selective XC (also OXC)
WTM	Wavelength Terminal Multiplexer
XC	Cross-Connect
XPM	Cross-Phase Modulation

## **5 Definition of spectral bands**

### **5.1 General considerations**

Consider optical transmitters. From the viewpoint of semiconductor laser diodes, the GaAlAs material system can cover the wavelength range from 700 nm to 1000 nm, while InGaAsP can cover 1000 nm to 1700 nm. Fibre lasers may later be added to this list. For optical receivers, the quantum efficiency of detector materials is important, and Si is used from 650 nm to about 950 nm, InGaAsP from 950 nm to 1150 nm, Ge from about 1100 nm to 1550 nm, and InGaAs from 1300 nm to 1700 nm. Thus there is no technical problem for transmitters and receivers over a wide wavelength range of interest to optical communications.

With optical amplifiers (OAs), activity has been mainly in the longer-wavelength regions used with single-mode fibre. The original doped-fibre amplifiers, EDFAs (erbium-doped fibre amplifiers) around 1545 nm and PDFFAs (praseodymium-doped fluoride fibre amplifiers) around 1305 nm have been joined by other dopants such as Te, Yt, Tu. Consequently, the spectral region from about 1440 nm to above 1650 nm can be covered, though not with equal efficiency, and not all may yet be commercially available. SOAs (semiconductor optical amplifiers) and lower-noise RFAs (Raman fibre amplifiers) can extend from below 1300 nm to above 1600 nm. For some applications, combinations of OA types are used to achieve wide and flat-band low-noise operation.

IEC/TR 61292-3 gives further details.

## 5.2 Allocation of spectral bands for single-mode fibre systems

Examine the limitations to spectral bands as imposed by the fibre types. In ITU-T Rec. G.957, which does not include optical amplifiers, the wavelength range 1260 nm to 1360 nm was chosen for G.652 fibres. ITU-T Rec. G.983.1 on passive optical networks also uses this range. The lower limit is determined by the cable cut-off wavelength, which is 1260 nm. The worst-case absolute dispersion coefficient curve for G.652 fibre is shown there in Figure A.2/G.957. The worst-case dispersion coefficient at that wavelength is  $-6.42$  ps/nm·km, and the worst-case dispersion coefficient of  $+6.42$  ps/nm·km occurs at 1375 nm. However, this wavelength was on the rising edge of the "water" attenuation band peaked at 1383 nm, so 1360 nm was chosen as the upper limit. Various application codes could have more restricted wavelength ranges depending on dispersion requirements. This defines the:

- "Original" O-band, 1260 nm to 1360 nm.

ITU-T Rec. G.652 also includes fibres with a low water attenuation peak as subcategory G.652.C. It is stated that "This subcategory also allows G.957 transmissions to portions of the band above 1360 nm and below 1530 nm." The effects of a small water peak are negligible at wavelengths beyond about 1460 nm. This defines the:

- "Extended" E-band, 1360 nm to 1460 nm.

At longer wavelength, the experts writing ITU-T Rec. G.957 chose the ranges 1430 nm to 1580 nm for short-haul applications with G.652 fibre, and 1480 nm to 1580 nm for long-haul applications with G.652, G.653, and G.654 fibres. These were limited by attenuation considerations, and could be further restricted by dispersion in particular applications.

For applications with optical amplifiers, utilizing single-channel transmission as in ITU-T Rec. G.691 and multichannel transmission as in ITU-T Rec. G.692, these ranges were later subdivided. Initially, erbium-doped fibre amplifiers (EDFAs) had useful gain bands beginning at about 1530 nm and ending at about 1565 nm. This gain band had become known as the "C-band" and the boundaries varied in the literature and commercial specifications. The range 1530 nm to 1565 nm has been adopted for G.655 fibre and G.691 systems, and specifications have been developed for the range. This defines the:

- "Conventional" C-band, 1530 nm to 1565 nm.

EDFAs have become available with relatively flatter and wider gains, and no limitation of EDFAs to this band is implied. Some EDFA designs can be said to exceed the C-band.

A region below the C-band became known as the "S-band". In particular applications, not all of this band may be available for signal channels. Some wavelengths may be utilized for pumping of optical fibre amplifiers, both of the active-ion type and the Raman type. Some wavelengths may be reserved for the optical supervisory channel (OSC). The lower limit of this band is taken to be the upper limit of the E-band, and the upper limit is taken to be the lower limit of the C-band. This defines the:

- "Short wavelength" S-band, 1460 nm to 1530 nm.

For the longest wavelengths above the C-band, fibre cable performance over a range of temperatures is adequate to 1625 nm for current fibre types. Furthermore, it is desirable to utilize as wide a wavelength range as feasible for signal transmission. This defines the:

- "Long wavelength" L-band, 1565 nm to 1625 nm.

For fibre cable outside plant, ITU-T Rec. L.40 defines a number of maintenance functions – preventive, after installation, before service, and post-fault. These involve surveillance, testing, and control activities utilizing OTDR testing, fibre identification, loss testing, and power monitoring. Maintenance wavelengths have been defined in ITU-T Rec. L.41 in which there are the following statements:

- "This Recommendation deals with maintenance wavelength on fibres carrying signals without in-line optical amplifiers."
- "The maintenance wavelength assignment has a close relationship with the transmission wavelength assignment selected by Study Group 15."
- "The maximum transmission wavelength is under study in Study Group 15, but is limited to less than or equal to 1625 nm."

In some cases the test signal may overlap with the transmission signals if the testing power is sufficiently weaker than the transmission power. In other cases, the test wavelength may be in a region not occupied by the transmission channels for the particular application. In particular, a region that is intended to be never occupied by these channels may be attractive for maintenance, even if enhanced loss occurs. This defines the:

- "Ultra-long wavelength" U-band, 1625 nm to 1675 nm.

Table 5-1 summarizes single-mode systems:

**Table 5-1 – Single-mode spectral bands**

<b>Band</b>	<b>Descriptor</b>	<b>Range [nm]</b>
O-band	Original	1260 to 1360
E-band	Extended	1360 to 1460
S-band	Short wavelength	1460 to 1530
C-band	Conventional	1530 to 1565
L-band	Long wavelength	1565 to 1625
U-band	Ultra-long wavelength	1625 to 1675

- 1) The definition of spectral bands is to facilitate discussion and is not for specification. The specifications of operating wavelength bands are given in the appropriate system Recommendations.
- 2) The G.65x fibre Recommendations have not confirmed the applicability of all these wavelength bands for system operation or maintenance purposes.
- 3) The boundary (1460 nm) between the E-band and the S-band remains under study.
- 4) The U-band is for possible maintenance purposes only, and transmission of traffic-bearing signals is not currently foreseen. The use for non-transmission purposes must be done on a basis of causing negligible interference to transmission signals in other bands. Operation of the fibre in this band is not ensured.
- 5) It is anticipated that in the near future, various applications, with and without optical amplifiers, will utilize signal transmission covering the full range of 1260 nm to 1625 nm.

### **5.3 Bands for multimode fibre systems**

Multimode fibres are not limited by cut-off wavelength considerations, and although the values of attenuation coefficient are higher than for single-mode fibres, there can be more resistance to bending effects. The main wavelength limitation is one or more bandwidth windows, which can be designed for particular fibre classifications. In Table 5-2 are wavelength windows specified for several applications:

**Table 5-2 – Wavelength ranges for some multimode applications**

<b>Application</b>	<b>Window (in nm) around 850 nm</b>	<b>Window (in nm) around 1300 nm</b>
IEEE Serial Bus [1]	830-860	–
Fibre Channel [2]	770-860	(single-mode)
10BASE-F, -FB, -FL, -FP [3]	800-910	–
100BASE-FX [3, 4], FDDI [4]	–	1270-1380
1000BASE-SX [3] (GbE)	770-860	–
1000BASE-LX [3] (GbE)	–	1270-1355
HIPPI [5]	830-860	1260-1360

The classification for multimode fibres is for further study. The region 770 nm to 910 nm has been proposed.

## **6 Parameters of system elements**

### **6.1 Line coding**

Line coding for systems defined in ITU-T Recs G.957, G.691, G.692 and G.959.1 is performed using two different types of line codes:

- non-return to zero (NRZ);
- return to zero (RZ).

More information on this topic can be found in clause 7.

### **6.2 Transmitters**

#### **6.2.1 Transmitter types**

Types of transmitters, using both MLM and SLM laser diodes, and the relevant specifications as well as implementation related aspects are given in ITU-T Recs G.691, G.692, G.957 and G.959.1.

#### **6.2.2 Transmitter parameters**

These parameters are defined at the transmitter output reference points S or MPI-S as given in ITU-T Recs G.957, G.691, G.692 and G.959.1.

##### **6.2.2.1 System operating wavelength range**

The operating wavelength ranges for single-channel SDH systems up to 10 Gbit/s are given in ITU-T Recs G.691 and G.957. The operating wavelength ranges for single-channel and multichannel IrDIs up to 40 Gbit/s are defined in ITU-T Rec. G.959.1. Other applications may use different wavelength bands and ranges within bands as defined in this Supplement.

##### **6.2.2.2 Spectral characteristics**

Spectral characteristics of single-channel SDH interfaces up to 10 Gbit/s are given in ITU-T Recs G.957 and G.691. For higher bit rates and longer distances, in particular in a WDM environment, additional specifications may be needed.

##### **6.2.2.3 Maximum spectral width of SLM sources**

This parameter is defined for single-channel SDH systems in ITU-T Rec. G.691.

##### **6.2.2.4 Maximum spectral width of MLM sources**

This parameter is defined for single-channel SDH systems in ITU-T Rec. G.691.

### **6.2.2.5 Chirp**

This parameter is defined in ITU-T Rec. G.691. For higher bit rate or longer distance systems, possibly also operating on other line codes, it is likely that additional specification of a time-resolved dynamic behaviour might be required. This, as well as the measurement of this parameter, is for further study.

### **6.2.2.6 Side-mode suppression ratio**

The side-mode suppression ratio of a single longitudinal mode optical source is defined in ITU-T Recs G.957, G.691 and G.959.1. Values are given for SDH and OTN IrDI systems up to 40 Gbit/s.

### **6.2.2.7 Maximum spectral power density**

Maximum spectral power density is defined in ITU-T Rec. G.691.

### **6.2.2.8 Maximum mean channel output power**

Maximum mean output power of a multichannel optical signal is specified and defined in ITU-T Rec. G.959.1.

### **6.2.2.9 Minimum mean channel output power**

This property of a multichannel optical signal is specified and defined in ITU-T Rec. G.959.1.

### **6.2.2.10 Central frequency**

Central frequencies of WDM signals are given in ITU-T Recs G.959.1 and G.694.1. Here, frequencies are given down to 12.5-GHz spacing.

### **6.2.2.11 Channel spacing**

Channel spacing is defined in ITU-T Rec. G.694.1 for DWDM as well as in ITU-T Rec. G.694.2, for CWDM. Other possibilities (wider or denser) are for further study.

### **6.2.2.12 Maximum central frequency deviation**

Maximum central frequency deviation for NRZ-coded optical channels is defined in ITU-T Recs G.692 and G.959.1. Other possibilities using asymmetrical filtering may require a different definition which is for further study.

### **6.2.2.13 Minimum extinction ratio**

The minimum extinction ratio, as a per channel value for NRZ-coded WDM systems, is defined in ITU-T Rec. G.959.1. For RZ coded signals the same method applies. For other line codes this definition is for further study.

### **6.2.2.14 Eye pattern mask**

The eye pattern masks of SDH single-channel systems are given in ITU-T Recs G.957, G.691, G.693, and other Recommendations. The eye pattern mask for NRZ coded IrDI multichannel and single-channel interfaces is defined in ITU-T Rec. G.959.1.

### **6.2.2.15 Polarization**

This parameter gives the polarization distribution of the optical source signal. This parameter might influence the PMD tolerance and is important in case of polarization multiplexing.

### **6.2.2.16 Optical signal-to-noise ratio of optical source**

This value gives the ratio of optical signal power relative to optical noise power of an optical transmitter in a given bandwidth coupled into the transmission path.

## **6.3 Optical amplifiers**

### **6.3.1 Amplifier types**

Types of optical amplifiers and the relevant specifications as well as implementation-related aspects of optical fibre amplifiers and semiconductor amplifiers are given in ITU-T Recs G.661, G.662 as well as G.663 respectively. Line amplifier definitions of long-haul multichannel systems are given in ITU-T Rec. G.692. In addition to this, Raman amplification in the transmission fibre or additional fibre segments in the transmission path can be used. The specification of Raman amplification is for further study.

Amplifiers can be used in conjunction with optical receivers and/or transmitters. In these cases they are hidden in the receiver or transmitter black box and covered by the related specification. It should be noted that receiver side penalties, e.g., jitter penalty, are influenced by the presence of optical amplification.

An exhaustive list of generic amplifier parameters is defined in ITU-T Rec. G.661. In practical system design only a part of this set of parameters is of relevance.

#### **6.3.1.1 Power (booster) amplifier**

Applications are described in ITU-T Rec. G.663.

#### **6.3.1.2 Preamplifier**

Applications are described in ITU-T Rec. G.663.

#### **6.3.1.3 Line amplifier**

Applications are described in ITU-T Rec. G.692.

Different technology amplifiers can be used: optical fibre amplifiers (OFAs), semiconductor optical amplifiers (SOAs), as well as Raman fibre amplifiers (RFAs) utilizing the transmission fibre or additional fibre segments in the transmission path. The specification of RFAs is for further study.

### **6.3.2 Amplifier parameters**

#### **6.3.2.1 Multichannel gain variation**

This parameter is defined in IEC 61291-4.

#### **6.3.2.2 Multichannel gain tilt**

This parameter is defined in IEC 61291-4.

#### **6.3.2.3 Multichannel gain-change difference**

This parameter is defined in IEC 61291-4.

#### **6.3.2.4 Total received power**

This parameter is the maximum mean input power present at the reference point at the amplifier input.

#### **6.3.2.5 Total launched power**

This parameter is the maximum mean output power present at the reference point at the amplifier output.

## 6.4 Optical path

The optical path consists of all the transmission elements in series between the points 'S' and 'R'. The majority of this is usually optical fibre cable, but other elements (e.g., connectors, optical cross-connects etc.) between 'S' and 'R' are also part of the optical path, and contribute to the path characteristics. The optical path parameter values listed in the interface Recommendations (ITU-T Recs G.957, G.691, etc.) define the limits of satisfactory operation of the link. Optical paths with values outside these limits may yield link performance that exceeds the required bit error ratio.

The approach used to determine the values of the optical path parameter limits was, in some cases, on the basis of an informed consensus of what could reasonably and practically be expected. The values of the individual parameters of the optical path, and how these combine were taken into account in the limit determination process (see clause 10 for aspects of statistical design).

### 6.4.1 Fibre types and parameters

The parameters related to optical fibres and cables are defined in ITU-T Recs G.650, G.652, G.653, G.654 and G.655.

It should be noted that for some high bit-rate, long-distance transmission systems the given parameters for the different fibre types may not be sufficiently precise to ensure adequate performance.

### 6.4.2 Optical path effects

Transmission-related aspects of optical fibre transmission systems are given in Appendix II/G.663 where the following effects related to the path are considered:

- Optical fibre non-linearities:
  - stimulated Brillouin scattering;
  - four-wave mixing;
  - modulation instability;
  - self-phase modulation;
  - soliton formation;
  - cross-phase modulation;
  - stimulated Raman scattering.
- Polarization properties:
  - polarization mode dispersion;
  - polarization dependent loss;
  - polarization hole burning.
- Fibre dispersion properties.
- Chromatic dispersion.

### 6.4.3 Optical path parameters

The optical path from a system perspective is characterized by the following parameters:

#### 6.4.3.1 Maximum attenuation

Definition and values of maximum attenuation for SDH line systems are given in ITU-T Recs G.957, G.691 and G.692.

For OTN IrDIs the maximum attenuation definition is given in ITU-T Rec. G.959.1.



The above Recommendations define applications in the O-, C- and L-bands. It should be noted that in other bands different values of attenuation might apply. In the L-band it is known that the attenuation coefficient of some fibres may be increased by macrobending and/or microbending loss after cable installation. The actual value of the loss increase is dependent on cable structure, cable installation conditions, and cable installation date. It can be determined by loss measurement at the required wavelengths after cable installation.

The approach used to specify the optical path in the above Recommendations has been to use the assumption of 0.275 dB/km for installed fibre attenuation coefficient including splices and cable margins for 1550-nm systems, and 0.55 dB/km for 1310-nm systems. The target distances derived from these values are to be used for classification only and not for specification.

The following path aspects are included:

- splices;
- connectors;
- optical attenuators (if used);
- other passive optical devices (if used);
- any additional cable margin to cover allowances for:
  - future modifications to the cable configuration (additional splices, increased cable lengths, etc.);
  - fibre cable performance variations due to environmental factors; and
  - degradation of any connectors, optical attenuators or other passive optical devices included in the optical path.

#### **6.4.3.2 Minimum attenuation**

The definition and values of the minimum attenuations for SDH line systems are given in ITU-T Recs G.957, G.691 and G.692.

For OTN and pre-OTN IrDIs the minimum attenuation definition is given in ITU-T Rec. G.959.1.

#### **6.4.3.3 Dispersion**

The maximum and minimum chromatic dispersion normally induced by the optical transmission fibre, to be accommodated by a system is defined for SDH and OTN systems in ITU-T Recs G.957, G.691, G.692 and G.959.1. For higher bit rate and longer distance transmission systems different values may apply due to, e.g., other wavelength range specifications. The values need also to be reconsidered for other bands.

#### **6.4.3.4 Minimum optical return loss**

Definitions of minimum optical return loss of the optical paths defined for SDH and OTN systems are given in ITU-T Recs G.957, G.691, G.692 and G.959.1. Values for future systems using higher bit rates and transmission over longer distances may be different.

#### **6.4.3.5 Maximum discrete reflectance**

The maximum discrete reflectance of SDH and OTN systems are defined in ITU-T Recs G.957, G.691, G.692 and G.959.1.

#### **6.4.3.6 Maximum differential group delay**

The maximum differential group delay due to PMD to be accommodated for SDH and OTN systems is defined in ITU-T Recs G.691, G.692 and G.959.1. Higher bit rates and line code systems may offer different specifications.

## **6.5 Receivers**

### **6.5.1 Receiver types**

Amplifiers can be used in conjunction with optical receivers. In this case the amplifier is hidden in the receiver black box and covered by the related specification. It should be noted that receiver side penalties e.g., jitter penalty are influenced by the presence of optical amplification.

### **6.5.2 Receiver parameters**

These parameters are defined at the receiver reference points R or MPI-R as given in ITU-T Recs G.957, G.691, G.692 and G.959.1.

#### **6.5.2.1 Sensitivity**

Receiver sensitivities for SDH single-channel systems up to 10 Gbit/s are defined in ITU-T Recs G.957 and G.691. Sensitivities for SDH and OTN IrDI receivers are defined in ITU-T Rec. G.959.1.

Receiver sensitivities are defined as end-of-life, worst-case values taking into account ageing and temperature margins as well as worst-case eye mask and extinction ratio penalties as resulting from transmitter imperfections given by the transmitter specification of the particular interface.

Penalties related to path effects, however, are specified separately from the basic sensitivity value.

#### **6.5.2.2 Overload**

Receiver overload definition and values for SDH single-channel systems up to 10 Gbit/s are defined in ITU-T Recs G.957 and G.691. Overload definition and values for SDH and OTN IrDI receivers up to 40 Gbit/s are defined in ITU-T Rec. G.959.1.

#### **6.5.2.3 Minimum mean channel input power**

The minimum mean channel input power of optically multiplexed IrDIs of up to 10 Gbit/s for multichannel receivers is defined in ITU-T Rec. G.959.1.

#### **6.5.2.4 Maximum mean channel input power**

The maximum mean channel input power of optically multiplexed IrDIs of up to 10 Gbit/s for multichannel receivers is defined in ITU-T Rec. G.959.1.

#### **6.5.2.5 Optical path penalty**

Optical path penalty definition and values for SDH single-channel systems up to 10 Gbit/s are defined in ITU-T Recs G.957 and G.691. Path penalty definition and values for both single-channel and multichannel OTN IrDI receivers up to 10 Gbit/s are defined in ITU-T Rec. G.959.1. Path penalty definitions and values for single-channel SDH and OTN IrDI receivers up to 40 Gbit/s are also defined in ITU-T Rec. G.959.1.

#### **6.5.2.6 Maximum channel input power difference**

This parameter indicates the maximum difference between channels of an optically multiplexed signal and is defined in ITU-T Rec. G.959.1.

#### **6.5.2.7 Minimum OSNR at receiver input**

This value defines the minimum optical signal-to-noise ratio that is required for achieving the target BER at a receiver reference point at a given power level in OSNR limited (line amplified) systems. It should be noted that this is a design parameter.

## 7 Line coding considerations

Current systems as defined in ITU-T Recs G.957, G.691, G.692 and G.959.1 are based on non-return to zero (NRZ) transmission. The related parameters (as well as the definition of the logical "0" and logical "1") are defined in those Recommendations. For more demanding applications other line codes can be of advantage.

Return-to-zero (RZ) line-coded systems are significantly more tolerant to first-order PMD induced DGD and are therefore better suited for ultra-long-haul transmission of high rate signals. However, RZ coding has (due to the broader bandwidth to be used) a potential drawback of being less spectrally efficient compared to NRZ.

Modified RZ coding formats have been investigated, where RZ pulses are phase-modulated. Such formats are advantageous not only in terms of improved PMD tolerance but also enhanced non-linear tolerance. Moreover, it is possible for the format to offer improved spectral efficiency compared to the pure RZ coding format.

Other line codes for ultra-high bit rates have been published in order to achieve lower channel bandwidth and higher spectral density on the transmission fibre. In particular, several flavours of "duobinary" or multilevel coding are published. The tolerance to impairments related to the transmission path and transmitting and receiving element is for further study.

The use of line codes different to NRZ will influence the relation between the different parameters defined for the system and therefore will be reflected in sets of parameters different to the current parameters and their interdependence used in standardized applications.

### 7.1 Return-to-zero (RZ) implementation

There are several methods to generate optical return-to-zero (RZ) signals, e.g., by directly modulating a semiconductor laser with an RZ data signal, by generating an optical pulse train first and then modulating it with a non-return-to-zero (NRZ) data signal, or by pulse carving of an optical NRZ signal by a Mach-Zehnder Modulator (MZM).

The last option has been practically used because of its simplicity and because various duty cycles can be realized by appropriate combination of the bias voltage and the modulation amplitude of the MZM. The NRZ optical input of the MZM can be generated from a directly modulated laser diode (LD) or a CW laser with either an MZM or an electro-absorption modulator.

Three easily realizable duty cycles of RZ modulation are 1/3, 1/2 and 2/3 (referred as 33%, 50% and 67% in the text below, respectively). Possible implementations corresponding to the MZM implementation are shown in Figure 7-1.

With a driving voltage:

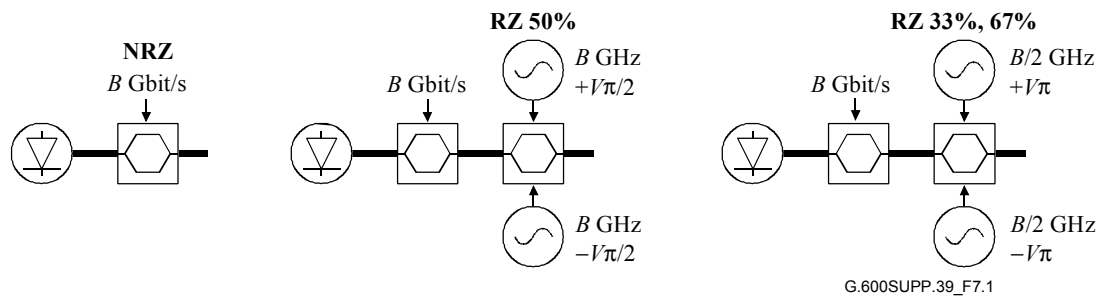
$$V_m(t) = V_{bias} + V_{RF}(t) = V_{bias} + V_{RF} \cos(2\pi ft + \phi_m) \quad (7-1)$$

where  $V_{bias}$  is the DC bias voltage,  $V_{RF}$  is the RF modulation amplitude,  $f_{mod}$  is the RF modulation frequency and  $\phi_m$  the phase shift, the optical power transfer function of an MZM can be written as:

$$T(t) \propto \cos^2 \left[ \frac{\pi V_m(t)}{2V_\pi} + \frac{\theta}{2} \right] = \cos^2 \left[ \frac{\pi V_{bias}}{2V_\pi} + \frac{\pi V_{RF}(t)}{2V_\pi} + \frac{\theta}{2} \right] \quad (7-2)$$

here,  $\theta$  is the intrinsic phase shift of the MZM without the driving voltage and  $V_\pi$  is the  $\pi$  phase shift voltage of the MZM. We define that if  $V_{bias} = V_{max}$ , then the MZM is DC biased at its maximum optical transmission; and, if  $V_{bias} = V_{min}$ , then the MZM is DC biased at its minimum optical transmission. The MZM can also be driven in a balanced manner (push-pull).

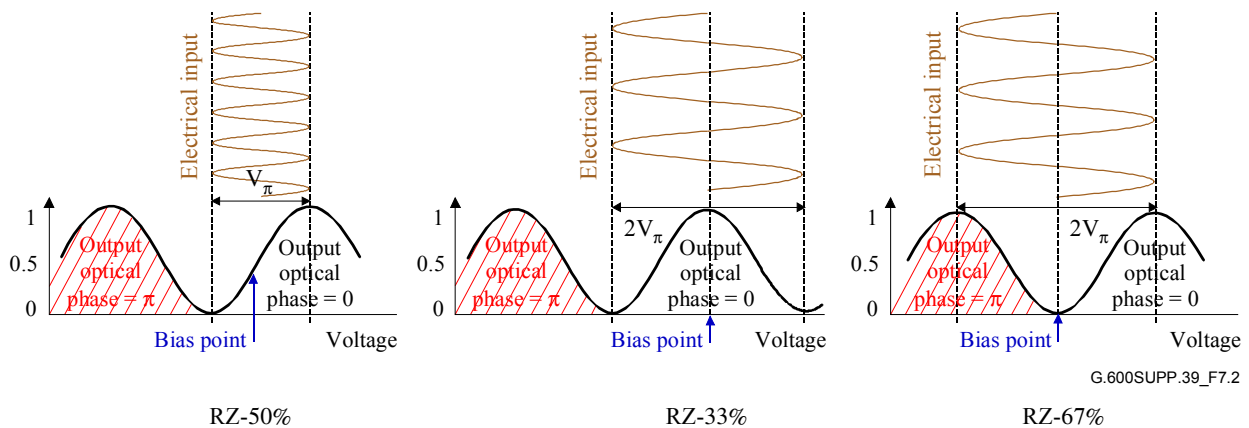
Here, NRZ coding is shown using an MZM with a single drive electrode. RZ pulse carving is achieved with push-pull MZM following the NRZ data modulator. Figure 7-1 depicts the basic block diagram for NRZ and RZ format coding.



**Figure 7-1 – Block diagram of NRZ and RZ format coding with MZM**

In the case of chirp-free push-pull modulation of a two-arm z-cut LiNbO<sub>3</sub> MZM, an electrical peak-to-peak modulation of  $V\pi$  is split into  $+V\pi/2$  and  $-V\pi/2$  to obtain RZ-50% format, for example, see Figure 7-1. Alternatively, RZ modulation can be realized using a single-arm MZM by applying peak-to-peak modulation of  $V\pi$  at the single arm to obtain RZ-50% format.

