# ITU-T 

## Z. 100

TELECOMMUNICATION
Annex F. 3
STANDARDIZATION SECTOR OF ITU

## SERIES Z: PROGRAMMING LANGUAGES

Formal description techniques (FDT) - Specification and Description Language (SDL)

## Specification and Description Language (SDL) - SDL formal definition: Dynamic semantics

## ITU-T Recommendation Z. 100 - Annex F. 3

(Previously CCITT Recommendation)

## ITU-T Z-SERIES RECOMMENDATIONS

## PROGRAMMING LANGUAGES

| FORMAL DESCRIPTION TECHNIQUES (FDT) |
| :--- |
| Specification and Description Language (SDL) |
| Application of Formal Description Techniques |
| Message Sequence Chart |
| PROGRAMMING LANGUAGES |
| CHILL: The ITU-T high level language |
| MAN-MACHINE LANGUAGE |
| General principles |
| Basic syntax and dialogue procedures |
| Extended MML for visual display terminals |
| Specification of the man-machine interface |
| QUALITY OF TELECOMMUNICATION SOFTWARE |
| METHODS FOR VALIDATION AND TESTING |

For further details, please refer to ITU-T List of Recommendations.

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Series B Means of expression: definitions, symbols, classification
Series C General telecommunication statistics
Series D General tariff principles
Series E Overall network operation, telephone service, service operation and human factors
Series F Non-telephone telecommunication services
Series G Transmission systems and media, digital systems and networks
Series H Audiovisual and multimedia systems
Series I Integrated services digital network
Series J Transmission of television, sound programme and other multimedia signals
Series K Protection against interference
Series L Construction, installation and protection of cables and other elements of outside plant
Series M TMN and network maintenance: international transmission systems, telephone circuits, telegraphy, facsimile and leased circuits

Series N Maintenance: international sound programme and television transmission circuits
Series O Specifications of measuring equipment
Series P Telephone transmission quality, telephone installations, local line networks
Series Q Switching and signalling
Series R Telegraph transmission
Series S Telegraph services terminal equipment
Series T Terminals for telematic services
Series U Telegraph switching
Series V Data communication over the telephone network
Series X Data networks and open system communications
Series Y Global information infrastructure
Series Z Programming languages


## FOREWORD

The ITU Telecommunication Standardization Sector (ITU-T) is a permanent organ of the International Telecommunication Union. The ITU-T is responsible for studying technical, operating and tariff questions and issuing Recommendations on them with a view to standardizing telecommunications on a worldwide basis.

The World Telecommunication Standardization Conference (WTSC), which meets every four years, established the topics for study by the ITU-T Study Groups which, in their turn, produce Recommendations on these topics.

ITU-T Recommendation Z. 100 - Annex F. 3 was revised by the ITU-T Study Group X (1988-1993) and was approved by the WTSC (Helsinki, March 1-12, 1993).

## NOTES

1 As a consequence of a reform process within the International Telecommunication Union (ITU), the CCITT ceased to exist as of 28 February 1993. In its place, the ITU Telecommunication Standardization Sector (ITU-T) was created as of 1 March 1993. Similarly, in this reform process, the CCIR and the IFRB have been replaced by the Radiocommunication Sector.

In order not to delay publication of this Recommendation, no change has been made in the text to references containing the acronyms "CCITT, CCIR or IFRB" or their associated entities such as Plenary Assembly, Secretariat, etc. Future editions of this Recommendation will contain the proper terminology related to the new ITU structure.

2 In this Recommendation, the expression "Administration" is used for conciseness to indicate both a telecommunication administration and a recognized operating agency.

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## Recommendation Z. 100 - Annex F. 3

## SPECIFICATION AND DESCRIPTION LANGUAGE (SDL) SDL FORMAL DEFINITION: DYNAMIC SEMANTICS

(Melbourne, 1988; revised at Helsinki, 1993)


FIGURE 1/Z. 100
Overall Structure of Interpretation Model

## Introduction

This part of the Formal Definition defines the dynamic properties of SDL. For a description of the overall structure of the Formal Definition and for an explanation of the notation used, refer to Annex F.1: Introduction to the Formal Definition.

An SDL system is interpreted by a number of concurrent meta-processes. The communication between these is synchronous, CSP-like communication. The lines in figures 1 and 2 indicate communication by means of CSP-output.

## Overall Interpretation Model

Figure 1 shows the overall structure of the interpretation model. The system-process is the "entry point" for interpretation of an SDL system and takes care of creating instances of the other processes: one instance of the view- and timer-process, one instance of the path-process for each distinct delaying path by which an SDL signal may be transported, and one instance of the process-set-admin-process (shown in the next figure) for each process instance set in the SDL system. The process-set-admin-process manages a couple of (meta-)processes which is shown as sdlprocessset in figure 1 and detailed in figure 2.

The processes are:
system Which handles the signal routing between SDL process instance sets and the generation of unique Pid values.

There is one living instance of system during the whole life time of the SDL system.
path Which handles the nondeterministic delay of channels. Note that all potential delays from the
channels traversed by one signal instance have been added into one delay in an instance of path.
There is one living instance of path for each (non-empty) sequence of delaying channel paths which
connects two leaf blocks (in the selected consistent subset) or one leaf block and the system
environment. The meta-process instances are living during the whole life time of the SDL system.
Which keeps track of all revealed variables. Each time an SDL process updates a revealed variable, it
sends the new value to view. When a process is using the view expression, it will request the current
value from view.
view $\quad$ There is one living instance of view during the whole life time of the SDL system.
Which keeps track of the current time. When an SDL process is using the now expression it will
request timer for the time value.
It is assumed that the environment in regular intervals sends a clock signal to the timer. This
mechanism is sketched as the tick-process. It must be noted that the informal model of the tick-
process does not form part of the dynamic semantics, it is only included for explanatory reasons.
There is one living instance of timer during the whole life time of the SDL system.

## Interpretation Model for SDL Process Instance Set

Figure 2 shows the interpretation model for an SDL process instance set. The meta-process process-set-admin is the "entry point" for interpretation of an SDL process instance set and takes of creating one instance of the input-port- and sdl-process-processes whenever a new SDL process instance is to be created. If the SDL process is decomposed into services, the sdl-process-process creates one sdl-service-process for each service.

The processes are:
process-set-admin Which handles all ingoing SDL signals and create requests and manages the other meta-processes needed to interpret an SDL process instance set. A create request results in one instance of input-port and one instance of sdl-process unless this would lead to violation of the maximum number of SDL process instances. An ingoing signal is either directed to some input-port instance or discarded, depending on the receiver information conveyed with the signal and the current set of living SDL process instances.

There is one living instance of process-set-admin for each SDL process instance set. These metaprocess instances are living during the whole life time of the SDL system.
input-port Which handles the queueing of signals in an SDL-process. Signals are always received by an sdl-process in its input-port. The input-port also takes care of timer handling.

At any point of time there is one living instance of input-port for each living SDL process instance.
sdl-process Which interprets the behaviour of an SDL process.
If the SDL process is not decomposed into services this implies interpretation of its process graph, and in this case sdl-service and its associated arrows in the figure do not apply.

If the SDL process is decomposed into services, sdl-process creates one instance of sdl-service for each SDL service. The sdl-process then coordinates the execution of the services such that all service start transitions are executed before any input and spontaneous transitions of the services, and such


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FIGURE 2/Z. 100
Structure of Interpretation Model for SDL Process Instance Set
that no two service transitions are executed at the same time. All communication between sdl-service on one side and process-set-admin and input-port on the other goes through sdl-process which in several cases simply acts as a relay for this communication. This scheme has been chosen in order to make the interpretation functions for behaviour graph nodes as independent as possible of whether they occur in a process or service graph.
At any point of time there is one living instance of sdl-process for each living SDL process instance.
Which interprets the behaviour of an SDL service.
At any point of time there is one living instance of sdl-service for each living SDL service instance.

## 1 SDL Abstract Syntax Summary

This section contains a summary of the abstract syntax $\left(\mathrm{AS}_{1}\right)$ domains for SDL as defined in Z .100 . No further comments are attached to these domain definitions here.

### 1.1 Basic SDL

## Visibility rules, names and identifiers

| 1 | Identifier $_{1}$ | :: Qualifier ${ }_{1}$ Name $_{1}$ |
| :---: | :---: | :---: |
| 2 | Qualifier ${ }_{1}$ | $=$ Path-item ${ }_{1}+$ |
| 3 | Path-item ${ }_{1}$ | $=$ System-qualifier $_{1} \mid$ |
|  |  | Block-qualifier ${ }_{1}$ \| |
|  |  | Block-substructure-qualifier ${ }_{1} \mid$ |
|  |  | Process-qualifier ${ }_{1}$ \| |
|  |  | Service-qualifier ${ }_{1}$ |
|  |  | Procedure-qualifier $_{1} \mid$ |
|  |  | Signal-qualifier ${ }_{1}$ |
|  |  | Sort-qualifier ${ }_{1}$ |
| 4 | System-qualifier ${ }_{1}$ | :: System-name ${ }_{1}$ |
| 5 | Block-qualifier ${ }_{1}$ | :: Block-name ${ }_{1}$ |
| 6 | Block-substructure-qualifier $_{1}$ | :: Block-substructure-name ${ }_{1}$ |
| 7 | Process-qualifier $_{1}$ | :: Process-name ${ }_{1}$ |
| 8 | Service-qualifier ${ }_{1}$ | :: Service-name ${ }_{1}$ |
| 9 | Procedure-qualifier $_{1}$ | :: Procedure-name ${ }_{1}$ |
| 10 | Signal-qualifier ${ }_{1}$ | :: Signal-name ${ }_{1}$ |
| 11 | Sort-qualifier ${ }_{1}$ | :: Sort-name ${ }_{1}$ |
| 12 | Name ${ }_{1}$ | :: Token |

## Informal text

## System

## 14 System-definition 1

$15 \quad$ System-name ${ }_{1}$

## Block

## 16 <br> Block-definition

Block-name 1
: System-name ${ }_{1}$
Block-definition $1_{1}$-set
Channel-definition $1_{1}$-set
Signal-definition $1_{1}$-set
Data-type-definition 1
Syn-type-definition $1_{1}$-set
$=$ Name $_{1}$
:: Block-name ${ }_{1}$
Process-definition ${ }_{1}$-set
Signal-definition $1_{1}$-set
Channel-to-route-connection $1_{1}$-set
Signal-route-definition ${ }_{1}$-set
Data-type-definition ${ }_{1}$ Syn-type-definition $1_{1}$-set [Block-substructure-definition ${ }_{1}$ ]
$=$ Name $_{1}$

## Process

Number-of-instances ${ }_{1}$
Process-name ${ }_{1}$
Process-graph ${ }_{1}$
Process-formal-parameter $_{1}$
Service-decomposition $_{1}$
:: Process-name ${ }_{1}$
Number-of-instances ${ }_{1}$
Process-formal-parameter ${ }_{1}{ }^{*}$
Procedure-definition ${ }_{1}$-set
Signal-definition ${ }_{1}$-set
Data-type-definition ${ }_{1}$
Syn-type-definition $1_{1}$-set
Variable-definition $1_{1}$-set
View-definition $1_{1}$-set
Timer-definition ${ }_{1}$-set
(Process-graph ${ }_{1} \mid$ Service-decomposition ${ }_{1}$ )
:: Intg [Intg]
$=$ Name $_{1}$
:: Process-start-node ${ }_{1}$
State-node $1_{1}$-set
:: Variable-name ${ }_{1}$ Sort-reference-identifier ${ }_{1}$
:: Service-definition ${ }_{1}$-set
Signal-route-definition $1_{1}$-set
Signal-route-to-route-connection ${ }_{1}$-set

## Service

## Procedure

Service-name ${ }_{1}$
Service-graph ${ }_{1}$

Inout-parameter $_{1}$
Procedure-graph ${ }_{1}$
:: Service-name 1
Procedure-definition $_{1}$-set
Data-type-definition ${ }_{1}$
Syn-type-definition $1_{1}$-set
Variable-definition ${ }_{1}$-set
View-definition $1_{1}$-set
Timer-definition $1_{1}$-set
Service-graph 1
$=$ Name $_{1}$
:: Service-start-node ${ }_{1}$
State-node $1_{1}$-set
:: Transition 1
:: Procedure-name ${ }_{1}$
Procedure-formal-parameter ${ }_{1}$ *
Procedure-definition $1_{1}$-set
Data-type-definition ${ }_{1}$
Syn-type-definition $1_{1}$-set
Variable-definition $1_{1}$-set
Procedure-graph ${ }_{1}$
Procedure-name ${ }_{1}$
Procedure-formal-parameter ${ }_{1}$
In-parameter $_{1}$
$=$ Name $_{1}$
$=$ In-parameter ${ }_{1}$
Inout-parameter ${ }_{1}$
:: Variable-name ${ }_{1}$ Sort-reference-identifier ${ }_{1}$
:: Variable-name ${ }_{1}$ Sort-reference-identifier ${ }_{1}$
:: Procedure-start-node ${ }_{1}$ State-node ${ }_{1}$-set

Channel
:: Channel-name ${ }_{1}$ [NODELAY] Channel-path [Channel-path ${ }_{1}$ ]
:: Originating-block Destination-block ${ }_{1}$ Signal-identifier $_{1}$-set
$=$ Block-identifier $_{1} \mid$
ENVIRONMENT
$=$ Block-identifier $_{1} \mid$
ENVIRONMENT
$=$ Identifier $_{1}$
$=$ Identifier $_{1}$
$=$ Name $_{1}$
:: Signal-route-name ${ }_{1}$
Signal-route-path ${ }_{1}$ [Signal-route-path ${ }_{1}$ ]
:: Origin 1
Destination 1 Signal-identifier ${ }_{1}$-set
$=$ Process-identifier $_{1}$ Service-identifier ${ }_{1} \mid$ ENVIRONMENT
$=$ Process-identifier $_{1} \mid$ Service-identifier ${ }_{1} \mid$ ENVIRONMENT
Signal-route-name ${ }_{1}$
Process-identifier ${ }_{1}$
$=$ Name $_{1}$
$=$ Identifier $_{1}$
Service-identifier ${ }_{1}$
$=$ Identifier $_{1}$

## Connection

| 49 | Channel-to-route-connection $_{1}$ | :: Channel-identifier ${ }_{1}$-set <br> Signal-route-identifier ${ }_{1}$-set |
| :---: | :---: | :---: |
| 50 | Signal-route-identifier ${ }_{1}$ | $=$ Identifier $_{1}$ |
| 51 | Signal-route-to-route-connection ${ }_{1}$ | :: External-signal-route-ident Signal-route-identifier ${ }_{1}$-set |
| 52 | External-signal-route-identifier ${ }_{1}$ | $=$ Identifier $_{1}$ |
| Signal |  |  |
| 53 | Signal-definition $_{1}$ | :: Signal-name 1 Sort-reference-identifier ${ }_{1}$ * [Signal-refinement ${ }_{1}$ ] |
| 54 | Signal-name ${ }_{1}$ | $=$ Name $_{1}$ |

## Variable definition

| 55 | Variable-definition ${ }_{1}$ | :: Variable-name ${ }_{1}$ Sort-reference-identifier ${ }_{1}$ [Ground-expression ${ }_{1}$ ] [REVEALED] |
| :---: | :---: | :---: |
| 56 | Variable-name ${ }_{1}$ | $=$ Name $_{1}$ |

## View definition

| 57 | View-definition ${ }_{1}$ | :: View-name ${ }_{1}$ <br> Sort-reference-identifier ${ }_{1}$ |
| :---: | :---: | :---: |
| 58 | View-name ${ }_{1}$ | $=$ Name $_{1}$ |
| Start |  |  |
| 59 | Process-start-node ${ }_{1}$ | :: Transition ${ }_{1}$ |
| State |  |  |
| 60 | State-node ${ }_{1}$ | :: State-name 1 <br> Save-signalset ${ }_{1}$ Input-node $1_{1}$-set <br> Spontaneous-transition $_{1}$-set |
| 61 | State-name ${ }_{1}$ | $=$ Name $_{1}$ |

## Input

62

Input-node $_{1}$

63 Variable-identifier ${ }_{1}$
Save
64 Save-signalset ${ }_{1}$

## Spontaneous transition

65 Spontaneous-transition ${ }_{1}$
:: Transition $1_{1}$

## Transition

$66 \quad$ Transition $\left._{1} \quad$| $::$ | Graph-node <br> 1$*$ |
| :--- | :--- |
| (Terminato ${ }_{1} \mid$ |  | \right\rvert\, Decision-node $_{1}$ )

Reset-node 1

| 68 | Terminator ${ }_{1}$ | $\begin{aligned} = & \text { Nextstate-node } e_{1} \\ & \text { Stop-node }_{1} \mid \\ & \text { Return-node } e_{1} \end{aligned}$ |
| :---: | :---: | :---: |
| 69 | Nextstate-node ${ }_{1}$ | :: State-name ${ }_{1}$ |
| 70 | Stop-node ${ }_{1}$ | :: () |
| 71 | Return-node ${ }_{1}$ |  |

## Task

:: Assignment-statement ${ }_{1} \mid$
Informal-text ${ }_{1}$

## Create

Create-request-node ${ }_{1}$

## Procedure call

74 Call-node

## Output

Output-node $_{1}$
Signal-destination $_{1}$
Direct-via $_{1}$

## Decision

Decision-question
Decision-answer $_{1}$
Else-answer ${ }_{1}$
Timer

| 83 | Timer-definition |
| :--- | :--- |
|  |  |
| 84 | Timer-name $_{1}$ |
| 85 | Set-node $_{1}$ |

Call-node ${ }_{1}$

Output-node $1_{1}$

Decision-node ${ }_{1}$

Set-node 1
:: Procedure-identifier ${ }_{1}$
[Expression ${ }_{1}$ *
$=$ Identifier $_{1}$
:: Process-identifier ${ }_{1}$ [Expression ${ }_{1}$ *
:: Signal-identifier ${ }_{1}$
[Expression ${ }_{1}$ *
[Signal-destination ${ }_{1}$ ]
Direct-via ${ }_{1}$
$=$ Expression $_{1} \mid$ Process-identifier $_{1}$
$=\left(\right.$ Signal-route-identifier $_{1} \mid$ Channel-identifier $\left._{1}\right)$-set
:: Decision-question 1 Decision-answer ${ }_{1}$-set [Else-answer ${ }_{1}$ ]
$=$ Expression $_{1} \mid$ Informal-text ${ }_{1}$
$::$ (Range-condition ${ }_{1} \mid$ Informal-text $_{1}$ ) Transition $_{1}$
:: Transition 1
:: Timer-name ${ }_{1}$
Sort-reference-identifier ${ }_{1}$ *
$=$ Name $_{1}$
:: Time-expression 1
Timer-identifier ${ }_{1}$ Expression ${ }_{1}$ *
:: Timer-identifier ${ }_{1}$
Timer-identifier ${ }_{1}$ Expression ${ }^{*}$

### 1.2 Structural Decomposition Concepts in SDL

## Block partitioning

1 Block-substructure-definition ${ }_{1}$

Block-substructure-name ${ }_{1}$ Sub-block-definition ${ }_{1}$
Channel-connection ${ }_{1}$
Sub-channel-identifier ${ }_{1}$
Channel-identifier ${ }_{1}$

## Refinement

:: Block-substructure-name ${ }_{1}$
Sub-block-definition ${ }_{1}$-set
Channel-connection $1_{1}$-set
Channel-definition ${ }_{1}$-set
Signal-definition $1_{1}$-set
Data-type-definition 1
Syn-type-definition $1_{1}$-set
$=$ Name $_{1}$
$=$ Block-definition $_{1}$
:: Channel-identifier ${ }_{1}$-set Sub-channel-identifier ${ }_{1}$-set
$=$ Channel-identifier $_{1}$
$=$ Identifier $_{1}$
$7 \quad$ Signal-refinement ${ }_{1}$
$8 \quad$ Subsignal-definition $_{1}$
:: Subsignal-definition $1_{1}$-set
:: [REVERSE] Signal-definition ${ }_{1}$

### 1.3 Data in SDL

## Data type definitions

| 1 | Data-type-definition $_{1}$ | $::$ |
| :--- | :--- | :--- |
|  |  | Sorts $_{1}$ |
|  | Signature $_{1}$-set |  |
|  | Equation $_{1}$ |  |
| 2 | Sorts $_{1}$ | $=$ Sort-name $_{1}$-set |
| 3 | Sort-name $_{1}$ | $=$ Name $_{1}$ |
| 4 | Equations $_{1}$ | $=$ Equation $_{1}$-set |

## Literals and parameterised operators

| 5 | Signature $_{1}$ | $\begin{aligned} = & \text { Literal-signature }_{1} \mid \\ & \text { Operator-signature }_{1} \end{aligned}$ |
| :---: | :---: | :---: |
| 6 | Literal-signature ${ }_{1}$ | :: Literal-operator-name ${ }_{1}$ Result 1 |
| 7 | Operator-signature ${ }_{1}$ | :: Operator-name 1 <br> Argument-list $_{1}$ <br> Result ${ }_{1}$ |
| 8 | Argument-list $_{1}$ | $=$ Sort-reference-identifier ${ }_{1}+$ |
| 9 | Result $_{1}$ | $=$ Sort-reference-identifier $_{1}$ |
| 10 | Sort-reference-identifier ${ }_{1}$ | $=\begin{aligned} & \text { Sort-identifier }_{1} \mid \\ & \text { Syntype-identifier }_{1} \end{aligned}$ |
| 11 | Literal-operator-name ${ }_{1}$ | $=$ Name $_{1}$ |
| 12 | Operator-name ${ }_{1}$ | $=$ Name $_{1}$ |
| 13 | Sort-identifier ${ }_{1}$ | $=$ Identifier $_{1}$ |
| Axioms |  |  |
| 14 | Equation $_{1}$ | $=$ Unquantified-equation $_{1} \mid$ <br> Quantified-equations ${ }_{1}$ \| <br> Conditional-equation $_{1} \mid$ <br> Informal-text $_{1}$ |
| 15 | Unquantified-equation $_{1}$ | $\begin{aligned} : & \text { Term }_{1} \\ & \text { Term }_{1} \end{aligned}$ |
| 16 | Quantified-equations ${ }_{1}$ | :: Value-name ${ }_{1}$-set Sort-identifier ${ }_{1}$ Equations 1 |
| 17 | Value-name $_{1}$ | $=$ Name $_{1}$ |
| 18 | Term ${ }_{1}$ | $\begin{aligned} = & \text { Ground-term }_{1} \mid \\ & \text { Composite-term }_{1} \mid \\ & \text { Error-term } \end{aligned}$ |
| 19 | Composite-term ${ }_{1}$ | :: Value-identifier ${ }_{1} \mid$ <br> Operator-identifier Term $_{1}+\mid$ <br> Conditional-composite-term 1 |
| 20 | Value-identifier $_{1}$ | $=$ Identifier $_{1}$ |
| 21 | Operator-identifier ${ }_{1}$ | $=$ Identifier $_{1}$ |
| 22 | Ground-term ${ }_{1}$ | :: Literal-operator-identifier ${ }_{1} \mid$ <br> Operator-identifier $_{1}$ Ground-term $_{1}+$ Conditional-ground-term ${ }_{1}$ |
| 23 | Literal-operator-identifier ${ }_{1}$ | $=$ Identifier $_{1}$ |

## Conditional equations

| 24 | Conditional-equation $_{1}$ | $::$Restriction <br> 1 -set |
| :--- | :--- | :--- |
|  |  | Restricted-equation $_{1}$ |
| 25 | Restriction $_{1}$ | $=$ Unquantified-equation $_{1}$ |
| 26 | Restricted-equation $_{1}$ | $=$ Unquantified-equation $_{1}$ |

## Conditional terms

| 27 | Conditional-composite-term $_{1}$ | $=$ |
| :--- | :--- | :--- |
| 28 | Conditional-ground-term $_{1}$ | $=$ Conditional-term $_{1}$ |
| 29 | Conditional-term $_{1}$ | $::$ Conditional-term $_{1}$ |
|  |  | Consequence $_{1}$ |
|  |  | Alternative $_{1}$ |
| 30 | Condition $_{1}$ | $=$ Term $_{1}$ |
| 31 | Consequence $_{1}$ | $=$ Term $_{1}$ |
| 32 | Alternative $_{1}$ | $=$ Term $_{1}$ |

## Errors

33 Error-term ${ }_{1} \quad::$ ()

## Syntypes

| 34 | Syntype-identifier |
| :--- | :--- |
| 1 |  |
|  | Syn-type-definition |

36 Syntype-name ${ }_{1}$
37 Parent-sort-identifier ${ }_{1}$
38 Range-condition 1
39 Condition-item 1
40 Open-range ${ }_{1}$
$41 \quad$ Closed-range 1

Or-operator-identifier ${ }_{1}$
And-operator-identifier ${ }_{1}$

## Expressions

44 Expression $_{1}$
$=$ Ground-expression $_{1} \mid$
Active-expression ${ }_{1}$

## Ground expressions

45
Ground-expression $_{1}$
:: Ground-term 1

## Active expressions

$46 \quad$ Active-expression $_{1} \quad=$|  | Variable-access $_{1} \mid$ |
| :--- | :--- |
|  | Conditional-expression $_{1} \mid$ |
|  | Operator-application $_{1} \mid$ |
|  | Imperative-operator $_{1} \mid$ |
|  | Error-term $_{1}$ |

## Variable access

47 Variable-access

## Conditional expression

48
Conditional-expression $_{1}$

Boolean-expression 1
Consequence-expression $_{1}$
Alternative-expression ${ }_{1}$
Operator application

## 52

Operator-application $_{1}$

## Assignment statement

## 53 Assignment-statement

## Imperative operators

$54 \quad$ Imperative-operator $_{1}$

## Now expression

PId expression
Pid-expression}
Self-expression

```

Pid-expression \(_{1}\)

Self-expression \(_{1}\)
```

```
55 Now-expression}
```

```
55 Now-expression}
:: ()
```

```
55 Now-expression 1
\(=\) Self-expression \({ }_{1}\) Parent-expression \({ }_{1} \mid\) Offspring-expression \({ }_{1}\) Sender-expression \({ }_{1}\)
\(=\) Variable-identifier \(_{1}\)
:: Boolean-expression 1 Consequence-expression \({ }_{1}\) Alternative-expression 1
= Expression 1
\(=\) Expression \(_{1}\)
= Expression \(_{1}\)
:: Operator-identifier \({ }_{1}\)
Expression \(_{1}+\)
:: Variable-identifier \({ }_{1}\) Expression \(_{1}\)
\(=\) Now-expression \(_{1} \mid\)
Pid-expression \(_{1} \mid\)
View-expression \(_{1} \mid\)
Timer-active-expression \({ }_{1} \mid\)
Anyvalue-expression \({ }_{1}\)
\begin{tabular}{lll}
58 & Parent-expression \(_{1}\) & \(:: ~()\) \\
59 & Offspring-expression \(_{1}\) & \(:: ~()\) \\
60 & Sender-expression \(_{1}\) & \(:: \quad()\)
\end{tabular}

View expression
61 View-expression 1
62 View-identifier \({ }_{1}\)

Timer active expression
63 Timer-active-expression \({ }_{1}\)
:: Timer-identifier \({ }_{1}\)
Expression \(_{1}{ }^{*}\)

\section*{Anyvalue expression}

64 Anyvalue-expression \({ }_{1}::\) Sort-reference-identifier \(_{1}\)

\section*{2 Domains for the Meta-Process Communication}

\subsection*{2.1 SDL Process Creation and Stopping}

This section defines the communication domains used when creating and stopping SDL process instances. This includes the creation and stopping of instances in the environment of the SDL system.
\begin{tabular}{ll} 
Create-Instance-Request & \(::\) Process-identifier \({ }_{1}\) Value-List Parent-Value \\
Parent-Value & \(=\) Pid-Value \\
Create-Instance-Request 1 & \(::\) Value-List Parent-Value Offspring-Value \\
Offspring-Value & \(=\) Pid-Value \\
Body-Created & \(::\) II(sdl-process) \\
Inport-Created & \(::\) II(input-port) \\
Instance-Created & \(::\) Exceed \\
Create-Instance-Answer 1 & \(=\) Bool \\
Exceed & \(::\) Offspring-Value \\
Create-Instance-Answer &
\end{tabular}

The domains above are used when an SDL process or service instance executes a create request node. The interpreting sdl-process or sdl-service outputs Create-Instance-Request to system which, when having performed the necessary communication with other meta-processes, responds by outputting Create-Instance-Answer to the sdl-process/sdlservice. The data carried by Create-Instance-Request are the identifier of the SDL process of which an instance is to be started, the list of actual parameters, and the Pid value of the SDL process instance performing the create request. The data carried by Create-Instance-Answer is the Pid value of the created SDL process instance (which is Null if a new instance could not be created due to maximum number of instances).

When system receives a Create-Instance-Request, it outputs Create-Instance-Request \({ }_{1}\) to the process-set-admin corresponding to the Process-identifier \({ }_{1}\). When having performed the necessary actions, the process-set-admin respond by outputting Create-Instance-Answer \({ }_{1}\) to system. The data carried by Create-Instance-Request \({ }_{1}\) is the list of actual parameters, the Pid value of the creating SDL process, and the Pid value of the new SDL process. The data carried by Create-Instance-Answer \({ }_{1}\) is a Boolean value indicating whether or not a new SDL process could be created without violating the maximum number of instances of the corresponding SDL process set.

When a process-set-admin receives a Create-Instance-Request \({ }_{1}\), it creates an input-port and an sdl-process (unless this would lead to violation of the maximum number of instances). Immediately after creation of these two meta-processes, the process-set-admin outputs Body-Created to the input-port, and Inport-Created to the sdl-process. The data carried by Body-Created and Inport-Created are the meta-pid (II) values of the sdl-process instance resp. the input-port instance such that these two meta-process instances can address communication to each other.

When the sdl-process has performed its necessary setup, it outputs Instance-Created to the process-set-admin.
If the created SDL process is decomposed into services, the interpreting sdl-process creates one sdl-service instance for each SDL service. Each individual sdl-service outputs Instance-Created to the sdl-process when having performed the necessary setup.
\begin{tabular}{lll}
11 & Stop-Instance & \(::()\) \\
12 & Stop-Input-Port & \(::()\)
\end{tabular}

The domains above are used when an SDL process or service instance executes a stop node. If the SDL process is not decomposed into services, the interpreting sdl-process outputs Stop-Instance to its managing process-set-admin when interpreting a stop node. When having input Stop-Instance the process-set-admin outputs Stop-Input-Port to the
corresponding input-port.
If the SDL process is decomposed into services, then when an sdl-service interprets a stop node, it outputs Stop-Instance to the managing sdl-process. When the last service instance has stopped, the sdl-process outputs Stop-Instance to its process-set-admin.
13 Environment-admin :: II(process-set-admin)
14 Create-Pid :: ()
15 Pid-Created :: Pid-Value
Since as few assumptions as possible should be made about the environment, a special scheme for creation of instances in the environment has been defined. It is considerably simpler than the scheme for creation of processes within the system. It is assumed that all SDL process instances in the environment are managed by the same process-set-admin instance in the environment, and that the meta-pid (II) value of this is communicated to system carried by Environmentadmin during system start up.

When an SDL process instance is to be created in the environment, the environment outputs Create-Pid to system. The system responds by outputting a new, unique SDL Pid value to the environment carried by Pid-Created.

The main purpose of this scheme is to justify the administration within the system of Pid values in the environment.

\subsection*{2.2 SDL Signal Communication}

This section defines the communication domains used for handling of SDL signal communication.
\begin{tabular}{|c|c|c|}
\hline 1 & Send-Signal & :: Signal-identifier \({ }_{1}\) Value-List Sender-Id Sender-Value [Receiver] Direct-via \(a_{1}\) \\
\hline 2 & Sender-Id & \(=\) ENVIRONMENT \(\mid\) Process-identifier \({ }_{1} \mid\) Service-identifier \(_{1}\) \\
\hline 3 & Sender-Value & = Pid-Value \\
\hline 4 & Receiver & \(=\) Receiver-Value \(\mid\) Process-identifier \({ }_{1}\) \\
\hline 5 & Receiver-Value & \(=\) Pid-Value \\
\hline 6 & Queue-Signal & \begin{tabular}{l}
:: Signal-identifier \({ }_{1}\) Value-List \\
Sender-Value II (process-set-admin) [Receiver-Value]
\end{tabular} \\
\hline 7 & Signal-Delivered & :: Signal-identifier \(r_{1}\) Value-List Sender-Value [Receiver-Value] \\
\hline 8 & Queue-Signal 1 & :: Signal-identifier \({ }_{1}\) Value-List Sender-Value \\
\hline
\end{tabular}

The domains above are used when communicating signals between SDL process instances. When an SDL process or service interprets an output node, the interpreting sdl-process or sdl-service outputs Send-Signal to system. The data carried are the identifier of the SDL signal being sent, the list of optional values carried by the signal, the SDL process or service identifier of the sender (or ENVIRONMENT if it is the environment of the system which sends the signal), the SDL Pid value of the sender, the optional SDL Pid value/process identifier of the receiver, and the optional via set of channel/signal route identifiers.

When system receives a Send-Signal it chooses a communication path taking into consideration the destination and routing information contained in Send-Signal. If the chosen path does not contain any delaying channels, system outputs Signal-Delivered to the process-set-admin instance corresponding to the destination endpoint of the communication path. If the chosen path contains delaying channels, system outputs Queue-Signal to the path instance corresponding to (the delaying part) of the path. The data carried by both Signal-Delivered and Queue-Signal are the SDL signal identifier, the list of optional values carried by the signal, the SDL sender Pid value, and the optional receiver Pid value. In addition, Queue-Signal carries the meta-pid value of the process-set-admin instance at the destination endpoint of the chosen communication path such that the path instance can deliver the signal to the correct process-set-admin instance.

In case a signal was sent via a delaying path, the corresponding path instance delivers after some delay the signal by outputting Signal-Delivered to the receiving process-set-admin.

When a process-set-admin receives a Signal-Delivered, it will either deliver the signal to an input-port or discard it, taking into consideration the destination information contained in Signal-Delivered and the current set of SDL process instances alive. If the signal is equipped with an explicit destination Pid value which denotes a living instance in the SDL process instance set, the signal is delivered to the input-port of this instance; if the signal is not equipped with an explicit destination Pid value, and there is at least one living instance in the SDL process instance set, an input-port belonging to one of the SDL process instances is chosen nondeterministically; in all other cases no input-port is chosen, i.e. the signal is discarded. In case a possible receiver is found, the process-set-admin outputs Queue-Signal to its inputport. The data values carried are the signal identifier, the value list and the sender.
\begin{tabular}{rll}
9 & Next-Signal & \(::\) Signal-identifier \({ }_{1}\)-set Spontaneous-Present \\
10 & Spontaneous-Present & \(=\) Bool \\
11 & Input-Signal & \(::\) Signal-identifier \({ }_{1}\) Value-List Sender-Value \\
12 & Spontaneous-Signal & \(::\) ()
\end{tabular}

These domains are used for signal communication between the input port and body of an SDL process instance. When the SDL process instance enters a state, the interpreting sdl-process outputs Next-Signal to its input-port. The data values carried are the save signal set of the state, and a boolean value indicating whether or not the state contains spontaneous
transitions. The input-port responds by outputting Input-Signal or Spontaneous-Signal to the sdl-process.
If the SDL process is decomposed into services, the interpreting sdl-service instances communicate these domains with the input-port via their managing sdl-process. When an SDL service instance enters a state, the interpreting sdl-service outputs Next-Signal to its sdl-process which then passes on this output to input-port. When the input-port has responded with Input-Signal or Spontaneous-Signal to the sdl-process, the sdl-process passes on this output to an sdl-service which needs not be the one which most recently output Next-Signal. The sdl-service instance is chosen by having the sdl-process maintain a table with information about which SDL services have which signals in their valid input signal set.

\subsection*{2.3 SDL Service Handling}

This section defines the communication domains used for SDL service handling.
1 Execute-Start
This domain is used by sdl-process for coordinating the execution of service start transitions when the interpreted SDL process is decomposed into services. When the sdl-process has started all sdl-service instances, it outputs Execute-Start to each sdl-service instance one by one and waits for each sdl-service to complete its start transition before outputting Execute-Start to the next sdl-service.

No other special domains for service execution coordination are necessary as some of the other domains already defined can easily be used for this purpose.

\subsection*{2.4 SDL Timer Handling}

This section defines the communication domains used for SDL timer handling.
```

Set-Timer :: Timer-identifier }\mp@subsup{1}{1}{Arglist Timeout-Value
Timeout-Value = Value
Reset-Timer :: Timer-identifier }\mp@subsup{1}{1}{Arglist
Active-Request :: Timer-identifier }\mp@subsup{1}{1}{Arglist
Active-Answer :: Bool

```

When an SDL process instance executes a set node, the interpreting sdl-process outputs Set-Timer to its input-port which then starts a timer instance. The data carried are the SDL timer identifier, a list of timer argument values, and the expiration time for this timer instance setting.

When an SDL process instance executes a reset node the interpreting sdl-process outputs Reset-Timer to its input-port which then stops the timer instance. The data carried are the SDL timer identifier and a list of timer argument values.

When an SDL process evaluates a timer active expression, the interpreting sdl-process outputs Active-Request to its input-port which then responds by outputting Active-Answer to the sdl-process. The boolean data value carried indicates whether or not the timer instance is active.

If the SDL process is decomposed into services, the interpreting sdl-services communicate these domains with the input-port via their managing sdl-process which in this case simply acts as a relay.

\subsection*{2.5 Time Handling}

This section defines the communication domains used for time handling.
1 Time-Request :: ()
2 Time-Answer :: Value
3 Time :: ()
When an SDL process or service instance evaluates a now expression, the interpreting sdl-process or sdl-service outputs Time-Request to timer. The timer responds by outputting Time-Answer which carries the value of the current time.

Each input-port instance continuously tests on the expiration time of its timer instances. For that purpose it needs the current time from the timer. This communication is the same as between sdl-process/sdl-service and timer.

\subsection*{2.6 Revealed Variable Handling}

This section defines the communication domains used for revealed variable handling.
\begin{tabular}{|c|c|c|c|}
\hline 1 & Reveal & & Variable-identifier \({ }_{1}\) Sort-reference-identifier \(r_{1}\) Pid-Value ( Value |UNDEFINED) \\
\hline 2 & View-Request & : & View-identifier \(_{1}\) Sort-reference-identifier \(_{1}\) [Pid-Value] \\
\hline 3 & View-Answer & : & ( Value| UNDEFINED) \\
\hline 4 & Die & : & \begin{tabular}{l}
Pid-Value \\
(Process-identifier \({ }_{1} \mid\) Service-identifier \(_{1}\) )
\end{tabular} \\
\hline
\end{tabular}

When an SDL process or service instance updates a revealed variable, the interpreting sdl-process or sdl-service outputs Reveal to view. The data carried are the identifier and sort/syntype of the revealed variable, the Pid value of the SDL process instance directly or indirectly (i.e. from a service) revealing the variable, and the new value of the variable.

When an SDL process or service evaluates a view expression, the interpreting sdl-process or sdl-service outputs View-Request to view which then responds with View-Answer. The data carried by View-Request is the identifier and sort/syntype of the viewed variable, and the optional SDL Pid value of the intended revealer. The data carried by View-Answer is the value of the viewed variable.

When an SDL process or service instance stops, the interpreting sdl-process or sdl-service outputs Die to view which then removes from its internal map of revealed variables all revealed variables of the owning process or service instance. The data carried are the SDL Pid value of the stopping process instance or the process instance owning the stopping service, and the SDL identifier of the stopping process or service instance.

\subsection*{2.7 Common Domains}

This section defines some common domains which are either used in the communication domains above or to address the communication between meta-processes.
\begin{tabular}{ll} 
Value-List & \(=(\text { Value } \mid \text { UNDEFINED })^{*}\) \\
Arglist & \(=\) Value \\
Pid-Value & \(=\) Value \\
Value & \(=\) Ground-term
\end{tabular}

A Value-List is the result of evaluating a list of actual parameters to a create or output node. If a given actual parameter is absent, the corresponding "value" is UNDEFINED.

An Arglist is the result of evaluating an argument list in a set node, reset node or active expression.

A Value is an SDL ground term. For each equivalence class of the data sorts in the SDL system, the same ground term will always represent this equivalence class during interpretation of the SDL system. A Pid-Value is a Value.
\begin{tabular}{lll}
5 & Admin-processor & \(=I I\) (process-set-admin) \(\mid I I\) (sdl-process) \\
6 & Input-processor & \(=I I\) (input-port \() \mid I I\) (sdl-process) \\
7 & Body-processor & \(=I I\) (sdl-process) \(\mid I I\) (sdl-service)
\end{tabular}

The domains Admin-processor and Input-processor are used when interpreting the nodes of a behaviour graph. If the graph is interpreted by an sdl-process, the administrating processor is a process-set-admin, and the SDL signal input is obtained from an input-port. If the graph is interpreted by an sdl-service, the administrating processor is an sdl-process, and the SDL signal input is also obtained from sdl-process.

A behaviour graph is interpreted by a Body-processor which is either an sdl-process or sdl-service instance.

\section*{3 Domains for the Entity Information}

Entity-dict contains information of all SDL identifiers referred to in the SDL processes and services, i.e. whenever a process or service needs information of an identifier Entity-dict is used. Initially, it is deduced from \(\mathrm{AS}_{1}\). Each SDL process and service has its own instance of Entity-dict.
1 Entity-dict
```