The generation of the three different RZ duty cycles depends on the RZ modulator frequency, the electrical peak-to-peak modulation voltage and the modulator bias. The driving conditions of RZ formats with 50%, 33% and CS-RZ 67% duty cycle are depicted in Figure 7-2:



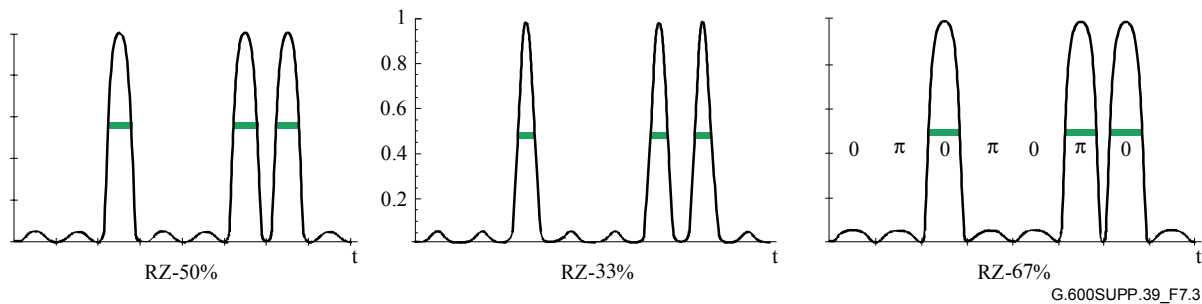
**Figure 7-2 – Bias configurations of RZ formats**

Table 7-1 summarizes the key figures of the three RZ duty cycles,  $f_{mod}$  is the modulation frequency,  $V_{mod}$  the peak-to-peak modulation voltage ( $2V_{RF}$ ),  $V_{bias}$  describes the bias condition:  $V_{min}$  and  $V_{max}$  are the bias points at transmission minimum (carrier suppressed) and maximum, respectively and  $V_{3dB}$  is the conventional MZM bias point used also for NRZ data modulation by the NRZ modulator. "Phase shift" describes the phase shift between consecutive RZ pulses and bits.

**Table 7-1 – Modulation figures of RZ formats at 43 Gbit/s**

RZ-	33%	50%	67% (CS-RZ)
$f_{mod}$ (GHz)	21.5	43	21.5
$V_{mod}$	$2V_{\pi}$	$V_{\pi}$	$2V_{\pi}$
$V_{bias}$	$V_{min}$	$V_{3dB}$	$V_{max}$
phase shift	0,0,0	0,0,0	0, $\pi$ ,0

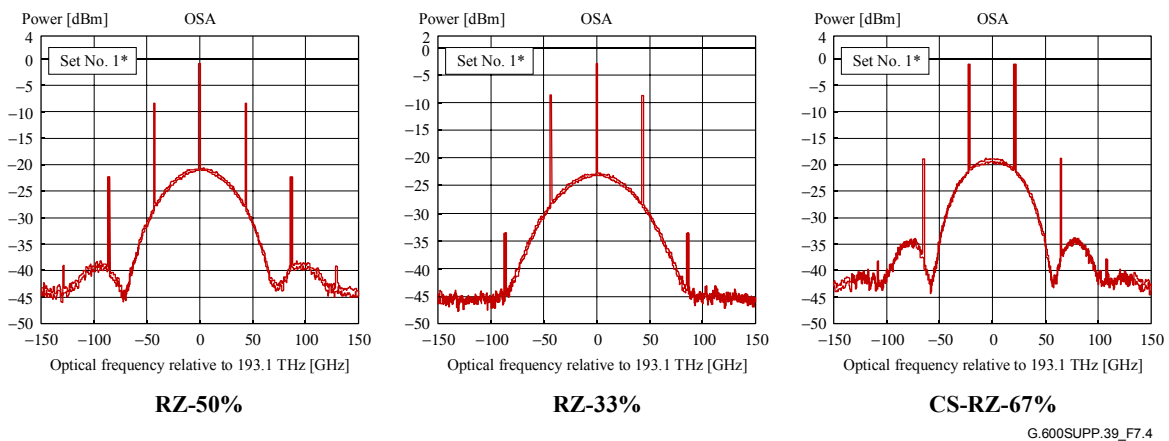
Figure 7-3 shows the intensity variation of the RZ pulses following the NRZ data modulation with data sequence of '00100110'. The three different duty cycles are defined by the pulse widths (FWHM/ $T$ ): 50%, 33% and 67% of the bit period  $T$ . The RZ-50% and RZ-33% formats have no phase change, while for CS-RZ-67% consecutive pulses have a phase change of  $\pi$ .



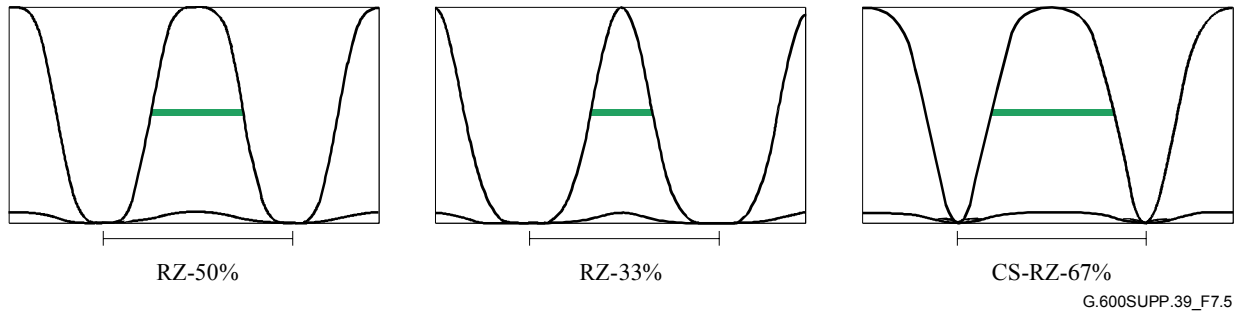
NOTE – The bar indicates FWHM and the duty cycle of the pulses.  $\pi$  and 0 indicate the phase change of RZ pulses at CS-RZ-67%.

**Figure 7-3 – RZ pulses of all three duty cycles with data of 00100110**

The optical spectra and optical eyepattern of the three RZ formats are depicted in Figures 7-4 and 7-5, respectively. RZ-33% format needs the highest spectral width compared to RZ-50% and CS-RZ-67%, which shows a significantly narrower spectrum, enabling higher spectral efficiency compared to RZ-33% format.



**Figure 7-4 – Optical spectra of RZ formats**



NOTE – The thin bar indicates the bit period  $T$  and the thick bar indicates the pulse width, corresponding to duty cycle.

G.600SUPP.39\_F7.5

**Figure 7-5 – Optical eyepattern of RZ formats**

### 7.1.1 RZ with 33% duty cycle

In Figure 7-1, the input signal to the MZM is an optical NRZ signal with a bit rate of  $1/T_b$  ( $T_b$  is the bit duration). The MZM is DC biased at its maximum optical transmission by  $V_{bias} = V_{max}$ , and RF modulated by a sinusoidal signal with a frequency of  $f = 1/(2T_b)$  and an amplitude of  $V_\pi$  ( $2V_\pi$  peak-to-peak).

Then, the amplitude of the optical field  $E_1(t)$  of the MZM output is proportional to:

$$E_1(t) \propto \cos\left[\frac{\pi}{2} \cos\left(\pi \frac{t}{T_b}\right)\right] e_{NRZ}(t) \quad (7-3)$$

where  $e_{NRZ}(t)$  is the optical field of the input NRZ signal. The optical output power of the MZM then becomes:

$$P_{out} \propto E_1(t)E_1(t)^* \propto \left[\cos\left[\frac{\pi}{2} \cos\left(\pi \frac{t}{T_b}\right)\right] e_{NRZ}(t)\right]^2 \quad (7-4)$$

### 7.1.2 CS-RZ with 67% duty cycle

Another modulation scheme is CS-RZ with a 67% duty cycle. This has better robustness against fibre chromatic dispersion than RZ modulation with 33% duty cycle.

To obtain a CS-RZ format with 67% duty cycle, the MZM is DC biased at its minimum optical transmission by  $V_{bias} = V_{min}$ , and modulated by a sinusoidal RF signal with a frequency of  $f = 1/(2T_b)$ , and a phase shift,  $\phi_m = \pi/2$ ; see Figure 7-1. The RF modulation amplitude is  $V_\pi$  ( $2V_\pi$  peak-to-peak), corresponding to the half-wave voltage of the MZM. The amplitude of the optical field at the output of the MZM,  $E_2(t)$ , is proportional to:

$$E_2(t) \propto \sin\left[\frac{\pi}{2} \sin\left(\pi \frac{t}{T_b}\right)\right] e_{NRZ}(t) \quad (7-5)$$

The output power of the MZM is proportional to  $E_2(t)E_2(t)^*$ , which is:

$$P_{out} \propto E_2(t)E_2(t)^* \propto \left[\sin\left[\frac{\pi}{2} \sin\left(\pi \frac{t}{T_b}\right)\right] e_{NRZ}(t)\right]^2 \quad (7-6)$$

### 7.1.3 RZ with 50% duty cycle

To obtain an RZ format with 50% duty cycle, the MZM is DC biased at its 3-dB optical transmission by  $V_{bias} = V_{3dB}$ , and modulated by a sinusoidal RF signal with a frequency of  $f = 1/(T_b)$ , see Figure 7-1. The RF modulation amplitude is  $V_\pi/2$  ( $V_\pi$  peak-to-peak). The amplitude of the optical field at the output of the MZM,  $E_3(t)$ , is proportional to:

$$E_3(t) \propto \cos\left[\frac{\pi}{4} + \frac{\pi}{4} \cos\left(\frac{2\pi t}{T_b}\right)\right] e_{NRZ}(t) \quad (7-7)$$

The output power of the MZM is proportional to  $E_3(t)E_3(t)^*$ , which is :

$$P_{out} \propto E_3(t)E_3(t)^* \propto \left[ \cos\left[\frac{\pi}{4} + \frac{\pi}{4} \cos\left(\frac{2\pi t}{T_b}\right)\right] e_{NRZ}(t) \right]^2 \quad (7-8)$$

## 7.2 System impairment considerations

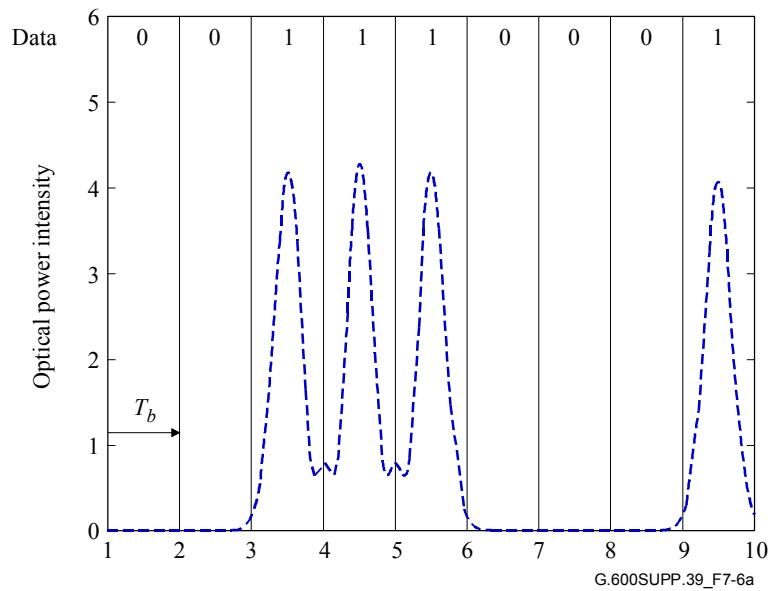
### 7.2.1 Fibre attribute induced impairments

#### 7.2.1.1 Chromatic dispersion (CD) and pulse broadening

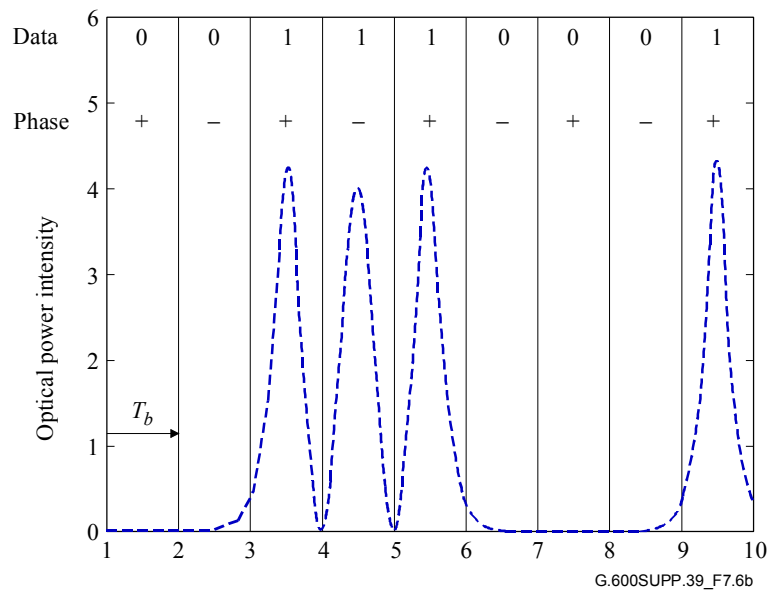
In the case of free space transmission or for very low fibre chromatic dispersion, the RZ format with a duty cycle of 33% has a better receiver sensitivity compared to the RZ formats with larger duty cycle or NRZ format [6]. However, after propagation through an optical fibre, the overlapping of adjacent pulses produces ghost pulses [7], since all logical '1's have the same optical phase.

In the CS-RZ case, adjacent pulses have opposite phases. The optical fields of two adjacent logical '1' bits add up destructively. There is no ghost pulse generated between two logical '1's. Moreover, due to the narrower spectrum, pulse broadening caused by CD is smaller than that with the conventional RZ format. Therefore, CS-RZ is a very robust modulation format for optical fibre links with significant residual chromatic dispersion.

Figures 7-6 a) and b) show pulse shapes of the two RZ modulation formats with a bit rate of 40 Gbit/s at an accumulated chromatic dispersion of  $D = 20$  ps/nm. To assess the chromatic dispersion penalty, the system model was simplified by neglecting any influence of PMD and fibre non-linearity, i.e., assuming that the CD impairment is isolated from the PMD and fibre non-linearity impairments. The model showed that, as the pulses propagate along the fibre, ghost pulses were generated between two adjacent '1's for RZ-33% in Figure 7-6 a), while no ghost pulse can be observed in the CS-RZ case; see Figure 7-6 b).



a) 33%-RZ



b) 67%-CS-RZ

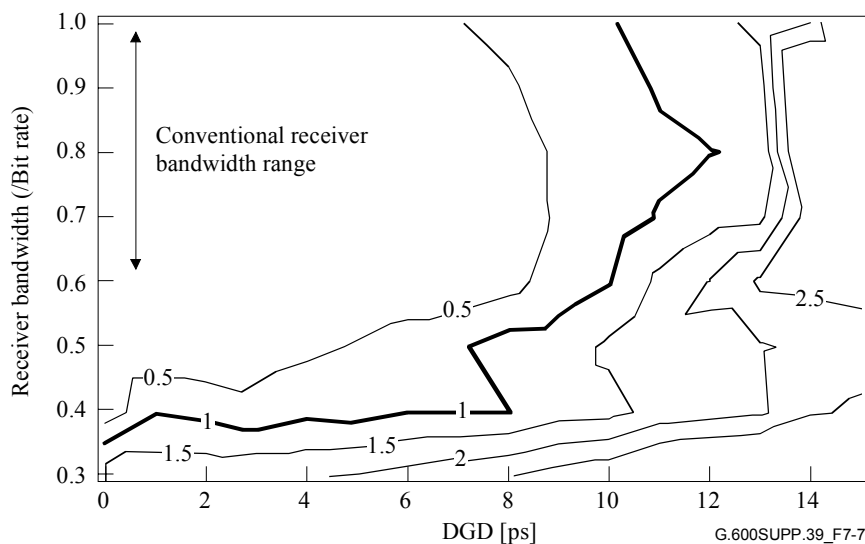
**Figure 7-6 – 40-Gbit/s pulse form after accumulated dispersion of 20 ps/nm**

### 7.2.1.2 Polarization Mode Dispersion (PMD)

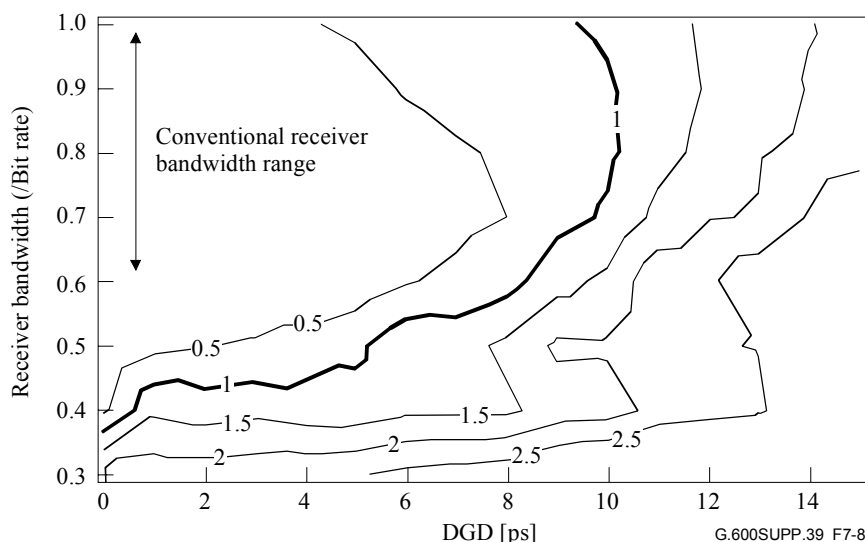
Polarization Mode Dispersion (PMD) of transmission fibres degrades transmission performance by waveform distortion, especially in 40-Gbit/s transmission systems. Therefore, PMD tolerance is one of the key parameters to specify in 40-Gbit/s applications. First-order PMD is Differential Group Delay (DGD). (An explicit definition of DGD can be found in ITU-T Rec. G.671.) Tolerance of 40-Gbit/s systems against deterministic DGD strongly depends on the electrical bandwidth of the receiver.



Figures 7-7 and 7-8 show power penalty contour maps for RZ line-coding with duty ratios of 33% and 50%, as a function of receiver bandwidth and DGD obtained by numerical simulation. It was found that the DGD tolerance depended on both DGD and the receiver bandwidth [8]. In the conventional receiver bandwidth range as shown in the figure, PMD tolerance showed some deviation. For example, the maximum allowable DGD was 11.5 ps (for a 1-dB penalty) over a very narrow range of receiver bandwidth centred on 0.8 in RZ-33%. In contrast, in a conventional receiver bandwidth range, a penalty of more than 1 dB is inevitable.



**Figure 7-7 – Contour map for DGD tolerance (RZ-33%)**

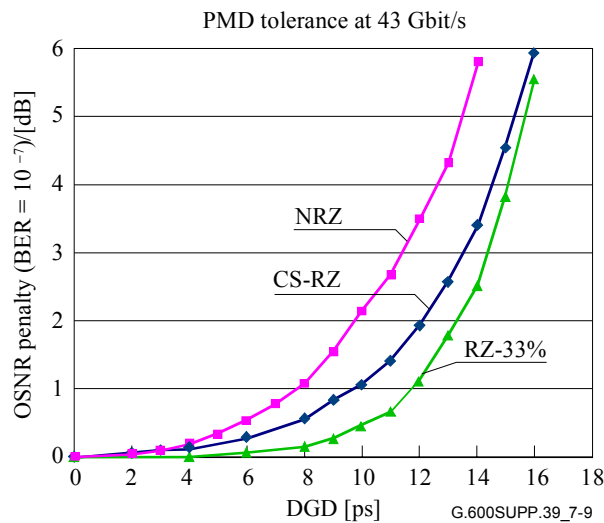


**Figure 7-8 – Contour map for DGD tolerance (RZ-50%)**

The power penalty showed strong dependence on receiver bandwidth. Thus, careful consideration for receiver bandwidth is required to design 40-Gbit/s RZ systems with sufficient DGD tolerance.

For 40-Gbit/s class interfaces, use of NRZ and RZ line coding has been proposed for the single-channel application codes. The RZ code has been proposed to use 33% duty cycle. This code will, due to its nature, be slightly more tolerant to PMD than the CS-RZ code of duty cycle 66% (which is another alternative). Measurements have been carried out to verify the validity of the proposed DGD tolerance values.

A PMD emulator generating first-order PMD has been used in this experiment. The OSNR penalty as a function of DGD is shown in Figure 7-9.



**Figure 7-9 – OSNR penalty versus DGD for different line codes**

The DGD for generating a 1-dB penalty was independent of the actual underlying OSNR BER down to low error rate levels in this experiment. As the receiver was optimized for CS-RZ, the DGD tolerance that can be expected for the other line codes of 7.5 ps for 1-dB penalty in NRZ and 11.5 ps for 1-dB penalty for RZ-33% should be achievable. It can, however, be seen that RZ-66% (the other driving point of a MZ-Modulator implementation) does not support 11.5 ps for 1-dB maximum penalty at 43 Gbit/s (G.709 rate) so RZ-33% is to be used for that application.

## 8 Optical network topology

ITU-T Recs G.692 and G.959.1 currently concern point-to-point transmission systems, while leaving more complex arrangements (e.g., those involving optical add/drop) for further study. This clause discusses both point-to-point topologies as well as those containing optical add/drop.

### 8.1 Topological structures

Two types of networks are distinguished according to the properties of the Optical Network Elements (ONEs) that the signal traverses: firstly, networks with 1R regeneration and secondly, networks where some in-line ONEs do provide 2R and/or 3R regeneration. The latter case does not exclude that some or all of the in-line ONEs may have 1R regeneration as well.

Following Annex A/G.872, 1R regeneration comprises optical amplification and dispersion compensation, i.e., analogue mechanisms without bit processing are captured by 1R regeneration. On the other hand, 2R and 3R regeneration apply digital processes (e.g., digital reshaping and digital pulse regeneration).

Different topological classes are defined including point-to-point links, bus structures, ring and meshed networks. Each class is introduced by a generic approach. Thus, particular implementation schemes are neither presumed nor excluded. Additionally, the number of topological classes is minimized by this approach, and a huge manifold of different implementation schemes are arranged in just a few groups. The absence of a generic representation would yield a huge number of diagrams for each individual minor topological modification.

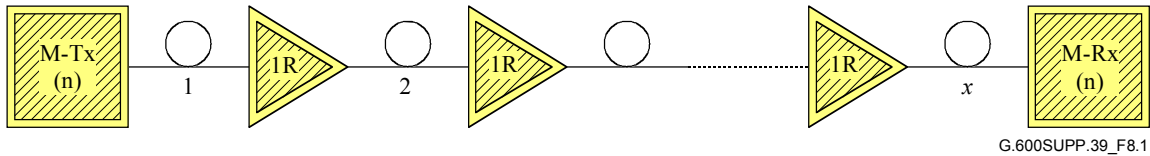
Finally, the generic description is illustrated by a small number of typical examples for the purpose of clarification.

### 8.1.1 Networks with 1R regeneration

Networks with 1R regeneration include point-to-point links, bus structures, ring and meshed networks.

#### 8.1.1.1 Point-to-point links

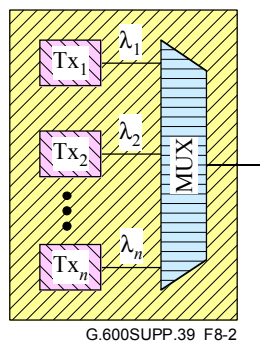
The generic representation of a point-to-point (ptp) link is shown in Figure 8-1. Light of  $n$  WDM channels is carried by one output fibre of a multichannel transmitter equipment (M-Tx). This optical signal passes transmission sections with alternating fibre pieces and 1R regenerators before entering a multichannel receiver equipment (M-Rx). The double-lined boxes and triangles in Figure 8-1 indicate the possibility of different realization schemes (with respect to the detailed topology and implementation **within** the doubled-lined boxes).



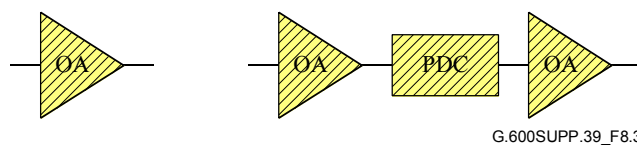
**Figure 8-1 – Generic representation of a point-to-point link with 1R regenerators**

Figure 8-2 shows a typical realization scheme of a multichannel transmitter equipment with a number of  $n$  WDM channels operating at central wavelengths  $\lambda_1, \lambda_2, \dots, \lambda_n$ . Examples of 1R regenerators are presented in Figure 8-3 including an optical amplifier (OA) – left-hand side – and a line amplifier with integrated passive dispersion compensation (PDC) – right-hand side. It should be noted that many other 1R regenerator realization schemes with PDC capabilities are possible.

An example of a typical WDM ptp link is shown in Figure 8-4. This is **only one particular** WDM ptp realization scheme.



**Figure 8-2 – Example of a multichannel transmitter realization scheme**



**Figure 8-3 – Examples of 1R regenerator realization schemes**

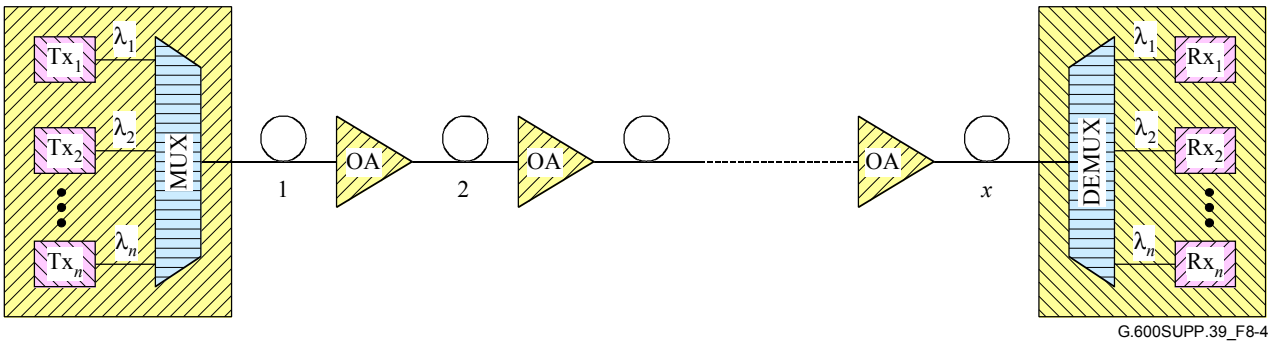


Figure 8-4 – Example of a WDM point-to-point link

### 8.1.1.2 Bus structures

The generic representation of a bus structure is shown in Figure 8-5. A number ( $n$ ) of WDM channels emitted by the M-Tx enters the first Optical Network Element (ONE)  $ONE_1$ . A subset ( $n_1$ ) of WDM channels is dropped and added by  $ONE_1$  and detected by a receiver and transmitter equipment (denoted by "Rx ( $n_1$ )" and "Tx ( $n_1$ )") for those  $n_1$  channels. The same procedure is continued at the subsequent Optical Network Elements  $ONE_2 \dots ONE_k$  where  $k$  denotes the total number of ONEs ( $k \geq 1$ ). The number of dropped and added channels may range from:

$$0 \leq n_j \leq n, \quad (1 \leq j \leq k)$$

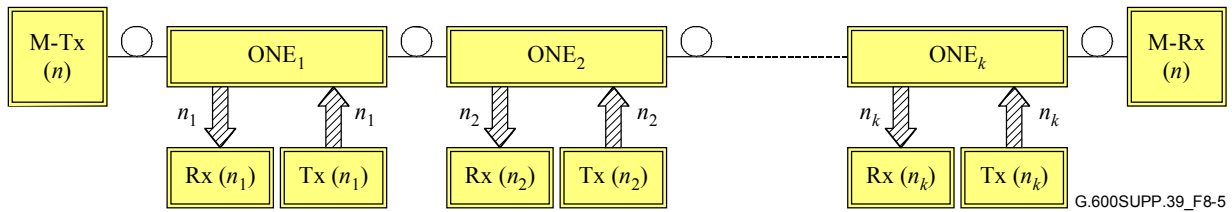


Figure 8-5 – Generic representation of a bus structure

In case of  $n_j = n$ , all WDM channels are dropped and added. If  $n_j = 0$  holds, then no channel is added or dropped, i.e.,  $ONE_j$  is just a 1R regenerator in this case. Thus, a hybrid topological scheme incorporating a sequence of optical amplifiers and optical add/drop multiplexers (OADMs) are also captured by this generic approach.

The hatched arrows at the tributary ports of each Optical Network Element  $ONE_j$  ( $j = 1 \dots k$ ) indicate that up to  $n_j$  fibres may be used.

Some particular realization schemes of bus structures are shown below. Figure 8-6 represents a bus with two OADMs and one fibre for each added and dropped WDM channel at the tributary ports. Figure 8-7 is an example of a bus structure with a chain of OAs plus just one additional OADM adding and dropping a number ( $n^*$ ) of WDM channels. In contrast to Figure 8-6, only one fibre (carrying the light of all  $n^*$  WDM channels) is used at the tributary ports of this particular OADM.

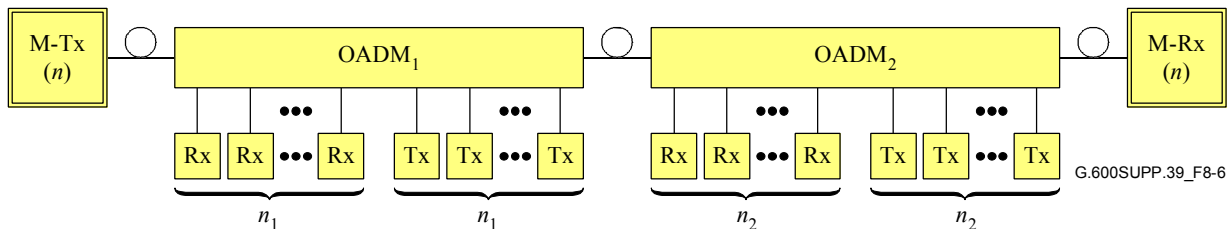
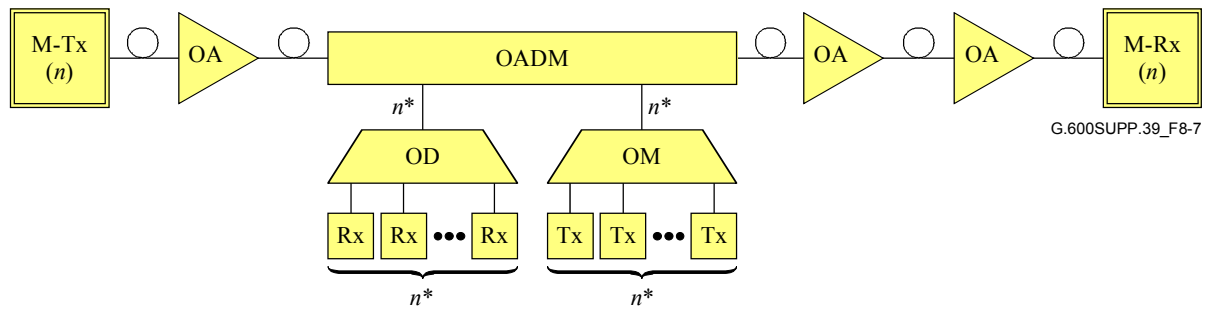


Figure 8-6 – Example of a bus structure with two OADMs and one fibre for each added/dropped WDM channel



**Figure 8-7 – Example of a bus structure with optical amplifiers and one OADM**

## 9 "Worst-case" system design

For "worst-case" system design, optical systems in client networks (PDH, SDH, OTN) are specified by optical and electrical system parameters with maximum and minimum values at the end-of-life (ITU-T Recs G.955, G.957, G.691, G.692, G.959.1).

### 9.1 Power budget concatenation

Power budgets of single-channel (TDM in ITU-T Recs G.957 and G.691) and multichannel (WDM in ITU-T Rec. G.959.1) optical systems have been given with the following optical parameters in a "worst-case" approach:

- maximum mean (channel) output power;
- minimum mean (channel) output power;
- maximum mean total output power (for multichannel applications);
- maximum attenuation;
- minimum attenuation;
- maximum chromatic dispersion;
- minimum chromatic dispersion;
- maximum differential group delay (DGD);
- maximum mean (channel) input power;
- maximum mean total input power (for multichannel applications);
- minimum receiver sensitivity (or minimum equivalent sensitivity);
- maximum optical path penalty.

#### 9.1.1 Minimum receiver sensitivity

The receiver sensitivity is defined (for the worst-case and end-of-life) as the minimum acceptable value of mean received optical power at point MPI-R to achieve a BER of  $1 \times 10^{-12}$ . Worst-case transmitter extinction ratio, optical return loss at point MPI-S, receiver connector degradation, measurement tolerances and aging effect cause the worst-case condition.

Optical systems that would otherwise be limited in transmission length by optical fibre attenuation can be operated with the use of optical (booster-, line- or/and pre-) amplifiers (ITU-T Recs G.661, G.662, G.663).

#### 9.1.2 Maximum optical path penalty

Power penalties associated with the optical path (like chromatic fibre dispersion or polarization-mode dispersion, jitter, reflections) are contained in the maximum optical path penalty, but not in the minimum receiver sensitivity. Note, however, that the minimum average optical power at the

receiver must be greater than the minimum receiver sensitivity by the value of the optical path penalty.

Optical systems that would otherwise be limited in transmission length by chromatic fibre dispersion require certain dispersion accommodation (DA) processes (G.691) to overcome fibre length limitation, as considered in 9.2.1.

## 9.2 Chromatic dispersion

### 9.2.1 Chromatic dispersion – Analytical approach

Chromatic dispersion in a single-mode fibre is a combination of material dispersion and waveguide dispersion, and it contributes to pulse broadening and distortion in a digital signal. From the point of view of the transmitter, this is due to two causes.

One cause is the presence of different wavelengths in the optical spectrum of the source. Each wavelength has a different phase delay and group delay along the fibre, so the output pulse is distorted in time. (This is the cause considered in ITU-T Rec. G.957.)

The other cause is the modulation of the source, which itself has two effects:

One effect is that of the Fourier frequency content of the modulated signal. As bit rates increase, the modulation frequency width of the signal also increases and can be comparable to or can exceed the optical frequency width of the source. (A formula for a zero-frequency width source is quoted in ITU-T Rec. G.663.)

Another effect is that of chirp, which occurs when the source wavelength spectrum varies during the pulse. By convention, positive chirp at the transmitter occurs when the spectrum during the rise/fall of the pulse shifts towards shorter/longer wavelengths respectively. For a positive fibre dispersion coefficient, longer wavelengths are delayed relative to shorter wavelengths. Hence, if the sign of the product of chirp and dispersion is positive, the two processes combine to produce pulse expansion. If the product is negative, pulse compression can occur over an initial length of fibre until the pulse reaches a minimum width and then expands again with increasing dispersion.

#### 9.2.1.1 Bit-rate limitations due to chromatic dispersion

This clause generalizes the "epsilon-model" of ITU-T Rec. G.957 to account for the dispersion effects of the widths of both the source spectrum and the transmitter modulation, in the case where chirp and any side modes are negligible by comparison. In many practical cases chirp may dominate, and the theoretical dispersion limits indicated in this clause will be higher or lower than are experienced.

The theory is given in Appendix I. It also assumes that the rms-width theory of Gaussian shapes for the source and modulation spectra can be applied to general shapes, and that second-order dispersion is small compared to the first-order dispersion. As in ITU-T Rec. G.957, it considers the allowed pulse spreading as a fraction of the bit period to be limited to a maximum value, called the "epsilon"-value ( $\epsilon$ -value), that is determined below by the allowable power penalty.

#### Dispersion formulas

These formulas follow from I.7 where they are given in general form before conversion to particular numerical units used below. The duty cycle is  $f$ ; for RZ  $f < 1$ , for NRZ  $f = 1$ . For a bit-rate  $B$  in Gbit/s along a fibre of length  $L$  in km with a dispersion coefficient  $D$  in ps/km·nm at the source mean wavelength  $\lambda$  in  $\mu\text{m}$  (not nm), the maximum allowed link chromatic dispersion in ps/nm is:

$$DL = \frac{1.819.650\epsilon}{\lambda^2 B \left[ \left( \frac{1.932 B}{f} \right)^2 + \Gamma_v^2 \right]^{0.5}} \quad (9-1)$$

Here  $\Gamma_v$  in GHz is the  $-20$  dB width of the source spectrum in optical frequency. It corresponds to a  $-20$  dB width of the wavelength spectrum  $\Gamma_\lambda$  in nm given by:

$$\Gamma_\lambda \approx \frac{\lambda^2}{299.792} \Gamma_v \quad (9-2)$$

Comparing the left-hand result with Equation 9-1 shows that the "effective" 20-dB spectral width of the modulated source is  $\left[ \left( \frac{1.932 B}{f} \right)^2 + \Gamma_v^2 \right]^{0.5}$ , a combination of the modulation and optical frequency spectra.

For the limiting case of a broad spectrum/low bit rate, Equations 9-1 and 9-2 give:

$$DLB \lambda^2 \Gamma_v \approx 1.819.650 \varepsilon \quad \text{or} \quad DLB \Gamma_\lambda \approx 6.069.7 \varepsilon \quad (9-3)$$

These approximations are accurate to within 1% of Equation 9-1 whenever  $\Gamma_v > \frac{14B}{f}$ . The equivalent of the right-hand result of Equation 9-3 was used in ITU-T Rec. G.957 (for a 1-dB penalty and  $BER = 10^{-10}$ ) to derive the source requirements for target distances in the tables there.

For the opposite limit of a narrow spectrum/high bit rate, one has:

$$DLB^2 \lambda^2 \approx 941.826 \varepsilon f \quad (9-4)$$

The approximation is accurate to within 1% of Equation 9-1 whenever  $\Gamma_v > \frac{B}{4f}$ . defining a "narrow linewidth" source. For a 1-dB penalty and NRZ, Equation 9-4 gives:

$$DLB^2 \lambda^2 \approx 282.548 \quad (9-5)$$

The result quoted in ITU-T Rec. G.663 is close to this for 1550 nm.

NOTE – The number of significant figures shown in the formulae above, and used in the results below, are a result of the numerical manipulations. They do not imply that the formulae and results have the displayed degree of accuracy.

### **Time-slot fraction related to power penalty**

For ITU-T Rec. G.957, the equation relating the fractional pulse spreading to the power penalty  $P_{ISI}$  (in dB) for NRZ pulses and SLM lasers was [11]

$$P_{ISI} = 5 \log_{10} (1 + 2\pi \varepsilon^2) \quad \text{or} \quad \varepsilon = \left( \frac{10^{\frac{P_{ISI}}{5}} - 1}{2\pi} \right)^{0.5} \quad (9-6)$$

The result is independent of BER, taken to be  $10^{-10}$  in ITU-T Rec. G.957. In actuality there is a very slight penalty increase in going to  $10^{-12}$ , thereby decreasing  $\varepsilon$  by perhaps a few per cent at a particular dB penalty level.

Table 9-1 gives values at several power penalties of interest, incorporating approximately 1½-2% rounding-down.

**Table 9-1 – Power penalty for several epsilon values**

Power penalty [dB]	Epsilon value
0.5	0.203 ≈ 0.2
1	0.305 ≈ 0.3
2	0.491 ≈ 0.48

For MLM lasers, the power penalty for mode partition noise (MPN) was modelled to be [11]:

$$P_{MPN} = -10 \log_{10} \left\{ 1 - \frac{1}{2} \left[ kQ \left( 1 - e^{-\pi^2 \epsilon^2} \right) \right]^2 \right\} \quad (9-7)$$

where  $k$  is the MPN factor and the  $Q$  factor is the effective signal-to-noise ratio at a particular BER. A BER of  $10^{-12}$  corresponds to  $Q \approx 7.03$ . The total power penalty is the sum of  $P_{ISI}$  and  $P_{MPN}$ .

In deciding the value of  $\epsilon$  associated with MLM lasers in ITU-T Rec. G.957, a total power penalty of 1 dB was allowed, with  $Q = 6.36$ , corresponding to  $10^{-10}$  BER, and a value of  $k = 0.7$  for the MPN factor. The maximum value of  $\epsilon = 0.115$  in ITU-T Rec. G.957 is slightly less than the value which would be consistent with Equation 9-7, as a result of engineering judgment which determined that a more conservative value should be adopted.

For BER of  $10^{-12}$ , use an epsilon value of 0.109, which is derived from Equation 9-7 with  $Q = 7.03$  and  $k = 0.76$ .

The examples consider only SLM lasers in which the MPN is zero.

### Examples

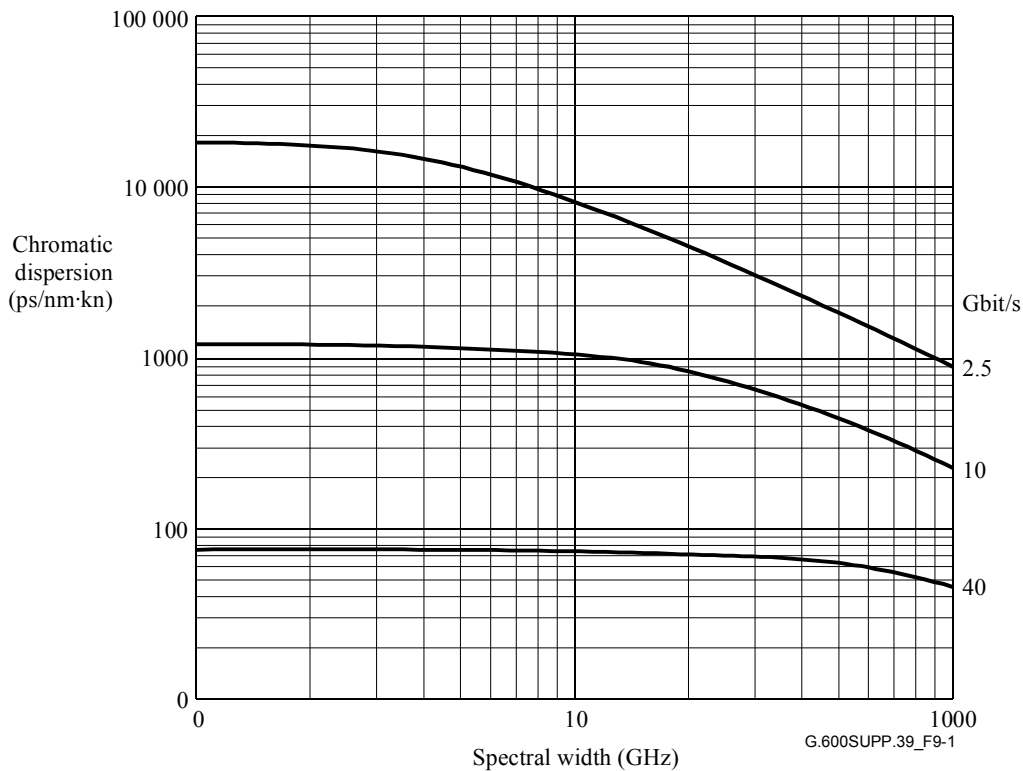
Here the STM bit rates used are for NRZ 10G: 9.95328 Gbit/s, and for NRZ 40G: 39.81312 Gbit/s as in ITU-T Rec. G.707/Y.1322. From Table 9-1 we will use  $\epsilon = 0.3$  or  $0.48$  for a power penalty of 1 or 2 dB, respectively.

*Example 1:* Consider the maximum allowable chromatic dispersion at several unchirped NRZ bit rates with non-zero width sources (with negligible chirp or side modes) for a 1-dB penalty. Then for 1550 nm Equation 9-1 gives Figure 9-1. (From Equation 9-2 at this wavelength, a frequency spread of 100 GHz corresponds to a wavelength spread of about 0.8 nm.) These are the required dispersion values independent of fibre type.

Note that as the source spectral width increases, the maximum allowed chromatic dispersion decreases. This is less pronounced at higher bit rates, where the modulation spectrum makes up a greater fraction of the total spectral width.

The dispersion-limited length is obtained by dividing the chromatic dispersion by the fibre chromatic dispersion coefficient. For the example of a G.652 fibre with  $D(1550) = 17$  ps/nm·km, a plot similar to Figure 9-1 results with the vertical axis scale divided by 17 to display the length in km.





**Figure 9-1 – Maximum allowed chromatic dispersion vs source spectral width at 1550 nm for several unchirped NRZ bit rates at a power penalty of 1 dB**

*Example 2:* Consider the limiting case in Example 1 of a high bit-rate and narrow-linewidth spectrum transmitter (the values on the ordinate of the above graphs). The allowed chromatic dispersion is given by Equation 9-4 as:

$$DL \approx \frac{117.606 \text{ or } 188.169}{B^2} \quad (9-8)$$

for a 1- or 2-dB penalty, respectively. Table 9-2 shows the corresponding values. (The 1-dB numbers correspond to the vertical intercepts of Figure 9-1.)

**Table 9-2 – Maximum theoretical allowable chromatic dispersion for a chirp-free narrow-linewidth source at 1550 nm for several unchirped NRZ bit rates and power penalties**

Unchirped NRZ bit rate [Gbit/s]	Maximum chromatic dispersion [ps/nm]	
	1-dB penalty	2-dB penalty
2.5	18.820	30.110
10	1.175	1.880
40	73.5	118

*Example 3:* Consider the narrow-linewidth source at the upper range of the C-band at 1565 nm and a 1-dB penalty. Then Equation 9-5 gives the dispersion-limited length as:

$$L = \frac{115.362}{B^2 D} \quad (9-9)$$

Table 9-3 shows some examples.

**Table 9-3 – Theoretical length limitations for a chirp-free narrow-linewidth source at 1565 nm with 3 fibre types and 2 unchirped NRZ bit rates for a 1-dB penalty**

Fibre type		G.652	G.653	G.655
Dispersion coefficient at 1565 nm in ps/(nm·km)		19	3.5	10
Dispersion-limited length in km	NRZ 10G	61	333	116
	NRZ 40G	3.8	20.8	7.3

Recall that in the system application codes there are: intra-office I ( $\leq 25$  km), short-haul S ( $\leq 40$  km), long-haul L ( $\leq 80$  km), and very-long-haul V ( $\leq 120$  km). For the 1565 nm examples in Table 9-3:

- NRZ 10G systems with G.653 fibre for I, S, L, and V applications or with G.655 fibre for I, S, and L applications usually require no chromatic dispersion accommodation.
- NRZ 10G systems with G.652 fibre for L and V applications require chromatic dispersion accommodation.
- NRZ 40G systems require dispersion accommodation for all fibre types and for I, S, L and V applications. For G.652 fibre the NRZ 40G length limitation starts at a few km.

Active and/or passive dispersion accommodation techniques as given in ITU-T Rec. G.691, and in 9.2.1.2 and 9.2.1.3 below, can be applied to overcome fibre length limitations due to chromatic dispersion.

*Example 4:* As a final example, consider Equation 9-4 applied to several formats at 40 Gbit/s.

**Table 9-4 – Maximum theoretical allowable chromatic dispersion for a chirp-free narrow-linewidth source at 1550 nm for several unchirped 40 Gbit/s formats and a 2-dB power penalty**

Format (unchirped)	Maximum chromatic dispersion [ps/nm]
NRZ	118
RZ( $\frac{2}{3}$ )	78
RZ( $\frac{1}{2}$ )	59
RZ( $\frac{1}{3}$ )	39
NOTE – The value given above for RZ( $\frac{2}{3}$ ) is for conventional RZ modulation and not for carrier-suppressed RZ.	

### 9.2.1.2 Power penalty due to chromatic dispersion

ITU-T Rec. G.959.1 reports that a maximum path penalty of 1 dB for low-dispersion systems, and of 2 dB for high-dispersion systems, is allowed. The path penalties are not made proportional to the target distance to avoid operating systems with high penalties.

In the future, systems employing DA techniques based on pre-distortion (e.g., prechirping) of the optical signal at the transmitter may be introduced. In this case, the path penalty in the above sense can be defined only between points with undistorted signals. These points, however, do not coincide with the main path interfaces, and may thus not even be accessible. The definition of path penalty for this use is for further study.

### 9.2.1.3 Chromatic dispersion accommodation

The following active dispersion accommodation techniques are reported in ITU-T Rec. G.691:

- A prechirp is applied in the optical transmitter to obtain pulse compression and to get an increase in the transmission distance.
- Self-phase modulation (SPM) uses the non-linear Kerr effect in the G.652 fibre for obtaining pulse compression and a longer transmission distance, but requires an optical signal power above the non-linearity threshold.
- Dispersion-supported transmission (DST) uses an optical FSK/ASK (or a pure optical FSK) modulation and utilizes the dispersive transmission fibre to convert the FSK signal parts at the transmitter into an ASK signal at the receiver. The optical FSK modulation interacts with the chromatic dispersion of the fibre in a high-pass-like transfer function. Using a low-pass filter (DST-filter) in the electrical domain of the receiver, the response signal can be equalized.

Because all active DA techniques are additional techniques in the E/O transmitter and O/E receiver (also for equalization in the electrical domain), this process has been introduced into ITU-T Rec. G.798 as channel dispersion accommodation (DAc) process.

The passive chromatic dispersion accommodation technique (DA), defined in ITU-T Rec. G.691, can be used in a long-haul or multi-span high data rate transmission system. A passive dispersion compensator (PDC, G.671) can be dispersion-compensating fibres (DCF) or fibre gratings. It can be applied in an optical transmitter with booster amplifier and/or an optical receiver with preamplifier as well as in an optical line-amplifier. To compensate the additional loss of the PDC modules, line amplifiers can be designed with dual stage configuration and these devices may be sandwiched between line amplifiers to meet the OSNR requirement at the receiver. This amplifier-aided dispersion accommodation (DAa) process has been introduced into ITU-T Rec. G.798.

In a multi-wavelength system, the PDC can exactly compensate for the chromatic dispersion of one wavelength; it might not be able to exactly compensate at the other wavelengths. The difference in residual dispersion between channels can be minimized by applying dispersion compensation and dispersion slope compensation together. Since the chromatic dispersion in a fibre may vary with time/temperature, a high-speed system may need to be compensated partly by PDC, and partly by dynamically adjusted adaptive compensation.

## 9.2.2 Chromatic dispersion – Computational approach

### 9.2.2.1 Introduction

In the following, system tolerances on residual chromatic dispersion are evaluated and suggestions for single-channel (SC) and multichannel (MC) systems that deal with return-to-zero (RZ) transmission format are provided.

In the case of SC 40-Gbit/s transmission, a maximum value is suggested for the residual chromatic dispersion that depends on the input average power. In the case of MC transmission (within the wavelength range of G.959.1 applications), the effects of fibre dispersion slope and its compensation have been considered.

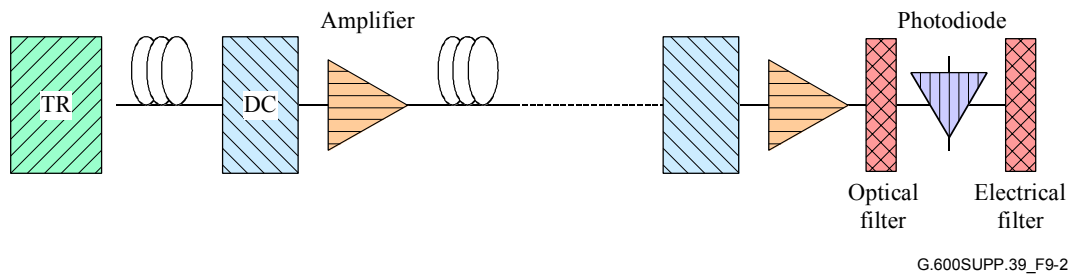
### 9.2.2.2 System assumptions and calculation tool description

The results reported below are based on the following assumptions:

- $N \times 40$  Gbit/s system on typical terrestrial lengths (500-1000 km), with quite long amplifier spacing (for example, 100 km).
- RZ transmission format with Gaussian pulses ( $T_{FWHM} = 5$  ps). Since our aim is the analysis of dispersion effects, we consider an "ideal" transmitter.

- Periodic dispersion compensation with the same period as the amplifier spacing. Several schemes for dispersion compensation have been proposed in the literature (post-compensation, pre-compensation, post-compensation with prechirp) [9]. Here, we deal with post-compensation.
- Ideal receiver made up of: optical filter with bandwidth 160 GHz, ideal photodiode and electrical filter (4th order Bessel-Thomson with bandwidth 32 GHz).
- Propagation of a pseudo-random bit sequence of 32 bits. In the case of MC systems the bit sequences on the different channels are uncorrelated.

A simplified scheme of the system is shown in Figure 9-2.



**Figure 9-2 – Scheme of the system with periodic post-compensation**

Concerning the simulations, the Split-Step Fourier method – also called beam propagation method (BPM) – has been implemented. For a detailed description of the BPM, see references [10] and [11]; a very short description is given here. The BPM allows us to solve numerically the non-linear Schroedinger Equation that describes the propagation of an optical pulse in a fibre, considering chromatic dispersion, non-linear effects (self-phase modulation, cross-phase modulation and four-wave mixing), effect of dispersion slope, fibre losses, and lumped amplification.

The BPM is the basis of nearly all commercial simulation tools. The adopted code was tested by several researchers and its results compared with those of other commercial tools before its use.

System performance has been evaluated both in terms of penalty on the eye diagram and BER (or  $Q$  factor).

### 9.2.2.3 Tolerances towards residual chromatic dispersion on $1 \times 40$ Gbit/s SC systems

It is quite difficult to give a general guideline for the maximum tolerable residual chromatic dispersion in a  $1 \times 40$  Gbit/s system because several aspects should be considered.