$=\left(\right.$ Qualifier $_{1}$ TYPE $) \rightarrow$ TypeDD $_{\mathrm{m}} \cup$
$\left(\right.$ Identifier $_{1}$ SORT $) \rightarrow($ SortDD $\mid$ SyntypeDD $) \cup$
(Identifier ${ }_{1}$ VALUE) $\rightarrow$ (OperatorDD $\mid$ VarDD $\mid$ ViewDD $) \cup$
$\left(\right.$ Identifier $_{1}$ SIGNAL) $\rightarrow$ SignalDD $\cup$
(Identifier ${ }_{1}$ PROCESS) $\rightarrow$ ProcessDD $\cup$
(Identifier ${ }_{1}$ SERVICE) $\rightarrow$ ServiceDD $\cup$
(Identifier ${ }_{1}$ PROCEDURE) $\rightarrow$ ProcedureDD $\cup$
ENVIRONMENT $\rightarrow$ Reachabilities $\cup$
EXPIREDF $\overrightarrow{\mathrm{m}}$ Is-expired $\mathrm{U} \cup$
SYSTEMLEVEL $\rightarrow$ Qualifier $_{1} \cup$
PIDSORT $\rightarrow$ Sort-identifier ${ }_{1} \cup$
NULLVALUE $\rightarrow$ Value $\cup$
TRUEVALUE $\rightarrow$ Value $\cup$
FALSEVALUE $\rightarrow$ $\rightarrow$ Value $\cup$
SCOPEUNIT $_{\mathrm{m}}^{\rightarrow}$ Qualifier $_{1} \cup$
SELF $\rightarrow$ Pid-Value $\cup$
PARENT $\rightarrow$ Pid-Value $\cup$
OFFSPRING $\rightarrow$ ref Pid-Value $\cup$
SENDER $\rightarrow$ ref Pid-Value $\cup$
ADMIN $\rightarrow$ Admin-processor $\cup$
PORT $\rightarrow$ Input-processor

```

Entity-dict is a map from pairs of identifiers (Identifier \({ }_{1}\) s) or qualifiers (Qualifier \({ }_{1}\) s) and their associated entity kind into descriptors. An entity kind is either TYPE, SORT, VALUE, SIGNAL, PROCESS, SERVICE or PROCEDURE. As an \(\mathrm{AS}_{1}\) data type definition (Data-type-definition \({ }_{1}\) ) has no identifier on its own, the Qualifer \({ }_{1}\) denoting the scope unit where it is defined is used instead.

In addition, Entity-dict contains information of how signals from the environment of the system can be routed. ENVIRONMENT is explained below.

A descriptor is either a descriptor of a type, a sort, a syntype, a literal or operator, a variable, a signal, a process, a service, or a procedure. Note that some of the entities of SDL identifiers are excluded (e.g. channels and blocks).

Furthermore, Entity-dict contains some extra objects which have to be known by the underlying system and/or the sdl processes or services. Those objects are accessed via some Quot values:
ENVIRONMENT When applied on Entity-dict the result is the routing information (for SDL signals) (Reachabilities) originating from the environment.

EXPIREDF When applied on Entity-dict the result is a function used by input-port processor instances for timer handling.

SYSTEMLEVEL When applied on Entity-dict the result is the \(\mathrm{AS}_{1}\) qualifier denoting the system level.
PIDSORT
NULLVALUE When applied on Entity-dict the result is an \(\mathrm{AS}_{1}\) ground term representing the Pid value Null.

TRUEVALUE When applied on Entity-dict the result is an \(\mathrm{AS}_{1}\) ground term representing the Boolean value True.

FALSEVALUE When applied on Entity-dict the result is an \(\mathrm{AS}_{1}\) ground term representing the Boolean value False.

SCOPEUNIT When applied on Entity-dict the result is the qualifier denoting the current scopeunit.
SELF When applied on Entity-dict the result is the SDL Pid value of either the SDL process using the Entity-dict or the owning SDL process of the service using the Entity-dict.

PARENT When applied on Entity-dict the result is the SDL Pid value of either the parent of the SDL process using the Entity-dict or the owning SDL process of the service using the Entity-dict.

OFFSPRING When applied on Entity-dict the result is a pointer to a Meta-IV variable holding the SDL Pid value of the most recent offspring of either the SDL process using the Entity-dict or the owning SDL process of the service using the Entity-dict.

SENDER
When applied on Entity-dict the result is a pointer to a Meta-IV variable holding the SDL Pid value of the most recent sender of either the SDL process using the Entity-dict or the owning SDL process of the service using the Entity-dict.

ADMIN When applied on Entity-dict the result is the II value of the Meta-IV process (i.e. process-set-admin) administrating the process set to which the SDL process belongs, or the sdlprocess which manages the SDL service.

PORT When applied on Entity-dict the result is the II value of the input-port of the SDL process, or the sdl-process which "looks like" an input-port from the SDL service.

\subsection*{3.1 The Type Descriptor}
\begin{tabular}{ll} 
Type \(D D\) & \(::\) Term-reduce-map Sortmap Equations \({ }_{1}\) \\
Term-reduce-map & \(=\) Term-class \(\rightarrow\) Term \\
Term-class & \(=\) Term-set \\
Term & \(=\) Ground-term \(_{1} \mid\) Error-term \(_{1}\) \\
Sortmap & \(=\) Sort-identifier \(_{1} \rightarrow\) Term-class-set \(^{\text {Sort }}\)
\end{tabular}

The first field (Term-reduce-map) contains all equivalence classes (Term-class) of all sorts visible in the scopeunit enclosing the data type definition. The Term-reduce-map maps each equivalence class to a canonical term (Term) which has been chosen to represent that term. If an equivalence class contains the error term, Term-reduce-map always maps it to the error term; else if the equivalence class represents a value which must be recognizable by the Meta-IV formulas when interpreting an SDL system (e.g. the Boolean values True and False), Term-reduce-map maps it to the same value as given by Entity-dict (entries TRUEVALUE and FALSEVALUE for the Boolean values); otherwise an arbitrary term is chosen when building the Entity-dict, and thereafter the equivalence class will always be represented by that term.

The second field is a map (Sortmap) of all Sort-identifier \({ }_{1}\) s visible in the scopeunit enclosing the data type definition into the set of equivalence classes existing for the sort. The sort map is only used while building the Entity-dict for an SDL system.

The third field is the equations \(\left(\right.\) Equations \(\left._{1}\right)\) from which the equivalence classes are derived.

\subsection*{3.2 The Sort Descriptor}
\begin{tabular}{llll}
1 & SortDD & \(::\) () \\
2 & SyntypeDD & \(::\) Parent-sort-identifier \({ }_{1}\) Range-condition \\
1
\end{tabular}

SortDD and SyntypeDD are descriptors of newtypes and syntypes respectively. A newtype descriptor contains no information but is there any way in order to have all used sort identifiers in the Entity-dict.

A syntype descriptor also contains the identifier of the parent newtype and an \(\mathrm{AS}_{1}\) range condition.

\subsection*{3.3 The Operator and Literal Descriptor}
\begin{tabular}{lll}
1 & OperatorDD & \(::\) Argument-list Result \\
2 & Argument-list & \(=\) Sort-reference-identifier
\end{tabular}\({ }_{1}^{*}\)

Operator \(D D\) is a descriptor of an operator or a literal. It contains the list of sorts or syntypes of the arguments and the sort or syntype of the result.

\subsection*{3.4 The Variable Descriptor}

1 VarDD :: Variable-identifier \({ }_{1}\) Sort-reference-identifier \(_{1}\)
[Ground-expression \({ }_{1}\) [REVEALED] ref Stg
\(\operatorname{Var} D D\) is a descriptor of a variable. It contains the variable identifier, the sort or syntype identifier, the initialization expression, if any, the REVEALED attribute and a reference to a process-, service- or procedure-local storage. Each time a procedure is invoked, Entity-dict is overwritten with the descriptors representing the formal parameters and local declarations. For an in/out formal parameter, the descriptor contains the Variable-identifier \({ }_{1}\) of the associated actual parameter and a reference to the storage where the value of the actual parameter can be found, i.e. because SDL allows recursive procedures, there may exist several storages containing variables with the same Variable-identifier \({ }_{1}\), one for each recursive call.

\subsection*{3.5 The View Descriptor}

1 ViewDD :: Sort-reference-identifier \({ }_{1}\)
View \(D D\) is a descriptor of a view definition. It contains the sort or syntype identifier of the view.

\subsection*{3.6 The Signal Descriptor}

1 SignalDD :: Sort-reference-identifier \({ }_{1}\) * [REVERSE]
SignalDD is a descriptor of a signal. It contains the list of sort or syntype identifiers attached to the signal and, in case it is a subsignal, whether or not it goes in the reverse direction of its parent signal.

\subsection*{3.7 The Process Descriptor}
\begin{tabular}{|c|c|}
\hline ProcessDD & :: ParameterDD* Initial Maximum [Process-graph \({ }_{1}\) Reachabilities \\
\hline ParameterDD & \(=\) Variable-identifier \(_{1}\) \\
\hline Initial & \(=\) Intg \\
\hline Maximum & \(=[\) Intg \(]\) \\
\hline Reachabilities & \(=\) Reachability-set \\
\hline Reachability & \(=\) Reachability-endp Signal-identifier \(_{1}\)-set Path \\
\hline Reachability-endp & \(=\) ENVIRONMENT Process-identifier \(_{1} \mid\) Service-identifier \(_{1}\) \\
\hline Path & \(=\) Path-element* \\
\hline Path-element & \(=\) Path-identifier Path-direction [NODELAY] \\
\hline Path-identifier & \(=\) Identifier \(_{1}\) \\
\hline Path-direction & = FORWARD | REVERSE \\
\hline
\end{tabular}

Process \(D D\) is a descriptor of a process. It contains the parameter list (ParameterDD), the number of process instances created at system start-up time (Initial), the maximum number of allowed processes (Maximum), the process graph, and Reachabilities. A formal parameter descriptor is the Variable-identifier \(r_{1}\) of the parameter. A Reachability defines a destination Reachability-endp (Process-identifier \({ }_{1}\), Service-identifier \({ }_{1}\) or the ENVIRONMENT) which may be reached from the process in the sending of a signal in Signal-identifier \({ }_{1}\)-set using a certain Path. The Path is identified by a list of path elements (Path-element) each of which contains a channel or signal route identifier (Path-identifier), a path direction (Path-direction) which is used to identify each direction in a bidirectional channel/signal route, and an indication of whether the path element has a delay or not (a channel may or may not have a delay, a signal route never has a delay). Path is empty in the cases where Process-identifier \({ }_{1}\) (or Service-identifier \(_{1}\), see below under the description of service descriptors) is both the sender and the receiver.

\subsection*{3.8 The Service Descriptor}
\begin{tabular}{lll}
1 & ServiceDD & \(::\) Service-graph \({ }_{1}\) Input-signal-set Reachabilities \\
2 & Input-signal-set & \(=\) Signal-identifier \(_{1}\)-set
\end{tabular}

Service \(D D\) is a descriptor of a service. It contains the service graph, the set of valid input signals Signal-identifier \({ }_{1}\)-set of the service, and the Reachabilities of the service.

\subsection*{3.9 The Procedure Descriptor}
\begin{tabular}{ll} 
ProcedureDD & \(::\) FormparmDD \(^{*}\) Procedure-graph \(_{1}\) \\
FormparmDD & \(=\) InparmDD \(\mid\) InoutparmDD \(^{\text {InparmDD }}\) \\
InoutparmDD & \(::\) Variable-identifier \\
1
\end{tabular}

ProcedureDD is a descriptor of a procedure. It contains a list of formal parameter descriptors and the procedure graph. A formal parameter is either an in parameter or an in/out parameter and it contains the Variable-identifier \({ }_{1}\).

\subsection*{4.1 System Processor}

This processor is the entry point for interpretation of an SDL system. All other processes are started (directly or indirectly) from this process. It is started from definition-of-SDL, defined in Annex F.2: Static Semantics.
The processor internally uses the following domains:
\begin{tabular}{rlrl}
1 & Process-set-admin-map & & \(\left(\right.\) ENVIRONMENT \(\mid\) Process-identifier \(\left._{1}\right) \overrightarrow{\mathrm{m}}\) \\
2 & & II \((\) process-set-admin \()\) \\
3 & Inst-map & \(=\) & Path \(\rightarrow\) II \((\) path \()\) \\
& & Pid-Value \(\overrightarrow{\mathrm{m}}\) \\
& & \(\left(\right.\) ENVIRONMENT \(\mid\) Process-identifier \(\left._{1}\right)\)
\end{tabular}

The domain Process-set-admin-map maps the identifier of each SDL process instance set to the II value of the process-set-admin instance which interprets it. Furthermore, as all SDL process instances running in the environment are assumed to be managed by the same process-set-admin instance running in the meta-environment, the map also contains a map from ENVIRONMENT to this instance. The domain is used for routing of SDL signals and creating instance requests.

The domain Path-map maps each delaying path to its corresponding instance of the path processor. A delaying path is a list of (delaying) channel paths traversed by a signal instance when an output node has been interpreted. It is necessary to distinguish possible delaying paths since preservation of signal order is only guaranteed when following the same sequence of delaying channels.

The domain Inst-map maps each Pid value of an alive or dead SDL process instance to the identifier of the process set to which it belongs (or to ENVIRONMENT for each SDL process instance alive or dead in the environment). That is, entries are never removed from the map. The domain is used for routing of SDL signals and for keeping track of which SDL Pid values have already been used such that new, unique Pid values can be generated whenever needed.

\subsection*{4.1.1 The Processor}
system processor (as \({ }_{1}\) tree, subset, auxinf \() \triangleq\)
(dcl adminmap type Process-set-admin-map; del pathmap type Path-map; dcl instmap := [] type Inst-map; (let \((\) timeinf, terminf, expiredf, delayf) \(=\) auxinf in let dict \(=\) extract-dict \(\left(\right.\) as \(_{1}\) tree, subset, expiredf, terminf \()\) in start view(); start timer(timeinf)(dict); start-process-set-admins(delayf)(dict); start-paths(delayf)(dict); start-initial-processes(dict); handle-inputs(dict)))
type: \(\quad\) System-definition \({ }_{1}\) Block-identifier \(_{1}\)-set Auxiliary-information \(\Rightarrow\)
Objective Interpret the SDL system.

\section*{Parameters}
as \({ }_{1}\) tree \(\quad\) The \(\mathrm{AS}_{1}\) definition of the system.
subset The consistent subset selected.
auxinf \(\quad\) Contains the following (see line 4):
\[
\begin{array}{ll}
\text { timeinf } & \begin{array}{l}
\text { Information required by the timer processor. It contains a function which updates the current } \\
\text { now on each tick in the timer processor and the start value of the system time. The domain is } \\
\text { defined in Annex F. } 2 \text { and it is further described in the definition of the timer processor. }
\end{array} \\
\text { terminf } & \begin{array}{l}
\text { A closure containing the } \mathrm{AS}_{1} \text { identifier of the Pid sort and three } \mathrm{AS}_{1} \text { ground terms chosen to } \\
\text { represent each of the following values: The Pid value Null and the Boolean values True and } \\
\text { False. }
\end{array} \\
\text { expiredf } & \begin{array}{l}
\text { A function delivering true if a given timer has expired. } \\
\text { delayf }
\end{array} \\
\begin{array}{l}
\text { A function delivering a Bool value at random. Used in the path processor for modelling delay } \\
\text { on channels, and in the input-port processor for modelling unstability of SDL states containing } \\
\text { spontaneous transitions. }
\end{array}
\end{array}
\]

\section*{Algorithm}

Line 1-3 Declare the variables needed by the system processor. The purpose of the variables has already been explained below the domain definitions above.
Line \(5 \quad\) Build the Entity-dict corresponding to the given SDL system, the selected subset and the necessary parts of Auxiliary-information.

Line \(6 \quad\) Start one instance of the view processor.
Line \(7 \quad\) Start one instance of the timer processor with actual parameters for the handling of now (further explained in the definition of timer).
Line 8 Start one instance of the process-set-admin processor for each process definition present in the SDL system (or rather in the selected consistent subset). The actual parameter delayf will be used for handling of spontaneous transitions.

Line 9 Start one instance of the path processor for each sequence of delaying channel paths which can be traversed by at least one SDL signal type.
Line \(10 \quad\) Perform the system start up creation of SDL process instances.
Line \(11 \quad\) Handle all further meta-communication to and from the system.
start-process-set-admins \((\) delayf \()(\) dict \() \triangleq\)
((input mk-Environment-admin(envadmin) from ...
\(\Rightarrow\) adminmap \(:=[\) ENVIRONMENT \(\mapsto\) envadmin \(]\) );
(def adminmap-delta : [prid \(\mapsto\) start process-set-admin(prid, delayf)(dict) \(\mid\)
\((\) prid, PROCESS\() \in \operatorname{dom} d i c t] ;\)
adminmap := c adminmap + adminmap-delta))
\[
\text { DelayF } \rightarrow \text { Entity-dict } \Rightarrow
\]

Objective Start one process-set-admin processor instance for each process definition present in (the selected consistent subset of) the SDL system.
Enter information about the started processor instances in adminmap.

\section*{Parameters}
delayf A function delivering a Bool value at random. Used to model the unstability of SDL states containing spontaneous transitions.

\section*{Algorithm}

Line 1-2 Obtain the II value of the process-set-admin instance which is assumed to run in the metaenvironment. Enter this instance in adminmap.

Line 3-5 Start one process-set-admin instance for each process definition in the SDL system and compute the adminmap contribution from this (lines 3-4). Update adminmap with this contribution (line 5).
```

start-paths $($ delayf $)($ dict $) \triangleq$
$($ let reaches $=\operatorname{dict}($ ENVIRONMENT $) \cup$
union \{s-Reachabilities(dict((prid, PROCESS)))|
$($ prid, PROCESS $) \in \operatorname{dom} d i c t\} \cup$
union \{s-Reachabilities(dict((servid, SERVICE))) |
$($ servid, SERVICE $) \in \operatorname{dom}$ dict $\}$ in
let delaypaths $=\{$ delaying-path $($ path $) \mid(,$, path $) \in$ reaches $\}$ in
pathmap $:=[$ delaypath $\mapsto \operatorname{start}$ path $($ delayf $) \mid$ delaypath $\in$ delaypaths $\backslash\{\langle \rangle\}])$
type: $\quad$ Delay $F \rightarrow$ Entity-dict $\Rightarrow$

```

Objective Start one path instance for each sequence of delaying channel paths which can be traversed by at least one SDL signal type. Enter information about the started processor instances in pathmap.

\section*{Parameters}
delayf A function delivering a Bool value at random. Used to model the delay on channels.

\section*{Algorithm}

Line 1-5 Extract all existing Reachabilities in the SDL system. The total Reachability set consists of all Reachabilities originating from the system environment (line 1), all Reachabilities originating from SDL process instance sets not partitioned into services (line 2-3) and all Reachabilities originating from services (line 4-5).

Line 6 For each Reachability in the SDL system, extract the sequence of delaying channel paths contained in Path.

Line \(7 \quad\) Start one path instance for each (non-empty) sequence of delaying channel paths which connects two leaf blocks (in the selected consistent subset) or one leaf block and the SDL system environment. Enter these instances in pathmap.
```

start-initial-processes(dict)\triangleq

```
```

    for all (prid, PROCESS) }\in\mathrm{ dom dict do
    (let mk-ProcessDD(parmddl, initno, , ,) = dict((prid, PROCESS)) in
    let vl=\langleUNDEFINED | 1\leqi\leq len parmddl\rangle,
        parent = dict(NULLVALUE) in
    for i=1 to initno do
    handle-create-instance-request(prid, vl, parent, nil)(dict))
    type: Entity-dict }

```

Objective Perform the system start up creation of SDL process instances.
```

Algorithm
Line 1 For each process instance set in the SDL system do the following:
Line 2 Obtain information about the formal parameters and initial number of instances for the process
instance from the dict.
Line 3-4 All actual parameters to a process instance which is created at system start up are "undefined"
(line 3). The parent value for such an instance is Null (line 4).
Line 5-6 Create initno instances of the process instance set. The fourth actual parameter in line 6 is nil to
indicate that there is no SDL process or service instance waiting for response about the process
instance creation.
handle-inputs(dict)\cong
cycle {input mk-Create-Instance-Request(prid, vl, parent) from parbody
=> handle-create-instance-request(prid,vl, parent, parbody)(dict),
input mk-Create-Pid() from se
handle-create-in-env(se)(dict),
input mk-Send-Signal(sid,vl, seid, se, re, via) from ...
handle-send-signal(sid,vl, seid, se, re, via)(dict)}
type: }\quad\mathrm{ Entity-dict }
Objective Handle all meta-communication of system after initializations.

```
    Line 1 Start a loop forever. In each iteration of that loop one of the mentioned inputs will be elaborated function.
handle-create-instance-request(prid, vl, parent, parbody) \((\) dict \() \triangleq\)
(def offspring : getpid(dom c instmap)(dict);
def offspradmin : c adminmap (prid);
output mk-Create-Instance-Request 1 ( \(v l\), parent, offspring) to offspradmin;
input mk-Create-Instance-Answer 1 (exceed) from offspradmin
\(\Rightarrow \quad\) (if \(\neg\) exceed then
instmap := \(\mathbf{c}\) instmap \(+[\) offspring \(\mapsto\) prid \(]\)
else
I;
if parbody \(\neq\) nil then
(let offspring' \(=\) if \(\neg\) exceed then offspring else \(\operatorname{dict(NULLVALUE)~in~}\)
output mk-Create-Instance-Answer(offspring') to parbody)
else
I))
type: \(\quad\) Process-identifier \({ }_{1}\) Value-List Pid-Value \([\) Body-processor \(] \rightarrow\) Entity-dict \(\Rightarrow\)
```

```
Algorithm
```

Algorithm (on a non-deterministic basis). The handling of each input is described in a specific handling
Objective Handle creation of SDL process instances.

```

\section*{Parameters}
```

prid The SDL process identifier of the process instance to be started.
$v l \quad$ The list of actual parameter values.
parent $\quad$ The SDL Pid value of the creating process instance.

```
parbody The II value of the processor which interprets the creating SDL process or service instance. This parameter is nil if the function is called during system initialization.

\section*{Algorithm}

Line \(1 \quad\) Create a unique \(\operatorname{SDL}\) Pid value.
Line \(2 \quad\) Get the II value of the process-set-admin instance for the SDL process to be created.
Line \(3 \quad\) Output a create instance request to the process-set-admin.
Line 4 Wait for response from the process-set-admin. The input parameter exceed indicates whether or not a new SDL process instance could be created due to the maximum number of instances.

Line 5-8 If a new SDL process instance was created, the instance map (instmap) is updated with the new instance.

Line 9-13 If the create was caused by a create node, then send a response to the creating SDL process or service instance as follows:

Line 10 If the create request succeeded, then the offspring value should be the one generated in line 1 , otherwise it should be the Pid value Null.

Line 11 Send this offspring value to the creator.
handle-create-in-env \((\) se \()(\) dict \() \triangleq\)
(def offspring : getpid(dom c instmap)(dict);
2 instmap := c instmap + [offspring \(\mapsto\) ENVIRONMENT];
3 output mk-Pid-Created(offspring) to se)
type: \(\quad I I \rightarrow\) Entity-dict \(\Rightarrow\)
Objective Handle the creation of SDL Pid values in the environment. Update maps within the system and return the Pid value to the environment. The communication is not exactly like the one in handling of create nodes within the system. However, one cannot suppose the environment to contain create nodes (!). The general idea is to make as few assumptions about the environment as possible while still having a consistent model.

\section*{Parameters}
se
The II value of "the sender".

\section*{Algorithm}

Line \(1 \quad\) Create a unique Pid value.
Line 2 Update the map of living SDL process instances with the new instance.
Line 3 Return the Pid value to the environment.
handle-send-signal(sid, vl, seid, se, re, via \()(\) dict \() \triangleq\)
```

    (let reaches=
    (seid = ENVIRONMENT
        ->\operatorname{dict(ENVIRONMENT),}
    (seid, PROCESS) }\in\mathrm{ dom dict
        -> s-Reachabilities(dict((seid, PROCESS))),
        (seid, SERVICE) }\in\mathrm{ dom dict
        \}\mathrm{ s-Reachabilities(dict((seid, SERVICE)))) in
    let reaches' = restrict-to-signal(reaches, sid) in
    let reaches" =
        if via={}
        then reaches'
        else restrict-to-via(reaches', via) in
    def (reaches'", re') : (re= nil
                (reaches'", nil),
                (re, PROCESS) }\in\mathrm{ dom dict
                            ->(restrict-to-destprcs-or-env(reaches'", re)(dict), nil),
                            \top->(restrict-to-destpid(reaches'', re, c instmap)(dict), re));
    if reaches"'\prime}\not={} the
        let (reidorenv, , path) }\in\mathrm{ reaches"'' in
        let delaypath = delaying-path(path) in
        def readmin : c adminmap(process-or-env(reidorenv)(dict));
        if delaypath }=\langle\rangle\mathrm{ then
        output mk-Signal-Delivered(sid,vl, se, re') to readmin
        else
        (def path' : c pathmap(delaypath);
            output mk-Queue-Signal(sid, vl, se, readmin, re') to path'))
    else
    I)
    ```
type: \(\quad\) Signal-identifier \({ }_{1}\) Value-List Sender-Id Sender-Value [Receiver] Direct-via \({ }_{1} \rightarrow\) Entity-dict \(\Rightarrow\)

Objective Routing of SDL signals.

\section*{Parameters}
\begin{tabular}{ll} 
sid & Signal being sent. \\
\(v l\) & List of values carried by the signal. \\
seid & \begin{tabular}{l} 
The SDL identifier of the process or service sending the signal (or ENVIRONMENT if the signal is \\
sent from the environment).
\end{tabular} \\
se & The SDL Pid value of the sender. \\
\(r e\) & \begin{tabular}{l} 
The optional SDL Pid value or process identifier of the (intended) receiver of the signal from the to \\
clause.
\end{tabular} \\
\(v i a\) & \begin{tabular}{l} 
Set of signal route and channel identifiers from the optional via clause. If the via clause was absent, \\
this set is empty.
\end{tabular}
\end{tabular}

\section*{Algorithm}

Line 1-7 Obtain the set of Reachabilities originating from the sender. The sender can either be the environment (line 1-3), an instance of a process which is not decomposed into services (line 4-5), or a service instance (line 6-7). The remaining part of the function consecutively restricts the Reachabilities of the sender (until line 17).

Line \(8 \quad\) Restrict to those Reachabilities which may convey the signal.
Line 9-12 Restrict to the signal routes and channels mentioned in the via clause, if any.

Line 13-17 Restrict to the Pid value or process identifier of the to clause, if any, and get a resulting optional receiver Pid value as follows:

If the to clause was absent, no further restrictions are made on the Reachabilities, and the optional receiver Pid value is nil (line 13-14).

If the to clause contained a process identifier, the Reachabilities are restricted to this process identifier, and the optional receiver Pid value is nil (line 15-16).

If the to clause contained a Pid expression, the Reachabilities are restricted to the process set which contains the destination process instance, and the receiver Pid value is this Pid value (line 17). Note that if the Pid expression evaluated to Null, to a Pid value of a not yet existing process instance, or to a Pid value of an instance which cannot be reached via the given Reachabilities, the remaining Reachability set will be empty.

Line 18,28 If the remaining Reachability set is empty, the signal is discarded.
Line 19 Select an arbitrary Reachability from the remaining Reachability set and decompose it into a destination endpoint and a communication path.

Line \(20 \quad\) Obtain the delaying part of the chosen communication path.
Line 21 Obtain the II value of the process-set-admin instance which should receive the signal. If the destination endpoint of the Reachability is a service, then use the identifier of its enclosing process definition as key to the adminmap.

Line 22-23 If the chosen communication path contains no delaying channel paths, the signal is sent directly to the receiving process-set-admin instance.

Line 25-26 Obtain the II value of the path instance which should convey the signal, and output the signal to this instance.

\subsection*{4.1.2 Auxiliary Functions}
restrict-to-signal(reaches, sid \() \triangleq\)
\(1 \quad\{(\), sigset,\() \in\) reaches \(\mid\) sid \(\in\) sigset \(\}\)
type: \(\quad\) Reachability-set Signal-identifier \({ }_{1} \rightarrow\) Reachability-set \(^{\text {St }}\)
Objective \(\quad\) Restrict a set of Reachabilities to the set of Reachabilities which are able to convey a given signal.

\section*{Parameters}
\begin{tabular}{ll} 
reaches & The original set of Reachabilities. \\
sid & The identifier of the signal.
\end{tabular}

Result The restricted set of Reachabilities.

\section*{Algorithm}

Line 1 Select those Reachabilities whose signal set contain the given signal.
restrict-to-via \((\) reaches, via \() \leftrightharpoons\)
\(1 \quad\{(,\), path \() \in\) reaches \(\mid\) is-in-via(path, via \()\}\)
type: \(\quad\) Reachability-set Direct-via \(_{1} \rightarrow\) Reachability-set
Objective \(\quad\) Restrict a set of Reachabilities to the set of Reachabilities which are mentioned in a given via set.

\section*{Parameters}
reaches The original set of Reachabilities.
via The via set.
Result The restricted set of Reachabilities.

\section*{Algorithm}

Line 1 Select those Reachabilities which contain a signal route or channel mentioned in the via set.
is-in-via(path, via \() \xlongequal{\leftrightharpoons}\)
1 (let srchids \(=\{i d \mid(i d,,) \in\) elems path \(\}\) in
2 srchids \(\cap\) via \(\neq\{ \})\)
type: \(\quad\) Path Direct-via \(1_{1} \rightarrow\) Bool
Objective Test whether a given communication path contains a signal route or channel identifier mentioned in a given via set.

\section*{Parameters}
path The communication path.
via
The via set.
Result true if the path is mentioned, false otherwise.

\section*{Algorithm}

Line 1 Extract the set of signal route and channel identifiers in the communication path.
Line 2 The communication path is mentioned in the via clause if the intersection of the via set and the set of signal routes/channels is non-empty.
restrict-to-destprcs-or-env(reaches, repridorenv \()(\) dict \() \triangleq\)
\(1 \quad\{(\) reachendp,,\() \in\) reaches \(\mid\) process-or-env \((\) reachendp \()(\) dict \()=\) repridorenv \(\}\)
type: \(\quad\) Reachability-set \(\left(E N V I R O N M E N T \mid\right.\) Process-identifier \(\left._{1}\right) \rightarrow\) Entity-dict \(\rightarrow\) Reachability-set
Objective \(\quad\) Restrict a set of Reachabilities to the set of Reachabilities which lead to a given SDL process instance set.

\section*{Parameters}
reaches The original set of Reachabilities.
repridorenv The SDL identifier of the process instance set, or ENVIRONMENT if the desired destination endpoint is the system environment.

Result The restricted set of Reachabilities.
```

Algorithm
Line 1 Select those Reachabilities which have repridorenv as destination endpoint. If a Reachability has a the selection.
restrict-to-destpid(reaches, re, instmap) $($ dict $) \triangleq$

```
```

    if \(r e \in \operatorname{dom}\) instmap then
    ```
    if \(r e \in \operatorname{dom}\) instmap then
        (let repridorenv \(=\operatorname{instmap}(r e)\) in
        (let repridorenv \(=\operatorname{instmap}(r e)\) in
        restrict-to-destprcs-or-env(reaches, repridorenv)(dict))
        restrict-to-destprcs-or-env(reaches, repridorenv)(dict))
        else
        else
        \{\}
        \{\}
type: \(\quad\) Reachability-set Receiver-Value Inst-map \(\rightarrow\) Entity-dict \(\rightarrow\) Reachability-set
```

type: $\quad$ Reachability-set Receiver-Value Inst-map $\rightarrow$ Entity-dict $\rightarrow$ Reachability-set

``` service as destination endpoint, the identifier of the enclosing process definition is used as key for

Objective Restrict a set of Reachabilities to the set of Reachabilities which lead to an SDL process instance with a given Pid value.

\section*{Parameters}
reaches \(\quad\) The original set of Reachabilities.
re The Pid value of the desired receiver.
instmap \(\quad\) The map of SDL Pid values of living process instances.
Result The restricted set of reachabilities.

\section*{Algorithm}

Line 1,6 If the Pid value is Null or denotes a not yet created SDL process instance, the resulting set of Reachabilities is empty.

Line \(2 \quad\) Obtain the identifier of the SDL process instance set to which the given process instance belongs (or ENVIRONMENT if the process instance belongs to the environment).

Line 3 Restrict the set of Reachabilities to the obtained process instance set.
delaying-path(path)
\[
\begin{align*}
& \langle\text { path }[i]| 1 \leq i \leq \operatorname{len} \text { path } \wedge(\operatorname{let}(,, \text { nodelay })=\operatorname{path}[i] \text { in }  \tag{4.1.2.6}\\
& \text { nodelay }=\mathbf{n i l}) \text { ) } \\
& \text { type: Path } \rightarrow \text { Path }
\end{align*}
\]

Objective Extract the delaying part of a communication path.

\section*{Parameters}
path The original communication path.
Result The delaying part of the communication path.
```

Algorithm
Line 1 Delete all signal route and channel paths which have no delay.
process-or-env(reachendp)(dict)\triangleq
(reachendp = ENVIRONMENT
-> ENVIRONMENT,
(reachendp, PROCESS) }\in\mathrm{ dom dict
->reachendp,
(reachendp, SERVICE) \in dom dict
\rightarrow enclosing-scopeunit(reachendp))
Reachability-endp }->\mathrm{ Entity-dict }->\mathrm{ (ENVIRONMENT | Process-identifier }\mp@subsup{}{1}{}

```

Objective If a reachability endpoint denotes a service, then convert it to the identifier of the enclosing SDL process.

\section*{Parameters}
reachendp The reachability endpoint.
Result The converted reachability endpoint.

\footnotetext{
Algorithm unchanged. SDL process definition.
\(\operatorname{getpid}(\) pidsinuse \()(\) dict \() \triangleq\)
\(1 \quad(\) let \(n e w p i d \in\) values-of-sort \((\operatorname{dict}(\) PIDSORT \())(\) dict \()\)
\(\begin{array}{ll}2 & \text { be s.t. } n e w p i d ~\end{array} \neq \operatorname{dict}(\) NULLVALUE \() \wedge\) newpid \(\notin\) pidsinuse in
type: \(\quad\) Pid-Value-set \(\rightarrow\) Entity-dict \(\rightarrow\) Pid-Value
}

Line 1-4 If the reachability endpoint denotes the environment or an SDL process definition, then return it

Line 5-6 If the reachability endpoint denotes a service definition, then return the identifier of the enclosing

Objective Extract a Pid-Value not used yet. The Unique! operator defined for the Pid sort in Z. 100 ensures that there exists an infinite number of Pid-Values. I.e. the values for the Pid sort are Null, Unique!(Null), Unique!(Unique!(Null)), etc. The set of Pid values is found in dict.

\section*{Parameters}
pidsinuse \(\quad\) The set of Pid values which are already in use.

\section*{Result \\ An unused Pid-Value.}

\section*{Algorithm}

Line 1 Take a Pid value from the set of possible Pid values such that the Pid value is neither Null nor has been used before.

Line 3 Return the Pid value.

\subsection*{4.2 View Processor}

This processor uses the internal domain Reveal-map which maps triples of SDL Pid values, variable identifiers and variable sorts/syntypes to revealed values. For variables revealed by service instances, the Pid value is that of the enclosing process instance.
```

Reveal-map = Reveal-map-key }\vec{\textrm{m}}(\mathrm{ (Value |UNDEFINED)
Reveal-map-key = Pid-Value Variable-identifier
Sort-reference-identifier

```

\subsection*{4.2.1 The Processor}
```

view processor () \triangleq
(dcl revealmap := [] type Reveal-map;
trap exit() with error in
(cycle {input mk-Reveal(varid, sortid, pid, value) from ...
revealmap :=c revealmap +[(pid, varid, sortid) }\mapsto\mathrm{ value ],
input mk-View-Request(viewid, sortid, revealpid) from body
\#(def revealvars : revealed-variables(viewid, sortid, revealpid, c revealmap);
if revealvars \# {} then
(let revealvar }\in\mathrm{ revealvars in
output mk-View-Answer(c revealmap(revealvar)) to body)
else
exit("§5.4.4.4: No revealed variable access can be made")),
input mk-Die(pid, ownerid) from ...
\# (def deadvars: {(pid', varid,); }\in\mathrm{ dom c revealmap |
pid' = pid ^ enclosing-scopeunit(varid ) = ownerid };
revealmap :=c revealmap \deadvars)}))
type: () =>

```

Objective Interpret the concept of view and reveal.

\section*{Algorithm}

Line 1 Declare a (meta-)variable holding all revealed variable instances in the SDL system at any time.
Line \(3 \quad H a n d l e ~ t h e ~ R e v e a l ~ i n p u t . ~\)
Line \(4 \quad\) Update the map with the new value.
Line \(5 \quad\) Handle a view from an SDL process or service instance.
Line \(6 \quad\) Obtain the set of revealed variables matching the view.
Line 7-9 If there are any matching revealed variables then respond with the value of one of these.
Line 11 Define the error that no revealed variable access can be made.
Line 12 Handle the notice of a stopped SDL process or service instance.
Line 13-14 Obtain all revealed variables of the stopped SDL process or service instance.
Line 15 Delete all revealed variables of the stopped SDL process or service instance from the map.
revealed-variables(viewid, sortid, revealpid, revealmap) \(\wedge\)
\(1 \quad\{(\) pid, varid, sortid' \() \in\) dom revealmap \(\mid\)
\(2 \quad(\) revealpid \(\neq\) nil \(\supset\) pid \(=\) revealpid \() \wedge\)
3 enclosing-block \((\) varid \()=\) enclosing-block \((\) viewid \() \wedge\)
\(4 \quad \mathbf{s}-\) Name \(_{1}(\) varid \()=\mathbf{s}-\) Name \(_{1}(\) viewid \() \wedge\)
5 sortid \(=\) sortid \(\}\)
type: \(\quad\) View-identifier \({ }_{1}\) Sort-reference-identifier \({ }_{1}\) [Pid-Value] Reveal-map \(\rightarrow\) Reveal-map-key

Objective Obtain the set of revealed variables matching a specific view request.

\section*{Parameters}
viewid \(\quad\) The view identifier of the variable.
sortid \(\quad\) The sort or syntype of the viewed variable.
revealpid The optional Pid value resulting from the optional Pid expression in the view expression.
revealmap The map of currently living revealed variables.
Result The set of revealed variables matching the view request.

\section*{Algorithm}

Line 2 If a Pid expression was present in the view expression, the matching revealed variables are all revealed by the process instance (or contained service instances) having the Pid value resulting from the Pid expression. Otherwise any process instance revealing the variable can be used.

Line 3-5 The revealed variables must be in the same block as the view definition and have the same name and sort/syntype.

\subsection*{4.3 Timer Processor}

This processor has been introduced to interpret the concept of global time in SDL. It results in a very simple communication with an external tick processor.
```

timer processor (timeinf) (dict)}
(let $($ timef, $s t a r t)=$ timeinf in
dcl time-now := startt type Value;
cycle \{input mk-Time() from tick
time-now $:=\operatorname{timef}(\mathbf{c}$ time-now),
input mk-Time-Request() from $p$
$\Rightarrow \quad\left(\right.$ def time-now' ${ }^{\prime}$ : reduce-term( $\mathbf{c}$ time-now, $\left.\operatorname{dict}(\mathrm{SYSTEMLEVEL})\right)(\operatorname{dict})$; output mk-Time-Answer(time-now') to $p$ )\})
type: $\quad$ Time-information $\rightarrow$ Entity-dict $\Rightarrow$

```

Objective Interpret the timer-handling in underlying system.
Parameters The object timeinf contains two components (line 1) generated in Annex F.2:
timef A function being called on each "tick" from the environment. The timef function thus encapsulates two problems: interpretation of " + " for the Time sort and the resolution of time values within the system (i.e. what is the increment in now for each "tick").
startt The initial value of now.

\section*{Algorithm}

Line 2 Let time-now denote the (only one) global time of the system. By using a model which includes the start time for interpretation (startt) and the updating (the function timef) it is hoped to give a correct description of SDL's time-concept.
Line \(4 \quad\) Update the time.
Line 6-7 Return now. In line 6 the ground term stored in time-now is reduced to the ground term which has been chosen to represent this time value in the rest of the system.

\subsection*{4.4 Informal Tick Processor}

\section*{tick processor ( ) \(\triangleq\)}

1 cycle \(\{\) (output mk-Time() to timer;
2
/* models informally the interval between consecutive ticks */)\}
type: \(\quad() \Rightarrow\)

\section*{4.5}

\section*{Path Processor}

This processor uses the internal domain Path-queue to represent the internal queue of signals. Each Path-queue-item contains the SDL identifier of the signal, the list of SDL data values carried by the signal, the sender Pid value, the II value of the receiving process-set-admin instance, and an optional receiver Pid value.
```

Path-queue = Path-queue-item*
Path-queue-item = Signal-identifier }\mp@subsup{}{1}{}\mathrm{ Value-List Sender-Value
Receiver-Admin [Receiver-Value]
Receiver-Admin =II(process-set-admin)

```

\subsection*{4.5.1 The Processor}
```

path processor (delayf)}

```
```

        (dcl pqueue := <> type Path-queue;
        cycle {input mk-Queue-Signal(sid, vl, se, readmin, re) from system
            => (pqueue := c pqueue * \langle(sid, vl, se, readmin, re)\rangle),
            (if c pqueue }\not=\langle\rangle\wedge\\operatorname{delayf}()\mathrm{ then
            (def (sid, vl, se, readmin, re) : hd c pqueue
            output mk-Signal-Delivered(sid, vl, se, re) to readmin;
            pqueue := tl c pqueue)
            else
            I)})
    type: DelayF }

```

Objective Interpret the potential delay in a communication path. An instance exists for each sequence of delaying channel paths originating from some SDL process or service or from the system environment.

\section*{Parameters}
delayf A function delivering a Bool value at random. Used for modelling delay on channels

\section*{Algorithm}

Line 3 Insertion of a signal into the queue of the path.
Line 4 This clause models the non-deterministic delay on the path. The delivery of a signal may only take place if pqueue is non-empty and delayf yields true. Otherwise a new iteration of the cycle is initiated.

Line 5-6 Deliver the first signal in the queue to the process-set-admin instance.
Line 7 Remove the output signal from the queue.

\subsection*{4.6 Process Set Administrating Processor}

This processor is the entry point for interpretation of an SDL process instance set and manages directly or indirectly all other processor instances concerned with interpreting the given SDL process instance set.
process-set-admin processor (prid, delayf \()(\) dict \() \triangleq\)
```

    (dcl pidno := 0 type \(N_{0}\);
    dcl instancemap := [] type II(sdl-process) \(\rightarrow\) Pid-Value;
    dcl queuemap := [] type Pid-Value \(\rightarrow\) II(input-port);
    cycle \{input mk-Create-Instance-Request 1 (vl, par, offspr) from system
            \(\Rightarrow\) handle-create-instance-request 1 (prid, \(v l\), par, offspr, delayf)(dict),
        input mk-Stop-Instance() from body
            \(\Rightarrow\) handle-stop-instance(body),
        input mk-Signal-Delivered (sid, vl, se, re) from ...
            \(\Rightarrow \quad\) handle-signal-delivered(sid, \(v l\), se, re) \})
    type: $\quad$ Process-identifier ${ }_{1}$ Delay $F \rightarrow$ Entity-dict $\Rightarrow$

```

Objective Interpret an SDL process instance set.

\section*{Parameters}
prid The identifier of the SDL process instance set.
delayf A function delivering a Bool value at random. The function is used to model the unstability of SDL states containing spontaneous transitions.

\section*{Algorithm}

Line 1 Declare a variable for keeping track of the number of living process instances in the SDL process instance set. The variable is used for ensuring that the maximum number of instances is never exceeded.

Line 2 Declare a variable mapping the II value of each sdl-process instance to the Pid value of the SDL process instance that it interprets. The variable is only used when an SDL process instance stops.
Line 3 Declare a variable mapping the Pid value of each SDL process instance to the II value of the inputport processor which models its input port queue.

Line 4-9 Handle all meta-communication of process-set-admin after initialisation. The handling of each input is described in a specific handling function.
```

    (let omax = s-Maximum(dict((prid, PROCESS))) in
    def exceed : omax = nil ^ c pidno = omax;
    if \negexceed then
            (def inport : start input-port(prid, offspring, delayf, self)(dict);
            def body: start sdl-process(prid, vl, parent, offspring)(dict + [ADMIN }\mapsto\mathrm{ self]);
            output mk-Body-Created(body) to inport;
            output mk-Inport-Created(inport) to body;
            input mk-Instance-Created() from body
            # (pidno:= c pidno + 1;
                instancemap := c instancemap + [body \mapsto offspring];
                    queuemap := c queuemap + [offspring }\mapsto\mathrm{ inport ]))
    else
    I;
    output mk-Create-Instance-Answer1(exceed) to system)
    ```
type: \(\quad+\) Process-identifier \({ }_{1}\) Value-List Parent-Value Offspring-Value-set DelayF \(\rightarrow\) Entity-dict \(\Rightarrow\)

Objective Handle incoming create instance request.