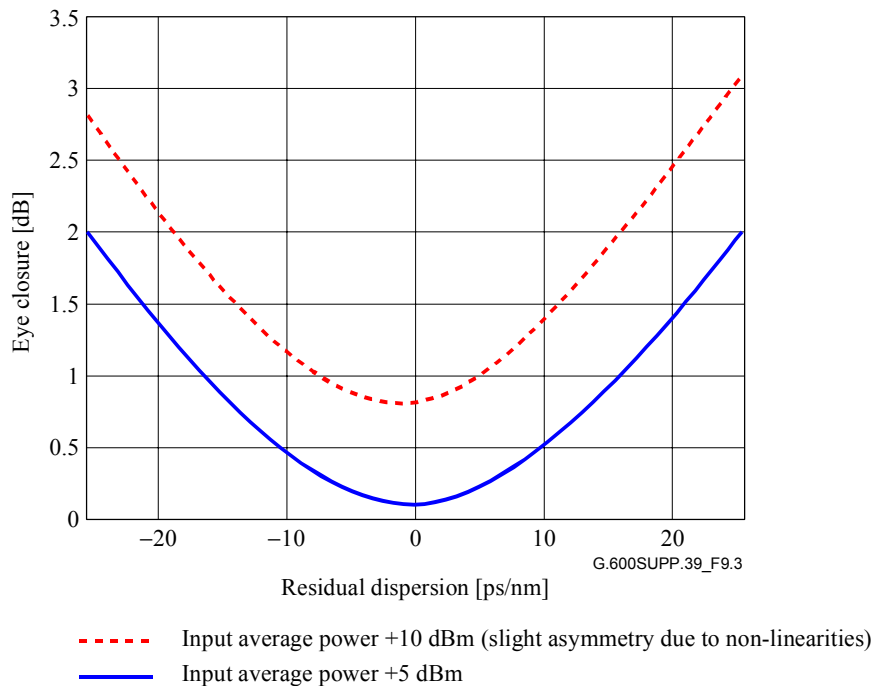
A first aspect is the transmission modulation format: in this case the RZ transmission format ( $T_{FWHM} = 5$  ps) has been examined. A second point is the optical input power; in fact, low input powers allow operation in the linear regime but cannot guarantee a sufficient optical signal-to-noise ratio (OSNR). On the other hand higher input powers, in spite of a good OSNR, cause consistent non-linear effects (see also 9.5 and 9.7).

Simulations have been made with 100-km amplifier spacing over 500 km, varying the input optical power between 0 and 10 dBm, and the residual dispersion between  $-30$  and  $+30$  ps/nm. Figure 9-3 reports the penalty on the eye diagram expressed in dB vs the residual dispersion for two optical input powers: 5 dBm (solid line) and 10 dBm (dashed line).

It can be observed that, setting an upper limit of 1 dB in the penalty on the eye closure with respect to the exact compensation case, the resulting maximum residual dispersion is about 17 ps/nm. This residual dispersion value corresponds to a tolerance of about only 1 km on the total link length when dealing with G.652 fibres and about 4 km with G.655 fibres.

In conclusion, 40-Gbit/s systems are characterized by a very small tolerance towards chromatic dispersion, especially with G.652 fibres. Experimental results [12] put in evidence that it is a crucial point to realize exact dispersion compensation in correspondence of each amplifier.

The above considerations do not depend on the kind of dispersion compensation device adopted, though obviously the availability of tunable devices would allow one to solve this kind of problem. When dealing with dispersion-compensating fibres (DCFs) the system should be modified to include double stage amplifiers. Results of Figure 9-3 are only valid for launching in the DCF optical powers lower than 3 dBm to reduce their strong non-linear effects.



**Figure 9-3 – Eye penalty as function of the residual dispersion obtained by varying the length of the last span**

#### 9.2.2.4 Tolerances towards residual chromatic dispersion on $N \times 40$ Gbit/s MC systems

In the case of wavelength division multiplexed (WDM) systems, it is necessary to keep in consideration also the fibre dispersion slope. Due to the dispersion slope, each WDM channel is characterized by a different value of dispersion coefficient. This can be approximated in the 1550 nm region as:

$$D(\lambda) = D(1550) + S_0 (\lambda - 1550) \quad (9-10)$$

where  $D$  is the dispersion coefficient,  $S$  is the dispersion slope coefficient, and  $\lambda$  is the channel wavelength.

At the moment it is still quite difficult to find dispersion-compensation devices able to compensate exactly for the dispersion slope. As a consequence, when dealing with WDM systems, the dispersion-compensating device is chosen to obtain exact compensation for the central channel while the lateral ones experience a residual dispersion. At this point the maximum tolerable residual dispersion for each channel can be evaluated looking again at Figure 9-3. Such a value gives the limit at the same time to three quantities: number of channels ( $N$ ), channel spacing and system length.

When some channels are characterized by a larger residual dispersion, it is still possible to obtain acceptable performances by means of an additional compensation placed after the demultiplexer and with the optimum value for each channel.

### 9.2.2.5 An example: 4 × 40 Gbit/s on G.652 fibres with DCF

In this clause a practical example of the previous discussion is provided.

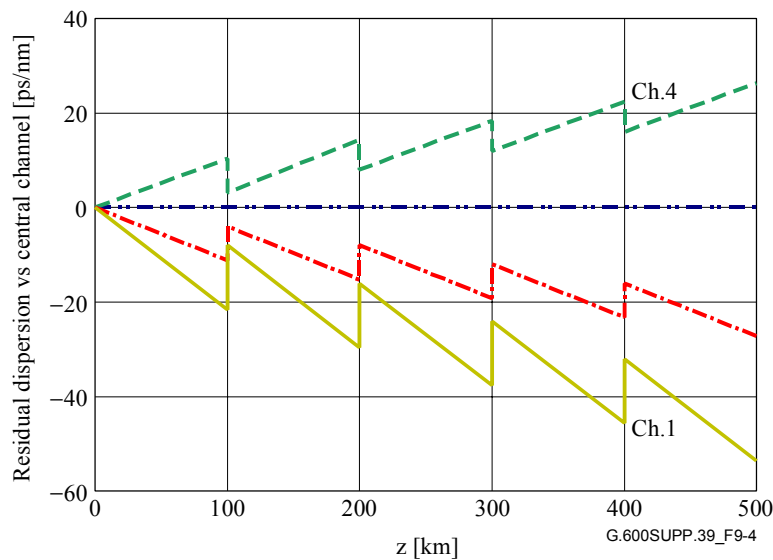
A 4 × 40 Gbit/s WDM transmission system on G.652 fibres using DCF has been considered with the following parameters:

- Four WDM channels spaced at 200 GHz, at the wavelengths:
  - Channel 1:  $\lambda_1 = 1554.13$  nm;
  - Channel 2:  $\lambda_2 = 1555.75$  nm;
  - Channel 3:  $\lambda_3 = 1557.36$  nm;
  - Channel 4:  $\lambda_4 = 1558.98$  nm;
- Demultiplexer with bandwidth  $B = 160$  GHz;
- G.652 fibres with  $D = 17$  ps/nm·km and  $S_0 = 0.0677$  ps/nm<sup>2</sup>·km;
- Dispersion compensation by means of DCF with  $D = -80$  ps/nm·km and  $S_0 = -0.2$  ps/nm<sup>2</sup>·km;
- The other parameters are the same as those considered in 9.2.2.2.

As the fibre dispersion slopes are different from that of the DCF, different channels experience different dispersions and so they are not equally compensated.

The DCF is chosen to obtain exact compensation on the third channel ( $\lambda_3 = 1557.36$  nm). After the electrical filter we evaluate the system performances by means of the eye closure expressed in dB.

Figure 9-4 shows for each channel, the difference between its cumulative dispersion with respect to that of the third channel. In this way we can evaluate the residual dispersions at the amplifier locations.



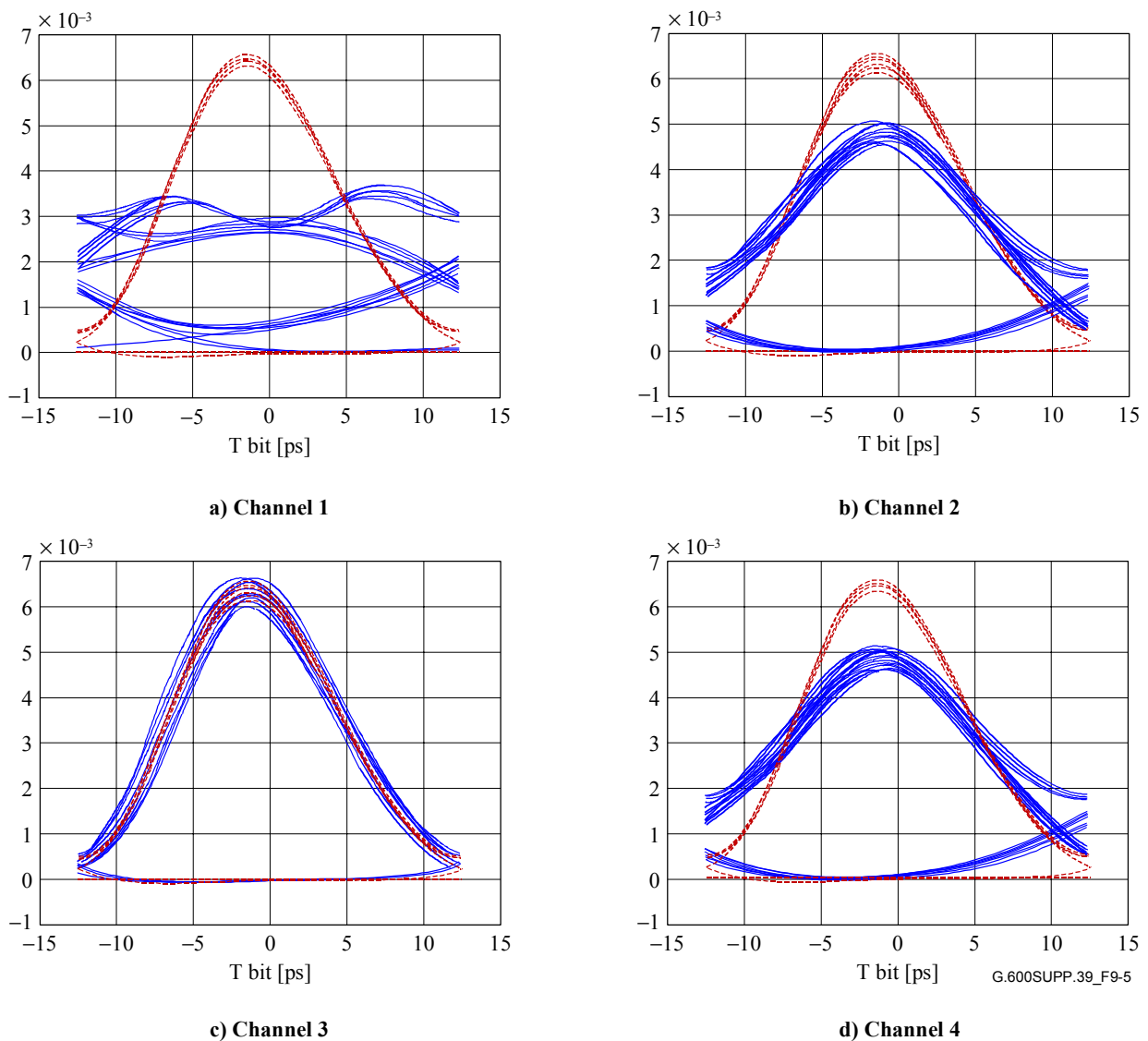
**Figure 9-4 – Difference between the cumulative dispersion of each channel and that of the third channel (which is exactly compensated)**

Table 9-5 gives CD values obtained after 500 km.

**Table 9-5 – Obtained values of chromatic dispersion [ps/nm]**

$CD(\lambda_1)$	$CD(\lambda_2)$	$CD(\lambda_3)$	$CD(\lambda_4)$
-40.9	-20.9	-1	19.1

According to the curve of Figure 9-5, it is possible to already affirm that the residual dispersion on the first channel is too high. Moreover, Figure 9-5 confirms that it is not possible to obtain acceptable performance on that channel. In fact, while the DCF exactly compensates for chromatic dispersion at a fixed wavelength, its dispersion is not optimized in order to compensate also the dispersion slope. The eye penalties reported in the figures correspond to an input average power of +5 dBm. Simulations were carried out also for higher powers showing even stronger penalties due to the non-linear effect.



**Figure 9-5 – Eye diagrams for several channels at the end of a 500-km non-linear system**

### 9.2.2.6 Conclusions

It has been shown that fibre dispersion slope seriously limits the maximum length of WDM systems. Since it is a deterministic effect, it is possible to compensate residual dispersion on side channels by means of optimized dispersion-compensating devices for each channel placed after the optical demux. On the other hand it can be underlined that high bit-rate systems present a very small tolerance towards chromatic dispersion and so the fibre lengths should be selected with a high precision.

## 9.3 Polarization-mode dispersion

For NRZ transmission up to 40 Gbit/s, the maximum DGD is set to 30% of the bit period, corresponding to a maximum 1-dB path penalty. Second-order PMD and its interaction with chromatic dispersion as well as tolerance for RZ is under study.

### 9.3.1 PMD compensation

Existing link element specifications include statistical aspects to support system requirements. Further discussion of this can be found in 10.4.

PMD compensation techniques may be used for links with excessive PMD. To establish the extent to which PMD compensation is required, a careful investigation of the outside plant may be needed.

### 9.3.2 PMD power penalty

The power penalty induced by DGD at the receive point R is a function of the relative power of the two orthogonal polarization modes. This varies as the relative alignment of the principle states of polarization of the optical fibre cable and the polarization of the source varies. The maximum link DGD is set to allow no more than a given first-order power penalty in the worst-case power splitting ratio (equal power in both modes). The worst-case first-order power penalty is also affected by the transmission format, NRZ or RZ.

For 10-Gbit/s NRZ applications in ITU-T Recs G.691 and G.959.1, a 1-dB first-order penalty allowance corresponds to a 30-ps limit on the DGD at point R. (This corresponds to the same epsilon value as for chromatic dispersion, and 20 ps is expected to be the 0.5-dB value.) As with chromatic dispersion, the RZ case is for further study.

## 9.4 BER and $Q$ factor

Applications in ITU-T Recs G.691, G.692, and G.959.1 have an optical section design objective of an end-of-life Bit Error Ratio (BER) not worse than  $10^{-12}$ . The requirement for SDH applications is derived from ITU-T Rec. G.826 (and more recently ITU-T Rec. G.828), while corresponding requirements for OTN applications are given in ITU-T Rec. G.8201.

Applications in ITU-T Rec. G.957, however, have an end-of-life BER requirement of  $10^{-10}$  due to less stringent requirements being in place at the time of their development.

In order to "migrate" applications from a BER of  $10^{-10}$  to  $10^{-12}$ , a convention has been adopted where application codes with a maximum attenuation range of 12 dB at a BER of  $10^{-10}$  were reduced to 11 dB at a BER of  $10^{-12}$  and application codes with a maximum attenuation range of 24 dB at a BER of  $10^{-10}$  were reduced to 22 dB at a BER of  $10^{-12}$ .



In general, the lower the value of the reference *BER*, the more difficult it is to actually verify the receiver performance due to the extended measurement time required. This is particularly valid for STM-1 and STM-4 receiver sensitivities at a *BER* of  $10^{-12}$ . Two approaches have been proposed to address this problem. The first is to use a particular length of error-free operation to establish a certain probability of the error rate being below the required level. The required number of error free bits (*n*) can be found as:

$$n = \frac{\log(1-C)}{\log(1-P_E)} \quad (9-11)$$

where *C* is the required confidence level (e.g., 0.95 for 95% confidence) and *P<sub>E</sub>* is the *BER* requirement (e.g.,  $10^{-12}$ ). Therefore, if a confidence level of 95% for the *BER* to be less than  $10^{-12}$  is required,  $3 \times 10^{-12}$  error free bits are needed (20 minutes at STM-16 rate).

Since this still requires long measurement times at lower rates, an alternative method is to measure the *Q* factor. The *Q* factor is the signal-to-noise ratio at the decision circuit in voltage or current units, and is typically expressed by:

$$Q = \frac{(\mu_1 - \mu_0)}{(\sigma_1 + \sigma_0)} \quad (9-12)$$

where  $\mu_{1,0}$  is the mean value of the marks/spaces voltages or currents, and  $\sigma_{1,0}$  is the standard deviation. A *BER* of  $10^{-12}$  corresponds to  $Q \approx 7.03$ .

Since practical *Q* measurement techniques make measurements in the upper and lower regions of the received "eye" in order to infer the quality of the signal at the optimum decision level, *Q* can be considered as only a qualitative indicator of the actual *BER*.

The mathematical relations to *BER* (in case of non-FEC operation) when the threshold is set to the optimum value are:

$$BER = \frac{1}{2} \operatorname{erfc}\left(\frac{Q}{\sqrt{2}}\right) \quad (9-13)$$

where:

$$\operatorname{erfc}(x) = \frac{1}{\sqrt{2\pi}} \int_x^{\infty} e^{-\frac{\beta^2}{2}} d\beta \quad (9-14)$$

A commonly used approximation for this function is:

$$BER \approx \frac{1}{Q\sqrt{2\pi}} e^{-\frac{Q^2}{2}} \quad (9-15)$$

for  $Q > 3$ .

An alternative expression that gives accurate answers over the whole range of *Q* [13] is given in:

$$BER \approx \frac{e^{-\frac{Q^2}{2}}}{\sqrt{2\pi} \left( \left(1 - \frac{1}{\pi}\right) Q + \frac{\sqrt{Q^2 + 2\pi}}{\pi} \right)} \quad (9-16)$$

A graph comparing these two approximations for  $Q$ -values less than 5 is given in Figure 9-6.

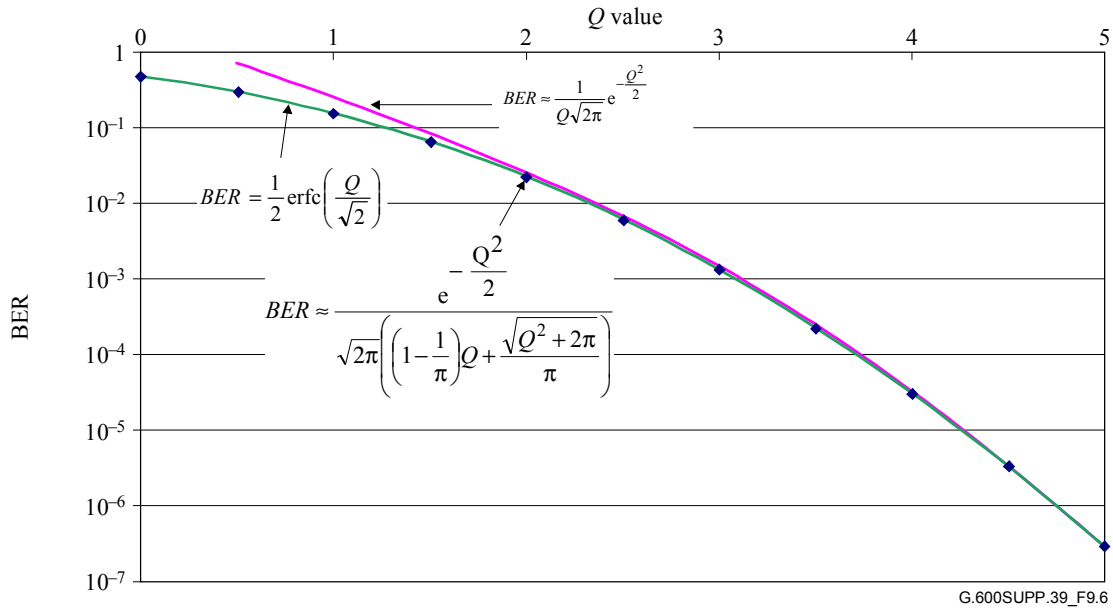


Figure 9-6 – Approximations relating BER and  $Q$

### 9.5 Noise concatenation

In a system with a cascaded optical amplifier chain, ASE noise accumulates from the contributions of all optical amplifiers. Therefore, the OSNR degrades after each optical amplifier. OSNR is useful for monitoring and characterizing optical amplifier performance. The equation of the worst-case OSNR estimation and the text are proposed as follows:

Figure 9-7 depicts a multichannel  $N$  span reference system with a booster amplifier,  $N-1$  line amplifiers and a preamplifier. For this reference system the following main assumptions are made:

- All optical amplifiers in the chain including booster and preamplifier have the same noise figure.
- The losses (per channel) of all spans are equal.
- The output powers (per channel) of the booster and line amps are the same.

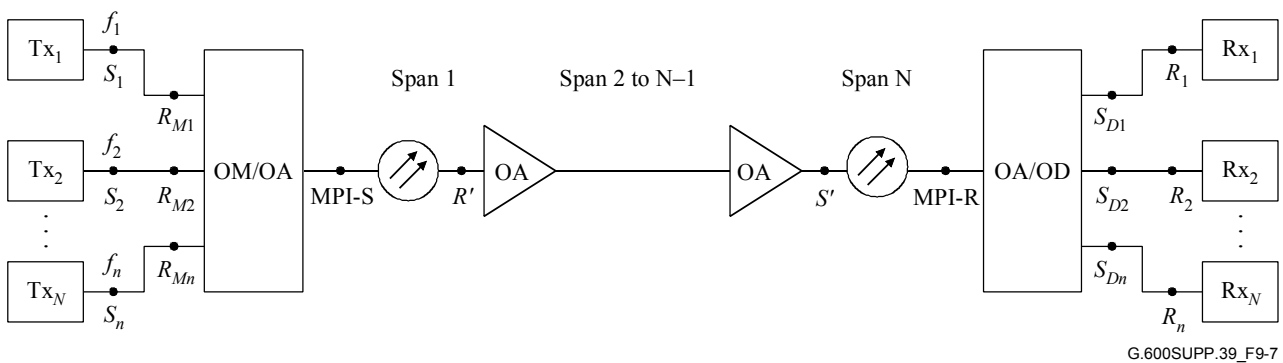


Figure 9-7 – Representation of optical line system interfaces (a multichannel  $N$ -span system)

In this case, the OSNR at the input of the receivers (point  $R_i$  in Figure 9-7,  $i = 1, \dots, n$ ) can be approximated as:

$$OSNR = P_{out} - L - NF - 10 \log \left( N + \frac{10^{\frac{G_{BA}}{10}}}{10^{\frac{L}{10}}} \right) - 10 \log(h\nu v_r) \quad (9-17)$$

$P_{out}$  is the output power (per channel) of the booster and line amplifiers in dBm,  $L$  is the span loss in dB (which is assumed to be equal to the gain of the line amplifiers),  $G_{BA}$  is the gain of the optical booster amplifier in dB,  $NF$  is the signal-spontaneous noise figure of the optical amplifier in dB,  $h$  is Planck's constant (in mJ·s to be consistent with  $P_{out}$  in dBm),  $\nu$  is the optical frequency in Hz,  $\nu_r$  is the reference bandwidth in Hz (corresponding to  $B_r$  in Appendix V/G.959.1),  $N-1$  is the total number of line amplifiers.

Equation 9-17 indicates that the ASE noise is accumulated from all  $N + 1$  amplifiers. It can be simplified in the following cases:

- 1) If the gain of the booster amplifier is approximately the same as that of the line amplifiers, i.e.,  $G_{BA} \approx L$ , Equation 9-17 can be simplified to:

$$OSNR = P_{out} - L - NF - 10 \log(N + 1) - 10 \log(h\nu v_r) \quad (9-18)$$

- 2) The ASE noise from the booster amplifier can be ignored only if the span loss  $L$  ( resp. the gain of the line amplifier) is much greater than the booster gain  $G_{BA}$ . In this case Equation 9-18 can be simplified to:

$$OSNR = P_{out} - L - NF - 10 \log(N) - 10 \log(h\nu v_r) \quad (9-19)$$

NOTE – Equation I-3/G.692 describes only a particular case.

- 3) Equation 9-18 is also valid in the case of a single span with only a booster amplifier, e.g., short-haul multichannel IrDI in Figure 5-5/G.959.1, in which case it can be modified to:

$$OSNR = P_{out} - G_{BA} - NF - 10 \log(h\nu v_r) \quad (9-20)$$

- 4) In case of a single span with only a preamplifier, Equation 9-18 can be modified to:

$$OSNR = P_{out} - L - NF - 10 \log(h\nu v_r) \quad (9-21)$$

### 9.5.1 OSNR measurement

OSNR is usually expressed in a resolution bandwidth of 0.1 nm and determined by Equation 9-22:

$$OSNR = 10 \log \frac{P_i}{N_i} + 10 \log \frac{B_m}{B_r} \quad (9-22)$$

where:

$P_i$  is the optical signal power in watts at the  $i$ -th channel.

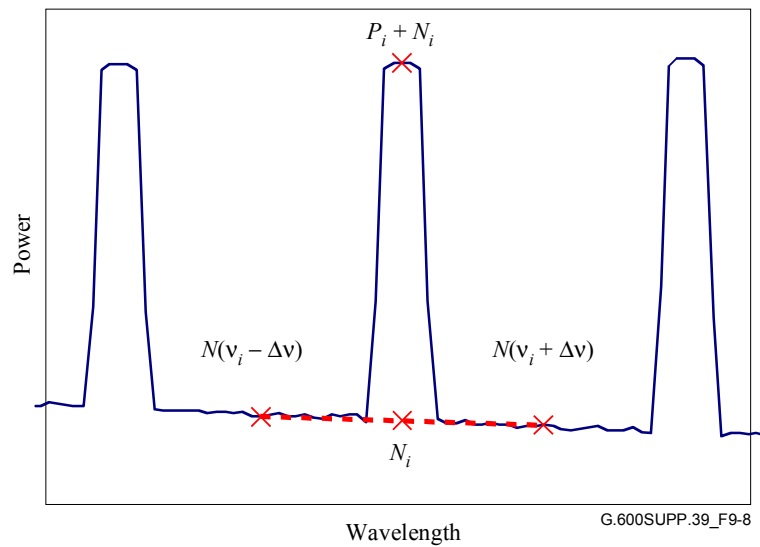
$N_i$  is the interpolated value of noise power in watts measured in noise equivalent bandwidth,  $B_m$ , at the  $i$ -th channel:

$$N_i = \left( \frac{N(\nu_i - \Delta\nu) + N(\nu_i + \Delta\nu)}{2} \right)$$

$\Delta\nu$  is the interpolation offset equal to one-half the channel spacing (for the case of 200-GHz channel spacing,  $\Delta\nu = 100$  GHz).

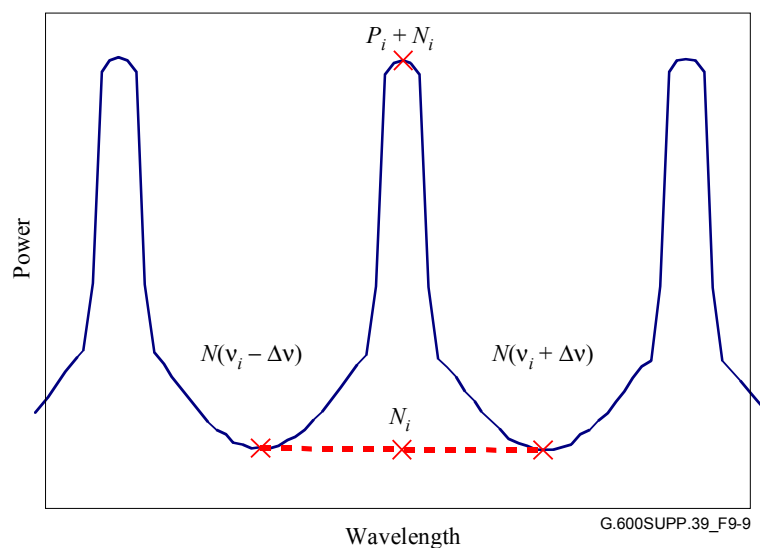
$B_r$  is the reference optical bandwidth. (The units for  $B_m$  and  $B_r$  may be in frequency or wavelength but must be consistent.) Typically, the reference optical bandwidth is 0.1 nm.

The commonly agreed evaluation procedure of OSNR from measurement data is shown in Figure 9-8. In order to achieve an accurate result, care must be taken to use a resolution bandwidth that is appropriate for the bit rate of the signals being measured, e.g., at 40 Gbit/s a minimum measurement resolution bandwidth of 1 nm is recommended.



**Figure 9-8 – OSNR measurement from the optical spectrum**

It should also be noted that this method of evaluating OSNR can give inaccurate results in some circumstances. Figure 9-9 shows the case where the noise in between the channels has undergone filtering due to the presence of an OADM part way along a link. Here, the interpolation of noise measurements in the gaps between channels does not give a valid estimate of the noise at the signal wavelength.



**Figure 9-9 – Inaccurate OSNR measurement due to noise shaping**

A similar problem can occur in systems with high bit-rate channels on a close channel spacing where the skirts of the signal peaks do not reach the true noise level at the mid point between the channels.

### 9.5.2 OSNR and received optical power for single span preamplified systems

The OSNR degradation by ASE of a system with one span and one optical preamplifier is described by Equation 9-23:

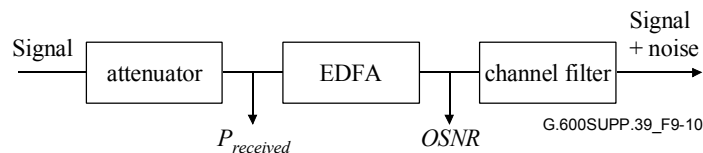
$$OSNR = P_{out} - L - NF - 10\log(h\nu\nu_r) \quad (9-23)$$

applying:  $P_{received} = P_{out} - L$  and  $-10\log(h\nu\nu_r) = +58$  dB at 0.1-nm resolution bandwidth and at wavelength of 1550 nm, Equation 9-23 has the form:

$$OSNR = P_{received} - NF + 58 \text{ dB} \quad (9-24)$$

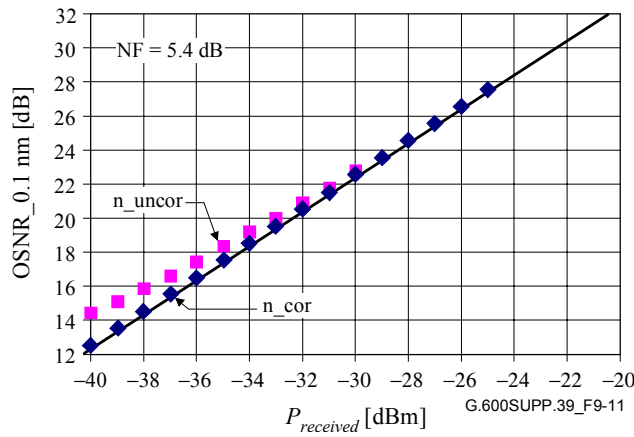
Equation 9-24 is valid for 1 span and for back-to-back measurements with an optical preamplifier. The signal input power ( $P_{received}$ ) at the input of the preamplifier and the OSNR at the output of the preamplifier are in strong linear correlation via the noise figure NF of the preamplifier.

As depicted in Figure 9-10, the OSNR can be varied by attenuating the signal input power ( $P_{received}$ ) to the optical preamplifier (EDFA), using a high OSNR (>40 dB) signal source. The OSNR is measured directly after the EDFA. A linear correlation with respect to received optical power is expected according to Equation 9-23.



**Figure 9-10 – Setup for OSNR measurement**

Figure 9-11 shows an example of OSNR versus received optical power over a wide range using a 43-Gbit/s NRZ modulated channel at 1550 nm, using 1-nm resolution bandwidth on the optical spectrum analyser. If the measured power at the channel wavelength is  $P_m$  ( $P_m = P_i + N_i$ ), then we can estimate the value of OSNR by calculating  $OSNR = 10\log \frac{P_m}{N_i} + 10\log \frac{B_m}{B_r}$ . For OSNR values below about 20 dB, however, this leads to an overestimate as shown on the curve "n\_uncor" in Figure 9-11, so a better procedure is to calculate  $OSNR = 10\log \frac{P_m - N_i}{N_i} + 10\log \frac{B_m}{B_r}$ , which gives the linear relationship labelled "n\_cor" as expected from Equation 9-23. This linear relationship relies on the noise figure of the amplifier being constant, so it will no longer be valid if the input power becomes high enough to cause saturation.

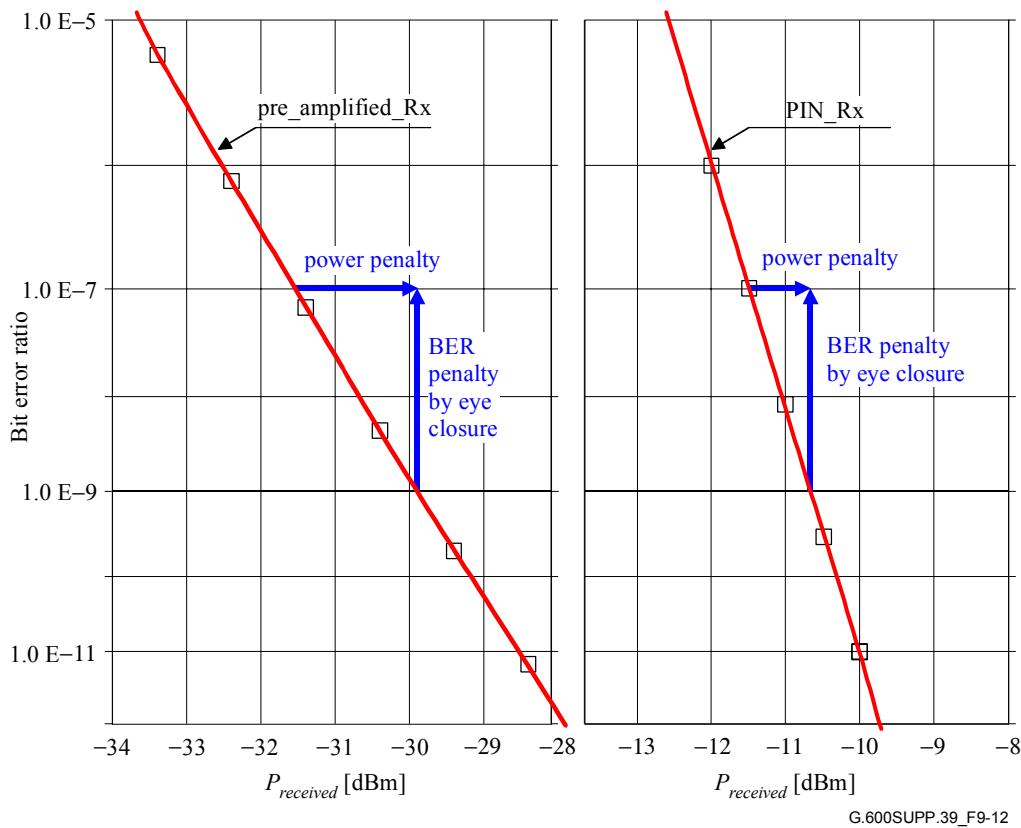


**Figure 9-11 – OSNR versus received optical power measurement: with noise correction (n\_cor) and without noise correction (n\_uncor) at the signal channel wavelength**

In summary, for the case of single span transmission and back-to-back system tests with an optical preamplifier, a linear correlation of OSNR and received optical power is obtained. Thus, any path penalty due to eye-closure is directly related to the OSNR penalty in a preamplified receiver.

NOTE 1 – Power penalty and OSNR penalty are different for long-haul multiple span (OSNR limited) transmission systems.

NOTE 2 – As shown in Figure 9-12, power penalties are different for preamplified and non-preamplified receivers as the slope of the BER versus received optical power are different. A 1-dB penalty in a non-preamplified receiver is equivalent to a 2-dB OSNR penalty in a preamplified receiver.



**Figure 9-12 – BER vs received power with and without an optical preamplifier**

## 9.6 Optical crosstalk

### 9.6.1 Definition of terms

Since the terms used to describe optical crosstalk and its effects are not entirely consistent across the industry, it is useful to briefly define them here (see Table 9-6). Within ITU-T Study Group 15 there is a convention that the term "crosstalk" is reserved for description of system effects and that the properties of components use the term "isolation".

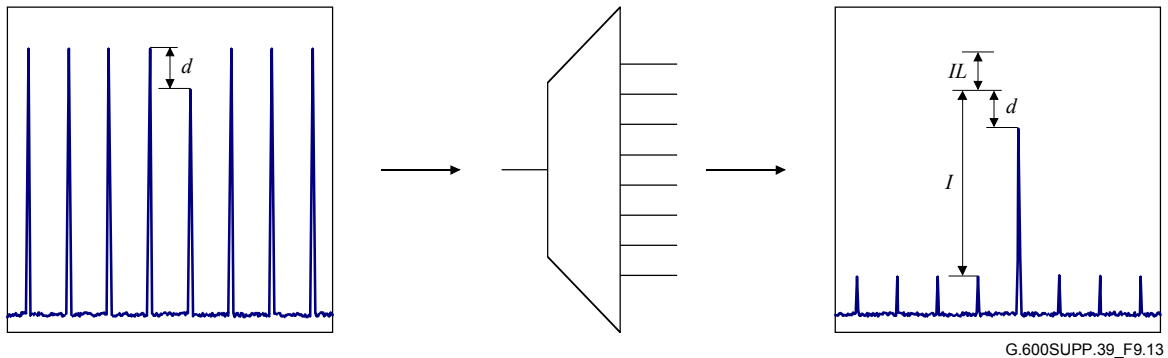
**Table 9-6 – Terms used**

Parameter [unit]	Symbol	Defined in ITU-T Rec.	Definition
<b>System parameters</b>			
Inter-channel crosstalk [dB]	$C_C$	G.692	Ratio of total power in the disturbing channels to that in the wanted channel. (Wanted and disturbing channels at different wavelengths (k total)).
Interferometric crosstalk [dB]	$C_I$	–	Ratio of the disturbing power (not including ASE) to the wanted power within a single channel (wavelength). This parameter is also known as "Intra-channel crosstalk".
Inter-channel crosstalk penalty [dB]	$P_C$	–	Penalty assigned in the system budget to account for inter-channel crosstalk.
Interferometric crosstalk penalty [dB]	$P_I$	–	Penalty assigned in the system budget to account for interferometric crosstalk.
Channel power difference [dB]	$d$	G.959.1	The maximum allowable power difference between channels entering a device.
Extinction ratio (linear used here)	$r$	G.691	Ratio of power at the centre of a logical "1" to the power at the centre of a logical "0".
Eye-closure penalty [dB]	$E$		Receiver sensitivity penalty due to all eye-closure effects. This includes transmitter eye-closure and chromatic dispersion penalty.
<b>Component parameters</b>			
Insertion loss [dB]	$IL$	G.671	The reduction in power from input to output port at the wanted channel wavelength.
Unidirectional Isolation [dB]	$I$	G.671	The difference between the device loss at a disturbing channel wavelength and the loss at the wanted channel wavelength.
Adjacent channel isolation [dB]	$I_A$	G.671	The isolation of the device at the wavelengths one channel above and below the wanted channel.
Non-adjacent channel isolation [dB]	$I_{NA}$	G.671 (ffs)	The isolation of the device at the wavelengths of all disturbing channels except for the adjacent channels.

The consideration of crosstalk effects is split into two sections: inter-channel and interferometric.

### 9.6.2 Inter-channel crosstalk

The most commonly considered cause of this effect is imperfect demultiplexing of a multichannel transmission signal into its individual channels prior to a set of single-channel receivers. This situation is depicted in Figure 9-13.



**Figure 9-13 – Simple demultiplexer example**

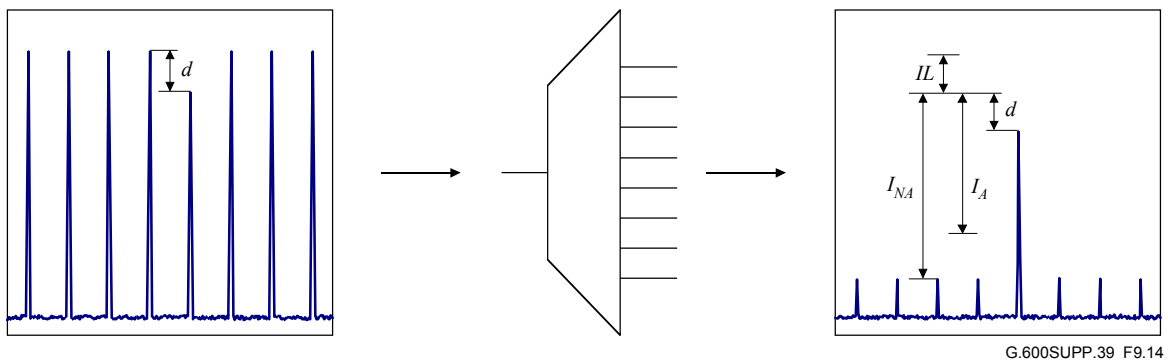
Here, a number of DWDM channels enter the common port of a demultiplexer. The worst case for any particular channel is for its power to be at the minimum and that of all of the other channels to be at the maximum. The maximum allowable difference between channels has been denoted as  $d$  (dB). When the channels emerge from the individual output ports, the disturbing channels have been attenuated with respect to the wanted channel by an amount equal to the Unidirectional Isolation  $I$  (dB).

The main parameter that governs the maximum level of optical crosstalk that can be tolerated in any given optical system is the inter-channel crosstalk penalty  $P_C$ . From this, and a small number of other parameters, it is necessary to be able to obtain the required isolation parameters of the demultiplexer.

In the situation shown by Figure 9-8 we can write an equation for the inter-channel crosstalk of a  $k$  channel system  $C_C$ :

$$C_C = d - I + 10 \log_{10}(k - 1) \quad \text{dB} \quad (9-25)$$

It is desirable to be able to derive the required value of  $C_C$  from the value of the inter-channel crosstalk penalty. If one assumes a very large number of equal amplitude interfering signals as above, then relatively simple models can be generated to do this. In practical demultiplexers the isolation value given for the channels immediately adjacent to the wanted channel  $I_A$  is smaller than the isolation of the non-adjacent disturbing channels  $I_{NA}$ . Taking account of this, the situation changes to that illustrated in Figure 9-14.



**Figure 9-14 – More realistic demultiplexer example**



The equation for the inter-channel crosstalk  $C_C$  then becomes:

$$C_C = d + 10 \log_{10} \left( 2 \times 10^{\frac{-I_A}{10}} + (k-3) 10^{\frac{-I_{NA}}{10}} \right) \quad \text{dB} \quad (9-26)$$

In this situation, however, different values of  $I_A$  and  $I_{NA}$  can give systems with different inter-channel crosstalk penalties  $P_C$  that have the same total  $C_C$  value.

The equations for the two limiting cases are given below.

For a single disturbing channel:

$$P_C = 10 \log_{10} \left( 1 - 10^{\frac{C_C}{10}} \frac{r+1}{r-1} \right) \quad \text{dB} \quad (9-27)$$

where  $r$  is the linear extinction ratio.

NOTE 1 – This equation does not directly include the effect of any reduction in eye opening due to transmitter eye closure or path penalty. These effects can, however, be included by calculating an effective value of  $r$  (denoted  $r'$ ) that takes both extinction ratio and eye closure into account.

$$r' = \frac{(r+1) + 10^{\frac{-E}{10}} (r-1)}{(r+1) - 10^{\frac{-E}{10}} (r-1)} \quad (9-28)$$

where  $E$  is the eye closure penalty in dB. As an example, if the extinction ratio is 6 dB, then  $r = 3.98$ . To account of eye closure penalty of a further 3 dB set  $r' = 1.86$ .

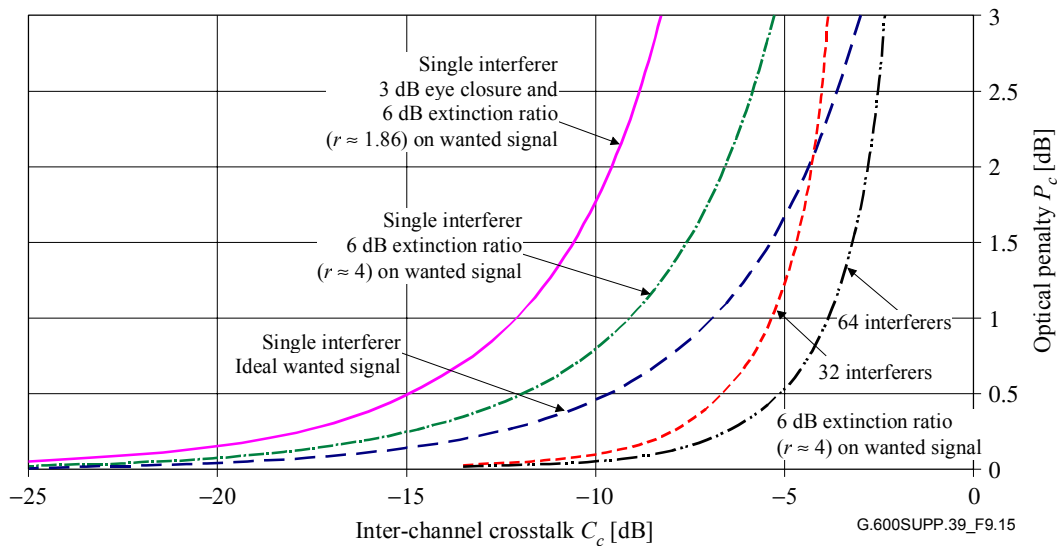
For a very large number of equal amplitude disturbing channels (with uncorrelated data), the inter-channel crosstalk becomes noise-like and a Gaussian approximation can be assumed. In this case the noise-like crosstalk must be convolved with the noise distribution of the receiver (or ASE) to produce an effective penalty. By following the methods in [14] and [15] and using a Gaussian approximation to the binomial distribution, the equation becomes:

$$P_C = -5 \log_{10} \left( 1 - \frac{10^{\frac{2C_C}{10}}}{k-1} Q^2 \left( \frac{r+1}{r-1} \right)^2 \right) \quad (9-29)$$

where  $Q = \sqrt{2} \text{erfc}^{-1}(2 \times BER)$ . For a  $BER$  of  $10^{-12}$ ,  $Q \approx 7.03$ .

The induced optical penalty is plotted against inter-channel crosstalk for a variety of assumptions in Figure 9-15. The actual penalty incurred in a practical system lies somewhere below the highest curve.

NOTE 2 – The crosstalk penalty may also be dependent on the line code (RZ or NRZ) and the relative bit rates of the wanted and interfering signals.



**Figure 9-15 – Graph of optical penalty vs inter-channel crosstalk**

The procedure for determining the required isolation might then be:

- From system parameters establish a value for  $P_C$  which may be different for different systems. A short reach system might assign a higher crosstalk penalty than a long reach one, for example. For the purposes of illustration, choose 0.5 dB.
- Derive a value for  $C_C$  from  $P_C$ . The model required is somewhere between that of two interfering signals when there is a very large difference between  $I_A$  and  $I_{NA}$  through to a Gaussian model when  $I_A$  equals  $I_{NA}$  and  $k$  is large. Choosing the worst example curve on Figure 9-15 gives a value of  $-15$  dB.
- From system parameters establish a value for  $d$ , which again will be different from system to system. In ITU-T Rec. G.959.1, for example, the application code P16S1-1D2 has  $d = 6$  dB while P16S1-2C2 has  $d = 2$  dB. (This leads to a 4-dB difference in required isolation between these applications). So for P16S1-1D2 set  $d = 6$  dB. (Also, for this application,  $k = 16$ .)
- Substituting these values into the simple equation  $C_C = d - I + 10 \log_{10}(k - 1)$  gives  $-15 = 6 - I + 10 \log_{10}(15)$  which leads to a value of  $I = 32.8$  dB for this example.

### 9.6.3 Interferometric crosstalk

Interferometric crosstalk occurs when the disturbing channel and the wanted channel are at the same nominal wavelengths. Four examples of this are:

- in an optical add-drop multiplexer where the wavelength in question is incompletely dropped before the new signal is added;
- in an optical multiplexer where one transmitter may be emitting power at the wavelength of another channel (e.g., due to inadequate sidemode suppression ratio) this is termed transmit-side crosstalk in G.692;
- in an optical cross-connect where lack of sufficient switch isolation causes light from more than one source fibre to reach the receiver;
- in any component or group of components where there is more than one path that the light can take to reach the receiver. This is called Multi-Path Interference (MPI).

Interferometric crosstalk behaves differently from inter-channel crosstalk when the two optical signals are sufficiently close together that their beat frequency is within the electrical bandwidth of the receiver. In this case it is the optical fields which interact to produce the crosstalk instead of the optical powers, and consequently the levels of crosstalk required to produce a particular penalty are much smaller.

For a single interferer the crosstalk can be modelled as having a bounded probability density function (pdf). The crosstalk penalty from [16] (and including the effect of imperfect extinction ratio) is:

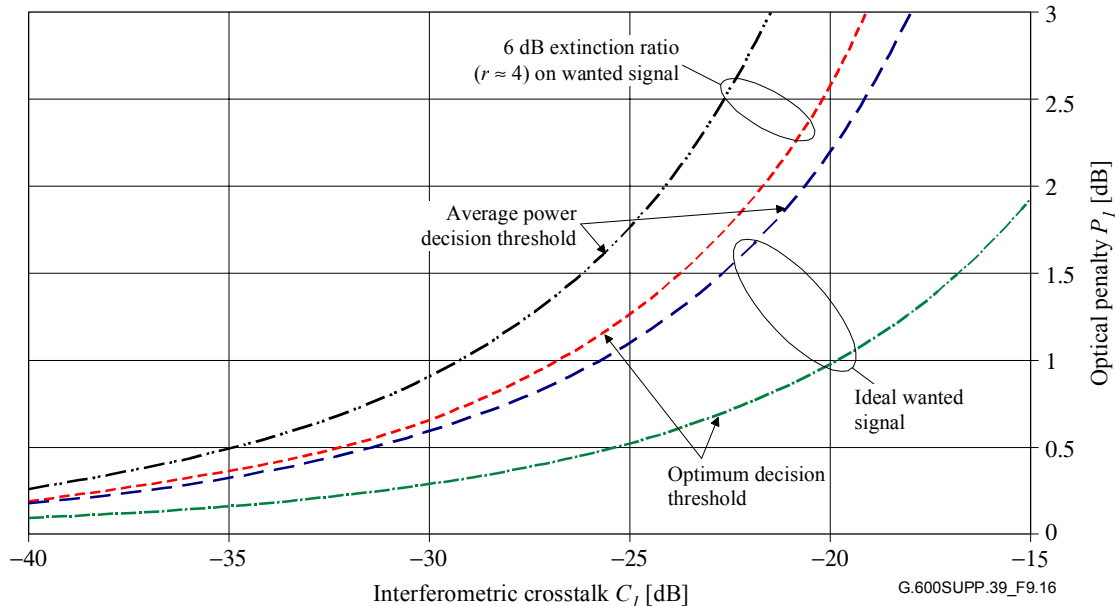
$$P_I = 10 \log_{10} \left( \frac{\frac{r-1}{r+1}}{\frac{r-1}{r+1} + 10^{\frac{C_I}{10}} - 4 \sqrt{\frac{r}{r+1}} 10^{\frac{C_I}{10}}} \right) \quad \text{dB} \quad (9-30)$$

for an average power decision threshold:

$$P_I = -10 \log_{10} \left( 1 - 2 \left( \frac{(1 + \sqrt{r}) \sqrt{10^{\frac{C_I}{10}} (r+1)}}{r-1} \right) \right) \quad \text{dB} \quad (9-31)$$

for an optimized decision threshold.

The interferometric crosstalk penalty for a wanted signal with 6-dB extinction ratio is plotted in Figure 9-16.



**Figure 9-16 – Graph of optical penalty vs interferometric crosstalk for a single interferer (bounded model)**

For multiple interferers the pdf becomes approximately Gaussian and for a PIN receiver the optical crosstalk penalty from [15] is:

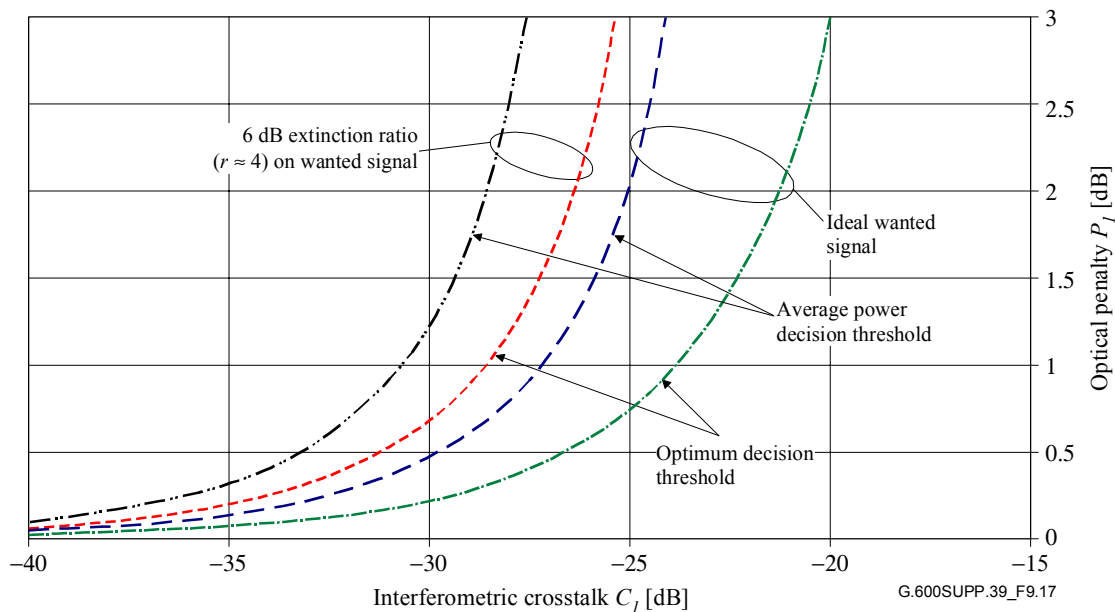
$$P_I = -5 \log_{10} \left( 1 - 4 \times 10^{10} Q'^2 \frac{1 + \frac{1}{r}}{\left(1 - \frac{1}{r}\right)^2} \right) \text{ dB} \quad (9-32)$$

for an average power decision threshold:

$$P_I = -5 \log_{10} \left( 1 - 2 \times 10^{10} Q^2 \left(\frac{r+1}{r-1}\right)^2 + \left(10^{10}\right)^2 Q^4 \left(\frac{r+1}{r-1}\right)^2 \right) \text{ dB} \quad (9-33)$$

for an optimized decision threshold, where  $Q' = \sqrt{2} \operatorname{erfc}^{-1}(4 \times BER)$  and  $Q = \sqrt{2} \operatorname{erfc}^{-1}(2 \times BER)$ . For a  $BER$  of  $10^{-12}$ ,  $Q' \approx 6.94$  and  $Q \approx 7.03$ .

These functions are plotted in Figure 9-17 for an ideal wanted signal and also for a signal with 6-dB extinction ratio.



**Figure 9-17 – Graph of optical penalty vs interferometric crosstalk for multiple interferers (Gaussian model)**

## 9.7 Concatenation of non-linear effects – Computational approach

### 9.7.1 Introduction

In the following, the influence of non-linear effects such as self-phase modulation (SPM), cross-phase modulation (XPM) and four-wave mixing (FWM) on  $N \times 40$  Gbit/s MC systems is evaluated. These effects are evaluated by means of simulations for different values of input average optical power to establish a power threshold corresponding to a certain system performance penalty.

### 9.7.2 System assumptions and calculation tool description

The results reported here below are based on the following assumptions:

- $N \times 40$  Gbit/s system on typical terrestrial lengths (500-1000 km).