\section*{Parameters}
prid The identifier of the SDL process instance set.
\(v l \quad\) The list of actual parameter values.
parent \(\quad\) The Pid value of the creating process instance (Null for a system start up create request).
offspring \(\quad\) The Pid value of the new process instance if it can be created.
delayf The function for modelling the unstability of SDL states containing spontaneous transitions.

\section*{Algorithm}

Line 1-2 Obtain the optional maximum number of instances for this process instance set and check whether creation of a new instance would violate this maximum. If omax is nil the number of instances is unbounded.

Line 3-13 If the maximum number of instances already exists, then do not create a new instance.
Line 4-5 Start one input-port instance and one sdl-process instance. The dict is updated with the II value of the process-set-admin before it is transferred to the sdl-process instance.

Line 6-7 Send the II value of the sdl-process to the input-port and vice versa such that they are able to address each other when they want to communicate with each other.

Line \(8 \quad\) Wait for an initialization acknowledgement from the sdl-process.
Line 9-11 Update the process set administrating variables with the new SDL process instance.
Line 14 Tell the system whether or not a new SDL process instance could be created.
handle-stop-instance(body) \(\triangle\)
(def pid : c instancemap(body);
pidno := \(\mathbf{c}\) pidno - 1 ;
instancemap := c instancemap \(\backslash\{\) body \(\}\);
queuemap : = c queuemap \(\backslash\{\) pid \(\}\) )
type: \(\quad I(\) (sdl-process) \(\Rightarrow\)

Objective Handle the stopping of an SDL process instance belonging to the process instance set.

\section*{Parameters}
body \(\quad\) The II value of the sdl-process which interprets the body of the stopping SDL process instance.
```

Algorithm
Line 1 Get the SDL Pid value of the stopping process instance.
Line 2-4 Remove the process instance from the process set administrating variables.

```
handle-signal-delivered(sid, vl, se, re)
```

```
handle-signal-delivered(sid, vl, se, re)
```

```
    def re' : get-receiver(re, dom c queuemap);
```

    def re' : get-receiver(re, dom c queuemap);
    if re
    if re
        output mk-Queue-Signal1(sid, vl, se) to c queuemap(re')
        output mk-Queue-Signal1(sid, vl, se) to c queuemap(re')
        else
        else
        I)
        I)
    type: Signal-identifier 1 Value-List Sender-Value [Receiver-Value] }
type: Signal-identifier 1 Value-List Sender-Value [Receiver-Value] }
Objective Find a receiver of an incoming signal or discard it.

```

\section*{Parameters}
```

sid The signal identifier.
vl The list of data values carried with the signal.
se The sender Pid value.
re The optional receiver Pid value.

```
```

Algorithm
Line 1 Obtain a possible receiver, if any, of the signal.
Line 5 Otherwise discard the signal.
get-receiver(re, pids)

```

\section*{if \(r e=\) nil then}
```

            (if pids = {} then
            (let re' }\in\mathrm{ pids in
            re')
            else
            nil)
        else
        (if re\in pids then
            re
            else
            nil)
        [Receiver-Value] Pid-Value-set }->\mathrm{ [Pid-Value]
    ```
    Line 2-3 If there is a possible receiver, then deliver the signal to the input port of the chosen receiver.

Objective Obtain the Pid value of a possible receiver, if any, of a signal which conveys an optional receiver Pid value.

\section*{Parameters}
\begin{tabular}{cl} 
re & The optional receiver Pid value conveyed with the signal. \\
pids & \begin{tabular}{l} 
The set of Pid values of process instances currently alive.
\end{tabular} \\
Result & If a possible receiver exists, then its Pid value, else nil. \\
Algorithm & \begin{tabular}{l} 
Two cases are distinguished: The case where the signal does not carry an explicit receiver Pid value \\
is handled by lines 2-6; the case where the signal carries an explicit receiver Pid value is handled by \\
lines 8-11.
\end{tabular} \\
Line 2-3 & \begin{tabular}{l} 
If the process instance set currently contains any living instances, then select an arbitrary one as \\
receiver.
\end{tabular} \\
Line 6 & \begin{tabular}{l} 
Otherwise indicate that no receiver can be found.
\end{tabular} \\
Line 8-9 & \begin{tabular}{l} 
If the intended receiver of the signal is alive, then return its Pid value.
\end{tabular} \\
Line 11 & \begin{tabular}{l} 
Otherwise indicate that the intended receiver is not alive.
\end{tabular}
\end{tabular}

\subsection*{4.7 Input-Port Processor}

This processor implements the unbounded buffers of SDL process instances, and timers. Furthermore, for modeltechnical reasons (the need to avoid deadlock between an input-port instance and an sdl-process instance belonging together) the input-port processor also handles the concept of spontaneous transitions.
The input-port processor uses internally some auxiliary domains.
1 Inport-queиe = Inport-queue-item*
2 Inport-queue-item \(=\) Signal-identifier \(_{1}\) Value-List Sender-Value
The domain Inport-queue is used to represent the internal queue of signals in the input port. Each Inport-queue-item contains the SDL identifier of the signal, the list of SDL data values carried by the signal, and the sender Pid value.
The domain Inport-queue is handled by functions which have been defined separately from the input port processor functions.
\[
3 \text { Timer-table } \quad=\left(\text { Timer-identifier }_{1} \text { Arglist }\right)_{\mathrm{m}}^{\rightarrow}[\text { Timeout-Value }]
\]

The domain Timer-table is used to keep track of active timers. Each (Timer-identifier \({ }_{1}\), Arglist) pair represents one active timer instance and is mapped to the expiration time value of the timer instance ([Timeout-Value]). The [Timeout-Value] becomes nil, when the timer instance expires and the corresponding signal is placed in the input port queue. The timer instance is removed from the timer table when the corresponding signal is consumed by the SDL process body.
```

4.7.1 The Processor
input-port processor (prid, selfpid, delayf, admin)(dict)\triangleq
(dcl queue := empty-inport-queue() type Inport-queue;
dcl timers:= [] type Timer-table;
dcl waiting:= false type Bool;
dcl saveset type Signal-identifier
dcl spont type Spontaneous-Present;
(input mk-Body-Created(body) from admin
=> (let mk-Identifier }\mp@subsup{}{1}{}(qual,nm)=\mp@subsup{\mathrm{ prid,}}{}{\prime
level = qual - <\mathbf{mk}-\mp@subsup{\mathrm{ Process-qualifier }}{1}{}(nm)\rangle in
let dict'}=\mathrm{ dict + [SCOPEUNIT }\mapsto\mathrm{ level,
SELF }\quad\mapsto\mathrm{ selfpid] in
cycle {input mk-Stop-Input-Port() from body
=> stop,
input mk-Queue-Signal1(sid, vl, se) from admin
=> handle-queue-signal1(sid,vl, se, delayf, body),
input mk-Next-Signal(saveset', spont') from body
=> handle-next-signal(saveset', spont', delayf, body),
(handle-spontaneous-transition(delayf, body)),
input mk-Set-Timer(tid, al, tv) from body
handle-set-timer(tid, al, tv, delayf, body)(dict'),
input mk-Reset-Timer(tid, al) from body
h handle-reset-timer(tid,al),
input mk-Active-Request(tid, al) from body
handle-active-request(tid, al, body),
(output mk-Time-Request() to timer;
handle-time-request(delayf, body)(dict'))})))
type: Process-identifier }\mp@subsup{}{1}{}\mathrm{ Pid-Value DelayF II(process-set-admin) }->\mathrm{ Entity-dict }

```

\section*{Objective Model the input port of an SDL process instance. One input-port instance exists for each SDL process} instance.

\section*{Parameters}
prid
selfpid
delayf Bool function used to model the unstability of SDL states containing spontaneous transitions.
admin \(\quad\) The II value of the process-set-admin instance administrating this input-port instance.

\section*{Algorithm}

Line 1 Let queue denote the unbounded buffer of the SDL process instance and initialise it to the empty queue.

Line 2 Let timers denote the table of active timer instances and initialise it to the empty table.
Line 3 Let waiting denote whether sdl-process is waiting for reply after a request for Next-Signal which could not be answered immediately because queue was empty, or because all signals present in the queue had to be saved. Initially the sdl-process does not wait for a reply.

Line 4 Let saveset denote the save signal set when the sdl-process is ready to receive the next signal. The contents of this variable only makes sense when the variable waiting is true.

Line 5 Let spont denote whether the SDL state in which the sdl-process is waiting contains spontaneous transitions. The contents of this variable only makes sense when the variable waiting is true.

Line 6 Obtain the II value of the sdl-process instance with which this input-port instance should communicate.

Line 7-10 Construct the qualifier denoting the process instance set and insert this qualifier in the Entity-dict together with the Pid value of the SDL process instance owning the input port.

Line 11 Is the entry of the main cycle of input-port.
Line 15 Note: this input cannot always be answered immediately. The reason for introducing the variables waiting, saveset and spont is the save construct. If a pure queue structure, then an input guard could be used to exclude communication of Next-Signal in case of an empty queue.

Line 17 This cycle branch models the unstability of SDL states containing spontaneous transitions. As this branch is not guarded, it can be taken at any time independently of the other branches. See handle-spontaneous-transition for further details on the handling of spontaneous transitions.

Line 24 Include one output in this scheme. It is the repeated request for the current time from the timer.
```

handle-queue-signal1(sid,vl, se, delayf,body)\triangleq
(queue := add-signal-inport-queue(c queue, (sid,vl, se));
if c waiting then
try-to-make-transition(delayf, body)
else
I)
type: Signal-identifier (Value-List Pid-Value DelayF II(sdl-process) }

```

Objective A signal has been received from some SDL process instance, or a timer instance has expired. Put the signal in the input port queue. Thereafter, if the SDL process body is waiting in a state, then make it perform a transition if possible.

\section*{Parameters}
sid \(\quad\) Signal to be inserted.
\(v l \quad\) Its optional list of values.
se \(\quad\) Sender Pid value of the signal.
delayf The Bool function modelling the unstability of SDL states containing spontaneous transitions. Used if the SDL process body is waiting in a state and this state has spontaneous transitions.
body \(\quad\) The II value of the sdl-process instance interpreting the SDL process body.

\section*{Algorithm}

Line \(1 \quad\) Concatenate the signal to queue.
Line 2-3 If the SDL process body is waiting in a state then make it perform a transition if possible.
handle-next-signal(saveset', spont' \({ }^{\prime}\) delayf, body \() \triangleq\)
```

(waiting := true;
saveset := saveset';
spont := spont';
try-to-make-transition(delayf, body))
type: Signal-identifier}\mp@subsup{1}{1}{}\mathrm{ -set Spontaneous-Present DelayF II(sdl-process) }

```

Objective The SDL process body has entered a new state. Make it perform a transition if possible.

\section*{Parameters}
saveset \(\quad\) The save set for the state.
spont' An indication of whether the state contains spontaneous transitions.
delayf The Bool function modelling the unstability of SDL states containing spontaneous transitions.
body \(\quad\) The II value of the sdl-process instance interpreting the SDL process body.

\section*{Algorithm}

Line \(1 \quad\) Set waiting to true to indicate that the SDL process body is waiting in a state.
Line 2-3 Keep track of the save set of the SDL state, and whether it has spontaneous transitions.
Line \(4 \quad\) Make the SDL process body perform a transition if possible.
handle-spontaneous-transition(delayf, body) \(\triangleq\)
```

if $\mathbf{c}$ waiting $\wedge \mathbf{c}$ spont $\wedge \operatorname{delayf()}$ then
deliver-spontaneous-signal(body)
else
I
type: $\quad$ DelayF II(sdl-process) $\Rightarrow$

```

Objective Model the unstability of SDL states containing spontaneous transitions.

\section*{Parameters}
delayf The Bool function modelling the unstability.
body \(\quad\) The II value of the sdl-process instance interpreting the SDL process body.

\section*{Algorithm}

Line 1-2 If the SDL process body is waiting in a state, this state has spontaneous transitions, and the "unstability" function delayf yields true, then make the SDL process body perform a spontaneous transition.
```

(def possible-actions : (if next-signal-inport-queue $(\mathbf{c}$ queue, $\mathbf{c}$, saveset) $\neq$ nil then
\{INPUTSIGNAL\}
else
(\}) $\cup$
(if $\mathbf{c}$ spont $\wedge \operatorname{delayf}()$ then $\{S P O N T S I G N A L\}$ else $\}$ );
if possible-actions $\neq\{ \}$ then
(let action $\in$ possible-actions in
cases action:
(INPUTSIGNAL $\rightarrow$ deliver-input-signal(body),
SPONTSIGNAL $\rightarrow$ deliver-spontaneous-signal(body)))
else
I)
type: $\quad$ DelayF II(sdl-process) $\Rightarrow$

```

Objective \(\quad\) The SDL process body is waiting in a state. Make it perform a transition if possible.

\section*{Parameters}
delayf The Bool function modelling the unstability of SDL states containing spontaneous transitions.
body \(\quad\) The II value of the sdl-process instance interpreting the SDL process body.

\section*{Algorithm}

Line 1-5 Based on the contents of the variables queue, saveset, spont and the result of calling the "unstability" function delayf, compute a set of possible actions as follows:

Line 1 If the input port queue contains a signal which is not in the save set, the input port is able to deliver a signal to the SDL process body.

Line 5 If the SDL state has spontaneous transitions, and delayf yields true, the input port is able to (make the process body) initiate a spontaneous transition.

Line 6,12 If no actions are possible, the SDL process body keeps waiting.
Line \(7 \quad\) Select (one of) the possible action(s).
Line 9 If the chosen action is the delivery of a signal to the process body, then perform this action.
Line 10 If the chosen action is the initiation of a spontaneous transition, then perform this action.
```

deliver-input-signal(body)
(def (sid, $v l$, se) : next-signal-inport-queue(c queue, $\mathbf{c}$ saveset);
output mk-Input-Signal(sid, vl, se) to body;
queue := remove-signal-inport-queue(c queue, c saveset);
if (sid,vl)\in dom c timers then
timers := c timers \{(sid,vl)}
else
I;
waiting := false)
type: }\quadI(\mathrm{ (sdl-process) }

```

Objective The SDL process body is waiting in a state, and the input port has decided to deliver a signal to the body. Deliver the signal.

\section*{Parameters}
body \(\quad\) The II value of the sdl-process instance interpreting the SDL process body.

\begin{abstract}
Algorithm
Line 1 Get the signal to be delivered, taking into account the save set.
Line 2 Deliver the signal.
Line 3 Remove the signal from the input port queue.
Line 4-5 If the signal is a timer signal, then remove it from the table of active timer instances.
Line \(8 \quad\) Indicate that the SDL process body is no longer waiting in a state.
\end{abstract}
deliver-spontaneous-signal(body) \(\triangleq\)
1 (output mk-Spontaneous-Signal() to body;
2 waiting := false)
type: \(\quad I I(\) sdl-process \() \Rightarrow\)
Objective The SDL process body is waiting in a state containing spontaneous transitions, and the input port has decided to initiate one of these. Do this.

\section*{Parameters}
body \(\quad\) The II value of the sdl-process instance interpreting the SDL process body.

body \(\quad\) The II value of the sdl-process instance interpreting the SDL process body.

\section*{Algorithm}

Line \(1 \quad\) Reset the timer instance if it is already active.
Line \(2 \quad\) Update the map of active timers.
Line 3-4 Query the current time and make the timer instance expire immediately if its expiration time is less than or equal to now.
handle-reset-timer \((t i d, a l) \triangleq\)
1 (timers := \(\mathbf{c}\) timers \(\backslash\{(\) tid, al \()\}\);
2 queue := remove-timer-signal(tid, al, c queue))
type: \(\quad\) Timer-identifier \({ }_{1}\) Arglist \(\Rightarrow\)
Objective Reset a timer instance.

\section*{Parameters}
tid Identifier of the timer.
al Argument value list of the timer.

\section*{Algorithm}

Line 1 Remove the timer instance from the table of active timers.
Line 2 Remove the corresponding timer signal from the input port queue if it has been placed there.
handle-active-request(tid, al, body \() \triangleq\)
\(1 \quad(\) def stat \(:(\) tid, al \() \in\) dom c timers;
2 output mk-Active-Answer (stat) to body)
type: \(\quad\) Timer-identifier \({ }_{1}\) Arglist II(sdl-process) \(\Rightarrow\)
Objective Supply the answer to a timer active expression.
Parameters
tid Identifier of the timer.
al Argument value list of the timer.
body \(\quad\) The II value of the sdl-process instance interpreting the SDL process body.

\section*{Algorithm}

Line 1 Let stat denote true if the specified timer is active, otherwise false.
Line 2 Use this value as parameter in the output to sdl-process.
```

(input mk-Time-Answer ( $t$ ) from timer
$\Rightarrow \quad$ for all $(t i d, a l) \in \operatorname{dom} \mathbf{c}$ timers do
(def expt : c timers((tid, al));
if $\operatorname{expt} \neq \mathbf{n i l} \wedge$
reduce-term $(\operatorname{dict}(\mathrm{EXPIREDF})(\operatorname{expt}, t), \operatorname{dict}(\mathrm{SCOPEUNIT}))(\operatorname{dict})=\operatorname{dict}($ TRUEVALUE $)$ then
(timers := c timers + [(tid, al) $\mapsto$ nil];
handle-queue-signal1(tid, al, dict(SELF), delayf, body))
else
I))
DelayF II(sdl-process) $\rightarrow$ Entity-dict $\Rightarrow$

```

Objective Handle the comparison with the current time for all active, not yet expired timer instances. Place all expired timer instances in the input port queue.

\section*{Parameters}
delayf The function modelling the unstability of SDL states containing spontaneous transitions.
body \(\quad\) The II value of the sdl-process instance interpreting the SDL process body.

\section*{Algorithm}

Line \(1 \quad\) Obtain the current time from the timer processor instance.
Line 2 Start the examination of all active timer instances. For each active timer instance do the following:
Line 3 Obtain the optional expiration time of the timer instance.
Line 4-5 If the timer instance has not already expired but should do this now, then do the following:
Line 6 Clear the expiration time for the timer instance.
Line \(7 \quad\) Enqueue the timer signal in the input port queue.
```

4.7.2 Input Port Queue Auxiliary Functions
empty-inport-queue()
1 〈〉
type: $\quad \rightarrow$ Inport-queue
Objective Return an empty input port queue.
Result The empty queue.
add-signal-inport-queue $(q, q i) \triangleq$
$1 \quad q^{*}\langle q i\rangle$
type: $\quad$ Inport-queue Inport-queue-item $\rightarrow$ Inport-queue
Objective Enqueue a signal in an input port queue.

```

\section*{Parameters}
```

| $q$ | The old queue. |
| :--- | :--- |
| $q i$ | The new signal. |

Result The queue including the new signal.
next-signal-inport-queue $(q$, saveset $) \triangleq$

```
```

    ( \(q=\langle \rangle\)
    ```
    ( \(q=\langle \rangle\)
        \(\rightarrow\) nil,
        \(\rightarrow\) nil,
    s-Signal-identifier \({ }_{1}(\mathbf{h d} q) \notin\) saveset
    s-Signal-identifier \({ }_{1}(\mathbf{h d} q) \notin\) saveset
        \(\rightarrow \mathbf{h d} q\),
        \(\rightarrow \mathbf{h d} q\),
    \(\top \rightarrow\) next-signal-inport-queue \((\mathbf{t l} q\), saveset \()\) )
    \(\top \rightarrow\) next-signal-inport-queue \((\mathbf{t l} q\), saveset \()\) )
type: Inport-queue Signal-identifier \({ }_{1}\)-set \(\rightarrow\) [Inport-queue-item]
```

type: Inport-queue Signal-identifier ${ }_{1}$-set $\rightarrow$ [Inport-queue-item]

```

Objective Obtain the next signal, which is not to be saved, from an input port queue.
Parameters
\(q\)
saveset
Result

The queue.
The save set.
The next signal to be delivered from the queue, if any, otherwise nil.

\section*{Algorithm}

Line 1-2 If the queue is empty, no signal can be obtained.
Line 3-4 If the first signal in the queue is not in the save set, then return this signal.
Line \(5 \quad\) Otherwise examine the rest of the queue.
remove-signal-inport-queue \((q\), saveset \() \triangleq\)
\(1 \quad\) (s-Signal-identifier \({ }_{1}(\mathbf{h d} q) \notin\) saveset
\(2 \rightarrow \mathbf{t l} q\),
\(3 \quad \top \rightarrow\langle\mathbf{h d} q\rangle\) remove-signal-inport-queue \((\mathbf{t l} q\), saveset \()\) )
type: \(\quad\) Inport-queue Signal-identifier \({ }_{1}\)-set \(\rightarrow\) Inport-queue
Objective Remove the next signal from an input port queue, taking into consideration a save set. The function assumes that the queue contains signals not to be saved.

\section*{Parameters}
\(q \quad\) The old queue.
saveset The save set.
Result The queue where the signal has been removed.

\section*{Algorithm}

Line 1-2 If the first signal in the queue is not in the save set, then remove this signal.
Line \(3 \quad\) Otherwise keep the first signal and remove a signal from the rest of the queue.
remove-timer-signal(tid, al, q) \(\triangleq\)
\[
\begin{array}{lr}
1 & \langle q[i]| 1 \leq i \leq \operatorname{len} q \wedge  \tag{4.7.2.5}\\
2 & (\text { let }(\text { sid }, v l,)=q[i] \text { in } \\
3 & \neg(s i d=t i d \wedge v l=a l))\rangle
\end{array}
\]
type: \(\quad\) Timer-identifier \({ }_{1}\) Arglist Inport-queue \(\rightarrow\) Inport-queue
Objective Remove a timer signal, if present, from an input port queue because the corresponding timer instance is being reset.

\section*{Parameters}
tid The identifier of the timer.
al The argument value list of the timer instance.
\(q \quad\) The queue.
Result The queue where the timer signal has been removed.

\section*{Algorithm}

Line \(1 \quad\) Select all queue signals which fulfil the condition in line 2-3. Note that the nature of SDL and the formal model implies that at most one signal will be removed from the queue.

Line \(2 \quad\) Obtain the signal identifier and value list of each queue signal.
Line 3 Keep the queue signal if it does not denote the same timer instance as the one to be removed.

\section*{5 The SDL-Process and SDL-Service}

This section describes how the META-IV processors sdl-process and sdl-service interpret (the body of an SDL process instance resp. an SDL service instance.

Each sdl-process and sdl-service instance has a local storage, the type of which is given by:
1 Stg \(=\) Identifier \(_{1} \rightarrow\) (Value \(\mid\) UNDEFINED)

\subsection*{5.1 The sdl-process Processor}

An instance of the sdl-process processor is created by its managing process-set-admin instance each time an SDL process instance is created. The sdl-process instance first performs the necessary initial setup and then interprets the process graph or service decomposition. When the SDL process instance ceases to exist the necessary cleanup is performed, and the sdl-process instance ceases to exist.

If the SDL process is not decomposed into services the interpreting sdl-process instance interprets its process graph. Otherwise it creates one instance of the sdl-service processor for each contained service and manages these sdl-service instances. In the latter case all meta-communication between process-set-admin and input-port on one side and sdlservice on the other goes through the sdl-process instance.
sdl-process processor (prid, actparml, parentp, selfp) \((\) dict \() \triangleq\)
            def dict" : modify-process-vardds(prid, stg)(dict');
            trap exit () with error in
            (create-process-vars(prid, actparml)(dict");
            int-process-graph-or-service-decomp(prid)(dict')))))
type: \(\quad\) Process-identifier \({ }_{1}\) Value-List Pid-Value Pid-Value \(\rightarrow\) Entity-dict \(\Rightarrow\)

Objective Interprets the body of an SDL process instance.

\section*{Parameters}
prid The SDL identifier of this process instance set.
actparml The list of actual parameter values.
parentp The SDL Pid value of the process instance that created this one.
selfp \(\quad\) The SDL Pid value of this process.
```

Algorithm
Line 1-2 Declare the variables sender and offspring, both initialized to the Pid value Null.
Line 3 Declare a variable stg which is to be the local storage of this SDL process instance and initialize it
to be empty.
Line 4-6 These three variables are only used if the SDL process is decomposed into services. Their purpose
is:
Line 4 The variable servinstmap contains at any time the set of living service instances owned by this SDL
process instance. It maps each II value of an interpreting sdl-service instance to the SDL identifier
of the service which it interprets. The map is used to direct SDL signals from the input port to the
right service.
Line $5 \quad$ The variable savemap contains a map from the SDL identifier of each living service instance to the save set of the state in which it is currently waiting.
Line 6 The variable spontmap contains a map which for each SDL identifier of a living service instance tells whether or not it is waiting in a state having spontaneous transitions.
Line $7 \quad$ Obtain the II value of the input-port instance with which this sdl-process instance should communicate.
Line 8-9 Construct the qualifier for the SDL process set.
Line 10-15 Enter the following information into the Entity-dict: The current scope unit, the Pid value of the SDL process instance (self), the Pid value of its parent, a pointer to each of the meta-variables holding the Pid values of its offspring and sender, and the II value of the input-port instance used. The reason that the metavariables sender and offspring are accessed via pointers is that if the SDL process is decomposed into services these meta-variables will be shared between several sdl-service instances.
Line 16 For all variables declared in this SDL process (including process formal parameters), modify their descriptors such that they can be used for interpreting the process graph/service decomposition.
Line 17 Trap any exit with error.
Line $18 \quad$ Create all process local SDL variables in the local storage.
Line 19 Interpret the process graph/service decomposition of the SDL process.
modify-process-vardds(prid, stgref) $($ dict $) \triangleq$

```
        (let allvars \(=\{\) varid \(\mid(\) varid, VALUE\() \in \operatorname{dom}\) dict \(\wedge\) enclosing-scopeunit \((\) varid \()=\) prid \(\wedge\)
```

        (let allvars \(=\{\) varid \(\mid(\) varid, VALUE\() \in \operatorname{dom}\) dict \(\wedge\) enclosing-scopeunit \((\) varid \()=\) prid \(\wedge\)
            is- \(\operatorname{VarDD}(\operatorname{dict}((\) varid, VALUE) \())\}\) in
            is- \(\operatorname{VarDD}(\operatorname{dict}((\) varid, VALUE) \())\}\) in
        dict \(+[(\) varid, VALUE \() \mapsto\) mk-VarDD(varid, sort, oinit, rev, stgref) \(\mid\)
        dict \(+[(\) varid, VALUE \() \mapsto\) mk-VarDD(varid, sort, oinit, rev, stgref) \(\mid\)
        varid,\(\in\) allvars \(\wedge \mathbf{m k}-\operatorname{VarDD}(\), sort, oinit, rev, \()=\operatorname{dict}((\) varid, VALUE \())])\)
        varid,\(\in\) allvars \(\wedge \mathbf{m k}-\operatorname{VarDD}(\), sort, oinit, rev, \()=\operatorname{dict}((\) varid, VALUE \())])\)
    type: $\quad$ Process-identifier ${ }_{1}$ ref Stg $\rightarrow$ Entity-dict $\rightarrow$ Entity-dict
type: $\quad$ Process-identifier ${ }_{1}$ ref Stg $\rightarrow$ Entity-dict $\rightarrow$ Entity-dict
Objective Modify the Entity-dict descriptors for the variables (including process formal parameters) local to a given SDL process such that they can be used for interpretation of its process graph/service decomposition.

```

\section*{Parameters}
```

prid The identifier of the SDL process.
stgref $\quad$ A pointer to the storage where the variables will be stored.
Result An Entity-dict where the descriptors have been updated.

```

\section*{Algorithm}

Line 1-2 Obtain the set of all variables (including process formal parameters) which are declared in the SDL process.

Line 3-4 For each variable in this set, update its descriptor such that it points to the storage where its value will be stored, and the variable identifier itself will be used as "address" for its value in the storage.
```

create-process-vars(prid, actparml)(dict)}
(let mk-ProcessDD(parmddl, , ,) = dict((prid, PROCESS)),
alvars }={\mathrm{ varid }|(\mathrm{ varid, VALUE) }\in\boldsymbol{dom}\mathrm{ dict }\wedge enclosing-scopeunit(varid ) = prid ^
is-VarDD(dict((varid, VALUE)))} in
for }i=1\mathrm{ to len parmddl do
update-stg(parmddl[i], actparml[i])(dict);
create-local-vars(allvars \elems parmddl)(dict))
type: Process-identifier }\mp@subsup{1}{1}{}\mathrm{ Value-List }->\mathrm{ Entity-dict }

```

Objective Create all process local variables (including process formal parameters) in their storage. Process formal parameters are initialized with the corresponding actual parameter values.

\section*{Parameters}
prid The identifier of the SDL process.
actparml The list of actual parameter values.

\section*{Algorithm}

Line \(1 \quad\) Obtain the list of formal parameter descriptors for the process.
Line 2-3 Obtain the set of all variables declared in the SDL process.
Line 4-5 Create each formal parameter in the storage with the corresponding actual parameter value as initial value.

Line \(6 \quad\) Create all "purely local" variables in the storage.
```

create-local-vars(vars)(dict )}

```
```

for all varid $\in$ vars do

```
for all varid \(\in\) vars do
(let \(\mathbf{m k}-\operatorname{var} D D(\), , oinit,,\()=\operatorname{dict}((\) varid, VALUE) \()\) in
(let \(\mathbf{m k}-\operatorname{var} D D(\), , oinit,,\()=\operatorname{dict}((\) varid, VALUE) \()\) in
    let init \(=\) eval-ground-expression \((\) oinit \()(\) dict \()\) in
    let init \(=\) eval-ground-expression \((\) oinit \()(\) dict \()\) in
    update-stg-dcl(varid, init)(dict))
    update-stg-dcl(varid, init)(dict))
type: \(\quad\) Variable-identifier \({ }_{1}\)-set \(\rightarrow\) Entity-dict \(\Rightarrow\)
```

type: $\quad$ Variable-identifier ${ }_{1}$-set $\rightarrow$ Entity-dict $\Rightarrow$

```

Objective Create all "purely process local" variables in their storage, possibly initialized with some value.

\section*{Parameters}
vars The set of local variables.

\section*{Algorithm}

Line 1 For each variable do the following:
Line 2-3 Evaluate the optional initialisation expression for the variable.
Line 4 Create the variable in the storage with the initialization value or "undefined" as initial value. If the initial value is outside the range of the sort/syntype of the variable, its initial value becomes "undefined" rather than giving rise to a range check error.
int-process-graph-or-service-decomp \((\) prid \()(\) dict \() \triangleq\)
```

(output mk-Instance-Created() to dict(ADMIN);
(let-mk-ProcessDD(, , , ograph,) = dict((prid, PROCESS)) in
if ograph}\not=\mathrm{ nil then
int-process-graph(ograph)(dict)
else
int-service-decomp(prid)(dict));
output mk-Stop-Instance() to dict(ADMIN);
output mk-Die(dict(SELF), prid) to view)

```
type: \(\quad\) Process-identifier \({ }_{1} \rightarrow\) Entity-dict \(\Rightarrow\)

Objective Interpret the process graph/service decomposition of an SDL process.

\section*{Parameters}
prid The SDL identifier of the process.

\section*{Algorithm}

Line 1 Send an initialization acknowledgement to the process-set-admin instance managing the process.
Line \(2 \quad\) Obtain the (optional) process graph of the SDL process.
Line 3-6 If the process graph is present then interpret it (line 4). Otherwise the process is decomposed into services and these are interpreted (line 6).

Line 7 Tell the managing process-set-admin instance that this SDL process instance is stopping.
Line \(8 \quad\) Tell the view processor that it should remove any variables revealed by the stopping SDL process instance.
int-process-graph \((\) graph \()(\) dict \() \triangleq\)
1 (trap-exit(STOP) with I in
2 int-graph(graph)(dict))
type: \(\quad\) Process-graph \(\rightarrow\) Entity-dict \(\Rightarrow\)
Objective Interpret the body of an SDL process which is not decomposed into services.

\section*{Parameters}
graph The process graph.

\section*{Algorithm}

Line 1-2 Start interpretation of the graph nodes. A stop node in the graph will cause an exit(STOP) to be performed which will be trapped in line 1 .
int-service-decomp \((\) prid \()(\) dict \() \triangleq\)
(start-services(prid)(dict);
2 exec-service-starts(dict);
3 exec-service-states(dict))
type: \(\quad\) Process-identifier \({ }_{1} \rightarrow\) Entity-dict \(\Rightarrow\)

Objective Interpret the body of an SDL process which is decomposed into services. The function does not perform the execution itself but creates and manages the sdl-service instances which are required for interpreting the services.

\section*{Parameters}
prid The SDL identifier of the process.
```

Algorithm
Line 1 Start one instance of each service and wait until they are all ready to execute their start transitions.
Line 2 Manage the execution of the start transitions of the services.
Line 3 Manage the execution of the state transitions of the services as long as there are still SDL services
alive.
start-services(prid)(dict)\triangleq

```
```

    \((\) let servset \(=\{\) servid \(\mid(\) servid, SERVICE \() \in \operatorname{dom}\) dict \(\wedge\) enclosing-scopeunit \((\) servid \()=\) prid \(\}\) in
    ```
    \((\) let servset \(=\{\) servid \(\mid(\) servid, SERVICE \() \in \operatorname{dom}\) dict \(\wedge\) enclosing-scopeunit \((\) servid \()=\) prid \(\}\) in
    for all servid \(\in\) servset do
    for all servid \(\in\) servset do
    (let dict \(t^{\prime}=\) dict \(+[\) ADMIN \(\mapsto\) self,
    (let dict \(t^{\prime}=\) dict \(+[\) ADMIN \(\mapsto\) self,
                PORT \(\mapsto\) self] in
                PORT \(\mapsto\) self] in
    def servbody : start sdl-service(servid)(dict');
    def servbody : start sdl-service(servid)(dict');
    servinstmap := \(\mathbf{c}\) servinstmap \(+[\) servbody \(\mapsto\) servid \(]\);
    servinstmap := \(\mathbf{c}\) servinstmap \(+[\) servbody \(\mapsto\) servid \(]\);
    input mk-Instance-Created () from servbody
    input mk-Instance-Created () from servbody
            \(\Rightarrow\) I);
            \(\Rightarrow\) I);
        output mk-Instance-Created() to \(\operatorname{dict}(\mathrm{ADMIN})\) )
        output mk-Instance-Created() to \(\operatorname{dict}(\mathrm{ADMIN})\) )
type: \(\quad\) Process-identifier \({ }_{1} \rightarrow\) Entity-dict \(\Rightarrow\)
```

type: $\quad$ Process-identifier ${ }_{1} \rightarrow$ Entity-dict $\Rightarrow$

```

Objective Create SDL service instances for a new SDL process instance.

\section*{Parameters}
prid The SDL identifier of the process.

\section*{Algorithm}

Line \(1 \quad\) Obtain the set of identifiers for all services defined in the SDL process.
Line \(2 \quad\) For each service do the following (line 3-7):
Line 3-4 For use by the service both the ADMIN and PORT entries in Entity-dict should contain the II value of the managing sdl-process. This is because the meta-communication which in case of interpretation of a process graph is done directly with the associated process-set-admin and input-port instances in case of interpretation of a service graph should go through the sdl-process instance. Thus the interpretation functions for graph nodes do not need to distinguish between process and service graph nodes.

Line \(5 \quad\) Start the sdl-service instance which will interpret the SDL service.
line \(6 \quad\) Update the service instance map to include the new service.
Line \(7 \quad\) Wait for an initialization acknowledgement from the service.
Line 9 When all service instances have been created and initialized, then send an initialization acknowledgement for the whole process instance to its managing process-set-admin instance.
```

exec-service-starts(dict) }
for all servbody $\in \mathbf{c}$ dom servinstmap do (output mk-Execute-Start() to servbody; exec-service-transition(servbody)(dict))

```

\section*{type: \(\quad\) Entity-dict \(\Rightarrow\)}

Objective Manage the initial execution of service transitions until each service has either entered its first state or stopped. Note that the first state of a service may be inside a procedure. No two initial service transitions may be executed at the same time, and all initial transitions must have been executed before any signal input or spontaneous transition is made in any service.
```

Algorithm
Line 1 For each service instance do the following:
Line 2 Instruct the service instance to execute its initial transition.
Line 3 Wait until the service reaches a state (possibly in a procedure) or stops.
exec-service-states $($ dict $) \triangleq$

```
```

while $\mathbf{c}$ servinstmap $\neq[]$ do

```
while \(\mathbf{c}\) servinstmap \(\neq[]\) do
((def saveset' : union rng c savemap,
((def saveset' : union rng c savemap,
    sponrt' : true \(\in \mathbf{r n g}\) c spontmap;
    sponrt' : true \(\in \mathbf{r n g}\) c spontmap;
    output mk-Next-Signal(saveset', spont') to \(\operatorname{dict}(\mathrm{PORT})\) );
    output mk-Next-Signal(saveset', spont') to \(\operatorname{dict}(\mathrm{PORT})\) );
    \{input mk-Input-Signal(sid, \(v l\), se) from \(\operatorname{dict(PORT)~}\)
    \{input mk-Input-Signal(sid, \(v l\), se) from \(\operatorname{dict(PORT)~}\)
        \(\Rightarrow \quad \mathbf{i f}(\exists\) servid \(\in \mathbf{r n g} \mathbf{c}\) servinstmap \()(\) sid \(\in \mathbf{s}\)-Input-signal-set \((\operatorname{dict}((\operatorname{servid}\), SERVICE \())))\) then
        \(\Rightarrow \quad \mathbf{i f}(\exists\) servid \(\in \mathbf{r n g} \mathbf{c}\) servinstmap \()(\) sid \(\in \mathbf{s}\)-Input-signal-set \((\operatorname{dict}((\operatorname{servid}\), SERVICE \())))\) then
            (def servid \(\in \mathbf{r n g} \mathbf{c}\) servinstmap s.t. sid \(\in \mathbf{s}\)-Input-signal-set(dict((servid, SERVICE)));
            (def servid \(\in \mathbf{r n g} \mathbf{c}\) servinstmap s.t. sid \(\in \mathbf{s}\)-Input-signal-set(dict((servid, SERVICE)));
            \(\operatorname{def} \operatorname{servbody} \in \operatorname{dom} \mathbf{c}\) servinstmap s.t. \(\mathbf{c}\) servinstmap \((\operatorname{servbody})=\) servid;
            \(\operatorname{def} \operatorname{servbody} \in \operatorname{dom} \mathbf{c}\) servinstmap s.t. \(\mathbf{c}\) servinstmap \((\operatorname{servbody})=\) servid;
            output mk-Input-Signal(sid, vl, se) to servbody;
            output mk-Input-Signal(sid, vl, se) to servbody;
            exec-service-transition(servbody)(dict))
            exec-service-transition(servbody)(dict))
                else
                else
                I,
                I,
    input mk-Spontaneous-Signal() from \(\operatorname{dict}(\mathrm{PORT})\)
    input mk-Spontaneous-Signal() from \(\operatorname{dict}(\mathrm{PORT})\)
        \(\Rightarrow\) (def-servid \(\in\) dom c spontmap s.t. c spontmap(servid);
        \(\Rightarrow\) (def-servid \(\in\) dom c spontmap s.t. c spontmap(servid);
            def-servbody \(\in \operatorname{dom} \mathbf{c}\) servinstmap s.t. \(\mathbf{c}\) servinstmap \((\operatorname{servbody)}=\) servid;
            def-servbody \(\in \operatorname{dom} \mathbf{c}\) servinstmap s.t. \(\mathbf{c}\) servinstmap \((\operatorname{servbody)}=\) servid;
            output mk-Spontaneous-Signal() to servbody;
            output mk-Spontaneous-Signal() to servbody;
            exec-service-transition(servbody)(dict))\})
            exec-service-transition(servbody)(dict))\})
type: \(\quad\) Entity-dict \(\Rightarrow\)
```

Objective Manage the execution of service state transitions. Note that the execution of a state transition may start in a procedure and/or end in the same or another procedure. No two service state transitions (in two different services) may be executed at the same time.

## Algorithm

Line 1 One iteration of this loop is performed for each execution of a service transition. At the beginning of each iteration of the loop all service instances still alive are waiting in a state, ie. each interpreting sdl-service instance is waiting for input after outputting Next-Signal to this sdl-process. The loop terminates when all service instances have stopped.

Line 2 From all save sets of service instances still alive, obtain the total save signal set to be sent to the input-port instance.

Line 3 If at least one service is in a state containing spontaneous transitions the input-port instance should be able to provoke this.