- RZ transmission format with Gaussian pulses ( $T_{FWHM} = 5$  ps). Since our aim is the analysis of non-linear effects, we consider an "ideal" transmitter.
- Periodic dispersion compensation with the same period as the amplifier spacing. Several schemes for dispersion compensation have been proposed in the literature (post-compensation, pre-compensation, post-compensation with prechirp) [9]. In the following we assume that dispersion and slope are both exactly compensated.
- Ideal receiver made up of: optical filter with bandwidth 160 GHz, ideal photodiode and electrical filter (4th order Bessel-Thomson with bandwidth 32 GHz).
- Propagation of a pseudo-random bit sequence of 32 bits. In the case of MC systems, the bit sequences on the different channels are uncorrelated (the worst case is the one in which the same sequence is transmitted on all of the channels).

A simplified scheme of the system is shown in Figure 9-2.

### 9.7.3 Influence of non-linear effects

A multi-span high-speed transmission system with complete dispersion compensation is affected by non-linear optical phenomena, particularly SPM in single-channel systems, XPM and FWM in multichannel systems. These non-linear phenomena are due to the fibre Kerr effect and their influence increases with the optical input power. As a consequence, the system performance can be strongly degraded by such non-linear effects, if the fibre input optical power is very high.

The system performance is also degraded at low fibre optical input power due to the low optical signal-to-noise ratio at the receiver. Therefore, there exist a maximum and a minimum input power threshold corresponding to a certain system performance ( $Q$  factor, BER, etc.) penalty. Suggestions on the minimum input power threshold should be found in 9.5 (Noise concatenation).

Concerning the maximum power threshold due to non-linear effects, the following aspects have been taken into consideration:

a) *Type of fibre used for the transmission*

Fibres characterized by different non-linear coefficients and dispersion coefficients have very different behaviours regarding non-linear effects.

As an example, dispersion-compensating fibres (DCFs) have a small effective area and consequently a large non-linear coefficient. It has been verified with simulations that for optical input powers  $P_{in} > 3$  dBm SPM starts degrading the system performance.

G.652 fibres have a small non-linear coefficient and consequently SPM is in general negligible except at very high optical input powers (e.g., for  $P_{in} > 8$  dBm, post-compensation scheme and amplifiers spacing of 100 km, SPM starts degrading the ideal linear of behaviour). On the other side, the high local dispersion typical of G.652 fibres makes XPM and FWM effects quite negligible, assuming that the dispersion is exactly compensated.

G.655 fibres have approximately the same behaviour as G.652 fibres with respect to SPM, but, having a smaller dispersion coefficient, FWM is not negligible.

b) *Scheme of dispersion compensation*

The following three schemes for dispersion compensation (detailed information can be found in [9]) that are characterized to different behaviour with respect to SPM have been considered:

- **Pre-compensation:** The dispersion compensating device is placed at the beginning of each span before the transmission fibre. This scheme is strongly subject to SPM. Simulation with amplifier spacing of 100 km, link length of 500 km, and amplifiers  $NF = 6$  dB, showed that the maximum input power for  $Q = 7$  is  $P_{in} = 4$  dBm.

- **Post-compensation:** The dispersion compensating device is placed at the end of each span after the transmission fibre. Simulation with amplifier spacing of 100 km, link length of 500 km, and amplifiers  $NF = 6$  dB, showed that the maximum input power for  $Q = 7$  is  $P_{in} = 13$  dBm.
- **Post-compensation + Prechirp:** As post-compensation, but at the beginning of the link the pulse is prechirped. The optimum prechirp value, calculated by means of simulations or according to [9], strongly reduces SPM effects.

c) *Span length*

Due to fibre losses, the optical input power decays according to an exponential law during propagation in a span. On the other hand, the influence of non-linear effects depends on the optical power value. As a consequence, the maximum input power threshold due to non-linear effects has different values for systems that differ only in the amplifier spacing parameter.

For example, consider a 500-km link on G.652 with post-compensation and amplifiers  $NF = 6$  dB. If the span length is 100 km, simulations show that the maximum input power for  $Q = 7$  is  $P_{in} = 13$  dBm. If the span length is 50 km, simulations show that the maximum input power for  $Q = 7$  is  $P_{in} = 8$  dBm.

#### 9.7.4 Conclusions

It is impossible to pick out a single value for the maximum optical input power to achieve a Q factor greater than 7. This maximum input constraint may be used to identify the best performance region of a system and can be determined by means of preliminary simulations with the desired system parameters (type of fibre, dispersion compensation, amplifier spacing, channel spacing). Finally, notice that all suggestions reported here are based on the assumption of RZ modulation format and investigate neither the number of WDM channels nor their frequency spacing.

## 10 Statistical system design

### 10.1 Generic methodology

For a system with a small number of components, deterministic (or "worst case") design is useful, providing reasonable margins to the system. However, for a system with a large number of components, for example a multi-span, multichannel system, the margins obtained from deterministic designs may become unreasonably large. In that situation, network operators, as well as manufacturers, should consider the use of statistical design.

System parameters (e.g., maximum attenuation or maximum chromatic dispersion of the link, etc.) are distinguished from element parameters (e.g., attenuation coefficient or dispersion coefficient of fibre bobbin product, etc.). System parameters are to be determined by the system design in which statistical properties of the element parameters are considered. Examples of the relationship between system and element parameters are shown in Table 10-1.

**Table 10-1 – Relationship between system and element parameters**

System parameter	Element parameter	Described in
Maximum attenuation	fibre cable attenuation coefficient, transmitter output power, receiver sensitivity, power penalty, splice loss, connector loss	10.2 (Statistical design of loss and gain)
Maximum chromatic dispersion	fibre dispersion coefficient, transmitter spectral width	10.3 (Statistical design of chromatic dispersion)
Maximum DGD	cable PMD coefficient, power division between principal states of polarization, other elements in the link	10.4 (Statistical design of polarization-mode dispersion)
Maximum output power	cable attenuation coefficient, fibre zero-dispersion wavelength, fibre effective area, fibre non-linear coefficient, channel spacing	10.5 (Statistical design including non-linear effects)

In the current version of this Supplement, however, it is proposed that only one system parameter in any particular system should be considered statistically. For example, in dispersion-limited systems, maximum chromatic dispersion is statistically considered, while the other system parameters are treated using the ordinary worst-case design approach. Statistical consideration of multiple system parameters is left for future work.

### 10.1.1 System outage probability

System outage probability is usually defined as the probability of BER exceeding  $10^{-12}$  [21]. However, since BER depends on many parameters (e.g., transmitter and receiver characteristics), it is difficult to refer to BER in generic statistical design. This clause, therefore, proposes to consider "system significance level" rather than "system outage probability", and to not refer to BER. Significance level is commonly used terminology in statistics for testing hypotheses [22].

Regarding each system parameter, system significance level is defined as the probability at which the system parameter will exceed a certain value  $x$ . Of course, system significance level is a function of  $x$ . For instance, system significance level of DGD is  $4.2 \times 10^{-5}$ , when  $x$  equals 3 times the average DGD value (see ITU-T Rec. G.691). As another example, system significance level of maximum chromatic dispersion is  $1.3 \times 10^{-3}$ , when  $x$  equals the summation of the average value and  $3\sigma$  ( $\sigma$  is standard deviation) [20].

### 10.1.2 Probability threshold for system acceptance

Probability threshold for system acceptance ( $P_{th}$ ) is defined as maximum affordable significance level of each system parameter. The probability threshold will depend on network operation scenario, and also the trade-off relationship between probability of exceeding the value and cost.

It should be noted that for some parameters considered here  $P_{th}$  refers to the probability that the value is exceeded at the time the link is commissioned. For example, in the case of chromatic dispersion, a  $P_{th}$  value of  $10^{-3}$  means it is expected that on average one in a thousand links will exceed the specified dispersion when commissioned. For other parameters, however,  $P_{th}$  refers to the probability that the value is exceeded at any particular time in the life of a link. An example of this is PMD where a  $P_{th}$  of  $10^{-5}$  means that, at any instant, the probability of exceeding the maximum DGD is one in one hundred thousand.

Table 10-2 contains some example values of  $P_{th}$  together with the equivalent values of the number of standard deviations away from the mean for Gaussian statistics and the equivalent maximum to mean ratio for the Maxwell distribution (PMD).

**Table 10-2 – Probability threshold for system acceptance**

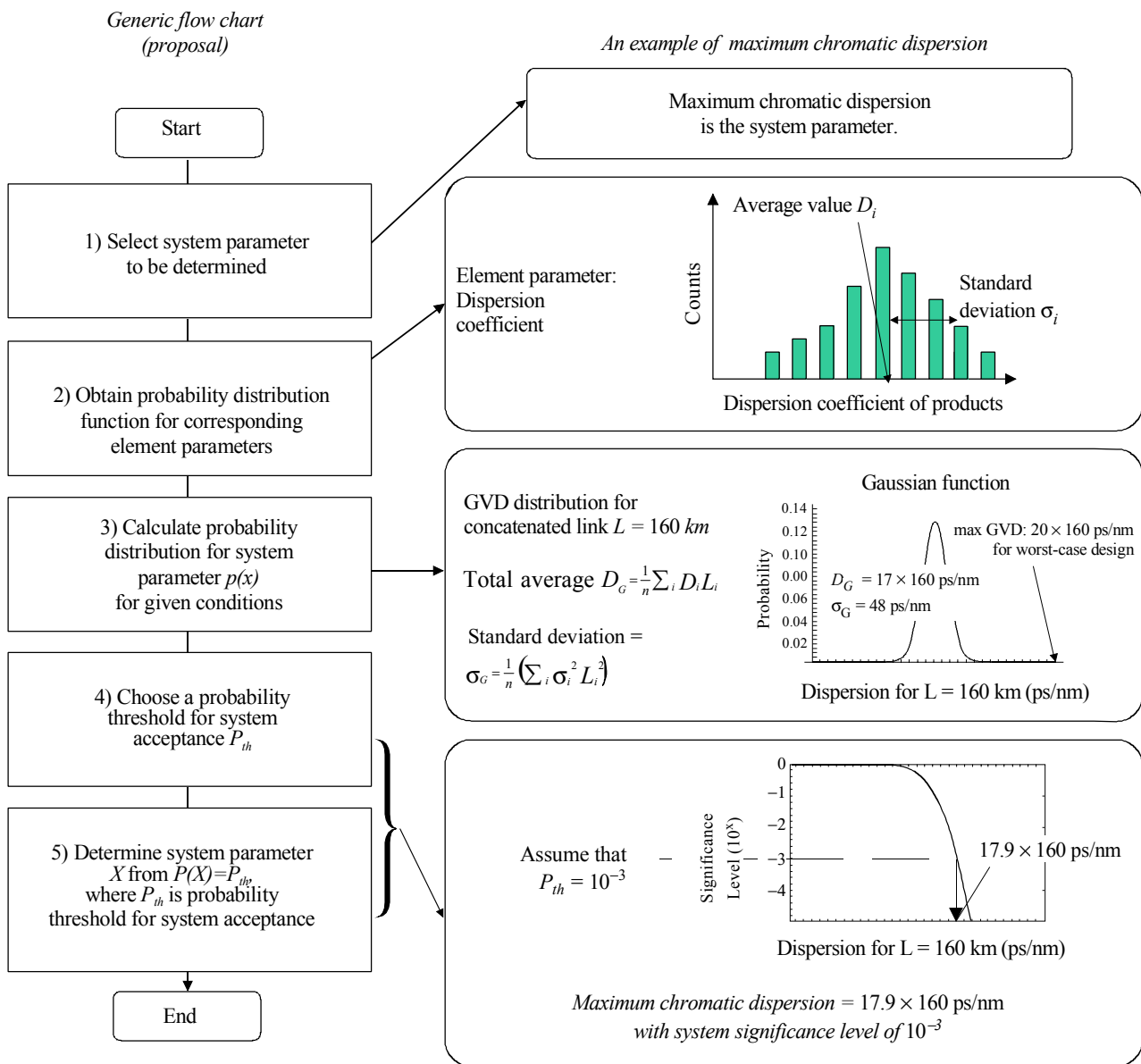
Probability threshold, $P_{th}$	Gaussian: Standard deviations away from the mean [ $\sigma$ ]	Maxwell: Ratio of maximum to mean [S]
$10^{-3}$	3.1	2.5
$10^{-5}$	4.3	3.2
$10^{-7}$	5.2	3.7
$10^{-9}$	6.0	4.2

### 10.1.3 Design flow chart

The generic flow chart is depicted on the left-hand side of Figure 10-1. An example of maximum chromatic dispersion is illustrated on the right-hand side of Figure 10-1.

- 1) *Select the system parameter to be determined*  
 In the example of Figure 10-1, the system parameter is maximum chromatic dispersion.
- 2) *Obtain the probability distribution function for corresponding element parameters*  
 As can be seen in the histogram shown in the second right-hand box in Figure 10-1, the average dispersion coefficient of fibre product  $i$  is assumed to be  $D_i$ , and standard deviation is  $\sigma_i$ .
- 3) *Calculate the probability distribution for system parameter  $p(x)$  for given conditions*  
 In this example, the given condition is a fibre link length of 160 km. The statistical distribution of the system parameter is obtained as the concatenation of the distributions of several fibre bobbins. From the central limit theorem, the distribution of concatenated links has a Gaussian profile. In this example, the total average of chromatic dispersion is  $17 \times 160 = 2720$  ps/nm, while standard deviation is 48 ps/nm. It should be noted that, by using the ordinary worst-case design, maximum chromatic dispersion is  $20 \times 160 = 3200$  ps/nm.
- 4) *Choose a value for  $P_{th}$ , the probability threshold for system acceptance*  
 In this example, it is considered acceptable if one in a thousand links has a higher dispersion than the calculated value. ( $P_{th}$  is  $10^{-3}$ .)
- 5) *Determine system parameter  $X$  from equation  $P(X) = P_{th}$ , where  $P_{th}$  is the probability threshold for system acceptance*  
 In this example, maximum chromatic dispersion is determined to be  $17.9 \times 160 = 2864$  ps/nm, assuming that  $P_{th}$  is  $10^{-3}$ . Therefore, the dispersion requirement for the transmission system is relaxed by 336 ps/nm compared to the worst-case system design.





**Figure 10-1 – Generic flow chart and an example of maximum chromatic dispersion**

## 10.2 Statistical design of loss

A concatenated link usually includes a number of spliced factory lengths of optical fibre cable. The requirements for factory lengths are given in the optical fibre and cable Recommendations. The transmission parameters for concatenated links must take into account not only the performance of the individual cable lengths but also the statistics of concatenation.

The transmission characteristics of the factory length optical fibre cables will have a certain probability distribution which often needs to be taken into account if the most economic designs are to be obtained. The following paragraphs in this clause should be read with this statistical nature of the various parameters in mind.

Link attributes are affected by factors other than optical fibre cables such as splices, connectors, and installation. For the purpose of link attribute values estimation, typical values of optical fibre links are provided in an appendix of each of the fibre and cable Recommendations. The estimation methods of parameters needed for system design are based on measurements, modelling or other considerations.

The attenuation,  $A$ , of a link is given by:

$$A = \alpha L + \alpha_s x + \alpha_c y \quad (10-1)$$

where:

$\alpha$  typical attenuation coefficient of the fibre cables in a link

$\alpha_s$  mean splice loss

$x$  number of splices in a link

$\alpha_c$  mean loss of connectors

$y$  number of connectors in a link (if provided)

$L$  Link length

A suitable margin should be allocated for future modifications of cable configurations (additional splices, extra cable lengths, ageing effects, temperature variations, etc.). The typical values found in an appendix of each of the fibre and cable Recommendations are for the attenuation coefficient of optical fibre links.

The combination of these attenuation contributors in combination with the system maximum attenuation value leads to a variation in the length of the spans. The span length is a targeted value for Recommendations such as ITU-T Recs G.957 and G.691, but may be exceeded up to the point where length is limited by chromatic dispersion.

### 10.3 Statistical design of chromatic dispersion

#### 10.3.1 Background

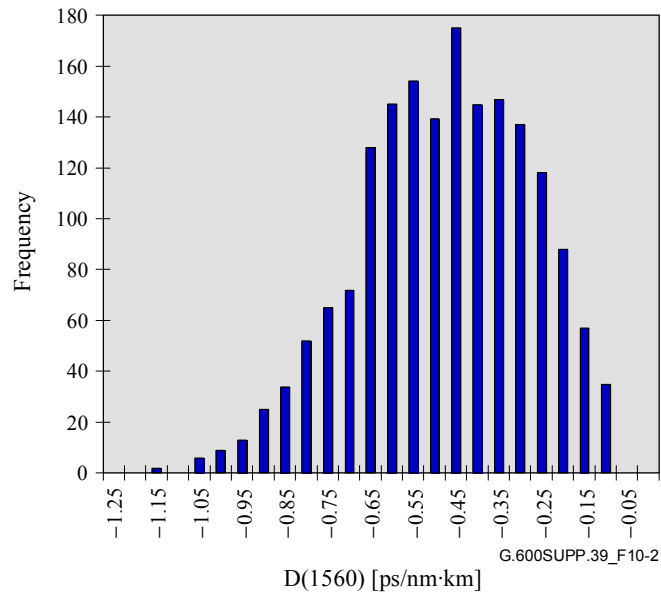
When different components or fibres are combined, the chromatic dispersion of the combination is the total of the chromatic dispersion values of the individuals, on a wavelength by wavelength basis. The variation in the total dispersion of links will depend on the distributions of the products that are used in the links.

NOTE – In the clauses that follow, there are examples given for particular fibre and component types. These examples are not necessarily broadly representative.

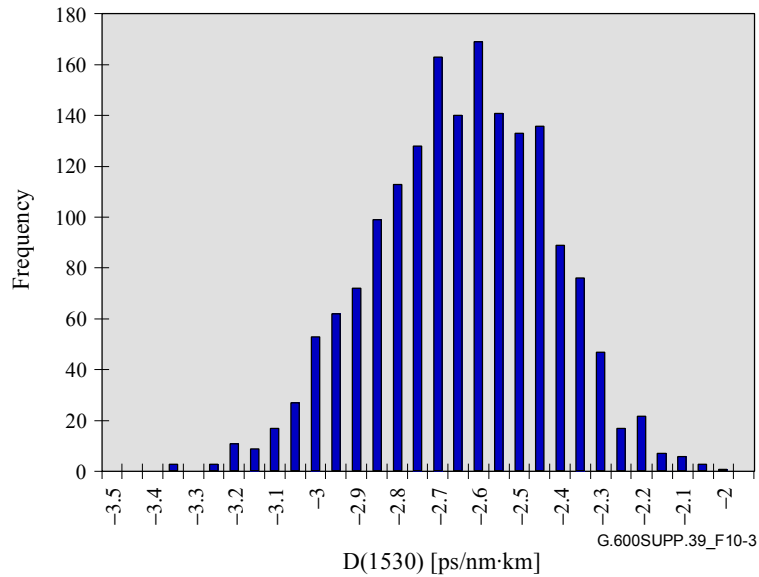
The fibre chromatic dispersion coefficient,  $D(\lambda)$ , is measured as a function of wavelength  $\lambda$  by methods outlined in ITU-T Rec. G.650.1, *Definitions and test methods for linear, deterministic attributes of single-mode fibre and cable*. For a given wavelength range it is often represented as a formula that includes parameters that can vary from fibre to fibre for a given fibre design. Some formulas are given in ITU-T Rec. G.650.1, and the common units are ps/nm·km. For components, similar types of expressions can be used to characterize the chromatic dispersion,  $CD(\lambda)$  in ps/nm.

#### 10.3.2 Chromatic dispersion coefficient statistics

The characterization methodology suitable for concatenation statistics for a single distribution, or for a combination of distributions, is to calculate the dispersion coefficient for each of the wavelengths in the range of the application – for each individual fibre segment. This creates a distribution of dispersion coefficient values for each wavelength. Figures 10-2 and 10-3 show distributions for a G.655-type fibre at two selected wavelengths.

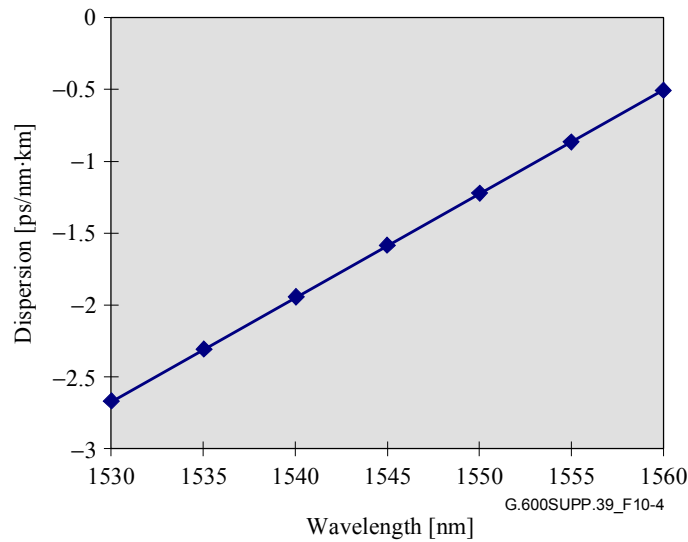


**Figure 10-2 – Histogram of dispersion coefficient values at 1560 nm**

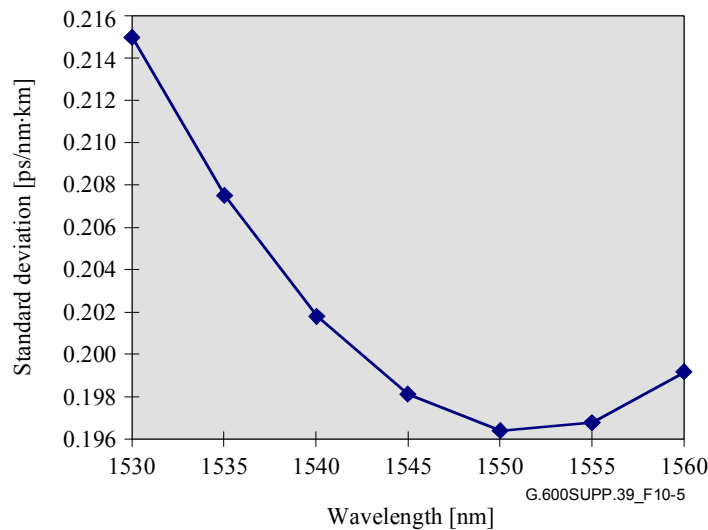


**Figure 10-3 – Histogram of dispersion coefficient values at 1530 nm**

The distribution for each wavelength is characterized with an average and a standard deviation value as in Figures 10-4 and 10-5.



**Figure 10-4 – Average dispersion coefficient vs wavelength**



**Figure 10-5 – Standard deviation of dispersion coefficient vs wavelength**

Note that a linear relationship represents the average and a quadratic relationship represents the standard deviation. This is due in part to the linear representation of dispersion coefficient with wavelength. The data from the examples of Figures 10-4 and 10-5 can be empirically fitted to obtain formulas versus wavelength,  $\lambda$ , (nm):

$$\mu(\lambda) = 0.072(\lambda - 1567) \quad (\text{ps/nm} \cdot \text{km}) \quad (10-2a)$$

$$\sigma(\lambda) = 0.1964 + 3.97 \times 10^{-5}(\lambda - 1551.6)^2 \quad (\text{ps/nm} \cdot \text{km}) \quad (10-2b)$$

where  $\mu$  is the average and  $\sigma$  is the standard deviation.

### 10.3.3 Concatenation statistics for a single population of optical fibres

These statistics are based on Gaussian assumptions. The examples are calculated at the "3 sigma" level for a  $P_{th}$  (probability threshold for system acceptance) of 0.13% above and below the limits. Other probability levels could be selected.

Assuming equal lengths, the dispersion coefficient of the concatenation of fibres is the average of the dispersion coefficient of the individual fibres:

$$\bar{D}(\lambda) = \frac{1}{n} \sum_i D(\lambda)_i \quad (10-3)$$

Using the Central Limit Theorem, these averages can vary about the grand average according to a Gaussian random distribution. Using a fixed probability limit which contains 99.7% (0.13% above and 0.13% below) of the distribution, the limit of link dispersion coefficient values,  $D_{Tot}$ , is given as:

$$D_{Tot}(\lambda) = \mu(\lambda) \pm \frac{3}{\sqrt{n}} \sigma(\lambda) \quad (10-4a)$$

Assuming a conservative value of  $n$ , associated with a maximum fibre segment length of  $L_{Seg}$  within a link of  $L_{Tot}$ , Equation 10-4a can be written as:

$$D_{Tot}(\lambda) = \mu(\lambda) \pm 3 \left( \frac{L_{Seg}}{L_{Tot}} \right)^{1/2} \sigma(\lambda) \quad (10-4b)$$

The limits on the link dispersion value,  $CD_{Tot}$ , are just the limits of the link dispersion coefficient values times the link length:

$$CD_{Tot}(\lambda) = L_{Tot} \mu(\lambda) \pm 3 (L_{Seg} L_{Tot})^{1/2} \sigma(\lambda) \quad (10-5)$$

Table 10-3 shows the computed values for the population of the prior section for an assumed link length of 120 km and an assumed segment length of 5 km. These values are substantially below the -420 ps/nm value that would be deduced from the worst-case specifications.

**Table 10-3**

Wavelength	$CD_{min}$	$CD_{max}$
1530 nm	-336 ps/nm	-304 ps/nm
1540 nm	-249 ps/nm	-219 ps/nm

If the distribution is based on measurements of sub-sections of installed links, replace the length,  $L_{Seg}$ , by the length of the sub-sections that were measured – or a larger value representative of the length of the longest sub-sections in the link.

#### 10.3.4 Concatenation statistics for multiple populations, including components

The notation is expanded by subscripting the average and standard deviation functions with  $I$ ,  $II$ , etc. as well as adding, for example,  $L_{I-Tot}$ , for the link length contribution of fibre type I and  $n_A$  for the number of components of type A.

The probability limits are again done with a probability limit associated with a Gaussian of  $\pm 3\sigma$  but the equations are separated into the "average part" and the "standard deviation part" before combining them. The average of the dispersion is:

$$\mu\{[CD_{Tot}(\lambda)]\} = L_{I-Tot} \mu_I(\lambda) + L_{II-Tot} \mu_{II}(\lambda) + n_A \mu_A(\lambda) + n_B \mu_B(\lambda) \quad (10-6a)$$

The standard deviation of the total dispersion is:

$$\sigma\{[CD_{Tot}(\lambda)]\} = [L_{I-Seg} L_{I-Tot} \sigma_I^2(\lambda) + L_{II-Seg} L_{II-Tot} \sigma_{II}^2(\lambda) + n_A \sigma_A^2(\lambda) + n_B \sigma_B^2(\lambda)]^{1/2} \quad (10-6b)$$

The limits are then:

$$CD_{Tot}(\lambda) = \mu[CD_{Tot}(\lambda)] \pm 3\sigma[CD_{Tot}(\lambda)] \quad (10-6c)$$

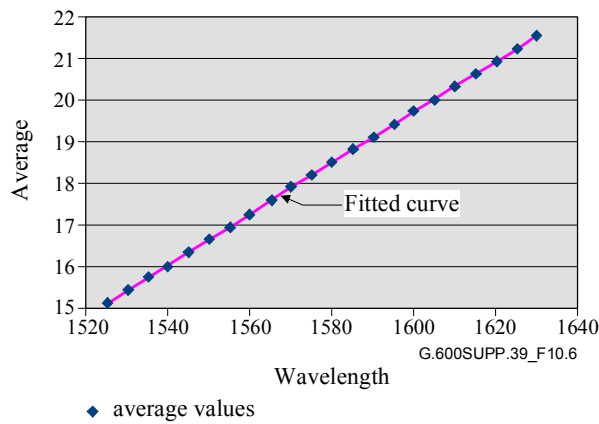
Adding more fibre or component types can be done with a simple extension of the above formulas.