Line 4 Request the next signal from the input port, taking the saveset' and spont' into consideration.
Line $5 \quad$ Covers the delivery of a signal to some service.
Line 6-12 If the service which should receive this signal is no longer alive the signal is discarded.
Line $7 \quad$ Obtain the SDL identifier of the service instance which should receive the signal.
Line $8 \quad$ Obtain the II value of the sdl-service instance interpreting this service instance.
Line $9 \quad$ Deliver the signal to the service.
Line $10 \quad$ Wait until the service has completed the execution of the transition.
Line $13 \quad$ Covers the triggering of a spontaneous transition in some service.
Line 14 Obtain the SDL identifier of an arbitrary service instance which is currently able to perform a spontaneous transition.

Line $15 \quad$ Obtain the II value of the sdl-service instance interpreting this service instance.
Line 16 Instruct the chosen service to execute a spontaneous transition.
Line $17 \quad$ Wait until the service has completed the execution of the transition.
exec-service-transition $($ servbody $)($ dict $) \triangleq$

```
(trap exit (ENDTRANS) with I in
    cycle \{input mk-Stop-Instance() from servbody
        \(\Rightarrow\) (def servid : c servinstmap(servbody);
            servinstmap : = c servinstmap \(\backslash\{\) servbody \(\}\);
            savemap :=c savemap \(\backslash\{\) servid \(\}\);
            spontmap :=c spontmap \(\backslash\{\) servid \(\}\);
            exit (ENDTRANS)),
        input mk-Next-Signal(saveset', spont') from servbody
                \(\Rightarrow\) (def servid : c servinstmap)(servbody);
                    savemap := c savemap \(+[\) servid \(\mapsto\) saveset \(]\);
                    spontmap := c spontmap \(+\left[\right.\) servid \(\mapsto\) spont \(\left.{ }^{\prime}\right]\);
            exit (ENDTRANS)),
        input mk-Set-Timer(tid, argl, expt) from servbody
        \(\Rightarrow\) output mk-Set-Timer(tid, argl, expt) to \(\operatorname{dict}(\) PORT \()\),
        input mk-Reset-Timer(tid, argl) from servbody
        \(\Rightarrow\) output mk-Reset-Timer(tid, argl) to \(\operatorname{dict}(\mathrm{PORT})\),
        input mk-Active-Request(tid, argl) from servbody
        \(\Rightarrow\) (output mk-Active-Request(tid, argl) to \(\operatorname{dict}(\mathrm{PORT})\);
            input mk-Active-Answer(stat) from \(\operatorname{dict}(\mathrm{PORT})\)
                \(\Rightarrow\) output mk-Active-Answer(stat) to servbody) \})
    II(sdl-service) \(\rightarrow\) Entity-dict \(\Rightarrow\)
type: \(\quad\) II(sdl-service) \(\rightarrow\) Entity-dict \(\Rightarrow\)
```

Objective Manage the execution of a service transition and relay the timer communication between the interpreting sdl-service and the input-port.

## Parameters

servbody $\quad$ The II value of the sdl-service instance interpreting the transition.

## Algorithm

Line 1-2 The function enters a cycle which exits with exit(ENDTRANS) when the execution of the service transition has finished. This exit is trapped by line 1.

Line 2 Handle the case where the execution of the service transition is terminated by a stop node.
Line $3 \quad$ Obtain the SDL identifier of the stopping service instance.
Line 4-6 Delete the stopping service from the service administration maps of the process instance.
Line $7 \quad$ Exit the cycle.
Line $8 \quad$ Handle the case where the execution of the service transition is terminated by a nextstate node.
line $9 \quad$ Obtain the SDL identifier of the service instance.
Line 10-11 Insert the new save signal set and spontaneous-indication in the save set and spontaneous transition maps.

Line $12 \quad$ Exit the cycle.
Line 13-20 Relay the timer handing meta-communication between the service graph and the input port.

### 5.2 The sdl-service Processor

An instance of the sdl-service processor is created by its managing sdl-process instance for each service in the interpreted SDL process. The sdl-service instance first performs the necessary initial setup and then interprets the service graph. When the SDL service instance ceases to exist the necessary cleanup is performed, and the sdl-service instance ceases to exist.
sdl-service processor $($ servid $)($ dict $) \triangleq$
1 (del servstg := [] type Stg;
2 (let $\mathbf{m k}$-Identifier ${ }_{1}($ qual, $n m)=$ servid,
$3 \quad$ level = qual $\left\langle\left\langle\mathbf{m k}\right.\right.$-Service-qualifier $\left.{ }_{1}(\mathrm{~nm})\right\rangle$ in
4 let dict $t^{\prime}=$ dict $+[$ SCOPEUNIT $\mapsto$ level $]$ in
5 def dict ${ }^{\prime \prime}$ : modify-service-vardds(servid, servstg)(dict');
6 trap exit () with error in
7 (create-service-vars(servid)(dict");
8 int-service-graph(servid)(dict $\left.{ }^{\prime \prime}\right)$ )))
type: $\quad$ Service-identifier ${ }_{1} \rightarrow$ Entity-dict $\Rightarrow$
Objective Interprets (the body of) an SDL service.

## Parameters

servid $\quad$ The SDL identifier of the service.

## Algorithm

Line 1 Declare a variable servstg which is to be the local storage of this SDL service instance and initialize it to be empty.

Line 2-3 Construct the qualifier for the service.
Line 4 Enter the current scope unit into the Entity-dict.
Line $5 \quad$ For all variables declared in this service, modify their descriptors such that they can be used for interpreting the service graph.
Line $6 \quad$ Trap any exit with error.
Line $7 \quad$ Create all service local variables in the storage.
Line 8 Interpret the service graph.
modify-service-vardds(servid, stgref)(dict) $\wedge$
1 modify-process-vardds(servid, stgref)(dict)
type: $\quad$ Service-identifier ${ }_{1}$ ref Stg $\rightarrow$ Entity-dict $\rightarrow$ Entity-dict
Objective Modify the Entity-dict descriptors for the variables local to a given service such that they can be used for interpretation of its service graph.

## Parameters

servid The identifier of the service.
stgref $\quad$ A pointer to the storage where the variables will be stored.

## Result An Entity-dict where the descriptors have been updated.

## Algorithm

Line 1 Service variable descriptors are updated in the same way as process variable descriptors.
create-service-vars $($ servid $)($ dict $) \triangleq$
1 (let allvars $=\{$ varid $\mid($ varid, VALUE $) \in \operatorname{dom}$ dict $\wedge$ enclosing-scopeunit $($ varid $)=$ servid $\wedge$
type: $\quad$ Service-identifier ${ }_{1} \rightarrow$ Entity-dict $\Rightarrow$
Objective Create all service local variables in their storage.

## Parameters

servid The identifier of the service.

## Algorithm

Line 1-2 Obtain the set of all variables declared in the service.
Line 3 Create the variables in the storage.
int-service-graph $($ servid $)($ dict $) \triangleq$
(output mk-Instance-Created () to $\operatorname{dict}(\mathrm{ADMIN})$;
(let $\mathbf{m k}-$ Service $D D($ graph,,$)=\operatorname{dict}(($ servid, SERVICE $))$ in trap-exit(STOP) with I in int-graph (graph)(dict));
output mk-Stop-Instance () to $\operatorname{dict}(\mathrm{ADMIN})$; output mk-Die(dict(SELF), servid) to view)
type: $\quad$ Service-identifier ${ }_{1} \rightarrow$ Entity-dict $\Rightarrow$
Objective Interpret a service graph.

## Parameters

servid The identifier of the containing service.

## Algorithm

Line 1 Send an initialization acknowledgement to the sdl-process instance managing the service.
Line $2 \quad$ Obtain the service graph of the service.
Line 3-4 Start interpretation of the graph nodes. A stop node in the graph will cause an exit(STOP) to be performed which will be trapped in line 3 .

Line 5 Tell the managing sdl-process instance that the service instance is stopping.
Line 6 Tell the view processor that it should remove any variables revealed by the stopping service instance.

### 5.3 Interpretation of a Procedure

Describes the interpretation of a procedure after its actual parameters have been evaluated.

```
int-procedure(prid, actparml)}(\mathrm{ dict )}
    (dcl prcdstg := [] type Stg;
    (let mk-Identifier (qual, nm) = prid,
        level = qual \bullet\langle\mathbf{mk}-\mp@subsup{\mathrm{ Procedure-qualifier }}{1}{}(nm)\rangle\mathbf{in}
        let dict' = dict + [SCOPEUNIT] }\mapsto\mathrm{ level] in
        def dict"' : modify-procedure-vardds(prid, actparml, prcdstg)(dict');
        create-procedure-vars(prid, actparml)(dict");
        int-procedure-graph(prid)(dict")))
type: Procedure-identifier ( (Variable-identifier }|\mathrm{ | Value |UNDEFINED)* }->\mathrm{ Entity-dict }
```

Objective Interprets a procedure.

## Parameters

prid The SDL identifier of the procedure.
actparml The list of actual parameter values. For an in/out parameter the parameter "value" is the identifier of the actual parameter variable.

## Algorithm

Line 1 Declare a variable prcdstg which is to be the local storage of this procedure instance and initialize it to be empty.

Line 2-3 Construct the qualifier for the procedure.
Line 4 Enter the current scope unit into the Entity-dict.
Line $5 \quad$ For all variable declared in this procedure (including in formal parameters), modify their descriptors such that they can be used for interpreting the procedure graph.

Line $6 \quad$ Create all procedure local variables in the storage.
Line $7 \quad$ Interpret the procedure graph.
modify-procedure-vardds(prid, actparml, stgref $)($ dict $) \triangleq$

```
    \((\) let \(\mathbf{m k}-\operatorname{ProcedureDD}(\) parmddl,\()=\operatorname{dict}(\) prid, PROCEDURE \()\) ),
        allvars \(s^{\prime}=\{\) varid \(\mid(\) varid, VALUE \() \in \operatorname{dom}\) dict \(\wedge\) enclosing-scopeunit \((\) varid \()=\) prid \(\wedge\)
                        is-VarDD(dict((varid, VALUE))) \(\}\) in
        dict \(+[(\) fvarid, VALUE \() \mapsto \operatorname{dict}((\) actparml[i], VALUE \()) \mid\)
            \(i \in\) ind parmddl \(\wedge\) is-InoutparmDD \((\) parmddlli] \() \wedge\)
            \(\mathbf{m k}-\) InoutparmDD \((\) fvarid \()=\) parmddl[i]]
    \(+[(\) varid, VALUE) \(\mapsto \mathbf{m k}-\operatorname{VarDD}(\) varid, sort, oinit, rev, stgref \() \mid\)
        varid \(\in\) allvars' \(^{\prime} \wedge \mathbf{m k}-\operatorname{VarDD}(\), sort, oinit, rev, \()=\operatorname{dict((\text {varid,VALUE}))])~}\)
type: \(\quad\) Procedure-identifier \({ }_{1}\) (Variable-identifier \({ }_{1} \mid\) Value \(\mid\) UNDEFINED) \(^{*}\) ref Stg \(\rightarrow\) Entity-dict \(\rightarrow\) Entity-dict
```

Objective Modify the Entity-dict descriptors for the variables (including in formal parameters) local to a given procedure such that they can be used for interpretation of its procedure graph.

## Parameters

prid The identifier of the procedure.
actparml The list of actual parameter values/variables.
stgref A pointer to the storage where the variables will be stored.

## Result An Entity-dict where the descriptors have been updated.

## Algorithm

Line $1 \quad$ Obtain the list of formal parameter descriptors for the procedure.
Line 2-3 Obtain the set of all variables (including in formal parameters) which are declared in the procedure.
Line 4-6 The variable descriptor for each in/out formal parameter becomes the same as that of the corresponding actual parameter variable. This means that the descriptor of the formal parameter will point to the same storage as that of the actual parameter variable, and that it will use the same "address" as the actual parameter for accessing or changing its value in the storage.

Line 7-8 For each variable in the set allvars', update its descriptor such that it points to the storage where its value will is stored, and the variable identifier itself will be used as "address" for its value in the storage.

```
create-procedure-vars \((\) prid, actparml \()(\) dict \() \triangleq\)
```

```
    (let \(\mathbf{m k}\)-ProcedureDD \((\) parmddl,\()=\operatorname{dict}((\) prid, PROCEDURE\())\),
```

    (let \(\mathbf{m k}\)-ProcedureDD \((\) parmddl,\()=\operatorname{dict}((\) prid, PROCEDURE\())\),
        allvars \(s^{\prime}=\{\) varid \(\mid(\) varid, VALUE \() \in \operatorname{dom}\) dict \(\wedge\) enclosing-scopeunit \((\) varid \()=\) prid \(\wedge\)
        allvars \(s^{\prime}=\{\) varid \(\mid(\) varid, VALUE \() \in \operatorname{dom}\) dict \(\wedge\) enclosing-scopeunit \((\) varid \()=\) prid \(\wedge\)
            is-VarDD( \(\operatorname{dict}((\) varid, VALUE \()))\}\),
            is-VarDD( \(\operatorname{dict}((\) varid, VALUE \()))\}\),
        invars \(=\{\) varid \(\mid \mathbf{m k}-\operatorname{InparmDD}(\) varid \() \in\) elems parmddl \(\}\) in
        invars \(=\{\) varid \(\mid \mathbf{m k}-\operatorname{InparmDD}(\) varid \() \in\) elems parmddl \(\}\) in
    for \(i=1\) to len parmddl do
    for \(i=1\) to len parmddl do
    if is- \(\operatorname{Inparm} D D(\) parmddl \([i])\) then
    if is- \(\operatorname{Inparm} D D(\) parmddl \([i])\) then
        update-stg(s- Variable-identifier \({ }_{1}\) (parmddl \(\left.[i]\right)\), actparml \(\left.[i]\right)(\) dict \()\)
        update-stg(s- Variable-identifier \({ }_{1}\) (parmddl \(\left.[i]\right)\), actparml \(\left.[i]\right)(\) dict \()\)
    else
    else
        I;
        I;
    create-local-vars(allvars' \(\backslash\) invars)(dict))
    ```
    create-local-vars(allvars' \(\backslash\) invars)(dict))
```

type: $\quad$ Procedure-identifier ${ }_{1}$ (Variable-identifier ${ }_{1} \mid$ Value $\mid$ UNDEFINED* $^{*} \rightarrow$ Entity-dict $\Rightarrow$

Objective Create all procedure local variables (including in formal parameters) in their storage. Procedure in formal parameters are initialized with the corresponding actual parameter values.

## Parameters

prid The identifier of the procedure.
actparml The list of actual parameter values/variables.

## Algorithm

Line $1 \quad$ Obtain the list of formal parameter descriptors for the procedure.
Line 2-3 Obtain the set of all variables (except of in/out formal parameters) declared in the procedure.
Line 4 Obtain the set of in formal parameter variables.
Line 5-9 Create each in formal parameter in the storage with the corresponding actual parameter value as initial value.

Line $10 \quad$ Create all "purely local" variables in the storage.

```
int-procedure-graph(prid)(dict)}
1 (let mk-ProdecureDD \((\), graph \()=\operatorname{dict}((\) prid, PROCEDURE \())\) in
2 trap exit (RETURN) with I in
3 int-graph(graph)(dict))
```

type: $\quad$ Procedure-identifier ${ }_{1} \rightarrow$ Entity-dict $\Rightarrow$

Objective Interpret a procedure graph.

## Parameters

servid The identifier of the containing procedure.

## Algorithm

Line $1 \quad$ Obtain the procedure graph of the procedure.
Line 2-3 Start interpretation of the graph nodes. A return node in the graph will cause an exit(RETURN) to be performed which will be trapped in line 2 .

### 5.4 Storage Handling

update-stg-dcl(id, val)(dict) $\xlongequal{\wedge}$
1 update-stg'(id, val, DCLASSIGN)(dict)
type: $\quad$ Variable-identifier ${ }_{1}$ (Value $\mid$ UNDEFINED) $\rightarrow$ Entity-dict $\Rightarrow$
Objective Assign an initial value to a variable declared by dcl. If the value is outside the range of the sort/syntype of the variable its initial value becomes "undefined". Reveal the initial value of the variable if it has the revealed attribute.

## Parameters

id The identifier of the variable.
val The initial value of the variable.

## Algorithm

Line $1 \quad$ Call a general-purpose function to update variables in their storages.
update-stg $(i d, v a l)(d i c t) \triangleq$
1 update-stg' $(i d$, val, OTHERASSIGN)(dict)
type: $\quad$ Variable-identifier ${ }_{1}$ (Value $\mid$ UNDEFINED) $\rightarrow$ Entity-dict $\Rightarrow$
Objective Assign an initial value to a process formal parameter or procedure in formal parameter, or assign a new value to any kind of variable. If the value is outside the range of the sort/syntype of the variable a range check error occurs. Reveal the new value of the variable if it has the revealed attribute.

## Parameters

id The identifier of the variable.
val The new value of the variable.

## Algorithm

Line 1 Call a general-purpose function to update variables in their storages.
update-stg ${ }^{\prime}($ id, val, asgnkind $)($ dict $) \triangleq$

```
    (let mk-VarDD(vid, sid,, revealed, stg'})=\operatorname{dict}((id,VALUE)) in
    let val'}=(\mathrm{ range-check (sid,val)(dict)
                val,
        asgnkind = DCLASSIGN
            -> UNDEFINED,
        asgnkind = OTHERASSIGN
            \boldsymbol{exit("§5.3.1.9: Value is not within the range of the syntype")) in}
    stg'}:=\mathbf{c}st\mp@subsup{g}{}{\prime}+[vid \mapsto val']
    if revealed = REVEALED then
    output mk-Reveal(vid, sid, dict(SELF),val') to view
    else
    I)
type: Identifier (Value | UNDEFINED) (DCLASSIGN | OTHERASSIGN) }->\mathrm{ Entity-dict }
```

Objective Assign an initial or new value to any kind of variable. The parameter asngkind determines what happens if the value is outside the range of the sort/syntype of the variable. Reveal the initial/new value of the variable if it has the revealed attribute.

## Parameters

id $\quad$ The identifier of the variable.
val The initial/new value.
asgnkind Determines what happens if the value is outside the range of the sort/syntype of the variable.

## Algorithm

Line 1 Lookup the description of the variable identifier.
Line 2-7 Perform a range check on the value and obtain the value which will be assigned to the variable. If the value is within the range of the sort/syntype of the variable it gets this value (line 2-3). Otherwise, if the value is the result of the evaluation of an initializer expression in the declaration of the variable, the variable becomes "undefined" (line 4-5). Otherwise, a range check error occurs (line 6-7).

Line 8-9 The referenced storage is overwritten with the new variable - value pair.
Line 9-12 If the variable is revealed the initial/new value is sent to the view processor.

### 5.5 Interpretation of a Process, Service or Procedure Graph

Describes the interpretation of a behaviour graph divided into an interpretation function for each type of graph node.

```
int-graph(graph)}(\mathrm{ dict )}
```

1 (let $($ start, statenodes $)=$ decomp-graph $($ graph $)$ in
2 tixe [statenm $\mapsto$ int-state-node(statenode)(dict)|
3
statenode $\in$ statenodes $\wedge$ s-State-name ${ }_{1}($ statenode $)=$ statenm $]$ in int-start-node(start)(dict))
type: $\quad\left(\right.$ Process-graph $h_{1} \mid$ Service-graph $\mid$ Procedure-graph $\left._{1}\right) \rightarrow$ Entity-dict $\Rightarrow$
Objective Interprets a process, service or procedure graph.

## Parameters

graph The process/service/procedure graph.

## Algorithm

Line $1 \quad$ Partition of the graph into a start node and a set of states.
Line 2 Traps all exit(statenm) from int-state-node and int-transition by interpreting the associated State-node $e_{1}$. The tixe construct is a very convenient way to model the "goto"s used in the nextstate nodes. The keyword tixe is followed by a map from state names into call of int-state-node with the state-node associated to state name as actual parameter. If an exit(statenm) is encountered within the dynamic scope of the tixe construct, that is either in the range of the tixe map (int-state-node) or in int-start-node, the interpretation of the process continues with the State-node ${ }_{1}$ having the name statenm.

Line $4 \quad$ Interpretation of the start node.
int-start-node $($ start $)($ dict $) \triangleq$

```
    (let trans = decomp-start-node(start) in
    if is-Service-start-node (start) then
        (input mk-Execute-Start() from dict(ADMIN)
        => int-transition(trans)(dict))
    else
    int-transition(trans)(dict))
type: (Process-start-node }\mp@subsup{|}{1}{}|\mp@subsup{\mathrm{ Service-start-node e}}{1}{}|\mathrm{ Procedure-start-node }\mp@subsup{}{1}{})->\mathrm{ Entity-dict }
```

Objective Interprets a process, procedure or service start node.

## Parameters

start $\quad$ The start node.

## Algorithm

Line 1 Extract the start transition from the start node.
Line 2-3 If the start node is a service start node then wait until the managing sdl-process instance instructs this sdl-service instance to interpret the start node. This prevents the simultaneous execution of several service start transitions belonging to the same SDL process instance.

Line 4 Interpret the start transition.
Line 6 If the start node is a process or procedure start node its interpretation starts immediately.
int-start-node $\left(\mathbf{m k}\right.$-State-node $1_{1}\left(\mathbf{m k}\right.$-Save-signalset ${ }_{1}($ saveset $)$, inputset, spontrset $)($ dict $) \triangleq$

```
(output mk-Next-Signal(saveset, spontrset }={}\mathrm{ }) to dict(PORT);
    {input mk-Input-Signal(sid', actparml, sender') from dict(PORT)
        #(dict(SENDER) := sender';
            (let mk-Input-node }\mp@subsup{1}{1}{(sid, formparml, trans) }\in\mathrm{ inputset be s.t. sid =sid' in
            for i=1 to len formparml do
            if formparml [i] }#=\mathrm{ nil
                    then update-stg(formparml[i], actparml[i])(dict)
                    else I;
                int-transition(trans)(dict))),
    input mk-Spontaneous-Signal( ) from dict(PORT)
        (dict(SENDER) := dict(SELF);
            (let mk-Spontaneous-transition}\mp@subsup{}{1}{(trans)}\in\mathrm{ spontrset in
            int-transition(trans)(dict)))})
type: }\quad\mathrm{ State-node }\mp@subsup{1}{1}{}->\mathrm{ Entity-dict }
```

Objective Interprets a state node.

## Parameters

state-node Composed of a saveset which is a set of signals to be saved by the input port, an inputset which is a set of signals and associated transitions, and spontrset which is a (possibly empty) set of spontaneous transitions.

## Algorithm

Line 1 Request the input port to output a signal which is not in the saveset, and to save all signals belonging to the saveset. If the state contains spontaneous transitions the input port may choose to provoke a spontaneous transition instead.

Line 2 Receive a signal composed of a signal identifier, a list of data values and the SDL Pid value of the sender.

Line $3 \quad$ Update the sender value.
Line 4 Select the input node that has the same signal identifier as the received signal.
Line 5-8 For all the formal parameters: if the formal parameter is present (different from nil), then the storage is updated with its associated variable and the value of the actual parameter.

Line 9 Interpret the selected transition.
Line 10 Initiate a spontaneous transition. The input port can only respond with this answer if the second parameter of Next-Signal was true.

Line 11 The sender value becomes the same as self.
Line 12 Select an arbitrary spontaneous transition.
Line 13 Interpret the contained transition.

```
    (for i=1 to len nodel do
    int-graph-node(nodel[i])(dict);
    cases termordec:
    (mk-Nextstate-node ( }\textrm{nm})->\boldsymbol{\operatorname{xit}}(\textrm{nm})
    mk-Stop-node () }->\mathrm{ ( exit(STOP),
    mk-Return-node () () }->\boldsymbol{exit(RETURN),
    mk-Decision-node (,,,) ->int-decision-node(termordec)(dict)))
type: }\quad\mp@subsup{\mathrm{ Transition }}{1}{}->\mathrm{ Entity-dict }
```

Objective Interprets a transition.

## Parameters

| nodel | The list of action nodes. |
| :--- | :--- |
| termordec | A terminator node or a decision node. |

## Algorithm

Line 1-2 Interpret the action nodes sequentially.
Line 4 A nextstate node is interpreted by exit with the name of the next state.
Line $5 \quad$ A stop node by exit with STOP.
Line 6 A return node by exit with RETURN.
Line 7 A decision node by calling the int-decision-node function.
int-graph-node $($ graphnode $)($ dict $) \leftrightharpoons$

```
cases graphnode:
    (mk-Task-node \({ }_{1}\) (asgnortxt) \(\rightarrow\) int-task-node(asgnortxt)(dict),
    mk-Output-node \(1_{1}(,,,) \quad \rightarrow\) int-output-node(graphnode)(dict),
    mk-Create-request-node \({ }_{1}(,) \rightarrow\) int-create-node(graphnode)(dict),
    mk-Call-node \({ }_{1}(,) \quad \rightarrow\) int-call-node(graphnode)(dict),
    mk-Set-node \({ }_{1}(,,) \quad \rightarrow\) int-set-node(graphnode)(dict),
    mk-Reset-node \(e_{1}(,) \quad \rightarrow\) int-reset-node(graphnode)(dict))
```

type: $\quad$ Graph-node ${ }_{1} \rightarrow$ Entity-dict $\Rightarrow$

Objective Interprets a graph node.

## Parameters

graphnode The graph node to be interpreted.

$$
\begin{equation*}
\text { int-task-node(asgnortxt) }(\text { dict }) \triangleq \tag{5.5.6}
\end{equation*}
$$

1 cases asgnortxt:
2 ( $\mathbf{m k}$-Assignment-statement ${ }_{1}(,) \rightarrow$ int-assign-stmt(asgnortxt)(dict),
3 mk-Informal-text ${ }_{1}() \quad \rightarrow$ int-informal-text(asgnortxt))
type: $\quad\left(\right.$ Assignment-statement $_{1} \mid$ Informal-text $\left._{1}\right) \rightarrow$ Entity-dict $\Rightarrow$
Objective Interprets a task node.

## Parameters

asgnortxt An assignment statement or informal text.

## Algorithm

Line 1 The asgnortxt is interpreted as either an assignment or as informal text.
int-assign-stmt $\left(\mathbf{m k}-\right.$ Assignment-statement $t_{1}($ vid, exp $\left.)\right)($ dict $) \triangleq$
1 (def val : eval-expression(exp)(dict);
2 update-stg(vid,val)(dict))
type: $\quad$ Assignment-statement ${ }_{1} \rightarrow$ Entity-dict $\Rightarrow$
Objective Interprets an assignment statement.

## Parameters

vid $\quad$ The target variable.
$\exp \quad$ The expression.

## Algorithm

Line $1 \quad$ Evaluate the value of the expression.
Line $2 \quad$ Update the storage with vid and value of the expression.

```
int-informal-text(mk-Informal-text }\mp@subsup{}{1}{())
1 (/* This informal Meta-IV text denotes the interpretation of informal text */)
type: Informal-text 
int-output-node(mk-Output-node }\mp@subsup{1}{1}{}(\mathrm{ sid, exprl, dest, via) )(dict)}
```

```
    (let mk-SignalDD \((\) sortl,\()=\operatorname{dict}((\) sid, SIGNAL \())\) in
```

    (let mk-SignalDD \((\) sortl,\()=\operatorname{dict}((\) sid, SIGNAL \())\) in
    def vall : <eval-expression \((\) exprl \([i])(d i c t) \mid 1 \leq i \leq\) len exprl \(\rangle ;\)
    def vall : <eval-expression \((\) exprl \([i])(d i c t) \mid 1 \leq i \leq\) len exprl \(\rangle ;\)
    def destval : \((\) dest \(=\mathbf{n i l}\)
    def destval : \((\) dest \(=\mathbf{n i l}\)
                                    \(\rightarrow\) nil,
                                    \(\rightarrow\) nil,
            \((\) dest, PROCESS \() \in\) dom dict
            \((\) dest, PROCESS \() \in\) dom dict
            \(T \rightarrow\) dest,
            \(T \rightarrow\) dest,
            \(\top \rightarrow\) eval-expression \((\) dest \()(\) dict \()\) );
            \(\top \rightarrow\) eval-expression \((\) dest \()(\) dict \()\) );
        let senderid \(=\) process-or-service-scopeunit(dict(SCOPEUNIT)) in
        let senderid \(=\) process-or-service-scopeunit(dict(SCOPEUNIT)) in
        if \((\forall i \in\) ind \(v a l l)(\) range-check(sortl \([i]\), vall \([i](\) dict \())\)
        if \((\forall i \in\) ind \(v a l l)(\) range-check(sortl \([i]\), vall \([i](\) dict \())\)
            then output mk-Send-Signal(sid, vall, senderid, dict(SELF), destval, via) to system
            then output mk-Send-Signal(sid, vall, senderid, dict(SELF), destval, via) to system
            else exit("§5.3.1.9: Value is not within the range of the syntype"))
            else exit("§5.3.1.9: Value is not within the range of the syntype"))
    type: $\quad$ Output-node ${ }_{1} \rightarrow$ Entity-dict $\Rightarrow$

```
type: \(\quad\) Output-node \({ }_{1} \rightarrow\) Entity-dict \(\Rightarrow\)
```

Objective Interprets an output node.

## Parameters

sid The identifier of the signal to be sent.
exprl The actual parameters for the signal.
dest An optional Pid expression or process identifier denoting the process to which the signal should be sent.

Via An optional set of signal route/channel identifiers at least one of which should be used to convey the signal.

## Algorithm

Line $2 \quad$ Evaluate the list of actual parameters.
Line 3-7 Evaluate the optional signal destination. If it is absent or is a process identifier (line 3-6) it will be handed on to the system processor unchanged. If it is a Pid expression (line 7) this expression is evaluated.

Line $8 \quad$ Obtain the SDL identifier of the process or service instance which sends the signal.
Line $9 \quad$ Perform a range check on the actual parameter values.
Line $10 \quad$ Send the signal.
int-create-node $(\mathbf{m k}-C r e a t e-r e q u e s t-n o d e ~ e ~(p r i d, ~ e x p r l) ~) ~(d i c t ~) ~ \triangleq ~$

```
    (let mk-ProcessDD(formparms, , , ) = dict((prid, PROCESS)) in
```



```
    def vall: <eval-expression(exprl[i])(dict) | 1\leqi\leqlen exprl\rangle;
    if (\foralli\in ind sortl)(range-check(sortl[i], vall[i])(dict)) then
    (output mk-Create-Instance-Request(prid, vall, dict(SELF)) to system;
        input mk-Create-Instance-Answer(offspring') from system
            => dict(OFFSPRING):= offspring')
        else
        exit("$5.3.1.9: Value is not within the range of the syntype"))
type: }\quad\mathrm{ Create-request-node }1->\mathrm{ Entity-dict }
```

Objective Interprets a create node.

## Parameters

prid The identifier of the process to be created.
exprl The list of actual parameters.

## Algorithm

Line 1-2 Establish the list of sort reference identifiers of the formal parameters.
Line 3 Evaluate the list of actual parameters.
Line $4 \quad$ Perform a range check on the actual parameters.
Line $5 \quad$ Issue the create instance request.
Line 6 Wait for a response on the create request. The response carries the SDL Pid value of the new process instance.

Line $7 \quad$ Update the offspring value.
int-call-node $\left(\mathbf{m k}-C a l l-n o d e_{1}(\right.$ prid, exprl $\left.)\right)($ dict $) \triangleq$

```
    (let mk-ProcedureDD(parmddl,) = dict((prid, PROCEDURE)) in
        def actparml : \(is-InparmDD(parmddl[i])
                ->eval-expression(exprl[i])(dict),
            is-InoutparmDD(parmddl[i])
                exprl[i])|
            1\leqi\leq\boldsymbol{len parmddl>;}
        int-procedure(prid, actparml)(dict))
type: }\quad\mp@subsup{\mathrm{ Call-node }}{1}{}->\mathrm{ Entity-dict }
```

Objective Interpret a procedure call node.

## Parameters

| prid | The identifier of the procedure to be called. |
| :--- | :--- |
| exprl | The actual parameters for the procedure call. |

## Algorithm

Line $1 \quad$ Obtain the list of formal parameter descriptors for the procedure.
Line 2-6 Evaluate the list of actual parameters. If an actual parameter is an in parameter it is an expression which should be evaluated (line 2-3). If an actual parameter is an in/out parameter its "evaluation result" is the SDL identifier of the actual parameter variable (line 4-5).

Line $7 \quad$ Interpret the procedure.
int-set-node $\left(\mathbf{m k}\right.$-Set-node ${ }_{1}($ texp, tid, exprl $)($ dict $) \triangleq$

```
    (let mk-SignalDD(sortl,) \(=\operatorname{dict}((t i d\), SIGNAL) \()\) in
    def val : eval-expression \((\) texp \()(\) dict \()\);
        def vall: \(\langle\) eval-expression \((\operatorname{exprl}[i])(d i c t)| 1 \leq i \leq\) len exprl \(\rangle\);
        if \((\forall i \in\) ind vall \()(\) range-check \((\) sort \([i]]\), vall \([i])(\) dict \())\)
            then output mk-Set-Timer(tid, vall, val) to \(\operatorname{dict}(\mathrm{PORT})\)
            else exit("§5.3.1.9: Value is not within the range of the syntype"))
type: \(\quad\) Set-node \(e_{1} \rightarrow\) Entity-dict \(\Rightarrow\)
```

Objective Interprets a set node.

## Parameters

texp The expiration time expression.
tid The identifier of the timer to be set.
exprl The actual parameters for the timer.

## Algorithm

Line $2 \quad$ Evaluate the expiration time expression.
Line $3 \quad$ Evaluate the list of actual parameters.
Line $4 \quad$ Perform a range check on the actual parameter values.
Line $5 \quad$ Instruct the input-port to set the timer.
int-reset-node $\left(\mathbf{m k}\right.$-Reset-node $1_{1}($ tid, exprl $)($ dict $) \xlongequal{\leftrightharpoons}$

> (let mk-SignalDD $($ sortl, $)=\operatorname{dict}((t i d$, SIGNAL) $)$ indef vall : 〈eval-expression(exprl[i])(dict) $\mid 1 \leq i \leq \operatorname{len}$ exprl $\rangle$; if $(\forall i \in$ ind vall) $($ range-check $($ sort $[i]$, vall[i](dict))
> then output mk-Reset-Timer(tid, vall) to $\operatorname{dict}(\mathrm{PORT})$
> else exit("85.3.1.9: Value is not within the range of the syntype"))
> type: $\quad$ Reset-node $_{1} \rightarrow$ Entity-dict $\Rightarrow$

Objective Interprets a reset node.

## Parameters

tid The identifier of the timer to be reset.
exprl The actual parameters for the timer.

## Algorithm

Line $2 \quad$ Evaluate the list of actual parameters.
Line 3 Perform a range check on the actual parameter values.
Line $4 \quad$ Instruct the input-port to reset the timer.
int-decision-node $\left(\mathbf{m k}-\right.$ Decision-node ${ }_{1}($ quest, answset, elseansw) $)($ dict $) \triangleq$

```
(def questval:(is-Expression (quest)
                                    eval-expression(quest)(dict),
                            is-Informal-text (quest)
                quest);
    let answset' = matching-answer(questval,answset)(dict) in
    (answset' = { }
    ->(let {\mathbf{mk}-Decision-answer }1(,\mathrm{ trans )} = answset' in
        int-transition(trans)(dict)),
    elseansw }\not==\mathrm{ nil
    (let mk-Else-answer }(\mathrm{ trans )= elseansw in
        int-transition(trans)(dict)),
        \top 
```

    Decision-node \(1_{1} \rightarrow\) Entity-dict \(\Rightarrow\)
    Objective Interprets a decision node.

## Parameters

quest The question of the decision.
answset The set of answers and associated transitions.
Elseansw The optional else transition.

## Algorithm

Line 1-3 Evaluate the decision question
Line $5 \quad$ Extract the set of answers which match the decision question value.
Line 6-8 If the extracted set of answers is not empty then it contains exactly one answer (it is checked during the building of the Entity-dict that the answers do not overlap). The transition associated with the selected answer is interpreted.

Line 9-11 If no matching answer was found, and an else transition is present, this transition is interpreted.
Line 12 If no matching answers is found and no else answer is present an error occurs.
matching-answer $(q u e s t v a l$, answset $)($ dict $) \triangleq$

```
\(\left\{\mathbf{m k}\right.\)-Decision-answer \({ }_{1}(\) valsetortext,\() \in\) answset \(\mid\)
(is-Range-condition \({ }_{1}\) (valsetortext) \(\wedge\) is-Value(questval)
    \(\rightarrow\) (let branchcond \(=\) eval-range-condition(questval, valsetortext)(dict) in
        branchcond \(=\operatorname{dict}(\) TRUEVALUE \()\) ),
    \(\top \rightarrow\) text-equality (questval, valsetortext)) \(\}\)
    (Value \(\mid\) Informal-text \(_{1}\) ) Decision-answer \({ }_{1}\)-set \(\rightarrow\) Entity-dict \(\rightarrow\) Decision-answer \(_{1}\)-set
```

Objective Find the set of answers in the supplied set of answers which match the supplied question value.

## Parameters

quest The question value of the decision.
answset The set of answers and associated transitions.

## Result The matching answer and its associated transition.

## Algorithm

Line 2-4 If neither the question nor the answer is informal then the range condition is evaluated w.r.t. the question value.

Line 5 If the question or the answer is informal the equality is tested by the informal function text-equality. text-equality(value-text, valueset-text) $\xlongequal{\wedge}$

1 (/* This informal Meta-IV text denotes the equality test */;
2 /* between informal question and/or informal answer */)
type: $\quad$ ( Informal-text $_{1} \mid$ Value) (Informal-text ${ }_{1} \mid$ Range-condition $_{1}$ ) $\rightarrow$ Bool

### 5.6 Expression Evaluation

This section defines the functions for expression evaluation.
eval-expression $(\exp )($ dict $) \triangleq$

```
    if exp=nil then
    UNDEFINED
    else
    cases exp:
        (mk-Ground-expression }\mp@subsup{}{1}{()
            \rightarrow \text { eval-ground-expression(exp)(dict),}
        mk-Identifier (, ()
            \rightarrow \text { eval-variable-identifier(exp)(dict),}
        mk-Operator-application}\mp@subsup{n}{1}{(,)
            ->eval-operator-application(exp)(dict),
        mk-Conditional-expression}1(,,
            ->eval-conditional-expression(exp)(dict),
        mk-View-expression}1(,
            ->eval-view-expression(exp)(dict),
        mk-Timer-active-expression}\mp@subsup{1}{1}{(,)
            ->eval-timer-active-expression(exp)(dict),
        mk-Anyvalue-expression}\mp@subsup{1}{1}{()
            ->eval-anyvalue-expression(exp)(dict),
        mk-Now-expression()
            ->eval-now-expression(),
        mk-Self-expression}\mp@subsup{n}{1}{()
            ->dict(SELF),
        mk-Parent-expression}\mp@subsup{|}{1}{()
            ->\operatorname{dict(PARENT),}
        mk-Offspring-expression ()
            ->\mathbf{c}\operatorname{dict(OFFSPRING),}
        mk-Sender-expression}\mp@subsup{|}{1}{()
            c dict(SENDER),
        mk-Error-term}\mp@subsup{1}{1}{()
            exit("$5.4.2.1: Attempt to evaluate error expression"))
        [Expression }\mp@subsup{]}{1}{}]->\mathrm{ Entity-dict }=>\mathrm{ (Value | UNDEFINED)
```

Objective Evaluate an expression.

## Parameters

exp The expression.
Result The value of the expression.

## Algorithm

Line 1-2 If the expression is absent (typically an omitted actual parameter) its value is "undefined".
Line 21-24 If the expression is self or parent its value is looked up in the Entity-dict.
Line 25-28 If the expression is offspring or sender a META-IV variable holding its current value is accessed via a pointer which is looked up in the Entity-dict.

Line 29-30 If the expression is error an error occurs.

### 5.6.1 Ground Expression Evaluation

eval-ground-expression $(g \operatorname{expr})(d i c t) \triangleq$

```
    if gexpr = nil then
        UNDEFINED
    else
        (let mk-Ground-expression}1(gterm)=gexpr in
        eval-ground-term(gterm)(dict))
type: [Ground-expression}\mp@subsup{]}{1}{}]->\mathrm{ Entity-dict }->\mathrm{ (Value |UNDEFINED)
```

Objective Evaluate a ground expression.

## Parameters

gexpr $\quad$ The ground term.
Result The value of the ground expression.

## Algorithm

Line 1-2 If the ground expression is absent its value is "undefined".
Line 4-5 Obtain the contained ground term (line 4) and evaluate it (line 5).
eval-ground-term $\left(\mathbf{m k}\right.$-Ground-term ${ }_{1}($ contents $\left.)\right)($ dict $) \triangleq$

```
    (is-Identifier \({ }_{1}\) (contents)
        \(\rightarrow\left(\right.\) let resterm \(=\mathbf{m k}\)-Ground-term \({ }_{1}(\) contents \()\) in
        reduce-term(resterm, dict(SCOPEUNIT))(dict)),
    is-Conditional-term \({ }_{1}\) (contents)
        \(\rightarrow\left(\right.\) let \(\mathbf{m k}\)-Conditional-term \(\left.{ }_{1}\right)(\) cond, cons, alt \()=\) contents in
        let condval = eval-ground-term \((\) cond \()(\) dict \()\) in
        (condval \(=\operatorname{dict}(\) TRUEVALUE)
            \(\rightarrow\) eval-ground-term(cons)(dict),
        condval \(=\operatorname{dict}(\) FALSEVALUE \()\)
            \(\rightarrow\) eval-ground-term(alt)(dict))),
        \(\top \rightarrow\) (let \((\) opid, arglist) \(=\) contents in
            let vallist \(=\langle\) eval-ground-term \((\operatorname{arglist}[i])(\) dict \() \mid 1 \leq i \leq \mathbf{l e n} \operatorname{arglist}\rangle\) in
            eval-ground-term-opapp(opid, vallist)(dict)))
```

type: $\quad$ Ground-term ${ }_{1} \rightarrow$ Entity-dict $\rightarrow$ Value
Objective Evaluate a ground term.

## Parameters

contents The "contents" of the ground term (a literal identifier, conditional ground expression or operator application on a list of ground terms).

Result The value of the ground term.

## Algorithm

Line $1 \quad$ Handle the case where the ground term is a literal identifier.
Line $2 \quad$ Build a ground term representing the resulting value.
Line 3 Obtain the ground term which has been chosen to represent the value in the rest of the system.
Line 4 Handle the case where the ground term is a conditional term.
Line 5 Decompose the conditional term into its components.
Line 6 Evaluate the condition.

Line 7-10 If the condition is True (line 7) then evaluate the consequence (line 8). If the condition is False (line 9) then evaluate the alternative (line 9). No other possibilities exist as the wellformedness of the Boolean data sort has been checked during the building of the Entity-dict.

Line 11 Handle the case where the ground term is an operator application. Decompose the operator application into an operator identifier and an argument list.

Line $12 \quad$ Evaluate the argument list.
Line 13 Perform the operator application on the list of argument values.
eval-ground-term-opapp(opid, vallist $)($ dict $) \triangleq$

```
\((\) let \(\mathbf{m k}\)-OperatorDD \()(\) sortlist, sort \()=\operatorname{dict}((\) opid, VALUE \())\) in
    if \((\forall i \in\) ind \(\operatorname{sortlist})(\) range-check \((\) sortlist \([i]\), vallist \([i])(\) dict \())\) then
        (let resterm \(=\mathbf{m k}\)-Ground-term \(1((\) opid, vallist \()\) ) in
        let resval \(=\) reduct-term \((\) resterm, \(\operatorname{dict}(\) SCOPEUNIT \())(\) dict \()\) in
        if range-check(sort, resval)(dict) then
            resval
        else
            exit("§5.3.1.9: Value is not within the range of the syntype"))
        else
        exit("§5.3.1.9: Value is not within the range of the syntype"))
type: \(\quad\) Operator-identifier \({ }_{1}\) Value \(^{+} \rightarrow\) Entity-dict \(\rightarrow\) Value
```

Objective Apply an SDL operator to a list of argument values.

## Parameters

opid The SDL operator identifier.
vallist $\quad$ The list of argument values.
Result The resulting value of the operator application.

## Algorithm

Line $1 \quad$ Obtain the argument sort list and the result sort of the operator.
Line $2 \quad$ Perform a range check on the list of argument values.
Line $3 \quad$ Build a ground term representing the resulting value.
Line $4 \quad$ Obtain the ground term which has been chosen to represent the value in the rest of the system.
Line $5 \quad$ Perform a range check on the resulting value.
Line $6 \quad$ Return the resulting value.

### 5.6.2 Active Expression Evaluation

eval-variable-identifier $($ id $)($ dict $) \triangleq$

```
    (let mk-VarDD(vid,,,, stg) = dict((id, VALUE)) in
    if c stg(vid) }==\mathrm{ UNDEFINED
    then c stg(vid)
    else exit("$5.4.2.2: Value of accessed variable is undefined"))
    Identifier }\mp@subsup{}{1}{}->\mathrm{ Entity-dict }=>\mathrm{ Value
```

Objective Evaluate a variable identifier.

## Parameters

id The variable identifier.
Result The contents, if any, of that variable.

## Algorithm

Line 1 Gets the referenced variable identifier and a pointer to its storage (the variable id could be a procedure in/out formal parameter).

Line 4 If the contents of storage for the referenced identifier is undefined an error occurs.
Line 3 The contents of storage for the referenced identifier is returned.
eval-operator-application $\left(\mathbf{m k}-O\right.$ Perator-application ${ }_{1}($ opid,, $\left.\operatorname{expl})\right)($ dict $) \triangle$
$1 \quad($ def $v a l l:\langle$ eval-expression $(\operatorname{expl}[i])($ dict $) \mid 1 \leq i \leq \operatorname{len} \operatorname{expl}\rangle ;$
2 eval-ground-term-opapp(opid, vall)(dict))
type: $\quad$ Operator-application ${ }_{1} \rightarrow$ Entity-dict $\Rightarrow$ Value
Objective Evaluate an operator application.

## Parameters

opid Identifier of the operator.
expl Argument list for the application.
Result The value of the operator application.