Note that these formulas present the situation in a fashion that could lead one to conclude that all the compensators could be co-located. In general this is not done. The compensators are normally distributed to reduce the maximum local dispersion along the link.

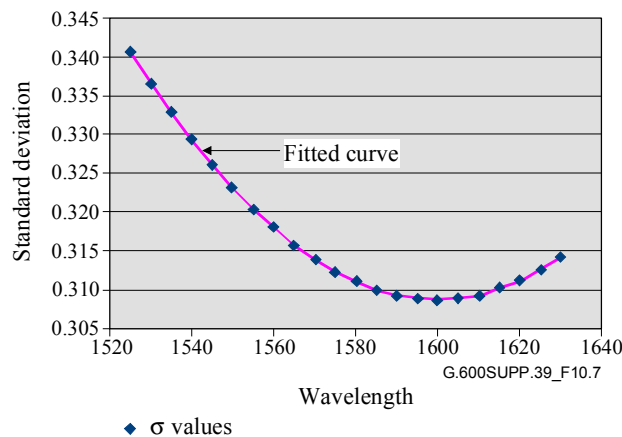
These formulas are illustrated for a combination of a distribution of G.652 fibres and a distribution of dispersion compensation components as defined in ITU-T Rec. G.671. The assumed link parameters are:

$$L_{Tot} = 400 \text{ km}, \quad L_{Seg} = 10 \text{ km}, \quad n_{DC} = 5$$

The fibre statistics for chromatic dispersion coefficient (ps/nm·km) vs wavelength (nm) are shown in Figures 10-6 and 10-7.



**Figure 10-6 – Average chromatic dispersion coefficient of G.652 fibre**



**Figure 10-7 – Standard deviation of chromatic dispersion coefficient of G.652 fibre**

The formula for the fitted line in Figure 10-6 is:

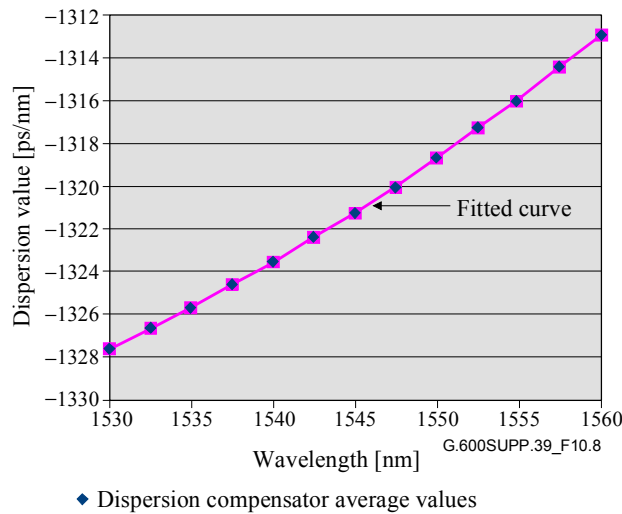
$$\mu(\lambda) = -77.403 + 0.0607 \times \lambda \quad (\text{ps/nm} \cdot \text{km}) \quad (10-7a)$$

where  $\lambda$  is in nm.

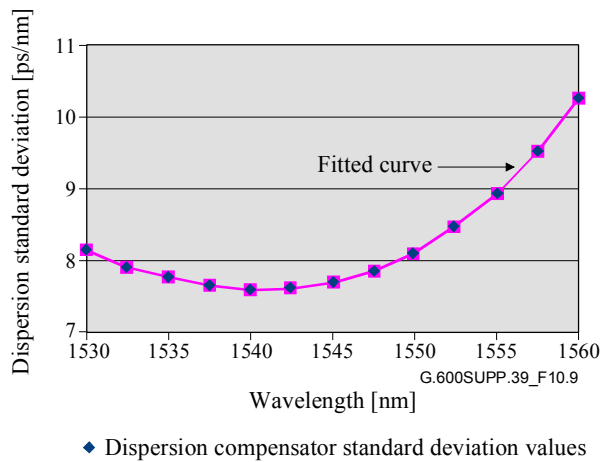
The formula for the fitted curve in Figure 10-7 is:

$$\sigma(\lambda) = 15.013 - 18.384 \times 10^{-3} \times \lambda + 5.746 \times 10^{-6} \times \lambda^2 \quad (\text{ps/nm} \cdot \text{km}) \quad (10-7b)$$

The dispersion compensation statistics are shown in Figures 10-8 and 10-9.



**Figure 10-8 – Dispersion compensator average values**



**Figure 10-9 – Dispersion compensator standard deviation values**

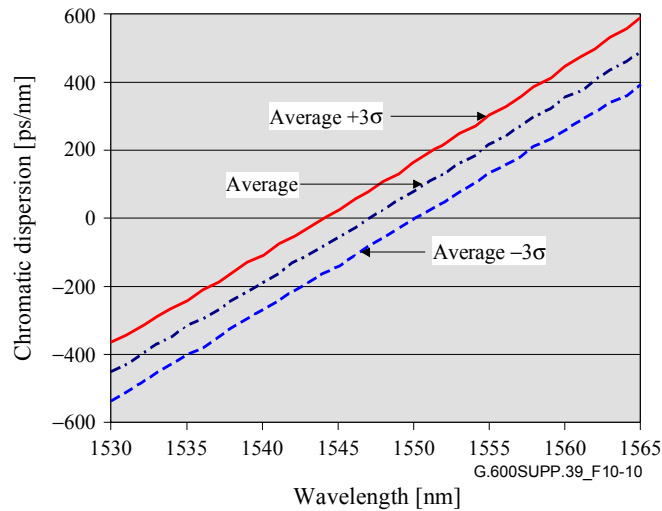
The formula for the fitted curve in Figure 10-8 is:

$$\mu(\lambda) = 8.010 \times 10^3 - 12.5698 \times \lambda + 4.227 \times 10^{-3} \times \lambda^2 \quad (\text{ps/nm}) \quad (10-8a)$$

The formula for the fitted curve in Figure 10-9 is:

$$\sigma(\lambda) = -3.4612 \times 10^5 + 6.824 \times 10^2 \times \lambda - 0.4484 \times \lambda^2 + 9.818 \times 10^{-5} \times \lambda^3 \quad (\text{ps/nm}) \quad (10-8b)$$

Combining these statistics according to the formulas of Equation 10-6a, 10-6b, and 10-6c – and using the link assumptions (400-km fibre, 10-km segments, 5 dispersion compensators), yield the results shown in Figure 10-10. Note that the smaller of the two wavelength characterization ranges is presented. Even though the range for fibre is broader, the range characterized for the compensator is not so broad.



**Figure 10-10 – 3  $\sigma$  limits for combined G.652 fibre and compensators**

For the C-band (1530 nm to 1565 nm), the chromatic dispersion of this compensated link is within  $\pm 600$  ps/nm. In ITU-T Rec. G.691 the limit for 10-Gbit/s transmission, with respect to chromatic dispersion alone, is indicated as approximately 1000 ps/nm for transmitters and receivers that also conform with ITU-T Rec. G.691.

#### 10.4 Statistical design of polarization-mode dispersion

The DGD varies randomly according to a Maxwell distribution characterized by the PMD value. The PMD of optical fibre cable is also specified according to a statistical format that can be combined with the other elements of the optical link to determine a maximum DGD that is defined as a probability limit. See Appendix I/G.650.2 for a description of the statistical specification of PMD for optical fibre cable. ITU-T Rec. G.671 contains a description of how to combine the PMD specifications of other link elements with those of optical fibre cable to determine a combined maximum DGD for the link.

$$DGD \max_{link} = \left[ DGD \max_F^2 + S^2 \sum_i PMD_{Ci}^2 \right]^{1/2} \quad (10-9)$$

where:

- $DGD \max_{link}$  is the maximum link DGD (ps)
- $DGD \max_F$  is the maximum concatenated optical fibre cable DGD (ps)
- $S$  is the Maxwell adjustment factor (see Table 10-2)
- $PMD_{Ci}$  is the PMD value of the  $i$  th component (ps)

This equation assumes that the statistics of the instantaneous DGD are approximated by a Maxwell distribution, with the probability of the instantaneous DGD exceeding  $DGD \max_{link}$  being controlled by the value of the Maxwell adjustment factor taken from Table 10-2.

See IEC 61282-3 for more detail, including a worked example that yields a combined link DGD maximum of 30 ps at a probability of  $1.3 \times 10^{-7}$ .

## 11 Forward Error Correction (FEC)

FEC is rapidly becoming an important way of improving the performance of large-capacity long-haul optical transmission systems and is already well established in wireless communication systems. Employing FEC in optical transmission systems yields system designs that can accept



relatively large BER (much more than  $10^{-12}$ ) in the optical transmission line (before decoding). FEC application may allow the optical parameters to be significantly relaxed and encourages the construction of large capacity long-haul optical transmission systems in a cost-effective manner.

Definitions of FEC terminology are provided in Table 11-1:

**Table 11-1 – FEC terminology**

Information bit (byte)	Original digital signal to be FEC encoded before transmission
FEC parity bit (byte)	Redundant bit (byte) generated by FEC encoding
Code word	Information bit (byte) plus FEC parity bit (byte)
Code rate R	Ratio of bit rate without FEC to bit rate with FEC ( $R = 1$ for in-band FEC)
Coding gain	Reduction of $Q$ values at specified BER (e.g., $10^{-12}$ ) assuming white Gaussian noise and a theoretical reference receiver
Net coding gain (NCG)	Coding gain corrected by the increased noise due to bandwidth expansion needed for FEC bits assuming white Gaussian noise (out-of-band FEC)
$Q_b$ factor	$Q$ factor corrected by the bandwidth expansion factor $1/\sqrt{R}$
$BER_{in}$	BER of the encoded line signal (= BER of the input signal of the FEC decoder)
$BER_{out}$	BER of the decoded client signal (= BER of the output signal of the FEC decoder)
BCH codes	Bose-Chaudhuri-Hocquenghem codes: the most commonly used BCH codes are binary codes
RS codes	Reed-Solomon codes: the most commonly used non-binary subclass of BCH codes
xxx ( $n, k$ ) code	xxx = code class (BCH or RS). $n$ = number of code word bits (bytes) $k$ = number of information bits (bytes)

At present, two FEC schemes are recommended for optical transmission systems. They are "in-band FEC" for SDH systems, and "out-of-band FEC" for optical transport networks (OTNs). (Out-of-band FEC was originally recommended for submarine optical systems.) The terminology "in" or "out" refers to the client bandwidth. In-band FEC parity bits are embedded in a previously unused part of the Section Overhead of SDH signals, so the bit rate is not increased. In contrast to SDH, OTN signals including space for FEC bits (OTUk) have a higher bit rate than the equivalent signal before the FEC is added (ODUk). Therefore, OTN signals are encoded using out-of-band FEC resulting in a slightly increased line-rate. ITU-T Rec. G.709/Y.1331 also offers the option of non-standard out-of-band FEC optimized for higher efficiency.

### 11.1 In-band FEC in SDH systems

In-band FEC is described in 9.2.4/G.707/Y.1322, Annex A/G.707/Y.1322, Appendix IX/G.707/Y.1322, and Appendix X/G.707/Y.1322. The code is optional in STM-16, -64, and -256 single and multichannel systems. The code is triple error correcting binary BCH code, more exactly a shortened BCH (4359, 4320) code. Up to three bit errors can be corrected in a 4359-bit code word. The code word is an 8-bit interleaved signal stream of  $270 \times 16$  bytes from 1 row of the STM-N frame. Therefore, up to 24-bit continuous errors in each row of an STM-16, -64 or -256 frame can be corrected.

If errors occur randomly, BER after decoding  $P_c = BER_{out}$  is expressed, using raw BER  $p = BER_{in}$  (before decoding), as follows for  $N = 4359$ .

$$P_c = \sum_{i=4}^N \frac{i}{N} \times \binom{N}{i} \times p^i \times (1-p)^{N-i} \quad (11-1)$$

## 11.2 Out-of-band FEC in optical transport networks (OTNs)

Out-of-band FEC is described in 11.1/G.709/Y.1331 and Annex A/G.709/Y.1331 as a modification of the out-of-band code in ITU-T Rec. G.975. ITU-T Rec. G.709/Y.1331 specifies the Network Node Interface (NNI) in OTN where the RS(255,239) code is optionally included. ITU-T Rec. G.975 recommends the frame format for submarine systems and also describes the performance of the RS(255,239) code. This code is a symbol error correcting RS code, so the byte number is used in the designation. Up to eight bytes in the code word can be corrected. The G.709/Y.1331 frame employs 16-byte interleaving, so 1024 bits continuous errors can be corrected.

If errors occur randomly, BER after decoding  $P_c = \text{BER}_{\text{out}}$  is expressed, using original raw BER  $p = \text{BER}_{\text{in}}$  (before decoding), as follows.

$$P_{UE} = \sum_{i=9}^N \frac{i}{N} \times \binom{N}{i} \times P_{SE}^i \times (1-P_{SE})^{N-i}$$

$$p = 1 - (1 - P_{SE})^{1/8} \quad (11-2)$$

$$p_c = 1 - (1 - P_{UE})^{1/8}$$

$P_{UE}$  is the probability of uncorrectable error, and  $P_{SE}$  is the probability of symbol (byte) error;  $N = 255$ .

## 11.3 Coding gain and net coding gain (NCG)

In the case of randomly distributed errors within the encoded line signal, a FEC decoder reduces the line or raw BER to a required reference BER value within the payload signal. Coding gain could therefore be regarded as the relation of these bit error ratios. In order to define a coding gain parameter as a more system-related parameter, the BER reduction by the FEC is usually transformed into a dB value based on a theoretical reference system. It is common practice to define the coding gain as the reduction of signal-to-noise ratio at a reference BER. This definition is directly applicable to an in-band FEC because its use does not imply an increase of the bit rate and therefore also no noise increase at the decision circuit due to receiver bandwidth expansion. The performance of an out-of-band FEC can be characterized better by a modified coding gain parameter. In wireless transmission systems the Net Coding Gain (NCG) parameter is well established for out-of-band FEC. It takes into account the fact that the bandwidth extension needed for these FEC schemes is associated with increased noise in the receiver.

Based on the NCG value, the achievable system gain in optical signal-to-noise ratio (OSNR) limited systems can be estimated accurately. In this case the reduction of the electrical signal-to-noise ratio as a consequence of higher line BER reflects the allowable reduction in OSNR. In systems involving additional non-white noise contributions, the trade-off between sensitivity reduction due to bandwidth expansion and coding gain is much more complicated. For comparison of high efficiency FEC schemes with different (but similar) code rates used in long-haul systems, the NCG parameter is a good measure. It should be noted, however, that this comparison is only valid in systems limited by white noise sources. In the case that there is a significant penalty due to (nearly deterministic) signal degradation, the penalty may increase rapidly with increasing bit rate and invalidate the comparison. Even in systems operating in a very non-linear regime of the transmission fibre, the application of NCG is of limited value due to the fact that the associated noise cannot be characterized by white Gaussian noise.

NOTE 1 – In special cases of using the FEC coding for reducing the minimum allowable OSNR (e.g., for higher channel count), the reduction in OSNR can be higher than the net coding gain. This arises because in the case where the noise at the decision circuit has a significant contribution from a source other than OSNR, then for a given increase in total noise, the increase in the noise contribution due to OSNR alone is larger than the total increase.

**Net Coding Gain definition**

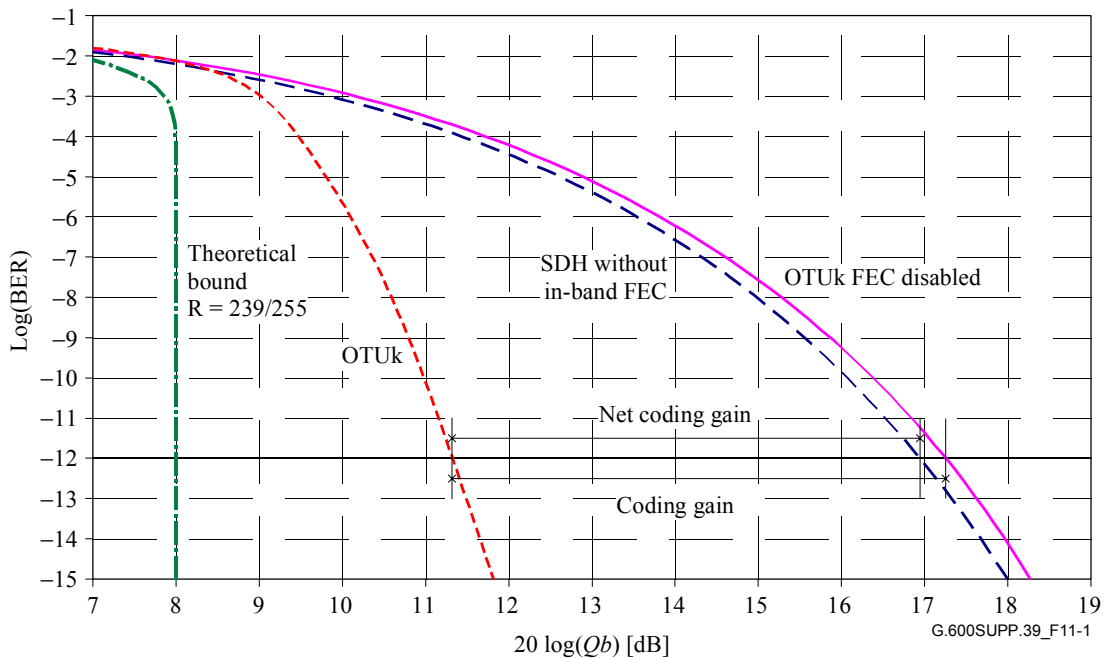
NCG is characterized by both the code rate  $R$  and the maximum allowable  $BER_{in}$  of the input signal of the FEC decoder, which can be reduced to a reference  $BER_{out} = B_{ref}$  by applying the FEC algorithm. Furthermore, NCG should refer to a binary symmetric channel with added white Gaussian noise:

$$NCG = 20 \log_{10} [\text{erfc}^{-1}(2 B_{ref})] - 20 \log_{10} [\text{erfc}^{-1}(2 B_{in})] + 10 \log_{10} R \quad (\text{dB}) \quad (11-3)$$

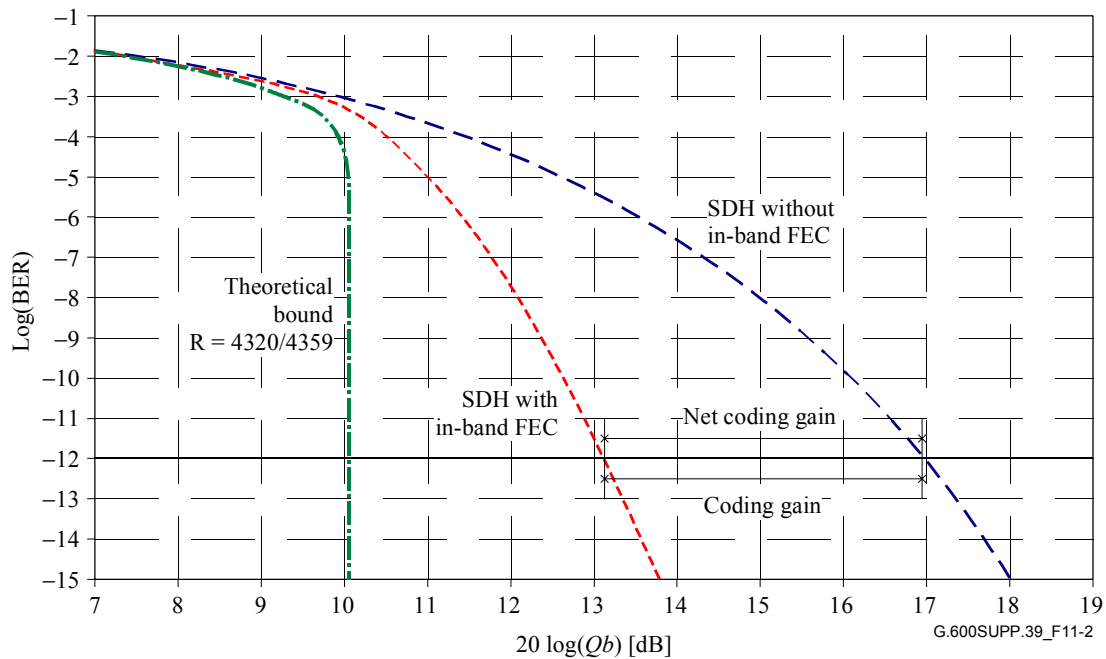
with  $\text{erfc}^{-1}$  the inverse of the complementary error function  $\text{erfc}(x) = 1 - \text{erf}(x)$

NOTE 2 –  $R = 1$  for in-band FEC.

See Figures 11-1 and 11-2.



**Figure 11-1 – Performance estimation of G.709/Y.1331 FEC scheme**



**Figure 11-2 – Performance estimation of G.707/Y.1322 FEC scheme**

Note that:

$$20 \log_{10} Qb = 20 \log_{10} Q - 10 \log_{10} R \quad (11-4)$$

The horizontal axis is  $20 \log_{10} Qb$  in dB and the vertical axis is  $\text{Log}(\text{BER})$ . Net coding gain in terms of  $20 \log_{10} Qb$  is equivalent to allowable OSNR reduction when the line system uses optical amplifiers and ASE induced noise is the only significant noise source at the decision circuit.

See Table 11-2.

**Table 11-2 – Performance of standard FECs**

	<b>In-band FEC BCH (4359, 4320)</b>	<b>Out-of-band FEC RS (255,239)</b>
<b>Application</b>	SDH	OTN
<b>BER<sub>in</sub> for BER<sub>out</sub> = BER<sub>ref</sub> = 10<sup>-12</sup></b>	$2.9 \times 10^{-6}$	$1.8 \times 10^{-4}$
<b>Coding gain (BER<sub>ref</sub> = 10<sup>-12</sup>) in dB</b>	3.8	5.9
<b>Net coding gain (BER<sub>ref</sub>=10<sup>-12</sup>) in dB</b>	3.8	5.6
<b>Code rate</b>	1	239/255

#### 11.4 Theoretical NCG bounds for some non-standard out-of-band FECs

Based on basic results from information theory, e.g. shown in [23], the theoretical NCG bounds as a function of code rate can be determined. Some results are shown in Table 11-3 for  $\text{BER}_{\text{ref}} = 10^{-12}$ .

**Table 11-3 – Theoretical NCG bounds**

Bandwidth expansion in %	Code rate $R$	NCG in dB ( $BER_{ref} = 10^{-12}$ )
5	0.952	8.6
7	0.935	9.0 (Note)
10	0.909	9.4
15	0.870	9.9
20	0.833	10.3
25	0.800	10.6

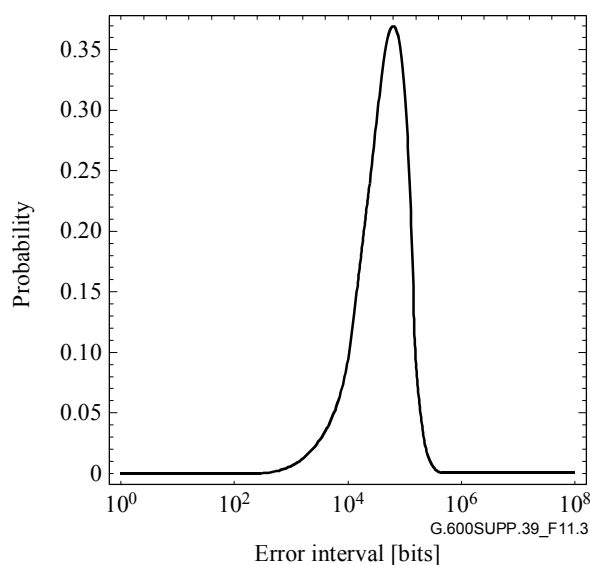
NOTE – Corresponds to the code rate of standard out-of-band FEC.

### 11.5 Statistical assumption for coding gain and NCG

The performance evaluation results in Table 11-2 are valid under the assumption that errors occur in a statistically random manner. Here, random error is defined as the following probability function.

$$P_k(t) = \frac{(\rho t)^k}{k!} \exp\{-\rho t\} \quad (11-5)$$

Equation 11-5 is the well-known definition of Poisson random statistics, and yields the probability of the  $k$ -time occurrence of random events in time-interval  $t$ . Substituting  $k = 1$  into Equation 11-5 leads to 1-bit error statistics, and the theoretical curve of random statistics of 1-bit error occurrence is illustrated in Figure 11-3 for the average BER of  $1 \times 10^{-6}$ .



**Figure 11-3 – Theoretical curve of 1-bit error probability with respect to time interval**

Note that the horizontal axis is logarithmic. If error statistics follow the curve in Figure 11-2, FEC performance follows the theoretical prediction described in Table 11-2. The case in which error statistics do not follow the theoretical curve in Figure 11-2 is for further study.

There are several sources of error generation in optical transmission systems, such as ASE noise, GVD, PMD. Moreover, non-linear effects can degrade signal performance through Self-Phase Modulation (SPM), Stimulated Brillouin Scattering (SBS), Modulation Instability (MI) in single-channel systems, and Cross-Phase Modulation (XPM), Four-Wave Mixing (FWM), and Stimulated Raman Scattering (SRS) in multichannel systems. FEC has been proven to be effective in OSNR-limited systems as well as in dispersion-limited systems. As for non-linear effects, reducing the output power leads to OSNR limitations, against which FEC is useful. FEC is less effective against PMD, however. Thus, the treatment of PMD is a topic for further study. Candidates of optical parameter relaxation with FEC are described below. A mixture of the candidates is left for further study.

## **11.6 Candidates for parameter relaxation**

By using FEC, optical parameters can be relaxed if the assumption of random error statistics is valid.

### **11.6.1 Relaxation of transmitter and/or receiver characteristics**

The maximum BER can be relaxed from  $10^{-12}$  toward the values listed in the third row in Table 11-2 at the maximum relaxation. This allows a reduced signal-to-noise ratio at the decision circuitry. Assuming a given OSNR in a reference system without FEC is sufficient to produce the required BER, the coding gain provided by adding FEC to the system can be used to relax component parameters in the transmitter and/or receiver. There are many parameters which could benefit from this such as the requirements for total launched power, eye mask, extinction ratio, electrical noise of a PIN receiver, noise figure of an optical pre-amplifier, isolation of demultiplex filters or – to some extent – the characteristic of the receiver transfer function determining the intersymbol interference and noise bandwidth before decision.

### **11.6.2 Reduction of output power levels to save pump power**

Reducing the output power levels of transmitter and line amplifiers by the NCG value leads to reduced OSNR at the end of an optical amplifier chain. The associated higher electrical noise and therefore higher BER is compensated by FEC. The same principle can be applied to a single-span applications with an optically pre-amplified receiver. Deploying FEC in a single-span system without an optically pre-amplified receiver gives a transmitter output power saving of only half of the NCG value, because in this case the system is limited by receiver electrical noise.

## **11.7 Candidates for improvement of system characteristics**

### **11.7.1 Reduction in power levels to avoid non-linearity**

Reducing the output and input power levels of the optical amplifiers forces a system limited by non-linear effects to become OSNR limited, provided that the other parameters are unchanged. Power reduction according to the NCG value and even more is feasible as indicated in the Note in 11.3. For example, after the power levels are decreased, the multichannel system parameters for G.652 and G.655 fibre can also be applied to G.653 fibre. Thus, a common system specification becomes possible that is valid for all fibre types.

### **11.7.2 Increase in maximum span attenuation**

If the multi-span system is not chromatic dispersion limited (using G.652 with Dispersion Accommodation, G.653, or G.655 fibre), target span distance can be extended. The input power of each line amplifier can be decreased by the amount of the net coding gain. Therefore, the maximum span attenuation can be increased by the amount of the net coding gain (maximum case). The relaxation may eliminate unnecessary repeaters in a system with slightly larger loss than that specified. Extending the distance of a dispersion-limited system is for further study.

NOTE – In a single-span system without preamplifier the increase of maximum path attenuation is half of the NCG value only, because in this case the system is limited by receiver electrical noise.

### 11.7.3 Increase in maximum number of spans for a long-haul system

The total target distance of a long-haul system can be extended enormously by increasing the number of spans (and also line amplifiers) assuming that chromatic and polarization mode dispersion do not become limiting factors (i.e., the system remains OSNR limited). Providing that the attenuation of each span is the same and remains constant, the maximum number of spans can be increased by a factor given by the NCG value. In the case of standard out-of-band FEC, the target distance may be increased by a factor of almost 4. Extending the distance of a non-OSNR limited system is for further study.

### 11.7.4 Increase in channel count for high-capacity systems

If a multi-span system is limited by the output power of the optical amplifiers, the channel count can be increased by a factor given by the NCG value. In the case of standard out-of-band FEC, the channel count may be increased by a factor of almost 4. It should be noted, that this approach can be used as long as the reference system was not supported by non-linear effects which may change by reducing the channel power. For example, SPM cannot be used to compensate for chromatic dispersion if the channel power becomes less than the SPM threshold.

## 12 Physical layer transverse and longitudinal compatibility

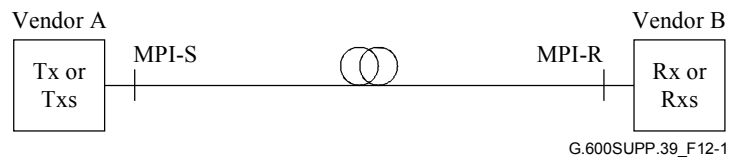
This clause describes physical layer transverse compatibility as it is used in ITU-T Recs G.957, G.691, G.693 and G.959.1. Definitions are also provided of the possible configurations that might form the basis for future standardization of multi-span systems.

All of the configurations discussed here are for point-to-point systems. Arrangements more complex than this are for further study.

### 12.1 Physical layer transverse compatibility

#### 12.1.1 Single-span physical layer transverse compatibility

In ITU-T Recs G.957, G.691, G.693 and G.959.1, the applications are defined to be "transversely compatible", which implies that the ends of an optical section may be terminated by equipment from different manufacturers. This is illustrated in Figure 12-1. Therefore, a full set of parameter definitions and associated values at interface point MPI-S and MPI-R are necessary to enable such an interface.

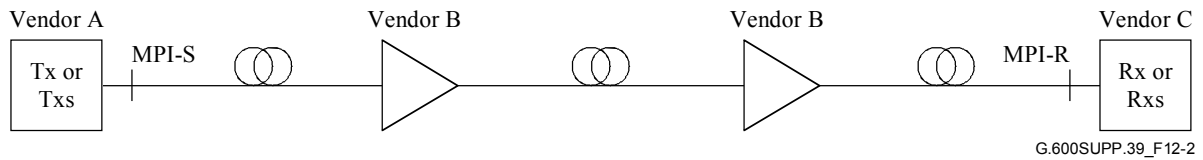


**Figure 12-1 – Single-span physical layer transverse compatibility**

NOTE – The interface points labelled MPI-S and MPI-R in Figure 12-1 have different labels (and different interface parameters) in the various Recommendations but the same principle applies to both single-channel and multichannel interfaces. At present, transversely compatible multichannel applications are only found in ITU-T Rec. G.959.1.

### 12.1.2 Multi-span physical layer full transverse compatibility

Currently in ITU-T Rec. G.691, only single-span systems are specified. Originally it was the intent to also include multi-span systems employing optical line amplifiers as illustrated in Figure 12-2. When the first version of ITU-T Rec. G.691 was published, however, it was agreed not to include multi-span applications.



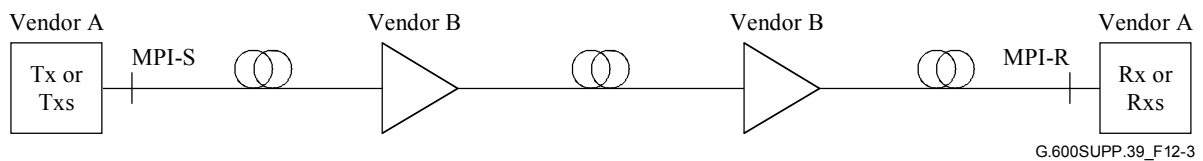
**Figure 12-2 – Multi-span physical layer full transverse compatibility**

Figure 12-2 shows the case for full transverse compatibility where the amplifiers are provided by a different vendor from the terminating equipment. This case requires the specification of the channel plan and full details of the Optical Supervisory Channel (OSC) if one is used.

This case may also require the specification of some parameters such as loss and power levels on a per-span basis, and also other parameters such as chromatic dispersion, PMD and non-linearity to be "managed" over the whole link.

### 12.1.3 Multi-span physical layer partial transverse compatibility

It is also possible to define an additional configuration where the terminating equipment at either end of the link is provided by a single vendor. This is called partial transverse compatibility and is illustrated in Figure 12-3.



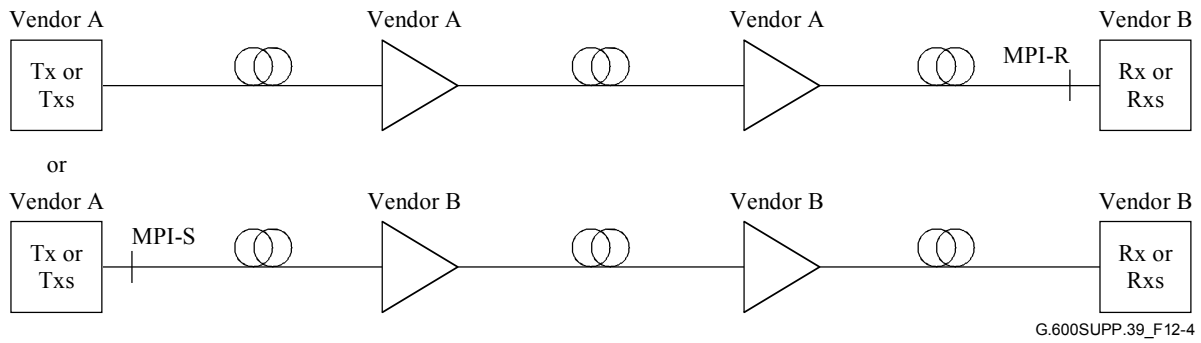
**Figure 12-3 – Multi-span physical layer partial transverse compatibility**

This alternative possibility could require most of the same specifications for the physical characteristics as for multi-span full transverse compatibility except that the exact channel plan need not be specified. The operating wavelength range of the system would be required.

### 12.1.4 Multi-span single interface transverse compatibility

An alternative possibility (which may require less specification for the physical characteristics compared to multi-span full transverse compatibility) exists as shown in Figure 12-4. However, this configuration has not been studied within the ITU-T. Here, only a single interface point is defined for the link (at either the transmitter or the receiver) and a single vendor provides all of the equipment on one side of the interface.



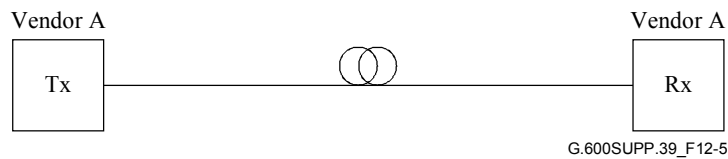


**Figure 12-4 – Multi-span single interface transverse compatibility**

The specifications of the physical characteristics required for this configuration are for further study, but would have to include details of the exact channel plan.

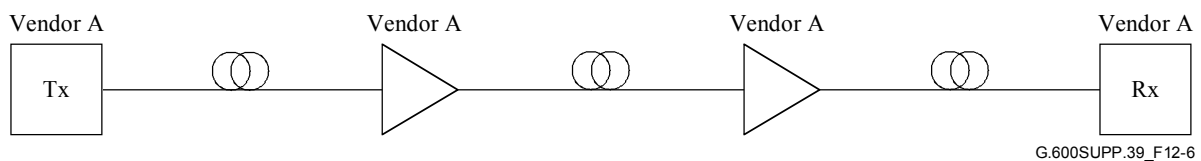
### 12.2 Physical layer longitudinal compatibility

In contrast to the above, an application that is defined to be "longitudinally compatible" implies that both ends of an optical section are terminated by equipment from the same manufacturer. In this case a more limited set of parameters than for transversely compatible systems is required. Here, only the cable characteristics (attenuation, dispersion, DGD, reflections) are specified. A single-span longitudinally compatible system is illustrated in Figure 12-5.



**Figure 12-5 – Single-span physical layer longitudinal compatibility**

For multi-span systems, longitudinal compatibility is also possible. This is similar to the single-span longitudinally compatible system, where all the active equipment comes from a single source. This is illustrated in Figure 12-6. As in the case of single span, only a very limited number of parameters are required to be specified, although chromatic dispersion and PMD must be managed on an end-to-end basis.



**Figure 12-6 – Multi-span physical layer longitudinal compatibility**

### 12.3 Joint engineering

Two ITU-T Recommendations contain sections on joint engineering:

- ITU-T Rec. G.955: The process by which Administrations/operators agree on a set of interface characteristics of an optical link that meet agreed performance characteristics of the link when the available interface specifications in ITU-T Recommendations are insufficient to ensure the performance level.

- ITU-T Rec. G.957: For a limited number of cases, joint engineering may be envisaged to meet the requirements of optical sections where the interface specifications of ITU-T Rec. G.957 prove inadequate. This will probably occur where the required section loss is greater (e.g., 2 dB) than that specified in ITU-T Rec. G.957 but may also be considered for other parameters.

For those cases, it is up to the Administrations/operators concerned to specify more closely the aspects of the system where the specifications of ITU-T Rec. G.957 are not satisfactory. It is important to stress that every situation requiring "joint engineering" is likely to be different – hence it is meaningless to try to standardize any of the parameter values for these systems. Instead, it is for the Administrations/operators concerned to come to an agreement as to what is required and then negotiate with manufacturers as to what is actually feasible. This process is very likely to lead to both ends of a transmission link being supplied by the same manufacturer, who meets the required performance by jointly optimizing the transmitters and receivers.

It should be pointed out that, in spite of the futility of specifying any parameter values for "jointly engineered" systems, it would be advisable for Administrations/operators or manufacturers involved to follow the general guidelines and system engineering approach used in ITU-T Rec. G.957. In particular, it would be helpful to use the same parameter definitions (e.g., receiver sensitivity at R reference point including all temperature and aging effects).

### **13 Switched optical network design considerations**

An architectural foundation for switched optical networking is given in ITU-T Rec. G.8080/Y.1304. From the perspective of optical transmission systems engineering for switched optical networks, two cases can be considered, corresponding to the location of 3R terminations within the switched optical network.

In the case that the network element switching the optical signal also provides 3R termination, then the optical sections on either side of the switching network element can be separately engineered. Either worst-case or statistical design principles can be used to achieve end-to-end system performance consistent with the allocation of performance objectives given in ITU-T Recs G.828 and G.8201.

In the case that the network element performing the switching/rerouting of the optical signal does not provide 3R termination (e.g., a transparent optical cross-connect), then it is generally very difficult to ensure the bit-error rate performance of the switched optical connection without imposing severe constraints on the extent of the network. For example, the action of the transparent switching network element to effect an OMS re-route could result in a new transmission path of different optical characteristics, possibly beyond the design limits required for the desired performance of the client signals supported by the OTS. The elimination of such cases may be addressed through pre-planning of feasible connections for the re-routed signals or through joint engineering.

The possible constraints on the time-scale to achieve switched optical networks due to the dynamic behaviour of optical amplifiers or other optical elements within the transmission link is beyond the scope of this Supplement.

## **14 Best practices for optical power safety**

### **14.1 Viewing**

#### **14.1.1 Viewing fibre**

Fibre ends or connector faces should not be viewed with unprotected eyes or with any collimating device that is not approved by the operating organization.

#### **14.1.2 Viewing aids**

Use only filtered or attenuating viewing aids approved by the operating organization.

### **14.2 Fibre ends**

#### **14.2.1 Termination**

Any single or multiple fibre end(s) found not to be terminated (for example, matched, spliced) should be individually or collectively covered with material appropriate for the wavelength and power when not being worked on. They should not be readily visible and sharp ends should not be exposed.

Suitable methods for covering include the use of a splice protector or tape. Always attach end caps to unmated connectors.

#### **14.2.2 Cleaning**

Use only methods approved by the operating organization for cleaning and preparing optical fibres and optical connectors. Cleaning is indispensable especially for high-power systems (e.g., over 1 W). If connector end-faces are not cleaned in such systems, undesirably high temperatures may be caused that can, in some cases, lead to the "fibre-fuse" phenomenon.

Before power is activated, ensure that the fibre ends are free of any contamination.

NOTE – Fibre-fuse phenomenon is characterized by very high temperatures in association with bright white light propagation down the fibre, which may cause dangerous situations in the system.

#### **14.2.3 Connector loss**

Connector loss may induce temperature increase, especially for high-power systems. Therefore, care should be taken in the choice of connectors for high-power systems. For example, in a system where optical launched power at the connector is 2 W, a loss of 0.25 dB means that there is about 0.1 W of optical power available to cause local heating. In an example connector using G.653 fibre this was found to cause a 5° C rise in temperature.

#### **14.2.4 Splice loss**

Splice loss may induce temperature increase, especially for high-power systems. The power available for heating in the case of splice loss is the same as that of connector loss. The heating effect caused by this depends on where the "lost" power is absorbed. In the case that it is all absorbed local to the splice (e.g., due to contamination), then considerable temperature rises could occur.

### **14.3 Ribbon fibres**

Ribbon fibre ends cleaved as a unit may exhibit a higher hazard level than that of a single fibre. Therefore, do not cleave ribbon fibres as an unseparated ribbon, or use ribbon splicers, unless authorized by the operating organization.

#### **14.4 Test cords**

When using optical test cords, the optical power source should be the last to be connected and the first to be disconnected.

#### **14.5 Fibre bends**

Excessive bending of the fibre can form a risk of both mechanical failure due to bending stress as well as a local heating point with high-power transmission. Local low-radius bends should be avoided.

#### **14.6 Board extenders**

Board extenders should not be used on optical transmitter or optical amplifier cards. Do not power optical sources when they are outside transmitter racks.

#### **14.7 Maintenance**

Follow only instructions approved by the operating organization for operating and maintaining the system being worked on.

#### **14.8 Test equipment**

Use test equipment of the lowest class necessary and practical for the task. Do not use test equipment of a higher class than the location hazard level.

#### **14.9 Modification**

Do not make any unauthorized modifications to any optical fibre communication system or associated equipment.

#### **14.10 Key control**

For equipment with key control, the keys should be placed under the control of a person appointed by management who should ensure their safe use, storage and overall control. Spare keys should be retained under strict control procedures by a nominated line manager.

#### **14.11 Labels**

Report damaged or missing optical safety labels to the operating organization line management.

#### **14.12 Signs**

Area warning signs are required for locations exceeding hazard level 1M. Area signs may be displayed in locations of lower classification.

#### **14.13 Alarms**

System alarms, especially those indicating that the APR or any other safety system is inoperable, should be responded to so that repair takes place within a specified time.

## Appendix I

### Pulse broadening due to chromatic dispersion

#### I.1 Purpose

This appendix relates to 9.2.1.1. It gives an expression for bit rate as limited by chromatic dispersion. It starts with a general published result that incorporates:

- the fibre first-order and second-order dispersion coefficients;
- the transmitter parameters of spectral width, chirp, and modulation bandwidth.

#### I.2 General published result

The starting general result is the paper of reference [24], from which equations are indicated by rectangular parentheses as [xx]. Other equations are indicated by round parentheses as (I-y). Some symbols have been changed for simplification and to avoid confusion with "standardized" symbols.

The most general form in the above paper gives the rms temporal width of the output pulse duration as a function of fibre length  $L$  to be:

$$\sigma(L) = \sigma_0 \left[ (1 + AC)^2 + A^2(1 + V^2) + E^2(1 + V^2 + C^2)^2 \right]^{\frac{1}{2}} \quad [26]$$

The dimensionless symbols are:

$$V = WT, \quad C = T\Delta\omega, \quad A = \frac{L \partial^2 \beta}{T^2 \partial \omega^2}, \quad E = \frac{L \partial^3 \beta}{2T^3 \partial \omega^3} \quad [21, 22]$$

where  $\beta$  is the propagation wavenumber. Also:

$$\sigma_0 = \frac{T}{\sqrt{2}} \quad [27]$$

is the rms duration of the input (back-to-back) pulse at  $L = 0$ , where the input pulse and the unchirped source spectrum are Gaussian with  $\frac{1}{e}$  halfwidths  $T$  (in time  $t$ ) and  $W$  (in circular frequency  $\omega$ ), respectively. (Note that  $T$  is not the time-slot width for a given bit rate.) The output pulse is in general non-Gaussian. The phase of the electric field of the chirped pulse is:

$$\omega_m + \Delta\omega \frac{t}{T} \quad [1]$$

where  $\omega_m$  is the source mean circular frequency and  $\Delta\omega$  is the frequency shift during the pulse.

#### I.3 Change of notation

Now, change to a more common standards notation and to rms widths.

The derivatives of the propagation wavenumber with respect to the circular frequency are:

$$\frac{\partial^2 \beta}{\partial \omega^2} = -\frac{\lambda_m^2}{2\pi c} D_m, \quad \frac{\partial^3 \beta}{\partial \omega^3} = \left( \frac{\lambda_m^2}{2\pi c} \right)^2 \left( S_m + \frac{2D_m}{\lambda_m} \right) \quad (I-1)$$

evaluated at  $\omega_m$ . Here  $D_m$  is the fibre dispersion coefficient and  $S_m$  is the fibre dispersion-slope coefficient ( $S = dD/d\lambda$ ), respectively, both evaluated at the source mean wavelength  $\lambda_m (= 2\pi c/\omega_m)$ . Convert the source spectral width to an rms source width in optical frequency  $\nu (= \omega/2\pi)$  so that:

$$\sigma_\nu = \frac{W}{2\pi\sqrt{2}} \quad (\text{I-2})$$

Similarly, the chirp of Equation [1] is:

$$2\pi \left( \nu_m + \frac{t\Delta\nu}{\sigma_0\sqrt{2}} \right) \quad (\text{I-3})$$

where  $\nu_m$  is the source mean optical frequency and  $\Delta\nu$  is the optical frequency shift during the pulse.

With the above notation, the terms in Equations [21, 22] become:

$$V = 4\pi\sigma_0\sigma_\nu, \quad C + 2\pi\sqrt{2}\sigma_0\Delta\nu, \quad A = -\frac{\lambda_m^2 D_m L}{4\pi c \sigma_0^2}, \quad E = \left( \frac{\lambda_m^2}{2\pi c} \right)^2 \left( \frac{S_m + \frac{2D_m}{\lambda_m}}{8\sigma_0^3\sqrt{2}} \right) L \quad (\text{I-4})$$

so that Equation [26] for the rms duration of the non-Gaussian output pulse becomes:

$$\sigma^2 = \left( \sigma_0 - \frac{\lambda_m^2 D_m L \Delta\nu}{c\sqrt{2}} \right)^2 + \left( \frac{\lambda_m^2 D_m L}{c} \right)^2 \left[ (4\pi\sigma_0)^{-2} + \sigma_\nu^2 \right] + \frac{L^2}{8} \left\{ \left( \frac{\lambda_m^2}{c} \right)^2 \left( S_m + \frac{2D_m}{\lambda_m} \right) \left[ (4\pi\sigma_0)^{-2} + \sigma_\nu^2 + \frac{1}{2}(\Delta\nu)^2 \right] \right\}^2 \quad (\text{I-5})$$

This is still the most general result, but in a more "familiar" notation. It incorporates dispersion, dispersion-slope, chirp, and the widths of the input pulse and source spectrum.

#### I.4 Simplification for a particular case

For present purposes, ignore the chirp and second-order dispersion. Then in Equation I-4 one has

$$C, E = 0 \quad (\text{I-6})$$

and for notational simplicity drop the subscript  $m$  for evaluation at the mean wavelength. Equation I-5 then reduces to:

$$\sigma^2(L) = \sigma_0^2 + \sigma_D^2(L) \quad (\text{I-7})$$

where the temporal broadening due to chromatic dispersion is:

$$\sigma_D = \frac{\lambda^2 DL}{c} \left[ \sigma_\nu^2 + (4\pi\sigma_0)^{-2} \right]^{\frac{1}{2}} = DL \left[ \sigma_\lambda^2 + \left( \frac{\lambda^2}{4\pi c \sigma_0} \right)^2 \right]^{\frac{1}{2}} \quad (\text{I-8})$$

where:

$$\sigma_\lambda = \frac{\lambda^2}{c} \sigma_\nu$$

This is written in both the frequency and wavelength representations, related by the source spectral rms width with respect to wavelength as:

$$\sigma_{\lambda} = \frac{\lambda^2}{c} \sigma_{\nu} \quad (\text{I-9})$$

Equation I-8 takes into account the bandwidths of *both* the pulse modulation and the source spectrum, which can be viewed in the frequency domain or in the wavelength domain. For example,  $(4\pi\sigma_0)^{-1}$  is effectively the optical frequency width of the input pulse.

Two limiting cases correspond to known results. If the source spectral width predominates, Equation I-8 yields the usual result:

$$\sigma_D \approx D L \sigma_{\lambda} \quad (\text{I-10})$$

(This result corresponds to Equation (2.4.24) of ref. [25].) In the limit of a very coherent source, Equation I-8 gives:

$$\sigma_D \approx \frac{\lambda^2 DL}{4\pi c \sigma_0} \quad (\text{I-11})$$

so the broadening increases as the input pulsewidth decreases. (This result corresponds to Equation (2.4.30) of ref. [25].)

### I.5 Pulse broadening related to bit rate

Consider unchirped pulses at a bit rate  $B$ . The reciprocal of this bit rate is its time-slot. For RZ, the input pulse has a duration that is a fraction  $f (<1)$  of the duration of an NRZ pulse; this fraction is called the duty cycle. As a special case, for NRZ one has  $f=1$ . The equation:

$$N \sigma_0 = \frac{f}{B} \quad (\text{I-12})$$

states that  $N$  times the rms value of the input pulse should fit within this time-slot, reduced by the duty cycle. The value of the dimensionless shape-factor  $N$  depends on the type of input pulse as will be discussed later. With Equation I-12 the pulse broadening of Equation I-8 is then:

$$\sigma_D = \frac{\lambda^2 DL}{c} \left[ \sigma_{\nu}^2 + \left( \frac{N B}{4\pi f} \right)^2 \right]^{\frac{1}{2}} \quad (\text{I-13})$$

We will work in terms of optical frequency, rather than wavelength. This shows the effective frequency width as the rms sum of the spectral width and the width due to the bit rate, and the broadening increases as both of these increase.

As stated in ITU-T Rec. G.957, for a particular value of power penalty and bit error ratio (BER) at the receiver, there is an upper limit to the allowed intersymbol interference (ISI). It occurs when the maximum broadening equals some time-slot fraction  $\epsilon (<1)$  of the time-slot of the NRZ bit rate, i.e.:

$$(\sigma_D)_{\max} = \frac{\epsilon}{B} \quad (\text{I-14})$$

This fraction is called the epsilon value. Then Equations I-13 and I-14 yield:

$$\left( \frac{N B}{4\pi f} \right)^2 + \sigma_{\nu}^2 = \left( \frac{\epsilon c}{\lambda^2 B D L} \right)^2 \quad (\text{I-15})$$

a general result that includes source and modulation bandwidths (but without chirp or second-order dispersion), for any assumed values of the shape-factor  $N$  and the time-slot fraction  $\epsilon$ .

### I.6 Value of the shape factor

As discussed in conjunction with Equation I-12, the NRZ pulse duration is  $\frac{1}{B}$ ; we assume  $N = 4$  which means that twice the full-width rms of the input pulse must fit into the allowed pulse duration [25]. (Examples:  $N = 3.46$  would contain all the power of an NRZ rectangular pulse, while  $N = 4$  contains 95.4% of a Gaussian pulse.)

Now Equation I-15 can be solved for the system chromatic dispersion as:

$$DL = \frac{\epsilon c}{\lambda^2 B \sqrt{\left(\frac{B}{\pi f}\right)^2 + \sigma_v^2}} \quad (\text{I-16})$$

The allowed chromatic dispersion decreases as the duty cycle decreases since the signal bandwidth is increasing at the same time. For the limiting case of a broad spectrum/low bit rate transmitter, Equation I-15 or I-16 gives:

$$D L B \lambda^2 \sigma_v \approx c \epsilon \quad \text{or} \quad D L B \sigma_\lambda \approx \epsilon \quad (\text{I-17})$$

The duty cycle has no effect when the source spectrum dominates. The right-hand expression was used in ITU-T Rec. G.957. For the limiting case of a narrow spectrum/high bit rate transmitter, Equation I-15 or I-16 gives:

$$D L B^2 \lambda^2 \approx \pi c \epsilon f \quad (\text{I-18})$$

Hence, the maximum allowed chromatic dispersion for a fixed RZ bit rate decreases along with the duty cycle. Again, this is because the frequency bandwidth of an RZ signal is greater than that of an NRZ signal at the same bit rate.

The above equations are for input pulses and source spectra that are Gaussian. We will assume that they apply in an rms sense to more general shapes to within a reasonable approximation.

### I.7 General result and practical units

Now Equations I-16 and I-9 give, in general:

$$DL = \frac{\epsilon c}{\lambda^2 B \sqrt{\left(\frac{B}{\pi f}\right)^2 + \sigma_v^2}} \quad (\text{I-19})$$

broad spectrum/low bit rate:

$$\lambda^2 B D L \sigma_v \approx \epsilon c \quad \text{or} \quad B D L \sigma_\lambda \approx \epsilon \quad (\text{I-20})$$

narrow spectrum/high bit rate:

$$\lambda^2 B^2 D L \approx \pi \epsilon c f \quad (\text{I-21})$$

Usually the  $-20$ -dB full-width  $\Gamma$  is used in specifications. The Gaussian approximation used in ITU-T Rec. G.957 gives the relation with the rms width:

$$\Gamma \approx 6.0697 \sigma \quad (\text{I-22})$$



Also, with  $B$  in Gbits/s,  $D$  in ps/nm·km,  $L$  in km (hence  $DL$  in ps/nm),  $\lambda$  in  $\mu\text{m}$  (not nm),  $\sigma_v$  in GHz,  $\sigma_\lambda$  in nm, and  $c \approx 299,792.458$  km/s (as per ITU-T Rec. G.692), Equation I-19 becomes Equation 9-1 in 9.2.1.1. The frequency and source widths of Equation I-9 are related by Equation 9-2.

For the limiting case of a broad spectrum/low bit rate, Equations I-20 and I-22 give Equation 9-3. For the opposite limit of a narrow spectrum/high bit rate, Equation I-21 becomes Equation 9-4.

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