```
Algorithm
Line 1 Evaluate the list of arguments.
Line 2 Perform the operator application on the list of argument values.
eval-view-expression \(\left(\mathbf{m k}\right.\)-View-expression \({ }_{1}(\) id, exp \(\left.)\right)(\) dict \() \triangleq\)
```

```
    \((\) let mk-ViewDD \((\) sortid \()=\operatorname{dict}((\) id, VALUE \())\) in
```

    \((\) let mk-ViewDD \((\) sortid \()=\operatorname{dict}((\) id, VALUE \())\) in
    def \(p i d\) : if \(\exp =\) nil then nil else eval-expression \((\exp )(d i c t)\);
    def \(p i d\) : if \(\exp =\) nil then nil else eval-expression \((\exp )(d i c t)\);
    output mk-View-Request(id, sortid, pid) to view;
    output mk-View-Request(id, sortid, pid) to view;
    input mk-View-Answer(val) from view
    input mk-View-Answer(val) from view
        \(\Rightarrow\) if val \(\neq\) UNDEFINED
        \(\Rightarrow\) if val \(\neq\) UNDEFINED
            then val
            then val
            else exit("§5.4.2.2: The viewed value is undefined"))
            else exit("§5.4.2.2: The viewed value is undefined"))
    type: $\quad$ View-expression ${ }_{1} \rightarrow$ Entity-dict $\Rightarrow$ Value

```
type: \(\quad\) View-expression \({ }_{1} \rightarrow\) Entity-dict \(\Rightarrow\) Value
```

Objective Evaluate a view expression.

## Parameters

id The identifier of the viewed variable.
exp An optional Pid expression.
Result The value of the view expression.

```
Algorithm
    Line 1 Get the sort or syntype of the viewed variable.
    Line 2 Evaluate the Pid expression if present.
    Line 4 Wait for a response from the view processor.
    Line 6 Return the viewed value.
eval-conditional-expression(mk-Conditional-expression}1(cond,cons,alt))(dict)
```

```
(def condval : eval-expression(cond)(dict);
```

(def condval : eval-expression(cond)(dict);
(condval $=\operatorname{dict}($ TRUEVALUE $)$
(condval $=\operatorname{dict}($ TRUEVALUE $)$
$\rightarrow$ eval-expression(cons)(dict),
$\rightarrow$ eval-expression(cons)(dict),
condval $=\operatorname{dict}($ FALSEVALUE)
condval $=\operatorname{dict}($ FALSEVALUE)
$\rightarrow$ eval-expression(alt)(dict)))
$\rightarrow$ eval-expression(alt)(dict)))
Conditional-expression $_{1} \rightarrow$ Entity-dict $\Rightarrow$ Value

```
    Conditional-expression \(_{1} \rightarrow\) Entity-dict \(\Rightarrow\) Value
```

    Line 3 Request the view processor to obtain the value of one of the possible revealed variable instances.
    Line \(5 \quad\) Check that the contents of the viewed variable instance is not "undefined".
    Objective Evaluate a conditional expression.

## Parameters

cond The condition expression.
cons The consequence expression.
alt The alternative expression.
Result The value of either the consequence or the alternative expression depending on the condition.

```
Algorithm
Line 1 Evaluate the condition.
eval-timer-active-expression(mk-Timer-active-expression \(1_{1}(\) timer, exprl \(\left.)\right)(\) dict \() \triangleq\)
\((\) let \(\mathbf{m k}-\operatorname{SignalDD}(\) sortl, \()=\operatorname{dict}((\) timer, SIGNAL\())\) in
def vall : 〈eval-expression \((\) exprl \([i])(\) dict \() \mid 1 \leq i \leq\) len exprl \(\rangle\);
if \((\forall i \in\) ind \(v a l l)(\) range-check \((\) sortl \([i]\), vall \([i])(\) dict \())\) then
(output mk-Active-Request(timer, vall) to \(\operatorname{dict}(\mathrm{PORT})\);
input mk-Active-Answer (b) from dict(PORT)
\(\Rightarrow \quad\) if \(b\) then \(\operatorname{dict}(\) TRUEVALUE) else \(\operatorname{dict(FALSEVALUE))~}\)
else
exit("§5.3.1.9: Value is not within the range of the syntype"))
type: \(\quad\) Timer-active-expression \({ }_{1} \rightarrow\) Entity-dict \(\Rightarrow\) Value
```

Line 2-5 If the condition is True (line 2) then evaluate the consequence expression (line 3). If the condition is False (line 4) then evaluate the alternative expression (line 5). No other possibilities exist as the wellformedness of the Boolean data sort has been checked during the building of the Entity-dict.

Objective Evaluate a timer active expression.

## Parameters

timer The identifier of the timer.
exprl The arguments of the timer.

## Result The SDL Boolean value of the timer active expression.

## Algorithm

Line $1 \quad$ Establish the sort list of the timer.
Line $2 \quad$ Evaluate the timer arguments.
Line $3 \quad$ Perform a range check on the list of argument values.
Line 4 Request the input port to examine if the timer instance is active.
Line $5 \quad$ Receive a response from the input port with a parameter $b$ denoting the "activeness" of the timer instance.

Line 6 Return the SDL value True or False depending on the answer from the input port. eval-anyvalue-expression $(\mathbf{m k}-A n y v a l u e-e x p r e s s i o n ~(s o r t r e f) ~)(d i c t) \triangleq$

```
(let sortid \(=\) sort-or-parent-sort(sortref) \((\) dict \()\) in
    let values \(=\{\) val \(\in\) values-of-sort \((\) sortid \()(\) dict \() \mid\) range-check(sortref, val \()(\) dict \()\}\) in
    if values \(\neq\{ \}\) then
        (let val \(\in\) values in
        val)
    else
    exit("§5.4.4.6: Attempt to evaluate an anyvalue expression for an empty sort or syntype"))
type: \(\quad\) Anyvalue-expression \(\rightarrow\) Entity-dict \(\rightarrow\) Value
```

Objective Evaluate an anyvalue expression.

## Parameters

sortref The contained sort/syntype identifier of the anyvalue expression.
Result The (arbitrary) value of the anyvalue expression.

## Algorithm

Line 1 If the sort/syntype identifier is a syntype identifier then obtain its parent sort.
Line $2 \quad$ Obtain the set of all values belonging to the sort/syntype.
Line 3-7 It is an error to apply any to a sort or syntype containing no values.
Line 4-5 Select an arbitrary value from the value set and return it.
eval-now-expression( ) $\triangleq$
(output mk-Time-Request () to timer;
input mk-Time-Answer (val) from timer
$\Rightarrow$ val)
type: $\quad() \Rightarrow$ Value
Objective Evaluate the now expression.
Result The current value of now.

| Algorithm |  |
| :--- | :--- |
| Line 1 | Request the timer processor to get the current time. |
| Line 2 | Wait for a response from timer. |
| Line 3 | Return the result. |

### 5.7 Range Check and Range Condition Evaluation

This section defines functions for range checks and for evaluation of range conditions w.r.t. given SDL data values.

```
Range-check(sortref, value)(dict) 
```

```
    if value = UNDEFINED then
```

    if value = UNDEFINED then
        true
        true
        else
        else
            cases dict((sortref, SORT)):
            cases dict((sortref, SORT)):
        (mk-SyntypeDD(, rangecond)
        (mk-SyntypeDD(, rangecond)
            \rightarrow ( l e t ~ t e s t v a l ~ = ~ e v a l - r a n g e - c o n d i t i o n ( v a l u e , ~ r a n g e c o n d ~ ) ( d i c t ) ~ i n ~
            \rightarrow ( l e t ~ t e s t v a l ~ = ~ e v a l - r a n g e - c o n d i t i o n ( v a l u e , ~ r a n g e c o n d ~ ) ( d i c t ) ~ i n ~
                testval = dict(TRUEVALUE)),
                testval = dict(TRUEVALUE)),
            mk-SortDD()
            mk-SortDD()
            true
            true
        Sort-reference-identifier }\mp@subsup{}{1}{\prime}\mathrm{ (Value | UNDEFINED) }->\mathrm{ Entity-dict }->\mathrm{ Bool
    ```
        Sort-reference-identifier }\mp@subsup{}{1}{\prime}\mathrm{ (Value | UNDEFINED) }->\mathrm{ Entity-dict }->\mathrm{ Bool
```

Objective Test whether a value is within the range of a sort/syntype.

## Parameters

sortref The sort/syntype identifier.
value The value.
Result true if the value is within the range, else false.

## Algorithm

Line 1-2 If the value is "undefined" (typically an omitted actual parameter) it is considered to be in the range of any sort/syntype.

Line 4 Look up the sort/syntype in the Entity-dict.
Line 5-7 Handle the case where the sort/syntype is a syntype. The associated range condition is retrieved (line 5) and evaluated w.r.t. the value to be checked (line 6). The range check is true if the range condition evaluation result is the SDL value True (line 7).

Line 8-9 If the sort/syntype is a sort the range check is always true.
eval-range-condition(value, mk-Range-condition ${ }_{1}($ orid, cset $)($ dict $) \triangleq$
1 eval-condition-item-set(value, orid, cset)(dict)
type: $\quad$ Value Range-condition ${ }_{1} \rightarrow$ Entity-dict $\rightarrow$ Value
Objective Evaluate a range condition w.r.t. a given value.

## Parameters

value The value.
orid $\quad$ The Or-operator-identifier ${ }_{1}$ of the range condition.
cset The condition items of the range condition.
Result The SDL Boolean evaluation result.

## Algorithm

Line 1 Call a function which evaluates each condition item w.r.t. the value and takes the SDL Boolean or of the results.

```
(let cond \(\in\) cset in
    let condval \(=\) eval-condition-item \((\) value, cond \()(\) dict \()\) in
    if card cset \(=1\) then
        condval
        else
            (let restval \(=\) eval-condition-item-set \((\) value, orid, cset \(\backslash\{\) cond \(\})(\) dict \()\) in
            eval-ground-term-opapp(orid, 〈condval, restval〉)(dict)))
type: \(\quad\) Value Or-operator-identifier \({ }_{1}\) Condition-item \(_{1}\)-set \(\rightarrow\) Entity-dict \(\rightarrow\) Value
```

Objective Evaluate a set of range condition items w．r．t．a given value and take the SDL Boolean or of the results．

## Parameters

value The value．
orid $\quad$ The $\mathrm{AS}_{1}$ identifier for the SDL predefined Boolean or operator．
cset The（non－empty）set of range condition items．
Result The SDL Boolean evaluation result．

## Algorithm

Line 1 Pick a condition item from the condition items set．
Line $2 \quad$ Evaluate this condition item w．r．t．the value．
Line 3－4 If the picked condition item is the only one in the condition item set then return the evaluation result obtained in line 2.

Line 6 Evaluate the remaining set of condition items w．r．t．the value and take the SDL Boolean or of the results．

Line $7 \quad$ Apply the SDL Boolean or operator to the two sub－evaluation results．
eval－condition－item $($ value，cond $)($ dict $) \triangle$

```
cases cond:
    (mk-Open-range (relopid, gexpr)
        (let gval = eval-ground-expression (gexpr)(dict) in
            eval-ground-term-opapp(relopid,\langlevalue, gval\rangle)(dict)),
        mk-Closed-range (andid, orng1, orng2)
        (let mk-Open-range }1(\mathrm{ relopid 1, gexpr 1) =orng 1,
            mk-Open-range }\mp@subsup{1}{1}{}(\mathrm{ relopid 2, gexpr 2) =orng2 in
            let gval1 = eval-ground-expression (gexpr1)(dict),
                gval2 = eval-ground-expression (gexpr2)(dict) in
            let condval1 = eval-ground-term-opapp(relopid 1, 〈gval1, value\rangle)(dict),
                condval2 = eval-ground-term-opapp (relopid2, \langlevalue, gval2\rangle)}(\mathrm{ dict ) in
            eval-ground-term-opapp(andid, \langlecondval1, condval2\rangle)(dict)))
type: Value Condition-item }1->\mathrm{ Entity-dict }->\mathrm{ Value
```

Objective Evaluate a range condition item w．r．t．a given value．

## Parameters

value The value．
cond The condition item．
Result The SDL Boolean evaluation result．

## Algorithm

Line 2 Handle the case where the condition item is an open range. Decompose the open range into its contained (relational) operator identifier and ground expression.

Line 3 Evaluate the ground expression.
Line 4 Apply the relational operator to the value and the ground expression value.
Line $5 \quad$ Handle the case where the condition item is a closed range. Decompose it into the $\mathrm{AS}_{1}$ identifier for the SDL predefined Boolean and operator and the two contained open ranges.

Line 6-7 Decompose the two open ranges.
Line 8-9 Evaluate the ground expressions contained in the two open ranges.
Line 10-11 Apply each of the two relational operators to the value and its corresponding ground expression value.

Line 12 Apply the SDL predefined Boolean and operator to the evaluation results of the two open ranges.

## 6 Construction of Entity-dict and Handling of Abstract Data Types

This section contains the functions which build the Entity-dict (see the domain definition of Entity-dict). The Entity-dict is used by almost all processors. The system processor builds it by calling extract-dict below.

The section is divided into five subsections:

1. The creation of simple self-contained descriptors such as descriptors for variables, signals etc. Also the descriptors for processes and services (i.e. ProcessDDs resp. ServiceDDs) are created but with empty Reachability sets.
Descriptors are created for entities regardless of whether or not they are defined in a scopeunit included in the consistent subset. The reason for this is that the consistency checks on the data types applies for all scopeunits.
2. Creation of the descriptors for the data type definitions (TypeDD). For each scopeunit, this descriptor is created after the descriptors for the sorts (SortDD) and syntypes (SyntypeDD) are created.
3. Selection of the consistent subset.
4. Creation of the Reachabilities for the processes (i.e. creation of all possible communication paths for the processes.)
5. Auxiliary functions for simple information extraction from SDL channel and signal route definitions.

The selection of the consistent subset is made after descriptors for all the entities are constructed, by removing the SDL parts which will not be interpreted. With the modified SDL system as basis, descriptors are constructed again, and Reachabilities are constructed. The construction of the Entity-dict can be regarded as some intermediate level between the static semantics and the dynamic semantics. The error conditions in this section (checks on the consistent subset and on consistency of the abstract data types) can be regarded as some additional static conditions which are placed in the Dynamic Semantics because:

- Consistency checks on equivalence classes and on mutual exclusion of decision answers cannot easily be expressed in terms of $\mathrm{AS}_{1}$, i.e. these (static) checks are placed in the Dynamic Semantics because construction of the equivalence classes is required.
- The check on selection of a consistent refinement subset requires that selection of a consistent block subset has already been done.
To be strict, the selection of the consistent (refinement) subset is not an error condition, since it is not part of an SDL specification, but in order to check its properties, consistency checks are made on the set of block identifiers reflecting the consistent subset.
extract-dict $\left(\right.$ as $_{1}$ tree, blockset, expiredf, terminf $) \triangleq$
(let $\left(a s_{1}\right.$ pid, as ${ }_{1}$ null, as true, $_{1} s_{1}$ false $)=$ terminf in
let dict $=$ [EXPIREDF $\quad \mapsto$ expiredf,
PIDSORT $\mapsto a s_{1} p i d$,
NULLVALUE $\mapsto \mathbf{m k}$-Ground-term ${ }_{1}\left(\right.$ as $_{1}$ null $)$,
TRUEVALUE $\mapsto \mathbf{m k}$-Ground-term ${ }_{1}$ (as ${ }_{1}$ true),
let as tree' $^{\prime}=$ select-consistent-subset(as ${ }_{1}$ tree, blockset $)\left(d^{\prime}\right)$ in
let dict $^{\prime}=$ make-system-dict $\left(\right.$ as $_{1}$ tree $)($ dict $)$ in
let dict $^{\prime \prime}=$ make-reachabilities $\left(\right.$ as $_{1}$ tree $\left.{ }^{\prime}\right)\left(\right.$ dict $\left.^{\prime}\right)$ in
dict ${ }^{\prime \prime}$ )
type: $\quad$ System-definition ${ }_{1}$ Block-identifier $_{1}$-set Is-expiredF Term-information $\rightarrow$ Entity-dict
Objective Construct the Entity-dict for a given SDL system.


## Parameters

as tree The abstract syntax representation of an SDL system, i.e. an object of the domain System-definition ${ }_{1}$.
blockset The (assumed) consistent subset represented by a set of block identifiers and block substructure identifiers. Although the system scopeunit is also in the consistent subset it is not included in blockset.
expiredf A function for comparing SDL time values.
terminf $\quad$ Some $\mathrm{AS}_{1}$ identifiers used by the underlying system.
Result The Entity-dict for the part (consistent subset) of the SDL system which will be interpreted.


#### Abstract

Algorithm Line 1 Decompose the Term-information (defined in Annex F.2) which contains the Identifiers ${ }_{1}$ s of the Pid sort, the Null literal, the True literal and the False literal.

Line 2-6 Create the initial Entity-dict wherein the time comparison function and the term information are placed. Line $7 \quad$ Construct the Entity-dict for the entire SDL system. Line $8 \quad$ Remove the parts of the SDL system which will not be interpreted. Line $9 \quad$ Construct the Entity-dict for the modified SDL system. Line 10 Construct information about all possible communication paths (the Reachabilities) in the modified SDL system and insert this information in the process and service descriptors and the ENVIRONMENT entry of the Entity-dict. Line 11 Return the Entity-dict.


### 6.1 Construction of Descriptors for Simple Objects

make-system-dict $\left(\mathbf{m k}-\right.$ System-definition $_{1}($ snm, bset, , sigset, tp, synset $)($ dict $) \triangleq$

$$
\begin{align*}
& \text { (let level }=\left\langle\mathbf{m k} \text {-System-qualifier }{ }_{1}(\text { snm })\right\rangle \mathbf{i n}  \tag{6.1.1}\\
& \text { let } \text { dict }{ }^{\prime}=\text { dict }+[\text { ENVIRONMENT } \mapsto\{ \} \text {, } \\
& \text { SYSTEMLEVEL } \mapsto \text { level] in } \\
& \text { let } \text { dict }^{\prime \prime}=\text { extract-sortdict }(\text { tp, synset, level })(\text { dict') in } \\
& \text { make-entities } \left.(\text { sigset } \cup \text { bset, level })\left(\text { dict }^{\prime \prime}\right)\right)
\end{align*}
$$

type: $\quad$ System-definition ${ }_{1} \rightarrow$ Entity-dict $\rightarrow$ Entity-dict
Objective Construct the Entity-dict for a whole SDL system. Note that enclosed signal route definitions, channel definitions and connections are not dealt with here.

## Parameters

snm The system name.
bset The contained block definitions.
sigset The system level signal definitions.
$t p \quad$ The system level data type definition.
synset The system level syntype definitions.

## Result The Entity-dict for the system.

## Algorithm

Line $1 \quad$ Construct the qualifier denoting the system level.
Line 2 Initialize the ENVIRONMENT entry of the Entity-dict to an empty Reachability set, and insert the system level qualifier.

Line 4 Insert the system level data information in the Entity-dict.
Line $5 \quad$ Insert information about the other system level definitions in the Entity-dict.

```
make-entities(entities, level)(dict)}
if entities \(=\{ \}\) then dict
else
(let entity \(\in\) entities in
let dict' \(=\) make-entity \((\) entity, level \()(\) dict \()\) in make-entities(entities \(\backslash\{\) entity \(\}\), level \()\left(\right.\) dict \(\left.^{\prime}\right)\) )
type: \(\quad\) Decl \(_{1}\)-set Qualifier \(_{1} \rightarrow\) Entity-dict \(\rightarrow\) Entity-dict
```

Objective Insert information about definitions into an Entity-dict.

## Parameters

entities The definitions.
level The qualifier denoting the scope unit level containing the definitions.

## Algorithm

Line 1-2 If the set of definitions is empty then do not modify the Entity-dict.
Line $4 \quad$ Pick a definition from the definition set.
Line $5 \quad$ Insert information about the definition in the Entity-dict.

Line $6 \quad$ Insert information about remaining definitions in the Entity-dict.

```
make-entity(entity,level)(dict)\triangleq
```

```
cases entity:
```

cases entity:
(mk-Signal-definition ${ }_{1}(,$, )
(mk-Signal-definition ${ }_{1}(,$, )
$\rightarrow$ dict + make-signal-dict(entity, nil, level),
$\rightarrow$ dict + make-signal-dict(entity, nil, level),
$\mathbf{m k}-$ Timer-definition ${ }_{1}(\mathrm{~nm}$, sortlist)
$\mathbf{m k}-$ Timer-definition ${ }_{1}(\mathrm{~nm}$, sortlist)
$\rightarrow$ dict $+\left[\left(\mathbf{m k}-\right.\right.$ Identifier $_{1}($ level, $n m)$, SIGNAL $) \mapsto \mathbf{m k}$-SignalDD(sortlist, nil) $)$,
$\rightarrow$ dict $+\left[\left(\mathbf{m k}-\right.\right.$ Identifier $_{1}($ level, $n m)$, SIGNAL $) \mapsto \mathbf{m k}$-SignalDD(sortlist, nil) $)$,
mk-Variable-definition ${ }_{1}$ (nm, sort, init, rev)
mk-Variable-definition ${ }_{1}$ (nm, sort, init, rev)
$\rightarrow$ dict $+\left[\left(\mathbf{m k}-\right.\right.$ Identifier $_{1}($ level, $\left.n m), \mathrm{VALUE}\right) \mapsto \mathbf{m k}-\operatorname{VarDD}($, sort, init, rev, $\left.)\right]$,
$\rightarrow$ dict $+\left[\left(\mathbf{m k}-\right.\right.$ Identifier $_{1}($ level, $\left.n m), \mathrm{VALUE}\right) \mapsto \mathbf{m k}-\operatorname{VarDD}($, sort, init, rev, $\left.)\right]$,
$\mathbf{m k}$-View-definition ${ }_{1}(\mathrm{~nm}$, sort)
$\mathbf{m k}$-View-definition ${ }_{1}(\mathrm{~nm}$, sort)
$\rightarrow$ dict $+\left[\left(\mathbf{m k}\right.\right.$-Identifier ${ }_{1}($ level, $n m)$, VALUE $) \mapsto \mathbf{m k}-V i e w D D($ sort $\left.)\right]$,
$\rightarrow$ dict $+\left[\left(\mathbf{m k}\right.\right.$-Identifier ${ }_{1}($ level, $n m)$, VALUE $) \mapsto \mathbf{m k}-V i e w D D($ sort $\left.)\right]$,
mk-Block-definition ${ }_{1}(,,,,,,$,
mk-Block-definition ${ }_{1}(,,,,,,$,
$\rightarrow$ make-block-dict(entity, level)(dict),
$\rightarrow$ make-block-dict(entity, level)(dict),
mk-Process-definition $1(,,,,,,,,,,$,
mk-Process-definition $1(,,,,,,,,,,$,
$\rightarrow$ make-process-dict(entity, level)(dict),
$\rightarrow$ make-process-dict(entity, level)(dict),
mk-Service-definition $1(,,,,,,$,
mk-Service-definition $1(,,,,,,$,
$\rightarrow$ make-service-dict(entity, level)(dict),
$\rightarrow$ make-service-dict(entity, level)(dict),
mk-Procedure-definition ${ }_{1}(,,,,,,$,
mk-Procedure-definition ${ }_{1}(,,,,,,$,
$\rightarrow \rightarrow$ make-procedure-dict(entity, level)(dict),
$\rightarrow \rightarrow$ make-procedure-dict(entity, level)(dict),
$\top \rightarrow$ dict $)$
$\top \rightarrow$ dict $)$
type: $\quad$ Decl $_{1}$ Qualifier $_{1} \rightarrow$ Entity-dict $\rightarrow$ Entity-dict

```
type: \(\quad\) Decl \(_{1}\) Qualifier \(_{1} \rightarrow\) Entity-dict \(\rightarrow\) Entity-dict
```


## Objective Insert information about a definition into an Entity-dict.

## Parameters

entity The definition.
level A qualifier denoting the scopeunit containing the definition.
Algorithm Construct the contribution for the entity in hand. Note that a timer is treated as a normal signal.
make-signal-dict $(\mathbf{m k}$-Signal-definition $($ nm, sortlist, refinement $)$, orev, level $) \triangleq$

```
    (let \(d=\left[\left(\mathbf{m k}-\right.\right.\) Identifier \(_{1}(\) level, \(n m)\), SIGNAL \() \mapsto \mathbf{m k}\)-SignalDD \((\) sortlist, orev \(\left.)\right]\) in
    if refinement \(=\) nil then
        \(d\)
    else
        (let mk-Signal-refinement \(t_{1}(\) subsigset \()=\) refinement in
        let level'= level \(\Delta\left\langle\mathbf{m k}\right.\)-Signal-qualifier \(\left.{ }_{1}(n m)\right\rangle\) in
        \(d+\) merge \(\{\) make-signal-dict(subsigdef, subsigorev, level')|
                        \(\mathbf{m k}\)-Subsignal-definition \({ }_{1}(\) subsigorev, subsigdef \() \in\) subsigset \(\left.\left.\}\right)\right)\)
```

type: $\quad$ Signal-definition ${ }_{1}$ [REVERSE] Qualifier $_{1} \rightarrow$ Entity-dict

Objective Make the Entity-dict contribution for a signal and for its subsignals if any. Note that a signal descriptor does not tell whether a signal is a subsignal or not. This is due to the fact that this information can be derived from the qualifier of the signal.

## Parameters

Signal-definition $_{1}$ The $\mathrm{AS}_{1}$ signal definition consisting of $n m \quad$ The name of the signal.
sortlist The sorts of the values conveyed by the signal.
refinement The signal refinement part.
level A qualifier denoting the scopeunit where the signal is defined.

## Algorithm

Line 1 Make the contribution for the signal and
Line 5-7 Make the contributions for the sub-signals with the qualifier denoting the scopeunit which is the signal definition.
make-block-dict $($ bdef, level $)($ dict $) \triangleq$

```
(let mk-Block-definition \({ }_{1}(\) bnm, pdefs, sigdefs, , , datatype, syntype, sub) \(=\) bdef in
    let level' = level 〈 <mk-Block-qualifier \({ }_{1}(\) bnm \(\left.)\right\rangle\) in
    let sortd \(=\) extract-sortdict(datatype, syntype, level' \()(\) dict \()\) in
    let dict' = make-entities \((\) sigdefs \(\cup\) pdefs, level' \()(\) sortd \()\) in
        if \(s u b=\) nil then
            dict'
            else
            (let mk-Block-substructure-definition \(n_{1}(s n m\), bdefs, ,, sdefs, tp, syndefs \()=s u b\) in
            let level'’= level' \(\left\langle\mathbf{m k}\right.\)-Block-substructure-qualifier \({ }_{1}(\) snm \(\left.)\right\rangle\) in
            let sortd' = extract-sortdict(tp, syndefs, level') (dict') in
            make-entities(bdefs \(\cup\) sdefs, level')(sortd')))
type: \(\quad\) Block-definition \(_{1}\) Qualifier \(_{1} \rightarrow\) Entity-dict \(\rightarrow\) Entity-dict
```

Objective Insert information about a block definition and its contained definitions into an Entity-dict. Note that enclosed signal route definitions, channel definitions and connections are not dealt with here.

## Parameters

bdef The block definition.
level $\quad$ The qualifier denoting the level where the block is defined.

## Algorithm

Line 1 Decompose the block definition.
Line 2 Construct the qualifier which denotes the level of the block.
Line 3 Update the Entity-dict to include the data defined in the block.
Line 4 Update the Entity-dict to include the signals (sigdefs) and processes ( $p d e f s$ ) defined in the block
Line 5 If no block substructure is specified then the updated Entity-dict is returned.
Line 8 Decompose the block substructure.
Line $9 \quad$ Construct the qualifier which denotes the level of the block substructure.
Line 10 Update the Entity-dict to include the data definitions defined in the block substructure.
Line 11 Update the Entity-dict to include the blocks (bdefs) and signals (sdefs) defined in the block substructure.

```
    (let mk-Process-definition \({ }_{1}(n m\), inst, \(f\), pset, sigset, \(t\), synset, \(v\) set, , tset, grordec \()=p d e f\) in
    let \(\mathbf{m k}\)-Number-of-instances \({ }_{1}(\) init, maxi \()=\) inst in
    let pid \(=\mathbf{m k}\)-Identifier \({ }_{1}(\) level,\(n m)\),
        level' \(=\) level \(\quad\) 〈 \(\left\langle\mathbf{m k}\right.\)-Process-qualifier \(\left.{ }_{1}(\mathrm{~nm})\right\rangle \mathbf{i n}\)
    let \((\) parmdds, parmd \()=\) make-process-formal-parameters \((f\), level' \()\) in
    let dict \(^{\prime}=\) extract-sortdict \((t\) p, synset, level \()(\) dict + parmd \()\) in
    let \(d i c t{ }^{\prime \prime}=\) make-entities \((p s e t \cup\) sigset \(\cup v\) set \(\cup\) tset, level' \()\left(\right.\) dict \(\left.t^{\prime}\right)\) in
    (is-Process-graph \({ }_{1}\) (grordec)
    \(\rightarrow\) (let grordec' \(=\) check-graph \((\) grordec, level \()(\) dict' \()\) in
                dict'' \(+[(\) pid, PROCESS \() \mapsto \mathbf{m k}\)-Process-DD(parmdds, init, maxi, grordec', \(\{ \})])\),
    is-Service-decomposition \({ }_{1}\) (grordec)
    \(\rightarrow\) (let mk-Service-decomposition \({ }_{1}\) (servset, , \()=\) grordec \(^{\text {in }}\)
        let dict"'"= make-entities(servset, level')(dict') in
        dict'"'+ [(pid, PROCESS) \(\mapsto \mathbf{m k}\)-Process-DD(parmdds, init, maxi, nil, \{\})])))
type: \(\quad\) Process-definition \({ }_{1}\) Qualifier \(_{1} \rightarrow\) Entity-dict \(\rightarrow\) Entity-dict
```

Objective Insert information about a process definition and its contained definitions into an Entity-dict. Note that enclosed signal route definitions and connections are not dealt with here.

## Parameters

pdef The process definition.
level A qualifier denoting the scopeunit where the process is defined.

## Algorithm

Line 1 Decompose the process definition.
Line 2 Extract the initial number of instances (init) and the maximum number of instances (maxi).
Line 3 Construct the identifier for the process definition.
Line $4 \quad$ Construct the qualifier denoting the scopeunit which is the process definition.
Line 5 Construct the formal parameter descriptors and Entity-dict contributions for the process formal parameters.
Line6 $\quad$ Make the Entity-dict which is updated with information about the data definitions in the process.
Line $7 \quad$ Make the contributions for the contained procedure definitions (pset), signal definitions (sigset), variable definitions (vset) and timer definitions ( $t$ set)

Line $8 \quad$ Handle the case where the process is not decomposed into services.
Line $9 \quad$ Check the wellformedness of the process graph. The function either returns the process graph unchanged or performs an exit.

Line 10 Update the constructed Entity-dict with the descriptor for the process itself. Note that, at this stage, the Reachability set for the process is empty.

Line $11 \quad$ Handle the case where the process is decomposed into services.
Line 12 Decompose the service decomposition.
Line 13 Update the Entity-dict with information about the services.
Line 14 Update the constructed Entity-dict with the descriptor for the process itself. The process graph field in the process descriptor is set to nil to indicate that the process is decomposed into services. Note that, at this stage, the Reachability set for the process is empty.

```
    (〈mk-Identifier \({ }_{1}(\) level, varnm) \(\mid\)
        \(1 \leq i \leq\) len parml \(\wedge \mathbf{m k}\)-Process-formal-parameter \({ }_{1}(\) varnm \(\left.)=\operatorname{parml}[i]\right\rangle\),
        \(\left[\left(\mathbf{m k}-\right.\right.\) Identifier \(_{1}(\) level, varnm \(\left.), \mathrm{VALUE}\right) \mapsto \mathbf{m k}-\operatorname{VarDD}(\), sortref, nil, nil, \() \mid\)
        \(1 \leq i \leq\) len parml \(\wedge \mathbf{m k}\)-Process-formal-parameter \({ }_{1}\left(\right.\) varnm, \(\left.\left.\left.^{\text {sortref }}\right)=\operatorname{parml}^{2}[i]\right]\right)\)
type: \(\quad\) Process-formal-parameter \({ }_{1}{ }^{*}\) Qualifier \(_{1} \rightarrow\) ParameterDD* Entity-dict \(^{*}\)
```

Objective Construct the formal parameter descriptors and Entity-dict contribution for a list of process formal parameters.

## Parameters

parml The list of process formal parameters.
level The qualifier denoting the process level.

## Algorithm

Line 1-2 Construct the list of formal parameter descriptors. Each formal parameter descriptor is simply the identifier of the formal parameter variable.

Line 3-4 Construct the Entity-dict contribution for the formal parameters. Note that they are treated as normal variables.
make-service-dict(servdef, level) $($ dict $) \triangle$

```
    (let mk-Service-definition \(1_{1}(n m\), pset, \(t p\), synset, vset, , tset, graph \()=\) servdef \(\mathbf{i n}\)
    let servid \(=\mathbf{m k}\)-Identifier \({ }_{1}\) (level, \(n m\) ),
        level' \(=\) level \(\bullet\left\langle\mathbf{m k}\right.\)-Service-qualifier \(\left.{ }_{1}(\mathrm{~nm})\right\rangle\) in
    let dict' = extract-sortdict \((t p\), synset, level' \()(\) dict \()\) in
    let dict''= make-entities \((p s e t \cup v\) set \(\cup\) tset, level' \()\left(\right.\) dict \(\left.^{\prime}\right)\) in
    let graph' \(=\) check-graph (graph, level')(dict) in
    dict'’+ [(servid, SERVICE) \(\mapsto \mathbf{m k}-S e r v i c e D D(\) graph', , \{ \} \()])\)
```

type: $\quad$ Service-definition Qualifier $_{1} \rightarrow$ Entity-dict $\rightarrow$ Entity-dict

Objective Insert information about a service and its contained definitions into an Entity-dict.

## Parameters

servdef The service definition.
level The qualifier denoting the level at which the service is defined.

## Algorithm

Line 1 Decompose the service definition.
Line $2 \quad$ Construct the identifier of the service.
Line $3 \quad$ Construct the qualifier denoting the service level.
Line 4 Update the Entity-dict to include information about the data defined in the service.
Line 5 Update the Entity-dict to include information about the procedures (pset), variables (vset) and timers ( $t s e t$ ) defined in the service.

Line 6 Check the wellformedness of the graph. The function check-graph either returns the service graph unchanged or performs an exit.

Line 7 Update the constructed Entity-dict with the descriptor for the service itself. Note that, at this stage, the Reachability set for the service is empty.

1 (let mk-Procedure-definition ${ }_{1}(n m, f p, p s e t, t p$, sset, vset, graph $)=$ procdef in
2 let pid=mk-Identifier ${ }_{1}($ level, $n m$ ),
level' $=$ level $\left\langle\left\langle\mathbf{m k}\right.\right.$ Procedure-qualifier $\left.{ }_{1}(n m)\right\rangle \mathbf{i n}$
let $($ parmddl, fdict $)=$ make-procedure-formal-parameters $(f p$, level' $)$ in
let dict' $=$ extract-sortdict $(t p$, sset, level' $)($ dict + fdict $)$ in
let dict''= make-entities $(p s e t \cup v s e t$, level' $)($ dict' $)$ in
let graph' $=$ check-graph $($ graph, level' $)($ dict' $)$ in
dict'’'+ [(pid, PROCEDURE) $\mapsto \mathbf{m k}$-ProcedureDD(parmddl, graph' $)]$ )
type: $\quad$ Procedure-definition $1_{1}$ Qualifier $_{1} \rightarrow$ Entity-dict $\rightarrow$ Entity-dict
Objective Insert information about a procedure and its contained definitions into an Entity-dict.

## Parameters

procdef The procedure definition.
level The qualifier denoting the scopeunit where the procedure is defined.

## Algorithm

Line 1 Decompose the procedure definition.
Line 2 Construct the identifier for the procedure.
Line 3 Construct the qualifier denoting the procedure scopeunit.
Line 4 Construct the procedure formal parameter descriptors for the procedure and the Entity-dict contribution for the formal parameters.

Line $5 \quad$ Update the Entity-dict with information about the data definitions in the procedure.
Line 6 Update the Entity-dict with information about the contained procedure definitions (pset) and variable definitions (vset).

Line $7 \quad$ Check the wellformedness of the procedure graph. The function check-graph either returns the procedure graph unchanged or performs an exit.
Line $8 \quad$ Update the constructed Entity-dict with the descriptor for the procedure itself.
make-procedure-formal-parameters $($ parml, level $) \triangleq$

```
(<cases parml[i]:
    (mk-In-parameter (varnm,)
        ->\mathbf{mk}-InparmDD(\mathbf{mk}-Identifier }\mp@subsup{1}{1}{(level, varnm)),
    mk-Inout-parameter ( (varnm,)
        ->\mathbf{mk}-InoutparmDD(\mathbf{mk}-\mp@subsup{I}{\mathrm{ dentifier }}{1}
    1\leqi\leq len parml>,
    [(mk-Identifier }\mp@subsup{}{1}{(level, varnm), VALUE)}\mapsto\mathbf{mk}-VarDD(, sortref, nil, nil,)| 
    mk-In-parameter }\mp@subsup{1}{1}{(varnm, sortref) }\in\mathrm{ elems parml])
type: Procedure-formal-parameter }\mp@subsup{}{1}{*}\mp@subsup{\mathrm{ Qualifier }}{1}{}->\mp@subsup{\mathrm{ FormparmDD* Entity-dict}}{}{\prime
```

Objective Construct the formal parameter descriptors and Entity-dict contribution for a list of procedure formal parameters.

## Parameters

parml The list of procedure formal parameters.
level The qualifier denoting the procedure level.

## Algorithm

Line 1-6 Construct the list of formal parameter descriptors.
Line 7-8 Construct the Entity-dict contribution for the (in) formal parameters. Note that they are treated as normal variables. No entries in Entity-dict are made for the in/out formal parameters.

```
check-graph \((\) graph, level \()(\) dict \() \triangleq\)
    ( \(\neg\) is-wf-assignments(graph, level)(dict)
        \(\rightarrow\) exit("§5.4.3: Ground expression in assignment statement is out of range"),
        \(\neg i s-w f-d e c i s i o n-a n s w e r s(\) graph, level \()(\) dict \()\)
        \(\rightarrow\) exit("§2.7.5: Answers in decision actions are not mutually exclusive"),
    \(\top \rightarrow\) graph \()\)
type: \(\quad\left(\right.\) Process-graph \(_{1} \mid\) Service-graph \(_{1} \mid\) Procedure-graph \(\left._{1}\right)\) Qualifier \(_{1} \rightarrow\) Entity-dict
        \(\rightarrow\) (Process-graph \({ }_{1} \mid\) Service-graph \(_{1} \mid\) Procedure-graph \(\left._{1}\right)\)
```

Objective
Check the wellformedness of a process, service or procedure graph, i.e. perform a range check on each ground expression constituting the right hand side of an assignment statement, and check that no decision node contains overlapping answers.

## Parameters

graph The process, service or procedure graph to be checked.
level The qualifier denoting the process/service/procedure level.
Result
If the graph is wellformed, it is returned unchanged, otherwise the function performs an exit.

## Algorithm

Line 1-2 Perform a range check on each ground expression constituting the right hand side of an assignment statement.

Line 3-4 Check that no decision node contains overlapping answers.
Line $5 \quad$ Return the graph unchanged.
is-wf-assignments $($ graph, level $)($ dict $) \triangleq$
(let $($ startnode, stateset $)=$ decomp-graph $($ graph $)$ in
(let trans = decomp-start-node(startnode) in
is-wf-transition-assignments(trans, level)(dict)) $\wedge$
$\left(\forall \mathbf{m k}-\right.$ State-node $_{1}($, , inputs, spontrs $) \in$ stateset $)$
$\left(\left(\forall \mathbf{m} \mathbf{k}-\right.\right.$ Input-node $_{1}(,$, trans $) \in$ inputs $)(i s$-wf-transition-assignments $($ trans, level $)($ dict $)) \wedge$
$\left(\forall \mathbf{m k}\right.$-Spontaneous-transition $1_{1}($ trans $) \in$ spontrs)(is-wf-transition-assignment(trans, level)(dict))))
type: $\quad$ (Process-graph $\mid$ Service-graph ${ }_{1} \mid$ Procedure-graph $\left._{1}\right)$ Qualifier $_{1} \rightarrow$ Entity-dict
$\rightarrow$ Bool

Objective Perform a range check on each ground expression which constitutes the right hand side of some assignment statement in a process, service or procedure graph.

## Parameters

graph The process, service or procedure graph.
level The qualifier denoting the process/service/procedure level.

```
Result true if success, else false.
```


## Algorithm

Line 1 Decompose the graph into its start node and state node set.
Line $2 \quad$ Obtain the transition contained in the start node.
Line 3 No ground expression constituting the right hand side in an assignment statement in the start transition may be out of range.

Line $4 \quad$ For each state it must hold that
Line 5 for each input transition no assignment statement may have an out-of-range ground expression as its right hand side,

Line 6 and for each spontaneous transition no assignment statement may have an out-of-range ground expression as its right hand side.
is-wf-transition-assignments $\left(\mathbf{m k}-T r a n s i t i o n_{1}(\right.$ actl, termordec $)$, level $)($ dict $) \triangleq$

```
    \((\forall a c t \in\) elems actl \()\)
    (is-Task-node \(1_{1}(\) act \() \supset\) is-wf-task-node \((\) act, level \()(\) dict \(\left.)\right) \wedge\)
    (is-Decision-node \({ }_{1}(\) termordec \() ~ \supset\)
    (let mk-Decision-node \(1_{1}(\), answerset, elsetrans \()=\) termordec \(\mathbf{i n}\)
        ( \(\forall \mathbf{m} \mathbf{k}\)-Decision-answer \({ }_{1}(\), trans \() \in\) answerset \()\)
        (is-wf-transition-assignments(trans, level)(dict)) \(\wedge\)
        (elsetrans \(\neq \mathbf{n i l} \supset\) is-wf-transition-assignments(s-Transition \({ }_{1}(\) elsetrans \()\), level \()(\) dict \(\left.\left.)\right)\right)\) )
```

type: $\quad$ Transition $_{1}$ Qualifier $_{1} \rightarrow$ Entity-dict $\rightarrow$ Bool

Objective Check that no assignment in a transition has an out-of-range ground expression as its right hand side.

## Parameters

actl,termordec The action list and the terminator/(outermost) decision node in the transition.
level The qualifier denoting the surrounding scope unit.

## Result true if success, else false.

```
Algorithm
    Line 1-2 Check all task nodes in the action list of the transition.
    performed.
    Line 4 Decompose the decision node.
    Line 5-6 Check the transition contained in each decision answer.
    Line 7 If the else answer is present, then check its contained transition.
is-wf-task-node(\mathbf{mk}-Task-node}\mp@subsup{1}{1}{(asgnortxt), level)}(\mathrm{ dict })
```

```
    cases asgnortxt:
```

    cases asgnortxt:
    (mk-Assignment-statement \({ }_{1}\) (varid, expr)
    (mk-Assignment-statement \({ }_{1}\) (varid, expr)
        \(\rightarrow\) is-Ground-expression \({ }_{1}\) (expr) \(\supset\)
        \(\rightarrow\) is-Ground-expression \({ }_{1}\) (expr) \(\supset\)
            (let dict' \(=\) dict \(+[\) SCOPEUNIT \(\mapsto\) level \(]\) in
            (let dict' \(=\) dict \(+[\) SCOPEUNIT \(\mapsto\) level \(]\) in
            let \(\mathbf{m k}-\operatorname{VarDD}(\), sortref,,,\()=\operatorname{dict}^{\prime}((\) varid, VALUE\())\),
            let \(\mathbf{m k}-\operatorname{VarDD}(\), sortref,,,\()=\operatorname{dict}^{\prime}((\) varid, VALUE\())\),
                exprval = eval-expression(expr)(dict') in
                exprval = eval-expression(expr)(dict') in
            range-check(sortref, exprval)(dict)),
            range-check(sortref, exprval)(dict)),
        mk-Informal-text \({ }_{1}()\)
        mk-Informal-text \({ }_{1}()\)
        \(\rightarrow\) true)
        \(\rightarrow\) true)
        Task-node \(_{1}\) Qualifier \(_{1} \rightarrow\) Entity-dict \(\rightarrow\) Bool
    ```
        Task-node \(_{1}\) Qualifier \(_{1} \rightarrow\) Entity-dict \(\rightarrow\) Bool
```

    Line 3 If the terminating action of the transition is a decision node, the checks in the lines below should be
    Objective If a task node contains an assignment statement, then check that its right hand side is not a ground expression which is out of range.

## Parameters

asgnortxt $\quad$ The assignment statement or informal text in the task node.
level The qualifier denoting the surrounding scope unit.
Result true if success, else false.

## Algorithm

Line 2 Consider the case where the contents of the task node is an assignment statement.
Line 3 If the right hand side of the assignment statement is not a ground expression, the assignment statement is wellformed.

Line 4-6 Insert the scopeunit in the Entity-dict, look up the sort or syntype of the left hand side variable, and evaluate the right hand side.

Line $7 \quad$ Perform the range check.
Line 8-9 If the contents of the task node is an informal text, the task node is wellformed.
is-wf-decision-answers $($ graph, level $)($ dict $) \triangleq$

```
(let }(\mathrm{ startnode, stateset })=\mathrm{ decomp-graph (graph ) in
    (let trans = decomp-start-node(startnode) in
        is-wf-transition-answers(trans, level)(dict)) ^
        ( }\forall\mathbf{m}\mathbf{k}-State-node (1, , inputs, spontrs) \in stateset
    ((\forall\mathbf{mk}-Input-node}\mp@subsup{1}{1}{(, , trans) \in inputs)(is-wf-transition-answers(trans, level)(dict)) ^
    (\forall\mathbf{mk}-Spontaneous-transition}\mp@subsup{1}{1}{(trans)}\in\operatorname{spontrs)(is-wf-transition-answers(trans,level)(dict))))
type: (Process-graph }|\mathrm{ Service-graph }|\mp@subsup{|}{1}{}\mp@subsup{\mathrm{ Procedure-graph }}{1}{})\mp@subsup{Q}{\mathrm{ Qualifier }}{1}\mp@code{}->\mathrm{ Entity-dict
        Bool
```

Objective Check that the answers in a decision action of a process, service or procedure graph are mutually exclusive.

## Parameters

graph The process, service or procedure graph.
level The qualifier denoting the process/service/procedure level.

## Result true if success, else false.

## Algorithm

Line 1 Decompose the graph into its start node and state node set.
Line $2 \quad$ Obtain the transition contained in the start node.
Line 3 No decision node in the start transition may contain overlapping answers.
Line $4 \quad$ For each state it must hold that
Line 5 for each input transition no decision node contains overlapping answers,
Line 6 and for each spontaneous transition no decision node contains overlapping answers.

```
    is-Decision-node (termordec) \supset
    (let mk-Decision-node }\mp@subsup{1}{1}{(,}\mathrm{ , answerset, elsetrans)= termordec in
```



```
        (is-wf-transition-answers(trans, level)(dict)) ^
        (elsetrans =| nil }\supset\mathrm{ is-wf-transition-answers(s-Transition}\mp@subsup{n}{1}{(elsetrans), level)(dict)) ^
        (\forallanswer1 }\in\mathrm{ answerset)
        ((\forallanswer 2 \in answerset \{answer 1})
        ((let mk-Decision-answer (rngortxt1,) = answer1,
            mk-Decision-answer }\mp@subsup{r}{1}{}(\mathrm{ rngortxt 2,) = answer 2,
            dict'= dict +[SCOPEUNIT }\mapsto\mathrm{ level] in
```



```
        ranges-not-overlapping(rngortxt1, rngortxt2) (dict')))))
        Transition, Qualifier }\mp@subsup{}{1}{}->\mathrm{ Entity-dict }->\mathrm{ Bool
```

Objective Check that no decision action in a transition contains overlapping answers.

## Parameters

termordec The terminator or (outermost) decision node in the transition.
level The qualifier denoting the surrounding scopeunit.
Result true if success, else false.

## Algorithm

Line $1 \quad$ The condition is true if the terminating action of the transition is not a decision node.
Line 2 Decompose the decision node into a set of answers and an optional else answer.
Line 3-4 Check that no decision node in the answers contains overlapping answers.
Line 5 If the else answer is present then check that no contained decision node contains overlapping answers.

Line 6-7 For any two different decision answers in the decision node lines 8-12 must hold.
Line 8-9 Obtain the answer range conditions from the two decision answers.
Line 10 Insert the scope unit level of the decision node into the Entity-dict in order to enable "static evaluation" of the range conditions.

Line 11-12 If both answer range conditions are really range conditions (i.e. none of them is an informal text) they are not allowed to overlap.

```
ranges-not-overlapping(rngcond 1, rngcond2)(dict)}
\((\) let-sort \(=\) sort-of-range-condition \((\) rngcond 1\()(d i c t)\) in \((\forall\) value \(\in\) values-of-sort \((\) sort \()(\) dict \())\)
            ((trap exit() with true in
        let answerval1 = eval-range-condition(value, rngcond1)(dict),
            answerval2 = eval-range-condition(value, rngcond2)(dict) in
        answerval1 = dict(FALSEVALUE) V answerval2 = dict(FALSEVALUE))))
type: Range-condition 1 Range-condition }\mp@subsup{|}{1}{}->\mathrm{ Entity-dict }->\mathrm{ Bool
```


## Objective <br> Check that two given range conditions do not overlap.

## Parameters

rngcond 1 The first range condition.
ragcond 2 The second range condition.

## Result true if success, else false.

## Algorithm

Line $1 \quad$ Obtain the sort of the values expected by the range conditions. If (some of) the contained condition items expect a syntype the parent sort of this is obtained.

Line 2-6
The range conditions are disjoint exactly if there exists no value for which both range conditions are True. For each value the two range conditions are "statically" evaluated (line 4-5) and it is tested that at least one of the evaluation results is False (line 6). Any exit caused by range checks for syntypes during evaluation of the range conditions is trapped (line 3) since range checks for syntypes should not be applied until the decision is interpreted.

### 6.2 Handling of Abstract Data Types

This section contains the functions for handling of abstract data types. The entry functions are:
extract-sortdict which is applied during the construction of Entity-dict and which creates the type descriptors, sort descriptors, syntype descriptors, literal descriptors and operator descriptors.
values-of-sort
reduce-term which is used to obtain the ground term which has been chosen (during the creation of the Entity-dict) to represent the equivalence class to which a given ground term belongs.
sort-of-range-condition which is used to obtain the sort of values which is expected by a range condition. If (some of) the condition items of the range condition expect a syntype the corresponding parent sort is returned.
sort-or-parent-sort which obtains the parent sort of a syntype. If a sort identifier is given to the function this sort identifier is returned.

### 6.2.1 Entry Functions

extract-sortdict(typedef, syndefs, level) $($ dict $) \triangleq$

```
    (let mk-Data-type-definition \({ }_{1}(\) sorts, signatureset, eqs) \(=\) typedef \(\mathbf{i n}\)
    let literald \(=[(i d, \mathrm{VALUE}) \mapsto \mathbf{m k}\)-OperatorDD \((\langle \rangle\), result \() \mid\)
                \(\mathbf{m k}\)-Literal-signature \({ }_{1}(\mathrm{~nm}\), result \() \in\) signatureset \(\wedge\)
                id \(=\mathbf{m k}\)-Identifier \({ }_{1}\left(\right.\) level \(\left.^{1}, n m\right)\) ],
    operatord \(=[(\) id, VALUE \() \mapsto \mathbf{m k}\)-OperatorDD(arglist, result) \(\mid\)
                            \(\mathbf{m k}\)-Operator-signature \({ }_{1}(\mathrm{~nm}\), arglist, result \() \in\) signatureset \(\wedge\)
                            \(i d=\mathbf{m k}-\) Identifier \(_{1}(\) level,,\(n m)\) ],
    sortd \(=[(i d\), SORT \() \mapsto \mathbf{m k}\)-SortDD ( ) \(\mid\)
            \(n m \in\) sorts \(\wedge i d=\mathbf{m k}\)-Identifier \({ }_{1}(\) level, \(\left.n m)\right]\),
    syntyped \(=[(\) id, SORT \() \mapsto \mathbf{m k}\)-SyntypeDD (parsort, rngcond) \(\mid\)
                    \(\mathbf{m k}\)-Syn-type-definition \({ }_{1}(n m\), parsort, rngcond \() \in\) syndefs \(_{\wedge}\)
                    id \(=\mathbf{m k}\)-Identifier \({ }_{1}(\) level,,\(n m)\) ],
    dict' \(=\) dict + literald + operatord + sortd + syntyped in
    let equations = collect-all-equations(eqs, level)(dict'),
        sortmap \(=\) make-sortmap (sorts, equations, level)(dict'),
        trmap \(=\) make-term-reduce-map \((\) sortmap, level \()\left(\right.\) dict \(\left.{ }^{\prime}\right)\),
        dict'" \(=\) dict' \(+[(\) level, TYPE \() \mapsto \mathbf{m k}-\) TypeDD(trmap, sormap, equations \()]\) in
        ( \(\neg\) is-wf-literals(level)(dict')
    \(\rightarrow\) exit("§5.3.1.7: Literal is equivalent to the error term"),
    \(\neg i s\)-wf-values(level)(dict')
    \(\rightarrow\) exit("§5.2.1: Generation or reduction of equivalence classes of the enclosing scope unit"),
    \(\top \rightarrow\) dict') \()\)
type: \(\quad\) Data-type-definition Syn-type-definition \(_{1}\)-set Qualifier \(_{1} \rightarrow\) Entity-dict \(\rightarrow\) Entity-dict
```

Objective Update Entity-dict to contain the descriptors for the data definitions (i.e. data type, sorts, syntypes, literals and operators) at a given scope unit level.

## Parameters

typedef The data type definition.
syndefs The syntype definitions.
level The level on which they are defined.
Result The updated Entity-dict.

## Algorithm

Line 1 Decompose the data type definition into its contained sorts, literal and operator signatures, and equations.

Line 2-3 Construct the descriptors for all the literals in the data type definition. They are considered as operators without any arguments.

Line 5-7 Construct the descriptors for all the operators defined in the data type definition.
Line 8-9 Construct the descriptors for all the sorts defined in the data type definition.
Line 10-12 Construct the descriptors for the syntype definitions.
Line 13 Add the above constructed descriptors to the Entity-dict.
Line $14 \quad$ Obtain the set of all equations which apply at this scope unit level.
Line 15 Use the equations to construct the Sortmap which applies at this scope unit level.
Line 16 Use the Sortmap to construct the Term-reduce-map which maps each equivalence class of this scope unit level to a canonical ground term. The choice of these canonical ground terms is made by the function make-term-reduce-map according to some criteria which will be explained in the section where make-term-reduce-map.

Line 17 Insert a descriptor for the data type definition into the Entity-dict. The qualifier of the enclosing scope unit is used as key for looking up this descriptor because a data type definition has no name.

Line 18-19 Check that no literal is equal to the error! term.
Line 20-21 Check that no equivalence classes of the scope unit enclosing this one are unified, and that no new equivalence classes are added to sorts visible in the scope unit enclosing this one.

Line $22 \quad$ Return the updated Entity-dict.
values-of-sort(sortid) $($ dict $) \triangleq$
(let sortlevel $=\mathbf{s}-$ Qualifier $_{1}($ sortid $)$ in
let mk-TypeDD(trmap, ,) = $\operatorname{dict}(($ sortlevel, TYPE)) in
$\left\{\right.$ val $\in \mathbf{r n g}$ trmap $\backslash\left\{\mathbf{m k}\right.$-Error-term $\left.{ }_{1}()\right\} \mid$ is-of-this-sort(sortid, val)(dict) $\}$ )
type: $\quad$ Sort-identifier $r_{1} \rightarrow$ Entity-dict $\rightarrow$ Value-set
Objective Obtain the set of all values belonging to a given sort.

## Parameters

sortid The identifier of the sort.
Result The set of values of the sort.

## Algorithm

Line $1 \quad$ Obtain the qualifier of the sort.
Line $2 \quad$ Use this qualifier to look up the type descriptor for the scope unit where the sort is defined.
Line 3 The range of the Term-reduce-map of the scope unit contains all values of all sorts visible in that scope unit, and the error term. Exclude the error term and select those values which belong to the given sort.

```
reduce-term(term, level)(dict)}
```

```
    \((\) let mk-TypeDD \((\) trmap,,\()=\operatorname{dict}((\) level, , TYPE \())\) in
    let class \(\in\) dom trmap be s.t. term \(\in\) class in
    let term' \(^{\prime}=\operatorname{trmap}(\) class \()\) in
    if is-Error-term \({ }_{1}\) (term') then
        exit("§5.3.1.7: Expression, term or value is equivalent to the error term")
        else
        term')
type: \(\quad\) Ground-term \(1_{1}\) Qualifier \(_{1} \rightarrow\) Entity-dict \(\rightarrow\) Value
```

Objective Given a ground term, obtain the canonical ground term which has been chosen to represent its equivalence class in the rest of the system.

## Parameters

term The ground term.
level The scope unit level at which the ground term has been built.
Result The canonical ground term.

```
Algorithm
    Line 1 Obtain the Term-reduce-map for the scope unit level.
    Line 2 Select the equivalence class which contains the ground term.
    Line 3 Obtain the canonical ground term from the Term-reduce-map.
    Line 4-5 It is an error if the ground term is equivalent to the error term.
    Line 7 Return the canonical ground term.
sort-of-range-conditiont(mk-Range-condition }
    (let condit \in cset in
    let relopid = cases condit:
                (mk-Open-range (op,)
                        op,
            mk-Closed-range }\mp@subsup{1}{1}{(, , mk-Open-range }\mp@subsup{1}{1}{(op,))
                op) in
    let mk-OperatorDD(sortlist, ) = dict((relopid, VALUE)) in
    sort-or-parent-sort(sortlist[1])(dict))
type: Range-condition 
```

Objective Obtain the sort of the values which are expected by a range condition. If (some of) the condition items in the range condition expect a syntype the parent sort of this is returned.

## Parameters

cset The condition items of the range condition.
Result The sort expected by the range condition.

## Algorithm

Line 1 Select an arbitrary condition item from the range condition. The static conditions on a range condition ensure that all its condition items expect the same sort/parent sort.

Line 2-6 If the chosen condition item is an open range its relational operator is extracted (line 3-4). If it is a closed range the relational operator of its second open range is extracted (line 5-6).

Line 7 Look up the argument sort list of the operator.

Line 8 The first argument sort/syntype of the operator is the one expected by the condition item. If the argument sort/syntype is a syntype its parent sort is returned.
sort-or-parent-sort(sortref) $($ dict $) \triangleq$

```
    cases dict((sortref, SORT)):
        (mk-SortDD() }->\mathrm{ sortref,
        mk-SyntypeDD(parsort,) -> parsort)
```

type: $\quad$ Sort-reference-identifier ${ }_{1} \rightarrow$ Entity-dict $\rightarrow$ Sort-identifier $_{1}$

## Objective If a given sort/syntype is a syntype then obtain its parent sort.

## Parameters

sortref The sort/syntype identifier.
Result The sort/parent sort identifier.

## Algorithm

Line 1 Look up the sort/syntype in the Entity-dict.
Line 2 If the sort/syntype is a sort it is returned.
Line $3 \quad$ If the sort/syntype is a syntype its parent sort is returned.

### 6.2.2 Equation Collection

collect-all-equations $($ eqs, level $)($ dict $) \triangleq$
1 (let sureqs =
2
if len level $=1$ then \{\} else (let surlevel $=\langle$ level $[i]| 1 \leq i<$ len level $\rangle$ in $\mathbf{s}$-Equations ${ }_{1}(\operatorname{dict}(($ surlevel, TYPE $\left.)))\right)$ in eqs $\cup$ sureqs
type: $\quad$ Equations $_{1}$ Qualifier $_{1} \rightarrow$ Entity-dict $\rightarrow$ Equations $_{1}$
Objective Obtain the set of all equations which apply at a given scope unit level.

## Parameters

eqs
The equations defined in this scope unit.
level This scope unit level.

Result
All equations which apply at this scope unit level.

## Algorithm

Line 1-6 Obtain the equations visible in the enclosing scope unit. If the current scope unit is the system level the "enclosing" equation set is empty.

Line $7 \quad$ The equations applying at this scope unit levels are the ones defined at this level together with the "enclosing" ones.

### 6.2.3 Equivalence Class Generation and Equation Evaluation

make-sortmap $($ sorts, equations, level $)($ dict $) \triangleq$
(let sursmap $=$
if len level = 1 then
[]
else
(let surlevel $=\langle$ level $[i]| 1 \leq i<$ len level $\rangle$ in
s-Sortmap(dict((surlevel, TYPE)))) in
let sortset $=\left\{\mathbf{m k}\right.$-Identifier ${ }_{1}($ level, $n m) \mid n m \in$ sorts $\} \cup \mathbf{d o m}$ sursmap in let initial-sortmap $=[$ sort $\mapsto$ make-equivalence-classes(sort)(dict) $\mid$ sort $\in$ sortset $]$ in eval-equations(initial-sortmap, equations)(dict))
type: $\quad$ Sorts $_{1}$ Equations $_{1}$ Qualifier $_{1} \rightarrow$ Entity-dict $\rightarrow$ Sortmap
Objective Construct the Sortmap which applies at a given scope unit level.

## Parameters

sorts $\quad$ The sorts defined in this scope unit.
equations The equations visible in this scope unit.
level $\quad$ The qualifier for this scope unit.
Result The Sortmap.

## Algorithm

Line 1-6 Obtain the sort map which applies at the enclosing scope unit level. If the current scope unit is the system level the "enclosing" sort map is empty.

Line $7 \quad$ Obtain the set of all sorts visible in this scope unit.
Line $8 \quad$ Construct the initial sort map where each possible ground term is in its own equivalence class.
Line $9 \quad$ Construct equivalence classes according to the equations.
make-equivalence-classes(sort) $($ dict $) \triangleq$
$1 \quad\left\{\{\right.$ term $\} \mid$ term $\in$ Ground-term ${ }_{1} \wedge$ is-of-this-sort(sort, term $)($ dict $\left.)\right\} \cup\left\{\left\{\mathbf{m k}\right.\right.$-Error-term $\left.\left.{ }_{1}()\right\}\right\}$
type: $\quad$ Sort-identifier ${ }_{1} \rightarrow$ Entity-dict $\rightarrow$ Term-class-set
Objective For a given sort, construct the initial set of equivalence classes where each ground term is contained in its own equivalence class.

## Parameters

sort The identifier of the sort.
Result The initial set of equivalence classes.

Algorithm $\quad$| Select all ground terms which belong to the given sort and put each one in its own equivalence |
| :--- |
| class. An equivalence class containing the error term only is also included. |

```
(let sortid \(=\) sort-or-parent-sort \((\) sortref \()(\) dict \()\),
    \(\mathbf{m k}\)-Ground-term \({ }_{1}(\) term \()=t\) in
(is-Identifier \({ }_{1}(\) term )
    \(\rightarrow(\) let entry \(=(\) term, VALUE \()\) in
    entry \(\in \operatorname{dom}\) dict \(\wedge\) is-OperatorDD(dict(entry)) \(\wedge\)
    (let mk-Operator \(D D(\) sortlist, result \()=\operatorname{dict}(\) entry \()\) in
        sortlist \(=\langle \rangle \wedge\) result \(=\) sortid \()\) ),
    is-Conditional-term \({ }_{1}\) (term)
    \(\rightarrow\) false,
\(\top \rightarrow\) (let (opid, arglist) \(=\) term in
    let entry \(=(\) opid, VALUE \()\) in
    entry \(\in \operatorname{dom} \operatorname{dict} \wedge\) is-OperatorDD( \(\operatorname{dict}(\) entry \()) \wedge\)
    \((\) let \(\mathbf{m k}\)-Operator \(D D(\) sortlist, result \()=\operatorname{dict}(\) entry \()\) in
        len arglist \(=\) len sortlist \(\wedge\)
        \((\forall i \in\) ind arglist \()(\) is-of-this-sort(sortlist \([i], \operatorname{arglist}[i])(\) dict \()) \wedge\)
        sort-or-parent-sort \((\) result \()(\) dict \()=\) sortid \()))\) )
type: \(\quad\) Sort-reference-identifier \({ }_{1}\) Ground-term \(_{1} \rightarrow\) Entity-dict \(\rightarrow\) Bool
```

Objective Test whether a given ground term belongs to a given sort. If the sort given is actually a syntype its parent sort is used.

## Parameters

sortref $\quad$ The identifier of the sort/syntype.
$t \quad$ The ground term.
Result true if the ground term belongs to the given sort, else false.

| Algorithm |  |
| :--- | :--- |
| Line 1 | Obtain the sort/parent sort of the sort/syntype. |
| Line 2 | Get the "contents" of the ground term. |
| Line 3 | If the term is an identifier then |
| Line 5 | the identifier must be found in Entity-dict as a (literal) operator, |
| Line 7 | the argument list of which is empty in the descriptor, and the result sort must be appropriate <br> according to the result sort found in the descriptor. |
| Line $8-9$ | If the term is a conditional term then it does not represent a value (but the consequence and <br> alternative in the conditional term may do). |
| Line 10 | If the term is an operator term then <br> the operator must be found in Entity-dict, |
| Line 12 | the number of arguments in the descriptor must be equal to the number of arguments present in the <br> term, <br> Line 15 |
| each argument term must be of the appropriate sort according to the argument list found in the |  |
| descriptor, |  |

```
    (let trueterm \(=\operatorname{dict}(\) TRUEVALUE \()\),
    falseterm \(=\operatorname{dict}(\) FALSEVALUE \()\) in
    let quanteq \(=\left\{e q \in\right.\) equations \(\mid\) is-Quantified-equations \(\left.{ }_{1}(e q)\right\}\),
        rest \(=\) equations \(\backslash\) quanteq \(\mathbf{i n}\)
    let unquant \(=\) union \(\{\) eval-quantified-equation \((\) sortmap,\(e q) \mid e q \in\) quanteq \(\}\) in
    let rest' \(=\) expand-conditional-term-in-equations(rest \(\cup\) unquant, trueterm, falseterm \()\) in
    let rest \(t^{\prime \prime}=\)
        union \{if is-Conditional-equation \({ }_{1}(e q)\)
                    then expand-conditional-term-in-conditions( \(\{\) eq \(\}\), trueterm, falseterm)
                            else \(\{e q\} \mid e q \in\) rest \(\left.^{\prime}\right\}\) in
    let unquanteqs \(=\left\{e q \in\right.\) rest \(^{\prime \prime} \mid\) is-Unquantified-equation \(\left.{ }_{1}(e q)\right\}\),
        condeqs \(=\left\{e q \in\right.\) rest \(^{\prime \prime} \mid\) is-Conditional-equation \(\left.{ }_{1}(e q)\right\}\) in
    let sortmap \(^{\prime}=\) eval-unquantified-equations(sortmap, unquanteqs) in
    eval-conditional-equations(sortmap', condeqs))
type: \(\quad\) Sortmap Equations \({ }_{1} \rightarrow\) Entity-dict \(\rightarrow\) Sortmap
```

Objective Reduce the number of equivalence classes for the sorts visible in a given scopeunit according to a set of equations.

## Parameters

sortmap
equations A set of equations.

## Result The modified Sortmap.

## Algorithm

Line 1-2 Extract the $\mathrm{AS}_{1}$ representations for the Boolean literals True and False from Entity-dict.
Line 3 Extract the equations which are quantified.
Line $5 \quad$ Turn the set of quantified equations into a set of unquantified equations
Line 6 Turn all the conditional terms occurring in the modified set of equations (except for those occurring in the conditions of conditional equations) into a set of conditional equations.

Line 7-10 Turn all the conditional equations which contain conditional terms in the condition set, into a set of conditional equations without any conditional terms in the conditions (see example in the text following the function expand-conditional-term-in-conditions).

Line 11-12 Split the resulting set of equations (rest") into a set of unquantified equations and a set of conditional equations.

Line 13 Modify sortmap in accordance with the set of unquantified equations.
Line 14 Return the Sortmap which is sortmap modified in accordance with the set of conditional equations.

```
    (let mk-Quantified-equations}\mp@subsup{s}{1}{(nmset, sortid, equations)= quanteqs in
    let nm}\in\mathrm{ nmset in
    let mk-Identifier 
    let valueid =mk-Identifier 
    let allterms = union sortmap (sortid) \{\mathbf{mk}-Error-term
    let equations' = union{union {insert-term(sortmap, eq,valueid,term) |term }\in\mathrm{ allterms } |
        e q \in e q u a t i o n s ~ \} ~ i n ~
    if nmset ={nm} then
        equations'
    else
        (let quanteq = mk-Quantified-equations}\mp@subsup{s}{1}{(nmset \{nm}, sortid, equations') in
        eval-quantified-equation(sortmap, quanteq)))
    Sortmap Quantified-equations}\mp@subsup{s}{1}{}->\mp@subsup{\mathrm{ Equations }}{1}{
```

Objective Expand a quantified equation into a set of unquantified equations.

## Parameters

sortmap The Sortmap of the enclosing data type definition, wherein the terms (still) are in different equivalence classes
quanteqs The quantified equations.
Result The resulting set of unquantified equations.

## Algorithm

Line 2 Take one of the value names in the quantified equation.
Line 4 Make the value identifier corresponding to the value name
Line $5 \quad$ Make a set (allterms) consisting of all possible terms (except the Error-term ${ }_{1}$ ) for the quantifying sort.

Line 6-7 Construct a set of unquantified equations from the set of equations contained in the quantified equation by replacing the value identifier in the set of equations by every term in allterms.

Line 8 If every value name has been replaced in the equations then return the equations (equations') else
Line 11-12 Do the same for the rest of the value names in the quantified equation.
insert-term(sortmap, equation, vid, term $) \triangleq$

```
cases equation:
    (mk-Unquantified-equation \({ }_{1}\) (term 1 , term 2 )
        \(\rightarrow\) \{mk-Unquantified-equation \(1_{1}\) (insert-term-in-term(term 1 , vid, term),
                insert-term-in-term(term2, vid, term)) \},
    mk-Quantified-equations \({ }_{1}(,\),
        \(\rightarrow\) (let equations \(=\) eval-quantified-equation(sortmap, equation) in
            union \(\{\) insert-term(sortmap, eq, vid, term) \(\mid\) eq \(\in\) equations \(\}\) ),
    mk-Conditional-equation \(n_{1}(e q s, e q)\)
        \(\rightarrow\left(\right.\) let \(\mathbf{m k}\)-Unquantified-equation \(n_{1}(\) term 1, term 2\()=e q\),
            eqs' \(=\) union \(\{\) insert-term(sortmap, \(e\), vid, term) \(\mid e \in\) eqs \(\}\) in
        let \(e q^{\prime}=\mathbf{m k}\)-Unquantified-equation \({ }_{1}(\) insert-term-in-term(term 1 , vid, term),
                            insert-term-in-term(term2, vid, term)) in
        \{ \(\mathbf{m k} \mathbf{k}\)-Conditional-equation \(\left.n_{1}\left(e q s^{\prime}, e q^{\prime}\right)\right\}\) ),
    \(T \rightarrow\{\) equation \(\})\)
```

type: $\quad$ Sortmap Equation Value-identifier $_{1}$ Ground-term $_{1} \rightarrow$ Equations $_{1}$

Objective Replace a value name by a Ground-term 1 in an equation enclosed by a quantified equation.

## Parameters

sortmap A Sortmap which is used if the equation (in turn) contains quantified equations
equation The equation to be modified
vid $\quad$ The value identifier which should be replaced
term The Term ${ }_{1}$ by which vid should be replaced.
Result A set of equations containing the modified equation. If the equation is quantified equation, the set might contain more that one equation.

## Algorithm

Line 2-4 If it is an unquantified equation then replace vid by term in the two contained terms (term1, term2).
Line 5-7 If it is a quantified equation then first expand it into a set of unquantified equations and then replace the value identifier in every equation in the set.

Line 8-13 If it is a conditional equation then replace the value identifier by the term in every equation in the restriction and in the restricted equation and construct and return a set containing the modified conditional equation.

Line 14 If it is informal text then do not touch it.
insert-term-in-term(term, vid, vterm) $\triangleq$

```
if is-Ground-term \({ }_{1}(\) term \() \vee\) is-Error-term \({ }_{1}(\) term \()\) then
    term
    else
    \(\left(\right.\) let \(\mathbf{m k}\)-Composite-term \({ }_{1}\left(\right.\) term \(\left.^{\prime}\right)=\) term in
    (is-Identifier \({ }_{1}\left(\right.\) term') \(\left.^{\prime}\right)\)
        \(\rightarrow\) if term \(^{\prime}=\) vid then vterm else term,
    is-Conditional-term \({ }_{1}\) term \(^{\prime}\) )
        \(\rightarrow\left(\right.\) let mk-Conditional-term \({ }_{1}(\) cond, \(t 1, t 2)=\) term \(^{\prime}\) in
            let cond' \(^{\prime}=\) insert-term-in-term(cond, vid, vterm),
                \(t 1^{\prime}=\) insert-term-in-term( \(t 1\), vid, vterm \()\),
                \(t 2^{\prime}=\) insert-term-in-term( \(t 2\), vid, vterm) in
            let term \(^{\prime \prime}=\mathbf{m k}\)-Conditional-term \({ }_{1}\left(\right.\) cond \(\left.^{\prime}, t 1^{\prime}, t 2^{\prime}\right) \mathbf{i n}\)
            if is-Ground-term \({ }_{1}\left(\right.\) cond \(\left.^{\prime}\right) \wedge\) is-Ground-term \({ }_{1}\left(t 1^{\prime}\right) \wedge\) is-Ground-term \({ }_{1}\left(t 2^{\prime}\right)\) then
                mk-Ground-term \({ }_{1}\) (term")
                else
                \(\mathbf{m k}\)-Composite-term \({ }_{1}\left(\right.\) term" \(\left.^{\prime \prime}\right)\) ),
    \(\top \rightarrow\left(\operatorname{let}(\right.\) opid, arglist \()=\) term \(^{\prime}\) in
        let arglist' \()=\langle\) insert-term-in-term(arglist \([i]\), vid, vterm) \(| 1 \leq i \leq \operatorname{len}\) arglist \(\rangle\) in
        if \(\left(\exists\right.\) arg \(\in\) elems arglist \(\left.^{\text {(is-Composite-term }}{ }_{1}(\arg )\right)\) then
            mk-Composite-term \({ }_{1}\left(\left(\right.\right.\) opid, \(^{\left.\left.\text {arglist } t^{\prime}\right)\right)}\)
            else
            mk-Ground-term \({ }_{1}\left(\left(\right.\right.\) opid, \(_{\text {arglist' }}\) )))))
```

type: $\quad$ Term $_{1}$ Value-identifier $_{1}$ Ground-term $_{1} \rightarrow$ Term $_{1}$

Objective Replace a value identifier (vid) by a (ground) term (vterm) in a term (term).

## Parameters

term
The Term $_{1}$ which should have its value identifier replaced.
vid $\quad$ The value identifier to be replaced
vterm The Term ${ }_{1}$ which should be inserted instead of the value identifier.

## Result The modified term.

## Algorithm

Line 1 If it is a ground term or an error term then do not modify it.
Line 5-6 If it is an identifier and it is equal to vid then return the new term else do not modify it.
Line 7-12 If it is a conditional term then construct the conditional term wherein occurrences of vid in the three contained terms has been replaced by vterm.

Line 13-16 If all the three contained terms have become ground terms then return the new conditional term as a ground term else return it as a composite term.

Line 17-22 Else term must be an operator term in which case vid in the argument terms is replaced by vterm and if all the modified argument terms have become ground terms then return the new operator term as a ground term else return it as a composite term.
expand-conditional-term-in-equations(equations, trueterm,falseterm) $\triangleq$

```
    if equations \(=\{ \}\) then
        \{\}
        else
        (let \(e q \in\) equations in
        let \(\left(\right.\) condset,\(\left.e q^{\prime}\right)=\)
        cases eq:
        (mk-Unquantified-equation \({ }_{1}(\),
            \(\rightarrow(\}, e q)\),
            mk-Conditional-equation \({ }_{1}(\) condeq, eq)
            \(\rightarrow\) (condeq, eq)) in
        let \(\mathbf{m k}\)-Unquantified-equation \({ }_{1}(t 1, t 2)=e q^{\prime}\) in
        let \(\left(t 1^{\prime}, t 1^{\prime \prime}\right.\), cond 1\()=\) expand-conditional-in-terms \((t 1)\),
            \(\left(t 2^{\prime}, t 2^{\prime \prime}\right.\), cond 2\()=\) expand-conditional-in-terms \((t 2)\) in
        if cond \(1=\) nil \(\wedge\) cond \(2=\) nil then
            \(\{e q\} \cup\) expand-conditional-term-in-equations(equations \(\backslash\{e q\}\), trueterm, falseterm)
        else
            (let (cond, term, nterm 1 , nterm2) be s.t. (cond, term, nterm 1 , nterm 2\() \in\)
                \(\left\{\left(\right.\right.\) cond \(\left.2, t 1, t 2^{\prime}, t 2^{\prime \prime}\right),\left(\right.\) cond \(\left.\left.1, t 2, t 1^{\prime}, t 1^{\prime \prime}\right)\right\} \wedge\) cond \(\neq\) nil in
            let eq1 = mk-Unquantified-equation \({ }_{1}(\) cond, trueterm \()\),
                eq2 \(=\mathbf{m k}\)-Unquantified-equation \({ }_{1}(\) cond, falseterm \()\) in
            let condeq \(1=\)
                \(\mathbf{m k}-\) Conditional-equation \(_{1}\left(\right.\) condset \(\cup\left\{\right.\) eq1\}, mk-Unquantified-equation \({ }_{1}(\) term, nterm1 \()\) ),
                    condeq2 \(=\)
                \(\mathbf{m k}\)-Conditional-equation \(n_{1}\left(\right.\) condset \(^{\text {}}\{\) eq 2\(\}\), mk-Unquantified-equation \({ }_{1}(\) term, nterm 2\()\) ) \(\mathbf{i n}\)
            let equations' \(=\) equations \(\cup\{\) condeq 1, condeq 2\(\} \backslash\{e q\}\) in
            expand-conditional-term-in-equations(equations', trueterm, falseterm)))
type: \(\quad\) Equations \(_{1}\) Ground-term \(_{1}\) Ground-term \({ }_{1} \rightarrow\) Equations \(_{1}\)
```

Objective $\quad$ Replace every Conditional-term ${ }_{1}$ by two Conditional-equation ${ }_{1} \mathrm{~s}$.
Example: The equation

```
if a then b else c fi == d;
```

is expanded into

$$
\begin{aligned}
& \mathrm{a}==\text { True }==>\mathrm{b}==\mathrm{d} ; \\
& \mathrm{a}==\text { False }==>\mathrm{c}==\mathrm{d} ;
\end{aligned}
$$

## Parameters

equations $\quad$ The set of equations to be replaced
trueterm,falseterm The two ground terms denoting the boolean True and False
Result The modified set of equations containing no Conditional-term ${ }_{1} \mathrm{~S}$

## Algorithm

Line $1 \quad$ When the set of equations is empty, return nothing
Line 4-9 Take a equation from the set and extract the set of restriction (condset) and the restricted equation ( $e q^{\prime}$ ). If it is an unquantified equation, the restriction set is empty.

Line 12-13 Modify the terms in the restricted equation. cond 1 and cond 2 are the conditions to be tested upon. A condition is nil if the term do not contain any conditional terms. $t 1^{\prime}, t 2^{\prime}$ are the original terms $(t 1, t 2)$ wherein a conditional term has been replaced by the then part of the conditional term and $t 1^{\prime \prime} t 2^{\prime \prime}$ are the original terms wherein a conditional term has been replace by the else part of the conditional term.

Line 14-15 If none of the two terms contained any conditional terms then do not change the equation and continue with another equation in equations

Line 17 Choose one of the two terms to deal with. The other one will not be changed in this call.
Line 19-20 Construct the two unquantified equations, which must hold for the two modified equations.
Line 21-23 Construct two conditional equations wherein eq1 respective eq2 has been added as an extra condition. (condeq1) contains an equation wherein one of the original terms ( $t 1$ or $t 2$ ) has been replaced by a term containing the then part and (condeq2) contains an equation wherein one of the original terms has been replaced by a term containing the else part.

Line 26 Include the two new conditional equations in the set of remaining equations to be considered (because one of the terms in eq has not been expanded and because the expanded term may contain further conditional terms).
expand-conditional-term-in-conditions(equations, trueterm, falseterm) $\triangle$

```
    if equations \(=\{ \}\) then
        \{\}
    else
        (let \(e q \in\) equations in
        let \(\mathbf{m k}\)-Conditional-equation \({ }_{1}\left(\right.\) condset \(\left.^{\text {eq }} q^{\prime}\right)=e q\) in
        if \((\exists\) cond \(\in\) condset \()\)
            ((let mk-Unquantified-equation \(1(t 1, t 2)=\) cond \(\mathbf{i n}\)
            let \((\), , cond 1\()=\)
                        expand-conditional-in-terms(t1),
                    \((,\), cond 2 ) \(=\)
                        expand-conditional-in-terms(t2) in
            cond \(1 \neq\) nil \(\vee\) cond \(2 \neq\) nil)) then
        (let (condeq, cond, term, nterm 1 , nterm2) be s.t. condeq \(\in\) condset \(\wedge\)
                        (let mk-Unquantified-equation \({ }_{1}(t 1, t 2)=\)
                                condeq in
                            let \(\left(t 1^{\prime}, t 1^{\prime \prime}\right.\), cond 1\()=\)
                            expand-conditional-in-terms(t1),
                            \(\left(t 2^{\prime}, t 2^{\prime \prime}, c o n d 2\right)=\)
                            expand-conditional-in-terms(t2) in
                    \((\) cond, term, nterm 1 , nterm 2\()=(\) if cond \(1=\mathbf{n i l}\)
                                    then (cond2, \(t 1, t 2^{\prime} t 2^{\prime \prime}\) )
                                    else (cond \(\left.\left.1, t 2, t 1^{\prime} t 1^{\prime \prime}\right)\right)\) ) in
        let eq1 = mk-Unquantified-equation \({ }_{1}(\) cond, trueterm \()\),
            eq2 \(=\mathbf{m k}\)-Unquantified-equation \({ }_{1}(\) cond, falseterm \()\) in
        let condset \({ }^{\prime}=\) condset \(\backslash\{\) condeq \(\} \cup\left\{\right.\) eq1, mk-Unquantified-equation \({ }_{1}(\) term, nterm 1\(\left.)\right\}\),
                    condset \({ }^{\prime \prime}=\) condset \(\backslash\{\) condeq \(\} \cup\left\{\right.\) eq2, mk-Unquantified-equation \({ }_{1}(\) term, , term 2 ) \(\}\) in
        let equations' \(=\) equations \(\backslash\{e q\} \cup\left\{\mathbf{m k}\right.\)-Conditional-equation \({ }_{1}\left(\right.\) condset \(\left.^{\prime}, e q^{\prime}\right)\),
                                    mk-Conditional-equation \(1_{1}\left(\right.\) condset \(\left.\left.^{\prime \prime}, e q^{\prime}\right)\right\}\) in
        expand-conditional-term-in-conditions(equations', trueterm, falseterm))
        else
        \(\{e q\} \cup\) expand-conditional-term-in-conditions(equations \(\backslash\{\) eq \(\}\), trueterm, falseterm))
type: \(\quad\) Conditional-equation \(_{1}\)-set Ground-term \({ }_{1}\) Ground-term \(_{1} \rightarrow\) Equations \(_{1}\)
```

Objective Split the conditional equations in equations into two conditional equations if they contain any conditional terms in the Restriction ${ }_{1}$.

Example: The equation

```
if b then c else d fi == e ==> f == g;
```

is expanded into

$$
\begin{aligned}
& \mathrm{b}==\text { True, } \mathrm{c}==\mathrm{e}==>\mathrm{f}==\mathrm{g} ; \\
& \mathrm{b}==\text { False, } \mathrm{d}==\mathrm{e}==>\mathrm{f}==\mathrm{g} ;
\end{aligned}
$$

## Parameters

equations The set of conditional equations
trueterm, falseterm The two ground terms denoting boolean True and False.
Result The expanded set of equations.

## Algorithm

Line $1 \quad$ When through, return the empty set
Line 4-12 Take a conditional equation from the set and if it does not contain a conditional term in the restriction part then continue with the rest of equations in the set (line 31)

Line 13-21 Extract the unquantified equation from the set of restrictions which contains the conditional term (condeq), the condition in the conditional term (cond), the then version of the term in the unquantified equation containing the conditional term (nterml), the else version of the term in the unquantified equation containing the conditional term (nterm2) and the other term of the unquantified equation (term).

Line 23-24
Construct the two additional restrictions to be included in the respective restriction sets.
Line 25-26
Construct the two modified restriction sets.
Line 27 Replace the old conditional equation by the two new conditional equations in the equation set.
Line 29 Repeat the operation with the modified equation set.
expand-conditional-in-terms $(t) \triangleq$

```
    if is-Error-term \({ }_{1}(t)\) then
        ( \(t, t\), nil)
        else
            \((\) let \(\mathbf{m k}\)-Ground-term 1 (term \()=t\) in
        cases term:
            (mk-Identifier \({ }_{1}(\),
                \(\rightarrow(t, t, \mathbf{n i l})\),
            mk-Conditional-term \({ }_{1}\) (cond, \(t 1, t 2\) )
                \(\rightarrow(t 1, t 2\), cond \()\),
        (id, arglist)
            \(\rightarrow \mathbf{i f}(\exists \arg \in\) elems arglist)
                    \(((\) let \((,\), cond \()=\)
                        expand-conditional-in-terms(arg) in
                            cond \(\neq \mathbf{n i l})\) ) then
                    (let \((i, t 1, t 2\), cond \()\) be s.t. \(i \in\) ind arglist \(\wedge\)
                        \(\operatorname{cond} \neq \mathbf{n i l} \wedge\)
                            expand-conditional-in-terms \((\) arglist \([i])=(t 1, t 2\), cond \()\) in
                    let arglist \(^{\prime}=\)
                            \(\langle\) arglist \([n] \mid 1 \leq n<i\rangle \bullet\langle t 1\rangle \bullet\langle\operatorname{arglist}[n]| i<n \leq\) len arglist \(\rangle,\)
                            arglist \(^{\prime \prime}=\)
                            \(\langle\operatorname{arglist}[n] \mid 1 \leq n<i\rangle \bullet\langle t 2\rangle \Delta\langle\operatorname{arglist}[n]| i<n \leq\) len \(\operatorname{arglist}\rangle\) in
                        ( \(\mathbf{m k} \mathbf{k}\) Ground-term \({ }_{1}\left(\left(\right.\right.\) id, arglist \(\left.\left.^{\prime}\right)\right)\), mk-Ground-term \({ }_{1}\left(\left(\right.\right.\) id, arglist \(\left.\left.^{\prime \prime}\right)\right)\), cond \(\left.)\right)\)
                    else
                        \((t, t\) nil \())\) )
type: \(\quad\) Term \(_{1} \rightarrow\) Term \(_{1}\) Term \(_{1}\left[\right.\) Ground-term \(\left._{1}\right]\)
```

Objective Split a term $(t)$ into three terms. If $t$ does not contain a conditional term then the two first terms are not relevant and the third one is nil. Otherwise the result is $t$ modified to contain the then part, $t$ modified to contain the else part and the boolean condition term.

Result The three new terms.

## Algorithm

Line 1-6 If it is an error term then do not modify it and indicate that it does not contain a conditional term by returning nil as the condition term.

Line $8 \quad$ If it is a conditional term then return its three parts.
Line 10-14 If it is an operator term and one of its arguments contain a conditional term then

Line 15-17 Take an argument term which contains a conditional term and split it. $i$ is the position in the argument list.

Line 18-20
Line 22 Return the two operator terms corresponding to the then part, to the else part and the boolean condition in the conditional term in the argument.
eval-unquantified-equations(sortmap, equations) $\triangleq$

```
(if equations \(=\{ \}\) then
    sortmap
    else
        (let \(e q \in\) equations in
        let mk-Unquantified-equation \({ }_{1}(\) lterm, \(r\) rerm \()=e q\) in
        let sort \(\in \operatorname{dom}\) sortmap be s.t. ( \(\exists\) termset \(\in \operatorname{sortmap(sort))(lterm} \in\) termset) in
        let termset 1 be s.t. termset \(1 \in \operatorname{sortmap}(\) sort \() \wedge\) lterm \(\in\) termset 1 in
        let termset 2 be s.t. termset \(2 \in \operatorname{sortmap}(\) sort \() \wedge\) rterm \(\in\) termset 2 in
        if termset \(1=\) termset 2 then
            eval-unquantified-equations(sortmap, equations \(\backslash\{\) eq \(\}\) )
        else
            (let newset \(=\operatorname{sortmap}(\) sort \() \backslash\{\) termset 1, termset 2\(\} \cup\{\) termset \(1 \cup\) termset 2\(\}\) in
            let sortmap \(^{\prime}=\) sortmap \(+[\) sort \(\mapsto\) newset \(]\) in
            let sortmap" = eval-deduced-equivalence(sortmap') in
            eval-unquantified-equations(sortmap", equations \(\backslash\{\) eq\}))))
        Sortmap Equations \({ }_{1} \rightarrow\) Sortmap
```

Objective Modify sortmap (the equivalence classes) in accordance with equations.

## Parameters

Sortmap A Sortmap to be modified.
equations A set of unquantified equations.

## Algorithm

Line $1 \quad$ When through, return the modified Sortmap
Line 4-5 Extract the two Term $_{1}$ s from one of the (remaining) equations.
Line $6 \quad$ Extract the sort of lterm (which is the same as the sort of rterm).
Line $7 \quad$ Extract the equivalence class which contains lterm.
Line $8 \quad$ Extract the equivalence class which contains rterm.
Line 9 If the terms denote the same equivalence class then do not update sortmap else
Line 12 Define a new set of equivalence classes wherein the two equivalence classes has been unified.
Line 13 Modify sortmap to contain the new set of equivalence classes
Line 14 Reduce the number of equivalence classes by using the information obtained by the equation
Line $15 \quad$ Repeat the operation for the rest of the equations.

```
    if ( \(\exists\) class 1, class 2, class \(3 \in\) union rng sortmap)
        (class \(1 \neq\) class \(2 \wedge\)
        \((\exists\) term 1, term \(2 \in \operatorname{class} 3)((\exists\) term \(\in\) class 1\()(\) replace-term \((\) term, term 1, term 2\() \in\) class 2\()))\) then
    (let (class 1, class 2, class 3 ) be s.t. \(\{\) class 1, class 2, class 3\(\} \subset\) union rng sortmap \(\wedge\)
        class \(1 \neq\) class \(2 \wedge\)
        \((\exists\) term 1, term \(2 \in\) class 3\()((\exists\) term \(\in\) class 1\()(\) replace-term \((\) term, term 1, term 2\() \in\) class 2\())\) in
    let sort be s.t. \(\{\) class 1, class 2\(\} \subset \mathbf{r n g} \operatorname{sortmap}(\) sort \()\) in
    let classes \(=\operatorname{sortmap}(\operatorname{sort})\) in
    let classes \(^{\prime}=\) classes \(\backslash\{\) class 1, class 2\(\} \cup\{\) class \(1 \cup\) class 2\(\}\) in
    let sortmap \({ }^{\prime}=\) sortmap \(+[\) sort \(\mapsto\) classes' \(]\) in
    eval-deduced-equivalence(sortmap'))
    else
    sortmap
type: \(\quad\) Sortmap \(\rightarrow\) Sortmap
```

Objective Reduce the number of the equivalence classes for sorts by using the information that two terms of a sort are in the same equivalence class.

## Parameters

sortmap

## Result

## Algorithm

Line 1 If there exists three equivalence classes class1, class2, class3 in the Sortmap such that class1 and class 2 are disjoint (class 3 may be equal to class 1 or class 2 or it may denote another equivalence class, even of another sort) and there exists two terms (term 1 and term 2 ) in class 3 such that when replacing term 1 by term 2 in a term (term) taken from class 1 , a term in class 2 is obtained then

Line 4-13 class1 and class2 are merged into one equivalence class
Line 4-6 Let class1, class2, class3 denote three such equivalence classes
Line 7 Let sort denote the sort of class 1 and class 2 . class 1 and class 2 cannot be of different sort as line 1-3 in that case would not be satisfied

Line 8-10 Form a new Sortmap where the two equivalence classes for the sort have been merged
Line 11 Repeat the operation (with the modified Sortmap) until no more equivalence classes can be merged

```
replace-term(term, oldterm, newterm) \(\triangleq\)
    if term \(=\) oldterm ) then
    newterm
    else
    (let mk-Ground-term \({ }_{1}(\) contents \()=\) term in
    (is-Identifier \({ }_{1}\) (contents)
        \(\rightarrow\) term,
    \(\top \rightarrow\) (let (opid, arglist) \(=\) term in
        if \((\exists i \in\) ind arglist) \((\) replace-term(arglist \([i]\), oldterm, newterm \() \neq \operatorname{arglist}[i])\) then
            (let \(i \in\) ind arglist be s.t. replace-term(arglist \([i]\), oldterm, newterm) \(\neq \arg\) list \([i]\) in
                let arglist \(^{\prime}=\langle\) arglist \([n]| 1 \leq n\langle i\rangle\) •
                \(\left\langle\right.\) replace-term(arglist[i], oldterm, newterm) \({ }^{\bullet} \bullet\)
                    \(\langle\operatorname{arglist}[n] \mid i<n \leq \operatorname{len} \operatorname{arglist}\rangle\) in
                mk-Ground-term \({ }_{1}\left(\left(\right.\right.\) opid, \(\left.\left.^{\text {arglist'}}{ }^{\prime}\right)\right)\) )
                else
                term)))
type: \(\quad\) Ground-term \(1_{1}\) Ground-term \({ }_{1}\) Ground-term \({ }_{1} \rightarrow\) Ground-term \(_{1}\)
```

Objective $\quad$ Replace an occurrence of oldterm in term by newterm and return the modified term

## Algorithm

Line 1 If the entire term is equal to oldterm then return the new term
Line 5 If the term is an identifier (and it is different from oldterm) then no replacement is made else
Line 7 The term is an operator term (conditional terms cannot occur since term is taken from an equivalence class). Let op denote the operator identifier and let arglist denote the argument list

Line 8 If there exists an argument which contains oldterm then
Line 9 Let $i$ denote the index to the argument which contains oldterm
Line 10-12 Construct the argument list where an occurrence of oldterm in element $i$ has been replaced by newterm
Line 13 Return the modified term
Line 15 If oldterm do not occur in the argument list then the term is not changed
eval-conditional-equations(sortmap, condequations) $\triangleq$
if $(\exists$ condeq $\in$ condequations $)($ restriction-holds(condeq, sortmap)) then (let condeq $\in$ condequations be s.t. restriction-holds(condeq, sortmap) in let $\mathbf{m k}$-Conditional-equation ${ }_{1}($, eq) $=$ condeq in let sortmap $^{\prime}=$ eval-unquantified-equations(sortmap, $\{e q\}$ ) in eval-conditional-equations(sortmap', condequations $\backslash\{$ condeq $\}$ )) else
sortmap
type: $\quad$ Sortmap Conditional-equation $n_{1}$-set $\rightarrow$ Sortmap
Objective Reduce the number of equivalence classes in a Sortmap in accordance with the conditional equations for a scopeunit.

## Parameters

sortmap A Sortmap
condequations A set of conditional equations

## Result

 The modified Sortmap
## Algorithm

Line 1 If there exists a conditional equation which holds then
Line 2 Let condeq denote the conditional equation which holds
Line 3-4 Update Sortmap with the properties reflected by the restricted equation (eq)
Line $5 \quad$ Repeat the operation until there are no more conditional equations in the remaining set which hold.
restriction-holds(mk-Conditional-equation $1_{1}($ eqs, $)$, sortmap $) \triangle$

1 (let termpairs $=\left\{\{\right.$ term 1, term 2$\} \mid \mathbf{m k}$-Unquantified-equation ${ }_{1}($ term 1, term 2$) \in$ eqs $\}$ in
$2(\forall$ pair $\in$ termpairs $)((\exists$ class $\in$ union rng sortmap $)($ pair $\subseteq$ class $)))$
type: $\quad$ Conditional-equation $_{1}$ Sortmap $\rightarrow$ Bool
Objective Test whether the set of restrictions for a conditional equation holds

## Parameters

eqs The set of restrictions
sortmap $\quad$ The Sortmap used for checking whether the restrictions hold
Result True if success

## Algorithm

Line 1 Construct a set of pairs of terms each containing the left-hand side term and the right-hand side term of a restriction in the set of restrictions

Line 2 The restrictions hold if it for each restriction holds that the right-hand side term is in the same equivalence class as the left-hand side term.

### 6.2.4 Term Reduction Map Generation

make-term-reduce-map $($ sortmap, level $)($ dict $) \triangleq$

```
(let surtrmap \(=\)
    if len level \(=1\) then
            (let recogterms \(=\{\operatorname{dict}(\) TRUEVALUE \(), \operatorname{dict}(\) FALSEVALUE \(), \operatorname{dict}(\) NULLVALUE \()\}\) in
            \([\{t\} \mapsto t \mid t \in\) recogterms \(]\) )
        else
        (let surlevel \(=\langle\) level \([i]| 1 \leq i<\operatorname{len}\) level \(\rangle\) in
        s-Term-reduce-map(dict((surlevel, TYPE)))) in
    let classes = union rng sortmap in
    \(\left[\right.\) class \(\rightarrow\left(\mathbf{m k}\right.\)-Error-term \({ }_{1}() \in\) class
        \(\rightarrow \mathbf{m k}\)-Error-term \({ }_{1}()\),
        \(\left(\exists\right.\) class \(^{\prime} \in \operatorname{dom}\) surtrmap \()\left(\right.\) class \(^{\prime} \subseteq\) class \()\)
            \(\rightarrow\) (let class' \(\in\) dom surtrmap) be s.t. class \(^{\prime} \subseteq\) class in
                surtrmap(class')),
            \(\top \rightarrow\) (let term \(\in\) class in
                term) |
class \(\in\) classes])
type: \(\quad\) Sortmap Qualifier \(r_{1} \rightarrow\) Entity-dict \(\rightarrow\) Term-reduce-map
```

Objective Construct the Term-reduce-map which applies at a given scope unit level.

## Parameters

sortmap $\quad$ The sortmap which applies at the given scope unit level.
sortmap The qualifier for the scope unit level.
Result A Term-reduce-map mapping all equivalence classes visible at the given scope unit level to their chosen canonical ground term.

## Algorithm

Line 1-7 Obtain the Term-reduce-map which applies at the enclosing scope unit level. If the current scope unit is the system level the "enclosing" Term-reduce-map is a dummy one (line 3-4) ensuring that the three SDL values which must be recognizable by the interpretation functions (SDL Pid value Null and Boolean values True and False) are always represented by the ground terms found in the Entity-dict entries TRUEVALUE, FALSEVALUE and NULLVALUE.

Line $8 \quad$ Get the set of all equivalence classes visible at the current scope unit level.
Line 9-16 Each canonical ground term is selected according to the following criteria:
Line 9-10 If the equivalence class contains the error term the error term is chosen as canonical term.
Line 11-13 If the value represented by the equivalence class is also visible at the enclosing scope unit level (i.e. there exists an "enclosing" equivalence class such that this class is a subset of the treated equivalence class, line 11), then the canonical term chosen in the enclosing scope unit is also chosen in the current scope unit.

Line 14-15 If the value represented by the equivalence class belongs to a sort local to the current scope unit an arbitrary ground term is chosen as canonical ground term.

```
6.2.5 Wellformedness Checks
is-wf-literals(level \()(\) dict \() \triangleq\)
    \((\) let \(\operatorname{sortmap}=\mathbf{s}\)-Sortmap \((\operatorname{dict}((\) level, TYPE \()))\) in
    let classes = union rng sortmap in
    \(\neg(\exists\) class \(\in\) classes \()\)
        \(\left(\left(\exists\right.\right.\) \{mk-Ground-term \({ }_{1}(t), \mathbf{m k}\)-Error-term \(\left.{ }_{1}()\right\} \subseteq\) class \()\)
        (is-Identifier \(\left.{ }_{1}(t)\right)\) ))
type: \(\quad\) Qualifier \({ }_{1} \rightarrow\) Entity-dict \(\rightarrow\) Bool
```

Objective Check that no literal is equal to the error term.

## Parameters

level $\quad$ The qualifier denoting the current scope unit level.
Result true if the check succeed, else false.

## Algorithm

Line $1 \quad$ Obtain the sort map for the scope unit.
Line $2 \quad$ Get all equivalence classes visible in the scope unit.
Line 3-5 There must not exist an equivalence class which both contains a literal ground term and the error term.
is-wf-values(level)(dict)

```
        if len level \(=1\) then
            \((\) let \(\operatorname{sortmap}=\mathbf{s}-\operatorname{Sortmap}(\operatorname{dict}((\) level, TYPE \()))\) in
            \(i s-w f-b o o l e a n(\operatorname{sortmap}, \operatorname{dict}(\) TRUEVALUE \(), \operatorname{dict}(\) FALSEVALUE \()) \wedge\)
            is-wf-pid(sortmap(dict(PIDSORT))))
            else
            (let surlevel \(=\langle\) level \([i]| 1 \leq i<\) len level \(\rangle\) in
            let sursortmap \(=\mathbf{s}\)-Sortmap \((\operatorname{dict}((\) surlevel, TYPE \()))\),
                sortmap \(=\mathbf{s}\)-Sortmap \((\operatorname{dict}((\) level, TYPE \()))\) in
            ( \(\forall\) sortid \(\in\) dom sursortmap)
            ((let survset = sursortmap \((\) sortid \()\),
                    \(v\) set \(=\operatorname{sortmap}(\) sortid \()\) in
                \((\forall\) class \(\in \operatorname{vset})\left(\left(\exists!\right.\right.\) class \(\left.^{\prime} \in \operatorname{survset}\right)\left(\right.\) class \(^{\prime} \subseteq\) class \(\left.\left.\left.\left.)\right)\right)\right)\right)\)
type: \(\quad\) Qualifier \(_{1} \rightarrow\) Entity-dict \(\rightarrow\) Bool
```

Objective Check that no unification or generation of equivalence classes is done for sorts which are visible in the enclosing scope unit.

## Parameters

level The qualifier for the current scope unit level.
Result true if the check succeeds, else false.

## Algorithm

Line 1 Distinguish between the system level and other levels.
Line $2 \quad$ Obtain the sort map of the system level.
Line 3-4 Check the wellformedness conditions on the SDL Boolean and Pid sorts.
Line $6 \quad$ Obtain the qualifier of the enclosing scope unit level.

Line 7-8 Obtain the sort maps for the enclosing and the current scope unit levels.
Line $9 \quad$ For all sorts visible in the enclosing scope unit the wellformedness condition in line 10-12 must hold.

Line 10-11 For the sort considered, obtain the equivalence class sets for the enclosing and the current scope unit levels.

Line 12 For each equivalence class in the current scope unit it must hold that it includes all the terms of exactly one equivalence class in the enclosing scope unit.
is-wf-boolean(sortmap-trueterm, falseterm) $\triangleq$
1 (let boolsort $\in$ dom sortmap be s.t. $(\exists$ class $\in \operatorname{sortmap}($ boolsort $))($ trueterm $\in$ class) in
$2 \quad(\forall$ class $\in \operatorname{sortmap}($ boolsort $))$
$3\left(\mathbf{m k}-E r r o r-t e r m_{1}() \notin\right.$ class $\supset \mathbf{c a r d}(\{$ trueterm, falseterm $\} \cap$ class $\left.\left.)=1\right)\right)$
type: $\quad$ Sortmap Ground-term Ground-term $_{1} \rightarrow$ Bool
Objective Check the wellformedness of the Boolean sort.

## Parameters

sortmap $\quad$ The (system level) sort map.
trueterm The canonical ground term for True.
falseterm The canonical ground term for False.

## Algorithm

Line $1 \quad$ Obtain the $\mathrm{AS}_{1}$ identifier of the boolean sort.
Line 2-3 Each equivalence classe of the Boolean sort which does not contain the error term must contain exactly one of the Boolean literals True and False.
$i s-w f-p i d(p i d v s e t) \triangleq$
$1 \quad\left(\right.$ let pidvset $^{\prime}=\left\{\right.$ class $\in$ pidvset $\mid \mathbf{m k}-$ Error-term $_{1}() \notin$ class $\}$ in
$2 \quad\left(\forall n \in N_{1}\right)\left(\left(\exists s \subset\right.\right.$ pidvset $\left.^{\prime}\right)($ card $\left.\left.s>n)\right)\right)$
type: $\quad$ Term-class-set $\rightarrow$ Bool
Objective Check the wellformedness of the Pid sort.

## Parameters

pidvset The set of equivalence classes for the Pid sort.

## Algorithm

Line $1 \quad$ Obtain the set of Pid equivalence classes not containing the error term.
Line 2 The number of equivalence classes (not containing the error term) for the Pid sort must be infinite, i.e. for each natural number $n$ there must exist a (finite) subset $s$ of the equivalence class set such that the number of elements in $s$ is greater than $n$.

### 6.3 Selection of Consistent Subset

This section defines the functions for checking and selecting a consistent subset according to a given consistent subset selection (the entry function is select-consistent-subset). This consists of two steps: First, for each (selected) block/subblock in the whole system either the contained block substructure or the contained process definitions, signal routes and channel to route connections are removed. Second, subsignals used in subchannels in some substructure are propagated to channels connected to this substructure, i.e. if a channel carries a parent signal of some subsignal carried by a connected subchannel, the parent signal is replaced by the subsignals on the channel. Note that this transformation may transform a unidirectional channel to a bidirectional one.

Example: Let an SDL system contain the signal and channel definitions

```
signal s
    refinement
        signal s1, s2;
        reverse signal s3;
    endrefinement;
signal t;
channel c from b1 to b2 with s, t; endchannel;
```

and let the origin block b1 contain a (selected) substructure which contains the subchannel definitions and connection

```
channel c1 from subb1 to env with s1, s2; endchannel;
channel c2 from env to subb2 with s3; endchannel;
channel c3 from subb3 to env with t; endchannel;
connect c and c1, c2, c3;
```

After subsignal propagation the channel c will be defined as

```
channel c from b1 to b2 with s1, s2, t;
    from b2 to b1 with s3;
endchannel;
```

select-consistent-subset(sysdef, subset $)($ dict $) \triangleq$
1 (let sysdef ${ }^{\prime}=$ select-consistent-subset-sys $($ sysdef, subset $)$ in
2 let sysdef" $=$ propagate-refinement-sys $($ sysdef' $)($ dict $)$ in
3 sysdef")
type: $\quad$ System-definition Block-identifier $_{1}$-set $\rightarrow$ Entity-dict $\rightarrow$ System-definition $_{1}$
Objective Transform a system definition according to a consistent subset selection.

## Parameters

sysdef The system definition to be transformed.
subset The (assumed) consistent subset represented by a set of block identifiers and block substructure identifiers.

Result The transformed system definition.

## Algorithm

Line 1 Remove the parts which will not be used (either block substructures or processes, signal routes and channel to route connections).

Line $2 \quad$ Propagate the use of subsignals on subchannels to channels to which the subchannels are connected.

Line 3 Return the transformed system definition.

```
6.3.1 Removal of Non-Selected Substructures and Processes
select-consistent-subset-sys(sysdef, subset)\triangleq
1 (let mk-System-definition \({ }_{1}(\) snm, bset, cset, sigset, dt, sset \()=\) sysdef in
2 let level \(=\left\langle\mathbf{m k}\right.\)-System-qualifier \({ }_{1}(\) snm \(\left.)\right\rangle\) in
3 let bset \(^{\prime}=\{\) select-consistent-subset-block(block, subset, level) \(\mid\) block \(\in\) bset \(\}\) in
4 mk-System-definition \(1_{1}\) (snm, bset', cset, sigset, dt, sset))
type: \(\quad\) System-definition \(_{1}\) Block-identifier \(_{1}\)-set \(\rightarrow\) System-definition \(_{1}\)
```

Objective Select consistent subset in a system definition.

## Parameters

sysdef The system definition.
subset The (assumed) consistent subset.

## Result The transformed system definition.

```
Algorithm
    Line 1 Decompose the system definition.
    Line 2 Construct the qualifier denoting the system level.
    Line 3 Transform the system-level blocks.
    Line 4 The transformed blocks replace the original ones in the system.
select-consistent-subset-block(block, subset,level)}
```

```
        (let mk-Block-definition \(n_{1}\) (bnm, pset, sigset, connects, srset, dt, sset, osub) \(=\) block in
```

        (let mk-Block-definition \(n_{1}\) (bnm, pset, sigset, connects, srset, dt, sset, osub) \(=\) block in
        if mk-Identifier \({ }_{1}\left(\right.\) level, \(\left.^{\text {bnm }}\right) \in\) subset then
        if mk-Identifier \({ }_{1}\left(\right.\) level, \(\left.^{\text {bnm }}\right) \in\) subset then
            (let level' \(=\) level \(\bullet\left\langle\mathbf{m k}\right.\)-Block-qualifier \({ }_{1}(\) bnm \(\left.)\right\rangle\) in
            (let level' \(=\) level \(\bullet\left\langle\mathbf{m k}\right.\)-Block-qualifier \({ }_{1}(\) bnm \(\left.)\right\rangle\) in
            let osub' = select-consistent-subset-osub(osub, subset, level') in
            let osub' = select-consistent-subset-osub(osub, subset, level') in
            (osub' \(=\) nil
            (osub' \(=\) nil
            \(\rightarrow \mathbf{m k}-\) Block-definition \(_{1}\) (bnm, \(\}\), sigset, \(\},\{ \}, d t\), sset, osub'),
            \(\rightarrow \mathbf{m k}-\) Block-definition \(_{1}\) (bnm, \(\}\), sigset, \(\},\{ \}, d t\), sset, osub'),
        pset \(\neq\{ \}\)
        pset \(\neq\{ \}\)
            \(\rightarrow \mathbf{m k}\)-Block-definition \({ }_{1}(b n m\), pset, sigset, connects, srset, dt, sset, nil),
            \(\rightarrow \mathbf{m k}\)-Block-definition \({ }_{1}(b n m\), pset, sigset, connects, srset, dt, sset, nil),
        \(\top \rightarrow\) exit("§3.2.1: Leaf block contains no processes")))
        \(\top \rightarrow\) exit("§3.2.1: Leaf block contains no processes")))
        else
        else
        exit("§3.2.1: Block or subblock is not in consistent subset"))
        exit("§3.2.1: Block or subblock is not in consistent subset"))
        Block-definition \(_{1}\) Block-identifier \(_{1}\)-set Qualifier \(_{1} \rightarrow\) Block-definition \(_{1}\)
    ```
        Block-definition \(_{1}\) Block-identifier \(_{1}\)-set Qualifier \(_{1} \rightarrow\) Block-definition \(_{1}\)
```

Objective Select consistent subset in a block definition.

## Parameters

block The block definition.
subset The (assumed) consistent subset.
level The qualifier for the system or block substructure containing the block.
Result The transformed block.

## Algorithm

Line 1 Decompose the block definition.
Line 2,11 The block or subblock must be in the consistent subset.
Line 3 Construct the qualifier for the block level.
Line 4 Transform the substructure of the block if present and selected.

Line 5-6 If the block substructure is present and selected, it replaces the original substructure. As the processes, signal routes and channel to route connections in the block will not be interpreted, they are removed.

Line 7-9 Otherwise, the block is a leaf block and must contain at least one process definition.
select-consistent-subset-osub(osub, subset, level) $\triangleq$

```
    if }osub=\mathrm{ nil then
        nil
    else
        select-consistent-subset-sub(osub, subset, level)
type: [\mp@subsup{Block-substructure-definition}{1}{}]\mp@subsup{\mathrm{ Block-identifier }}{1}{}\mathrm{ -set Qualifier }
    [\mp@subsup{Block-substructure-definition}{1}{}]
```

Objective Select consistent subset in a block substructure if present and selected.

## Parameters

osub The optional block substructure.
subset The (assumed) consistent subset.
level $\quad$ The qualifier denoting the enclosing block.
Result If the block substructure is present and selected, then the transformed block substructure, otherwise nil.

## Algorithm

Line 1-2 If the block substructure is absent then indicate this.
Line $4 \quad$ Otherwise, transform the block substructure if selected.

```
select-consistent-subset-sub(sub, subset, level)
```

```
    (let mk Block-substructure-definition \({ }_{1}\) (bsnm, bset, connects, cset, sigset, \(d t\), sset \()=s u b\) in
```

    (let mk Block-substructure-definition \({ }_{1}\) (bsnm, bset, connects, cset, sigset, \(d t\), sset \()=s u b\) in
    if mk-Identifier \({ }_{1}(\) level, bsnm \() \in\) subset then
    if mk-Identifier \({ }_{1}(\) level, bsnm \() \in\) subset then
        (let level' \(=\) level \(\left\langle\left\langle\mathbf{m k}\right.\right.\)-Block-substructure-qualifier \({ }_{1}\left(\right.\) bsnm \(\left.\left.^{\prime}\right)\right\rangle \mathbf{i n}\)
        (let level' \(=\) level \(\left\langle\left\langle\mathbf{m k}\right.\right.\)-Block-substructure-qualifier \({ }_{1}\left(\right.\) bsnm \(\left.\left.^{\prime}\right)\right\rangle \mathbf{i n}\)
        let bset \(^{\prime}=\{\) select-consistent-subset-block(block, subset, level') \(\mid\) block \(\in\) bset \(\}\) in
        let bset \(^{\prime}=\{\) select-consistent-subset-block(block, subset, level') \(\mid\) block \(\in\) bset \(\}\) in
        \(\mathbf{m k}-\) Block-subtructure-definition \(_{1}\left(b s n m\right.\), bset \(^{\prime}\), connects, cset, sigset, \(d t\), sset))
        \(\mathbf{m k}-\) Block-subtructure-definition \(_{1}\left(b s n m\right.\), bset \(^{\prime}\), connects, cset, sigset, \(d t\), sset))
    else
    else
    nil)
    nil)
    type: $\quad$ Block-substructure-definition Block-identifier $_{1}$-set Qualifier $_{1}$
type: $\quad$ Block-substructure-definition Block-identifier $_{1}$-set Qualifier $_{1}$
$\rightarrow$ [Block-substructure-definition ${ }_{1}$ ]

```
    \(\rightarrow\) [Block-substructure-definition \({ }_{1}\) ]
```

Objective Select consistent subset in a block substructure if selected.

## Parameters

sub The block substructure.
subset The (assumed) consistent subset.
level The qualifier denoting the enclosing block.
Result If the block substructure is selected, then the transformed block substructure, otherwise nil.

## Algorithm

Line 1 Decompose the block substructure.

Line 2 If the block substructure is selected, then

Line 3 construct the qualifier denoting the block substructure level,

Line 4 transform the contained subblock definitions,

Line 5 and replace the original subblocks with the transformed ones.

Line 7 If the block substructure is not selected, then return nil to indicate this.

### 6.3.2 Subsignal Propagation

```
propagate-refinement-sys(sysdef)(dict) \(\triangle\)
\(1 \quad\) (let mk-System-definition \(1_{1}(\) snm, bset, cset, sigset, \(d t\), sset \()=\) sysdef in
2 let level \(=\left\langle\mathbf{m k}\right.\)-System-qualifier \({ }_{1}(\) snm \(\left.)\right\rangle\) in
3 let bset \({ }^{\prime}=\{\) propagate-refinement-block(block, level \()(\) dict \() \mid\) block \(\in\) bset \(\}\) in
\(4 \quad\) let cset \({ }^{\prime}=\{\) propagate-refinement-chan(chan, bset', level) \((\) dict \() \mid\) chan \(\in\) cset \(\}\) in
\(5 \mathbf{m k}-\) System-definition \(_{1}\left(\right.\) snm, \(^{\text {sset't}}\), cset', sigset, \(d t\), sset))
type: \(\quad\) System-definition \(_{1} \rightarrow\) Entity-dict \(\rightarrow\) System-definition \(_{1}\)
```

Objective Propagate subsignals in a system where the consistent subset has already been selected.

## Parameters

sysdef The system definition.
Result The system where subsignals have been propagated.
Algorithm
Line 1 Decompose the system definition.
Line $2 \quad$ Construct the system level qualifier.
Line 3 Propagate subsignals in each block defined at system level.
Line 4 Propagate subsignals on each channel defined at system level.
Line $5 \quad$ The transformed blocks and channels replace the original ones in the system.
propagate-refinement-block(block, level) $($ dict $) \triangleq$
1 (let mk-Block-definition ${ }_{1}(b n m, p s e t$, sigset, connects, srset, $d t$, sset, osub) $=$ block in
let level' $=$ level $\Delta\left\langle\mathbf{m k}\right.$-Block-qualifier ${ }_{1}\left(\right.$ bnm $\left.^{\prime}\right\rangle$ in
3 let $o s u b^{\prime}=$ if osub $\neq$ nil then propagate-refinement-sub $($ osub, level' $)($ dict $)$ else nil in
$\mathbf{m k}-$ Block-definition $_{1}(b n m$, pset, sigset, connects, srset, dt, sset, osub'))
type: $\quad$ Block-definition $_{1}$ Qualifier $_{1} \rightarrow{\text { Entity-dict } \rightarrow \text { Block-definition }_{1}}^{\text {den }}$
Objective Propagate subsignals in a block.

## Parameters

block The block definition.
level The qualifier of the enclosing system or substructure.
Result The transformed block.

## Algorithm

Line 1 Decompose the block definition.
Line $2 \quad$ Construct the block level qualifier.
Line 3 Propagate subsignals in the block substructure if it is present.
Line $4 \quad$ The transformed block substructure replaces the original one.

```
    (let mk-Block-substructure-definition}\mp@subsup{1}{1}{}(bsnm, bset, connects, cset, sigset,dt, sset)=sub in
    let level' = level \ <mk-Block-substructure-qualifier 
    let bset' = {propagate-refinement-block(block, level')(dict)|block \in bset} in
    let cset'}={\mathrm{ propagate-refinement-chan(chan,bset',level')(dict)| chan }\in\mathrm{ cset } in
    if (\forallconnect }\in\mathrm{ connects)(is-consistent-chancon(connect, cset')) then
        mk-Block-subtructure-definition}1(bsnm, bset,'connects, cset', sigset, dt, sset
    else
    exit("§3.3: Illegal refinement of channel"))
    Block-substructure-definition, Qualifier }\mp@subsup{}{1}{}->\mathrm{ Entity-dict
    ->\mp@subsup{Block-substructure-definition}{1}{}
```

Objective Propagate subsignals in a block substructure.

## Parameters

sub The block substructure.
level $\quad$ The qualifier of the enclosing block.
Result The transformed block substructure.

```
Algorithm
    Line 1 Decompose the block substructure.
    Line 2 Construct the block substructure level qualifier.
    Line 3 Propagate subsignals in each block.
    Line 4 Propagate subsignals on each channel.
    Line 5-8 For each channel connection at the boundary of the substructure, check that no two signals on
        different refinement levels can go through this connection.
    Line 6 The transformed blocks and channels replace the original ones.
propagate-refinement-chan(chan, bset, level)(dict)}
```

    (let mk-Channel-definition
    ```
    (let mk-Channel-definition
    let chid=mk-Identifier 
    let chid=mk-Identifier 
    let mk-Channel-path }(\mathrm{ endp1, endp2, forwsigs)=forwpath in
    let mk-Channel-path }(\mathrm{ endp1, endp2, forwsigs)=forwpath in
    let revpath = if orevpath }\not=\mathbf{nil}\mathrm{ then orevpath else mk-Channel-path}\mp@subsup{|}{1}{}(\mathrm{ endp 2, endp 1, {}) in
    let revpath = if orevpath }\not=\mathbf{nil}\mathrm{ then orevpath else mk-Channel-path}\mp@subsup{|}{1}{}(\mathrm{ endp 2, endp 1, {}) in
    let mk-Channel-path}1(, , revsigs) = revpath in
    let mk-Channel-path}1(, , revsigs) = revpath in
    let forwpath' = propagate-refinement-cpath(chid, forwpath, revsigs, bset)(dict),
    let forwpath' = propagate-refinement-cpath(chid, forwpath, revsigs, bset)(dict),
        revpath' = propagate-refinement-cpath(chid, revpath, forwsigs, bset)(dict) in
        revpath' = propagate-refinement-cpath(chid, revpath, forwsigs, bset)(dict) in
    let orevpath' =
    let orevpath' =
        (let mk-Channel-path }\mp@subsup{1}{1}{(,,ss)= revpath' in
        (let mk-Channel-path }\mp@subsup{1}{1}{(,,ss)= revpath' in
        if }ss={}\mathrm{ then nil else revpath') in
        if }ss={}\mathrm{ then nil else revpath') in
        mk-Channel-definition (chnm, nodelay, forwpath', orevpath'))
        mk-Channel-definition (chnm, nodelay, forwpath', orevpath'))
            Channel-definition }\mp@subsup{\mathrm{ Block-definition }}{1}{}\mathrm{ -set Qualifier }\mp@subsup{}{1}{}->\mathrm{ Entity-dict
            Channel-definition }\mp@subsup{\mathrm{ Block-definition }}{1}{}\mathrm{ -set Qualifier }\mp@subsup{}{1}{}->\mathrm{ Entity-dict
            Channel-definition
            Channel-definition
Objective Propagate subsignals to a channel.
```


## Parameters

```
chan The channel definitions.
bset The set of blocks (where subsignals have already been propagated) defined in the same system or substructure as the channel.
level The qualifier of the enclosing system or substructure.
```

Result The transformed channel.

## Algorithm

Line 1 Decompose the channel definition.
Line $2 \quad$ Construct the identifier of the channel.
Line 3 Decompose the forward channel path into its endpoints and conveyed signal set.
Line 4 If the channel is unidirectional then construct a "dummy" reverse channel path conveying no signals.

Line $5 \quad$ Obtain the (possibly empty) set of signals conveyed in the reverse direction.
Line 6-7 Propagate subsignals to each of the channel paths. Signals conveyed in a given direction may contribute with reverse subsignals in the opposite direction (which is the reason for the third parameter of propagate-refinement-cpath).

Line 8-7 If the set of signals conveyed on the transformed reverse channel path is empty the reverse channel path is removed.

Line 11 The transformed channel paths replace the original ones.
propagate-refinement-cpath(chid, cpath, revsigs, bset $)($ dict $) \triangleq$
(let mk-Channel-path ${ }_{1}($ endp 1 , endp 2 , forwsigs $)=$ cpath in
let foutsigs = inout-going-signals(OUT, chid, endp 1, bset),
finsigs $=$ inout-going-signals $(\mathbb{N}$, chid, endp 2, bset $)$,
routsigs $=$ inout-going-signals(OUT, chid, endp 2 , bset),
rinsigs $=$ inout-going-signals $(\mathbb{N}$, chid, endp 1, bset $)$ in
if $(\exists$ sig $1 \in$ foutsigs $\cup$ rinsigs, sig $2 \in$ finsigs $\cup$ routsigs, sig $\in$ forwsigs $\cup$ revsigs $)$ (is-sig-or-subsig(sig1, sig) $\wedge$ is-sig-or-subsig(sig 2, sig) $\supset$
is-proper-or-subsig(sig1, sig2) $\vee$ is-proper-subsig(sig2, sig1)) then
exit("§3.3: Illegal refinement of channel")
else
(let forwsig' $=$
extract-direction-subsignals(forwsigs, foutsigs $\cup$ finsigs, nil)(dict) $\cup$
extract-direction-subsignals(revsigs, foutsigs $\cup$ finsigs, REVERSE)(dict) in
mk-Channel-path ${ }_{1}($ endp 1 , endp 2 , forwsigs')))
type: $\quad$ Channel-identifier $_{1}$ Channel-path $_{1}$ Signal-identifier $_{1}$-set Block-definition $_{1}$-set
$\rightarrow$ Entity-dict $\rightarrow$ Channel-path ${ }_{1}$
Objective Propagate subsignals to a channel path.

## Parameters

chid The identifier of the channel.
cpath The channel path.
revsigs The signals conveyed in the opposite direction on the channel.
bset The set of blocks (where subsignals have already been propagated) defined in the same system or substructure as the channel.

Result The transformed channel path.

## Algorithm

Line 1 Decompose the channel path.
Line 2-5 Obtain the set of (sub)signals going out through the origin end point (line 2), in through the destination end point (line 3 ), out through the destination end point (line 4 ), and in through the origin end point (line 5).

Line 6-9 If there exists a signal sig1 going through the origin connection point and a signal sig2 going through the destination connection point of the channel which are both (direct or indirect) (sub)signals of the same signal sig conveyed by the channel path, sig1 and sig2 are not allowed to be on different refinement levels of each other.

Line 11-13 Extract from the set of (sub)signals going out through the origin connection point or in through the destination end point the (sub)signals which can be conveyed by the channel path. Signals going in the opposite direction on the channel may also contribute to the (sub)signal set because they can have reverse subsignals (line 13).

```
is-consistent-chancon(connect,cset)}
```



```
let cset \(^{\prime}=\{\) select-channel \((\) subchid, cset \() \mid\) subchid \(\in\) subchidset \(\}\) in
let connectsigs \(=\) union \(\{\) direction-signals-chan \((\) chan, FORWARD \() \cup\) direction-signals-chan(chan, REVERSE) \(\mid\) chan \(\left.\in c s e t^{\prime}\right\}\) in
\(\neg(\exists \operatorname{sig} 1, \operatorname{sig} 2 \in \operatorname{connectsigs})(i s-p r o p e r-\operatorname{subsig}(\operatorname{sig} 1, \operatorname{sig} 2)))\)
type: \(\quad\) Channel-connection \(_{1}\) Channel-definition \(_{1}\)-set \(\rightarrow\) Bool
```


## Objective Check that no two signals on different refinement levels can go through a given connection point at the

 boundary of a block substructure, including the case where one signal goes out and the other goes in.
## Parameters

connect The channel connection.
cset The set of (transformed) channel definitions in the same block substructure as the connect.
Result true if the condition holds, otherwise false.

```
Algorithm
    Line 1 Get the set of identifiers of subchannels connected to the connect.
    Line 2 Select the connected subchannels.
    Line 3-4 Extract all signals (from both directions) conveyed on the connected subchannels.
    Line 5 No two signals on the connected subchannels are allowed to be on different refinement levels.
inout-going-signals(inout, chid, endp, bset)\triangleq
```

```
if \(e n d p=\) ENVIRONMENT then
```

if $e n d p=$ ENVIRONMENT then
\{\}
\{\}
else
else
(let block $=$ select-block (endp, bset) in
(let block $=$ select-block (endp, bset) in
inout-going-signals-block(inout, chid, block))
inout-going-signals-block(inout, chid, block))
(IN | OUT Channel-identifier ${ }_{1}$ (Block-identifier ${ }_{1} \mid$ ENVIRONMENT)
(IN | OUT Channel-identifier ${ }_{1}$ (Block-identifier ${ }_{1} \mid$ ENVIRONMENT)
Block-definition $_{1}$-set $\rightarrow$ Signal-identifier $_{1}$-set

```
    Block-definition \(_{1}\)-set \(\rightarrow\) Signal-identifier \(_{1}\)-set
```

Objective Extract the signals going in or out (indicated by the first function argument) through a connection point of a channel.

## Parameters

inout Indicates whether the in- or outgoing signals are wanted.
chid The identifier of the channel the connection point signals of which are wanted.
endp The channel end point where connection point signals are wanted.
bset $\quad$ The set of blocks defined at the same scope unit level as the channel.
Result The set of in- or outgoing signals.

## Algorithm

Line 1 If the channel end point is the system environment the set of in/outgoing signals is considered to be empty.

Line 4 Extract the block to which the channel is connected.
Line 5 Extract from the block the set of in-/outgoing signals at the connection point for the channel.
inout-going-signals-block(inout, chid, mk-Block-definition ${ }_{1}(,,$, connects, srset, , , osub) $) \triangleq$

```
    if osub}\not=\mathrm{ nil then
        inout-going-signals-sub(inout, chid,osub)
    else
        (let mk-Channel-to-route-connection}\mp@subsup{1}{1}{(chidset, sridset) }\in\mathrm{ connects
            be s.t. chid }\in\mathrm{ chidset in
    let srset'}={\mathrm{ select-signalroute(srid, srset) |srid }\in\mathrm{ sridset } in
    union {inout-going-signals-sigroute(inout, sr) |sr\in srset'})
    (IN | OUT) Channel-identifier }\mp@subsup{}{1}{}\mp@subsup{\mathrm{ Block-definition }}{1}{}->\mp@subsup{\mathrm{ Signal-identifier }}{1}{}\mathrm{ -set
```

Objective Extract from a block the signals going in or out (indicated by the first function argument) through the connection point of a given channel.

## Parameters

inout Indicates whether the in- or outgoing signals are wanted.
chid The identifier of the channel for which the connection point signals are wanted.
connects,srset,osub The channel to route connections, signal routes and substructure of the block.
Result The set of in- or outgoing signals.

## Algorithm

Line 1-2 If the block is substructured the in-/outgoing signals are extracted from the substructure.
Line $4 \quad$ Obtain the set of identifiers of signal routes connected to the channel.
Line $6 \quad$ Obtain the set of signal routes connected to the channel.
Line 7 Extract from the connected signal routes the set of in-/outgoing signals.

1 (let mk-Channel-connection ${ }_{1}($ chidset, subchidset $) \in$ connects be s.t. chid $\in$ chidset in

2
type: $\quad(I N \mid O U T)$ Channel-identifier ${ }_{1}$ Block-substructure-definition $_{1}$ $\rightarrow$ Signal-identifier ${ }_{1}$-set

Objective Extract from a block substructure the signals going in or out (indicated by the first function argument) through the connection point of a given channel.

## Parameters

inout Indicates whether the in- or outgoing signals are wanted.
chid
The identifier of the channel the connection point signals of which are wanted.
connects,subchset The channel connections and subchannels of the substructure.

## Result The set of in- or outgoing signals.

## Algorithm

Line 1 Obtain the set of identifiers of subchannels connected to the channel.
Line $2 \quad$ Obtain the set of subchannels connected to the channel.
Line 3 Extract from the connected subchannels the set of in-/outgoing signals.
extract-direction-subsignals(sigs, subsigs, subsigdir) $($ dict $) \triangleq$

```
\(\{\) subsig \(\in\) subsigs \(\mid\)
    \((\exists\) sig \(\in \operatorname{sigs})\)
    (is-sig-or-subsig(subsig, sig) \(\wedge\) subsig-direction(subsig, sig) \((\) dict \()=\) subsigdir \()\}\)
type: \(\quad\) Signal-identifier \(_{1}\)-set Signal-identifier \(_{1}\)-set \([\) REVERSE] \(\rightarrow\) Entity-dict
    \(\rightarrow\) Signal-identifier \(_{1}\)-set
```

Objective Extract from a given set of (sub)signals the ones which are direct or indirect (sub)signals of signals in another set of signals. The third parameter of the function indicates whether the (sub)signals going in the same or in the opposite direction of its direct or indirect (parent) signal are wanted.

## Parameters

sigs
The set of (parent) signals.
subsigs
The set of (sub)signals.
subsigdir Indicates whether "forward" or "reverse" (sub)signals are wanted.
Result The extracted set of (sub)signals.

## Algorithm

Line 1-3 Select each (sub)signal for which a direct or indirect (parent) signal exists and which has the same/opposite direction as the direct or indirect (parent) signal.

```
    if subsig = sig then
        nil
    else
        (let mk-SignalDD(, dir) = dict(subsig) in
        let restdir = subsig-direction(parent-signal(subsig), sig)(dict) in
        cases (dir, restdir):
            ((nil, nil), (REVERSE, REVERSE)
                -> nil,
            (nil, REVERSE), (REVERSE, nil)
                ->REVERSE))
```

        Signal-identifier \(_{1}\) Signal-identifier \(_{1} \rightarrow\) Entity-dict \(\rightarrow\) [REVERSE]
    Objective For two signals of which one is on the same or a different refinement level of the other, indicate whether the two signals go in the same or the opposite direction.

## Parameters

| subsig | The (sub)signal. |
| :--- | :--- |
| sig | The (parent) signal. |

Result An indication of the relative direction.

## Algorithm

Line 1-2 If the two signals are the same they go in the same direction.
Line $4 \quad$ Find the direction of the subsignal relative to its parent signal.
Line $5 \quad$ Find the direction of the parent signal of the subsignal relative to the signal sig.
Line $7 \quad$ If the subsignal and sig have the same direction relative to the parent signal, they go in the same direction.

Line 9 If the subsignal and sig have opposite directions relative to the parent signal, they go in the opposite direction of each other.
is-sig-or-subsig(subsig, sig) $\triangleq$
$1 \quad$ subsig $=\operatorname{sig} \vee$ is-proper-subsig(subsig, sig $)$
type: $\quad$ Signal-identifier ${ }_{1}$ Signal-identifier ${ }_{1} \rightarrow$ Bool
Objective Test whether two signals are on the same or different refinement levels or not.

## Parameters

subsig The "subsignal".
sig The "parent signal".
Result true if the two signals are the same or the former is on a finer refinement level of the latter, otherwise false.

## Algorithm

Line 1 The condition holds if the signal subsig is either the same as sig, or subsig is a direct or indirect (proper) subsignal of sig.

1 (let mk-Identifier ${ }_{1}(q u a l, n m)=$ sig,
2
3
type: $\quad$ Signal-identifier ${ }_{1}$ Signal-identifier ${ }_{1} \rightarrow$ Bool - $\left\langle\mathbf{m k}\right.$-Signal-qualifier $\left.{ }_{1}(n m)\right\rangle$ in $\left(\exists\right.$ qrest $\in$ Path-item $\left._{1}{ }^{*}\right)\left(\right.$ siglevel $\wedge$ qrest $=\mathbf{s}-$ Qualifier $_{1}($ subsig $\left.\left.)\right)\right)$

Objective Test whether one signal is on another refinement level than another signal.

## Parameters

subsig The "subsignal".
sig The "parent signal".
Result true if the former signal is on a finer refinement level than another.

## Algorithm

Line 1-2 Get the qualifier denoting the "parent signal" level.
Line 3 The signal subsig is on a finer refinement level than sig if the qualifier denoting the scope unit level of $s i g$ is a prefix of the qualifier contained in subsig.
parent-signal(sig)

## (let mk-Identifier ${ }_{1}(q u a l)=,\operatorname{sig}$ in

 let qual' $=\langle$ qual $[i]| 1 \leq i<$ len qual $\rangle$,mk-Signal-qualifier ${ }_{1}\left(\mathrm{~nm}^{\prime}\right)=$ qual $[$ len qual $]$ in
mk-Identifier ${ }_{1}\left(q u a l^{\prime}, n m^{\prime}\right)$ )
type: $\quad$ Signal-identifier ${ }_{1} \rightarrow$ Signal-identifier $_{1}$
Objective Get the parent signal of a signal.

## Parameters

sig
The signal.
Result The parent signal.

## Algorithm

Line $1 \quad$ Extract the qualifier of the signal.
Line 2-3 Get the qualifier and name of the parent signal.
Line $4 \quad$ Construct the identifier of the parent signal.

### 6.4 Construction of Communication Paths

The functions in this section constructs the set of communication paths (Reachability sets) for all process instance sets and services in the SDL system which is going to be interpreted.

The way this construction is done is as follows:

1. For each internal channel/signal route path in a scope unit an outgoing and an ingoing partial Reachability set are constructed. Each member of the outgoing partial Reachability set is a partial Reachability containing an origin process or service, a sequence of signal route/channel paths leading to the given channel/signal route path, and the set of signals conveyed by this partial path. Analogously, each member of the ingoing partial Reachability set is a partial Reachability containing a destination process or service, a sequence of channel/signal route paths leading from the given channel/signal route path, and the set of signals conveyed by this partial path.
2. For each outgoing and ingoing partial Reachability, the outgoing partial path, the considered channel/signal route path and the ingoing partial path are concatenated, the intersection of the three corresponding signal sets is taken, and if this signal set is non-empty a (total) Reachability is constructed and inserted in the descriptor for the origin process or service.

For simplification of the Reachability construction, unidirectional channels and signal routes are treated as if they were bidirectional with an empty signal set in the reverse direction. Step 2 above ensures that this does not lead to extra Reachabilities in the final Entity-dict.

At system level, channels leading to or from the environment are treated like internal channels; however, in this case either the outgoing or ingoing partial Reachability set will not contain any "real" Reachabilities but instead be a singleton set containing the quotation (Quot) value ENVIRONMENT. At all lower scope unit levels the set of channels or signal routes leading to or from the scope unit boundary are not treated because they become part of the partial paths for internal channels/signal routes at higher scope unit levels.

For block internal signal route paths each of the two partial Reachability sets will contain "real" Reachabilities only if the corresponding process is decomposed into services. If the process is not decomposed into services and thus does not contain process internal service signal routes, the corresponding Reachability set will be a singleton set containing the identifier of the process.

In the comments attached to the functions below, the term bridging channel/signal route, or simply bridge, will be used. A bridging channel/signal route in a Reachability is the one which is defined at the highest scope unit level.

The entry function for construction of Reachabilities is make-reachabilities.

### 6.4.1 Reachability Construction

make-reachabilities(mk-System-definition $n_{1}($ snm, bset, cset,,,$\left.)\right)($ dict $) \triangleq$
(let $^{\text {level }}=\left\langle\mathbf{m k}\right.$-System-qualifier ${ }_{1}($ snm $\left.)\right\rangle$ in
let dict ${ }^{\prime}=$ make-internal-reaches-chans(cset, bset, level) $($ dict $)$ in
let dict $^{\prime \prime}=$ make-internal-reaches-blocks $($ bset, level $)($ dict' $)$ in
dict")
type: $\quad$ System-definition ${ }_{1} \rightarrow$ Entity-dict $\rightarrow$ Entity-dict
Objective Construct the Reachabilities for an SDL system to be interpreted.

## Parameters

snm,bset,cset
The system name, block definitions and channel definitions in the system.
Result
The Entity-dict where all Reachabilities have been inserted.

```
Algorithm
    Line 1 Construct the system level qualifier.
        from/to the system environment are treated here.
    Line 3 Construct the internal Reachabilities of the system level blocks.
    Line 4 Return the updated Entity-dict.
make-internal-reaches-blocks(bset, level)(dict)}
```

```
if bset = {} then
```

if bset = {} then
dict
dict
else
else
(let block \in bset in
(let block \in bset in
let dict' = make-internal-reaches-block(block, level)(dict) in
let dict' = make-internal-reaches-block(block, level)(dict) in
make-internal-reaches-blocks(bset \{block},level)(dict'))
make-internal-reaches-blocks(bset \{block},level)(dict'))
Block-definition}\mp@subsup{n}{1}{}\mathrm{ -set Qualifier }\mp@subsup{}{1}{}->\mathrm{ Entity-dict }->\mathrm{ Entity-dict

```
        Block-definition}\mp@subsup{n}{1}{}\mathrm{ -set Qualifier }\mp@subsup{}{1}{}->\mathrm{ Entity-dict }->\mathrm{ Entity-dict
```

    Line 2 Construct the Reachabilities having the system level channels as bridges. Also channels leading
    Objective Construct the internal Reachabilities of a set of blocks.

## Parameters

bset The set of block definitions.
level The qualifier of the enclosing system or substructure.

## Result The Entity-dict where the block internal Reachabilities have been inserted.

## Algorithm

Line 1-2 If the block set is empty the Entity-dict is not changed.
Line 4-5 Select a block and construct its internal Reachabilities.
Line 6 Construct the internal Reachabilities of the remaining blocks.
make-internal-reaches-block(mk-Block-definition $1_{1}($ bnm, pset,, , srset, , , osub $)$, level $)($ dict $) \triangleq$

```
(let level' \(=\) level \(\bullet\left\langle\mathbf{m k}\right.\)-Block-qualifier \({ }_{1}\left(\right.\) bnm \(\left.\left.^{\prime}\right)\right\rangle\) in
        if osub \(\neq\) nil then
            make-internal-reaches-sub(osub, level')(dict)
        else
            (let \(s r s e t^{\prime}=\{s r \in\) srset \(\mid\) is-internal-sigroute(sr) \(\}\) in
            let dict \(^{\prime}=\) make-internal-reaches-sigroutes(srset', pset, level' \()(\) dict \()\) in
            let dict \(t^{\prime \prime}=\) make-internal-reaches-prcss(pset, level)(dict') in
            dict"))
type: \(\quad\) Block-definition \(_{1}\) Qualifier \(_{1} \rightarrow\) Entity-dict \(\rightarrow\) Entity-dict
```

Objective Construct the internal Reachabilities of a block.

## Parameters

bnm,pset,srset,osub The block name, process definitions, signal routes and optional block substructure in the block.
level The qualifier of the enclosing system or substructure.
Result The Entity-dict where the block internal Reachabilities have been inserted.

## Algorithm

Line $1 \quad$ Construct the block level qualifier.
Line 2-3 If the block is substructured then the internal Reachabilities of the substructure is constructed.
Line 5 Select those signal routes which are internal to the block.
Line 6 Construct the Reachabilities having the block internal signal routes as bridges.
Line $7 \quad$ Construct the internal Reachabilities of the block local processes.
Line $8 \quad$ Return the updated Entity-dict.
make-internal-reaches-sub(mk-Block-substructure-definition ${ }_{1}($ bsnm, bset, , cset,,,$)$, level $)($ dict $) \triangleq$

| 1 | $\left(\right.$ let level' $=$ level $\bullet\left\langle\mathbf{m k}\right.$-Block-substructure-qualifier ${ }_{1}($ bssmm $\left.)\right\rangle$ in $^{\text {in }}$ |
| :---: | :---: |
| 2 | let seet $^{\prime}=\{$ chan $\in$ cset $\mid$ is-internal-chan(chan) $\}$ in |
| 3 | let dict' $=$ make-internal-reaches-chans(cset', bset, level' $)($ dict $)$ in |
| 4 | let dict' ${ }^{\prime \prime}=$ make-internal-reaches-blocks(bset, level') $($ dict') in |
| 5 | dict ${ }^{\prime \prime}$ ) |

type: $\quad$ Block-substructure-definition $_{1}$ Qualifier $_{1} \rightarrow$ Entity-dict $\rightarrow$ Entity-dict
Objective Construct the internal Reachabilities of a block substructure.

## Parameters

bsnm,bset,cset The block substructure name, subblock definitions and subchannels in the block substructure.
level The qualifier of the enclosing block.
Result The Entity-dict where the block substructure internal Reachabilities have been inserted.

## Algorithm

Line $1 \quad$ Construct the substructure level qualifier.
Line 2 Select those subchannels which are internal to the substructure.
Line 3 Construct the Reachabilities having the substructure internal channels as bridges.
Line 4 Construct the Reachabilities of the substructure local blocks.
Line $5 \quad$ Return the updated Entity-dict.
make-internal-reaches-prcss $($ pset, level $)($ dict $) \triangleq$

```
    if pset = {} then
        dict
    else
        (let prcs \in pset in
        let dict' = make-internal-reaches-prcs(prcs,level)(dict) in
        make-internal-reaches-prcss(pset \{prcs},level)(dict'))
```

type: $\quad$ Process-definition $1_{1}$-set Qualifier $_{1} \rightarrow$ Entity dict $\rightarrow$ Entity dict

Objective Construct the internal Reachabilities of a set of process definitions.

## Parameters

pset The set of process definitions.
level The qualifier of the enclosing block.

## Result The Entity-dict where the process internal Reachabilities have been inserted.

## Algorithm

Line 1-2 If the set of process definitions is empty the Entity-dict is not changed.
Line 4-5 Select a process definition and construct its internal Reachabilities.
Line $6 \quad$ Construct the internal Reachabilities of the remaining process definitions.

```
make-internal-reaches-prcs \((\) prcs, level \()(\) dict \() \triangleq\)
```



```
        (is-Process-graph \({ }_{1}\) (grordec)
            \(\rightarrow\) (let prid \(=\mathbf{m k}\)-Identifier \({ }_{1}(\) level, prnm),
            sigs \(=\) extract-inputsigs-prcs(prcs) in
                update-endpd-self(prid, sigs)(dict)),
        is-Service-decomposition \({ }_{1}\) (grordec)
            \(\rightarrow\left(\right.\) let level \(^{\prime}=\) level \(\bullet\left\langle\mathbf{m k}\right.\)-Process-qualifier \({ }_{1}\left(\right.\) prnm \(\left.^{\prime}\right\rangle \mathbf{i n}\)
                make-internal-reaches-decomp(grordec, level')(dict))))
type: \(\quad\) Process-definition \(_{1}\) Qualifier \(_{1} \rightarrow\) Entity-dict \(\rightarrow\) Entity-dict
```

Objective Construct the internal Reachabilities of a process definition.

## Parameters

prcs The process definition.
level The qualifier of the enclosing block.
Result The Entity-dict where the process internal Reachabilities have been inserted.

## Algorithm

Line 1 Get the name and process graph/service decomposition of the process.
Line $2 \quad$ Handle the case where the process is not decomposed into services.
Line $3 \quad$ Construct the identifier of the process.
Line 4 Extract the input signal set of the process.
Line $5 \quad$ Construct a Reachability from the process to itself and insert it in the Entity-dict.
Line $6 \quad$ Handle the case where the process is decomposed into services.
Line $7 \quad$ Construct the process level qualifier.
Line $8 \quad$ Construct the internal Reachabilities of the service decomposition.
make-internal-reaches-decomp $\left(\mathbf{m k}\right.$-Service-decomposition ${ }_{1}($ servset, srset, $)$, level $)($ dict $) \triangleq$

```
    (let srset'}={sr\in\mathrm{ srset |is-internal-sigroute(sr)} in
    let dict' = make-internal-reaches-servsigroutes(srset', level)(dict) in
    let dict"' = make-internal-reaches-servs(servset, level)(dict') in
    dict")
type: Service-decomposition }1\mp@subsup{Q}{\mathrm{ Qualifier }}{1}
```

Objective Construct the internal Reachabilities of a service decomposition.

## Parameters

servset,srset
level
Result
The Entity-dict where the decomposition internal Reachabilities have been inserted.

```
Algorithm
Line 1 Select those signal routes which are internal to the decomposition.
Line 4 Return the updated Entity-dict.
make-internal-reaches-servs(servset, level \()(\) dict \() \triangleq\)
if servset \(=\{ \}\) then
dict
else
(let serv \(\in\) servset in
let dict \(=\) make-internal-reaches-serv(serv, level) \((\) dict \()\) in make-internal-reaches-servs(servset \(\backslash\{\) serv \(\}\), level)(dict'))
type: \(\quad\) Service-definition \(_{1}\)-set Qualifier \(_{1} \rightarrow\) Entity-dict \(\rightarrow\) Entity-dict
```

Line 2 Construct the Reachabilities having the decomposition internal signal routes as bridges.
Line 3 Construct the internal Reachabilities of the (decomposition local) service definitions.

Objective Construct the internal Reachabilities of a set of service definitions.

## Parameters

servset The set of service definitions.
level The qualifier of the enclosing process definition.
Result The Entity-dict where the service internal Reachabilities have been inserted.


#### Abstract

Algorithm Line 1-2 If the service set is empty the Entity-dict is not changed. Line 4-5 Select a service and construct its internal Reachabilities. Line $6 \quad$ Construct the internal Reachabilities of the remaining services. make-internal-reaches-serv (serv, level)(dict) ```(let servid \(=\mathbf{m k}\)-Identifier \({ }_{1}\left(\right.\) level, \(^{\mathbf{s}-S e r v i c e-n a m e ~} 1_{1}(\) serv \(\left.)\right)\), sigs = extract-inputsigs-serv(serv) in update-endpd-self(servid, sigs)(dict)) type: \(\quad\) Service-definition \({ }_{1}\) Qualifier \(_{1} \rightarrow\) Entity-dict \(\rightarrow\) Entity-dict```


Objective Construct the internal Reachabilities of a service definition.

## Parameters

serv The service definition.
level $\quad$ The qualifier of the enclosing process definition.

## Result The Entity-dict where the service internal Reachabilities have been inserted.

## Algorithm

Line $1 \quad$ Construct the identifier of the service.
Line $2 \quad$ Extract the input signal set of the service.
Line 3 Construct a Reachability from the service to itself and insert it in the Entity-dict. The input signal set will also be inserted in the service descriptor.

```
make-internal-reaches-chans \((\) cset, bset, level \()(\) dict \() \triangleq\)
```

```
        if cset ={} then
```

        if cset ={} then
        dict
        dict
        else
        else
        (let chan \in cset in
        (let chan \in cset in
        let dict' = make-internal-reaches-chan(chan, bset, level)(dict) in
        let dict' = make-internal-reaches-chan(chan, bset, level)(dict) in
        make-internal-reaches-chans(cset \{chan},bset,level)(dict'))
        make-internal-reaches-chans(cset \{chan},bset,level)(dict'))
        type: Channel-definition}\mp@subsup{1}{1}{}\mathrm{ -set Block-definition}\mp@subsup{1}{1}{}\mathrm{ -set Qualifier }\mp@subsup{}{1}{}->\mathrm{ Entity-dict }->\mathrm{ Entity-dict
    ```
        type: Channel-definition}\mp@subsup{1}{1}{}\mathrm{ -set Block-definition}\mp@subsup{1}{1}{}\mathrm{ -set Qualifier }\mp@subsup{}{1}{}->\mathrm{ Entity-dict }->\mathrm{ Entity-dict
```

Objective Construct the set of Reachabilities having a given set of channels as bridges.

## Parameters

cset The set of channel definitions.
bset $\quad$ The set of blocks at the same scope unit level as the channels.
level The qualifier of the enclosing system or substructure.
Result The Entity-dict where the Reachabilities having the given channels as bridges have been inserted.

```
Algorithm
Line 1-2 If the channel set is empty the Entity-dict is not modified.
Line 4-5 Select a channel and construct the Reachabilities having this channel as bridge.
Line \(6 \quad\) Construct the Reachabilities having the remaining channels as bridges.
make-internal-reaches-chan(chan, bset, level) \((\) dict \() \triangleq\)
(let mk-Channel-definition \({ }_{1}\left(\right.\) chnm, nodelay, \(\mathbf{m k}\)-Channel-path \(1_{1}(\) endp 1 , endp 2,\()\), ) \(=\) chan \(\mathbf{i n}\)
let chid \(=\mathbf{m k}\)-Identifier \(r_{1}(\) level, chnm \()\) in
let foutreaches = inout-going-reaches(OUT, chid, endp 1 , bset, level), fpathelem \(=(\) chid, FORWARD, nodelay \()\), fsigs \(=\) direction-signals-chan(chan, FORWARD), finreaches \(=\) inout-going-reaches ( 1 N , chid, endp 2 , bset, level) in
let routreaches = inout-going-reaches(OUT, chid, endp 2 , bset, level), rpathelem \(=(\) chid, REVERSE, nodelay \()\), rsigs \(=\) direction-signals-chan(chan, REVERSE), rinreaches = inout-going-reaches ( 1 N chid, endp 1 , bset, level) in
let dict \({ }^{\prime \prime}=\) update-endpd(foutreaches, fpathelem, fsigs, finreaches) \((\) dict \()\) in
let dict" = update-endpd(routreaches, rpathelem, rsigs, rinreaches)(dict') in dict")
```

Channel-definition $_{1}$ Block-definition $_{1}$-set Qualifier $_{1} \rightarrow$ Entity-dict $\rightarrow$ Entity-dict

Objective Construct the set of Reachabilities having a given channel as bridge.

## Parameters

chan The channel definition.
bset The set of blocks at the same scope unit level as the channel.
level The qualifier of the enclosing system or substructure.
Result The Entity-dict where the Reachabilities having the given channel as bridge have been inserted.

## Algorithm <br> Line 1 Obtain the name, optional nodelay attribute and origin and destination end point of the channel. <br> Line $2 \quad$ Construct the identifier of the channel. <br> Line 3-6 Obtain the outgoing partial Reachability set leading to the origin end point of the channel (line 3), the Path-element denoting the forward channel path (line 4), the set of signals carried in the forward direction by the channel (line 5), and the ingoing partial Reachability set leading from the destination end point of the channel (line 6). <br> Line 7-10 Analogously to line 3-6, obtain the outgoing partial Reachability set leading to the destination end point of the channel (line 7), the Path-element denoting the reverse channel path (line 8), the set of signals carried in the reverse direction by the channel (empty if the channel is unidirectional) (line 9), and the ingoing partial Reachability set leading from the origin end point of the channel (line 10). <br> Line 11 Construct the total Reachabilities having the forward channel path as bridge. <br> Line 12 Analogously to line 11, construct the total Reachabilities having the reverse channel path as bridge.

Line 13 Return the updated Entity-dict.
make-internal-reaches-sigroutes(srset, pset, level $)($ dict $) \triangleq$

```
if srset \(=\{ \}\) then
        dict
    else
        (let \(s r \in\) srset in
        let dict \(t^{\prime}=\) make-internal-reaches-sigroute \((s r\), pset, level \()(\) dict \()\) in
        make-internal-reaches-sigroutes(srset \(\backslash\{s r\}\), pset, level)(dict'))
        Signal-route-definition \(_{1}\)-set Process-definition \({ }_{1}\)-set Qualifier \(_{1} \rightarrow\) Entity-dict \(\rightarrow\) Entity-dict
```

Objective Construct the set of Reachabilities having a given set of signal routes as bridges. The function is analogous to make-internal-reaches-chans.

## Parameters

srset
pset
level
Result

The set of signal route definitions.
The set of process definitions at the same scope unit level as the signal routes.
The qualifier of the enclosing block.
The Entity-dict where the Reachabilities having the given signal routes as bridges have been inserted.

```
Algorithm
Line 1-2 If the signal route set is empty the Entity-dict is not modified.
Line 4-5 Select a signal route and construct the Reachabilities having this signal route as bridge.
Line 6 Construct the Reachabilities having the remaining signal routes as bridges.
make-internal-reaches-sigroute(sr, pset, level \()(\) dict \() \triangleq\)
(let mk-Signal-route-definition \({ }_{1}\left(\right.\) srnm, mk-Signal-route-path \(\left.h_{1}(e n d p 1, e n d p 2),,\right)=s r\) in
let srid \(=\mathbf{m k}\)-Identifier \({ }_{1}(\) level, srnm \()\) in
let foutreaches = inout-going-reaches'(OUT, srid, endp1, pset, level), fpathelem \(=(\) srid, FORWARD, NODELAY \()\), fsigs \(=\) direction-signals-sigroute(sr, FORWARD), finreaches \(=\) inout-going-reaches' \((\mathbb{N}\), srid, endp 2 , pset, level \()\) in
let routreaches \(=\) inout-going-reaches'(OUT, srid, endp 2 , pset, level \()\), rpathelem \(=(\) srid, REVERSE, NODELAY \()\), rsigs \(=\) direction-signals-sigroute(sr, REVERSE), rinreaches \(=\) inout-going-reaches' \((\mathbb{I N}\), srid, endp 1 , pset, level \()\) in
let dict' \(=\) update-endpd(foutreaches, fpathelem, fsigs, finreaches \()(\) dict \()\) in
let dict \({ }^{\prime \prime}=\) update-endpd \((\) routreaches, rpathelem, rsigs, rinreaches \()\left(\right.\) dict \(\left.t^{\prime}\right)\) in dict")
```

```
type: Signal-route-definition }\mp@subsup{|}{1}{}\mp@subsup{\mathrm{ Process-definition }}{1}{}\mathrm{ -set Qualifier }\mp@subsup{}{1}{}->\mathrm{ Entity-dict }->\mathrm{ Entity-dict
```

```
type: Signal-route-definition }\mp@subsup{|}{1}{}\mp@subsup{\mathrm{ Process-definition }}{1}{}\mathrm{ -set Qualifier }\mp@subsup{}{1}{}->\mathrm{ Entity-dict }->\mathrm{ Entity-dict
```

Objective Construct the set of Reachabilities having a given signal route as bridge. The function is analogous to make-internal-reaches-chan.

## Parameters

$s r$
pset $\quad$ The set of process definitions at the same scope unit level as the signal route.
level $\quad$ The qualifier of the enclosing block.
Result
The Entity-dict where the Reachabilities having the given signal route as bridge have been inserted.

## Algorithm

Line $1 \quad$ Obtain the name and origin and destination end point of the signal route.
Line $2 \quad$ Construct the identifier of the signal route.
Line 3-6 Obtain the outgoing partial Reachability set leading to the origin end point of the signal route (line 3), the Path-element denoting the forward signal route path (line 4), the set of signals carried in the forward direction by the signal route (line 5), and the ingoing partial Reachability set leading from the destination end point of the signal route (line 6). The Path-element for the signal route path always contains NODELAY because a signal route never has a delay.

Line 7-10 Analogously to line 3-6, obtain the outgoing partial Reachability set leading to the destination end point of the signal route (line 7), the Path-element denoting the reverse signal route path (line 8), the set of signals carried in the reverse direction by the signal route (empty if the signal route is unidirectional) (line 9), and the ingoing partial Reachability set leading from the origin end point of the signal route (line 10).

Line 11 Construct the total Reachabilities having the forward signal route path as bridge.
Line 12 Analogously to line 11, construct the total Reachabilities having the reverse signal route path as bridge.

Line 13 Return the updated Entity-dict.
make-internal-reaches-servsigroutes(srset, level) $($ dict $) \triangleq$

```
    if srset \(=\{ \}\) then
    dict
    else
    (let \(s r \in\) srset in
    let dict \({ }^{\prime}=\) make-internal-reaches-servsigroute \((\) sr, level \()(\) dict \()\) in
    make-internal-reaches-servsigroutes(srset \(\backslash\{s r\}\), level)(dict'))
    Signal-route-definition \(1_{1}\)-set Qualifier \(r_{1} \rightarrow\) Entity-dict \(\rightarrow\) Entity-dict
```

Objective Construct the set of Reachabilities having a given set of (service decomposition internal) signal routes as bridges. The function is analogous to make-internal-reaches-chans and make-internal-reachessigroutes.

## Parameters

srset The set of signal route definitions.
level The qualifier of the enclosing process definition.

## Result

 The Entity-dict where the Reachabilities having the given signal routes as bridges have been inserted.
## Algorithm

Line 1-2 If the signal route set is empty the Entity-dict is not modified.
Line 4-5 Select a signal route and construct the Reachabilities having this signal route as bridge.
Line $6 \quad$ Construct the Reachabilities having the remaining signal routes as bridges.
make-internal-reaches-servsigroute(sr, level $)($ dict $) \triangleq$

```
    (let mk-Signal-route-definition \(1_{1}\left(\right.\) srnm, \(^{\mathbf{m}} \mathbf{m}\)-Signal-route-path \({ }_{1}(\) endp 1, endp 2,\()\), ) \(=s r \mathbf{i n}\)
    let srid \(=\mathbf{m k}\)-Identifier \(\boldsymbol{r}_{1}(\) level, ,srnm \()\) in
    let foutreaches \(=\{\) endp 1\(\}\),
        fpathelem \(=(\) srid, FORWARD, NODELAY \()\),
        fsigs \(=\) direction-signals-sigroute(sr, FORWARD),
        finreaches \(=\{e n d p 2\}\) in
    let routreaches \(=\{e n d p 2\}\),
        rpathelem \(=(\) srid, REVERSE, NODELAY \()\),
        rsigs \(=\) direction-signals-sigroute(sr, REVERSE),
        rinreaches \(=\{\) endp 1\(\}\) in
    let dict \(t^{\prime}=u p d a t e-e n d p d(\) foutreaches, fpathelem, fsigs, finreaches \()(\) dict \()\) in
    let dict"' \(=\) update-endpd(routreaches, rpathelem, rsigs, rinreaches)(dict') in
    dict")
```

type: $\quad$ Signal-route-definition Qualifier $_{1} \rightarrow$ Entity-dict $\rightarrow$ Entity-dict

Objective Construct the set of Reachabilities having a given (service decomposition internal) signal route as bridge. The function is analogous to make-internal-reaches-chan and make-internal-reaches-sigroute.

## Parameters

$s r \quad$ The signal route definition.
level $\quad$ The qualifier of the enclosing process definition.
Result The Entity-dict where the Reachabilities, having the given signal route as bridge have been inserted.

## Algorithm

Line $1 \quad$ Obtain the name and origin and destination end point of the signal route.
Line 2 Construct the identifier of the signal route.
Line 3-6 Obtain the outgoing partial Reachability set leading to the origin end point of the signal route (line 3), the Path-element, denoting the forward signal route path (line 4), the set of signals carried in the forward direction by the signal route (line 5), and the ingoing partial Reachability set leading from the destination end point of the signal route (line 6). As services do not contain signal routes both partial Reachability sets are singleton sets containing the respective end point (service) identifier. The Path-element for the signal route path always contains NODELAY because a signal route never has a delay.

Line 7-10 Analogously to line 3-6, obtain the outgoing partial Reachability set leading to the destination end point of the signal route (line 7), the Path-element denoting the reverse signal route path (line 8 ), the set of signals carried in the reverse direction by the signal route (empty if the signal route is unidirectional) (line 9), and the ingoing partial Reachability set leading from the origin end point of the signal route (line 10).

Line 11 Construct the total Reachabilities having the forward signal route path as bridge.
Line 12 Analogously to line 11, construct the total Reachabilities having the reverse signal route path as bridge.

Line 13 Return the updated Entity-dict.

### 6.4.2 Construction of Partial Reachabilities

inout-going-reaches(inout, chid, endp, bset, level $) \triangleq$

```
if \(e n d p=\) ENVIRONMENT then
    \{ENVIRONMENT \(\}\)
    else
    (let block \(=\) select-block \((e n d p\), bset \()\) in
    inout-going-reaches-block(inout, chid, block, level))
type: (IN |OUT) Channel-identifier \({ }_{1}\) (Block-identifier \({ }_{1} \mid\) ENVIRONMENT) Block-definition \(1_{1}\)-set
    Qualifier \(_{1} \rightarrow\) (ENVIRONMENT \(\mid\) Reachability)-set
```

Objective Obtain the in- or outgoing partial Reachability set (direction indicated by the first function argument) leading from/to a given channel end point.

## Parameters

inout Indicates whether the in- or outgoing partial Reachability set is wanted.
chid The identifier of the bridging channel.
endp The channel end point (may be the env in case of a system level channel) at which the partial Reachabilities are wanted.
bset The set of blocks defined at the same scope unit level as the channel.
level $\quad$ The qualifier of the enclosing system or substructure.
Result The partial Reachability set, or a singleton set containing the Quot value ENVIRONMENT if the channel end point is env.

## Algorithm

Line 1-2 If the channel end point is env the singleton Reachability set containing ENVIRONMENT is returned.

Line 4 Get the end point block definition from the block set.
Line 5 Extract from the block the in-/outgoing partial Reachability set
inout-going-reaches'(inout, srid, endp, pset, level $) \triangleq$
1 (let prcs = select-process(endp, pset) in
2 inout-going-reaches-prcs(inout, srid, prcs, level))
type: (IN |OUT) Signal-route-identifier ${ }_{1}$ Process-identifier $_{1}$ Process-definition $_{1}$-set
Qualifier $_{1} \rightarrow$ ( Process-identifier $_{1} \mid$ Reachability)-set $^{\prime}$
Objective Obtain the in- or outgoing partial Reachability set (direction indicated by the first function argument) leading from/to a given signal route end point. The function is analogous to inout-going-reaches.

## Parameters

inout Indicates whether the in-or outgoing partial Reachability set is wanted.
srid $\quad$ The identifier of the bridging signal route.
endp $\quad$ The signal route end point at which the partial Reachabilities are wanted.
pset $\quad$ The set of process definitions at the same scope unit level as the signal route.
level The qualifier of the enclosing block.

## Result

The partial Reachability set, or a singleton set containing a process identifier if the denoted process instance set is not decomposed into services.

```
Algorithm
    Line \(1 \quad\) Get the end point process definition from the set of process definitions.
    Line \(2 \quad\) Extract the in-/outgoing partial Reachability set.
inout-going-reaches-block(inout, chid, block, level) \(\triangleq\)
```

```
    (let mk-Block-definition \({ }_{1}(\) bnm, \(p\) set, , connects, srset, , , osub) \(=\) block in
```

    (let mk-Block-definition \({ }_{1}(\) bnm, \(p\) set, , connects, srset, , , osub) \(=\) block in
    let level' \(=\) level \(\bullet\left\langle\mathbf{m k}\right.\) - Block-qualifier \(_{1}\left(\right.\) bnm \(\left.^{\prime}\right\rangle\) in
    let level' \(=\) level \(\bullet\left\langle\mathbf{m k}\right.\) - Block-qualifier \(_{1}\left(\right.\) bnm \(\left.^{\prime}\right\rangle\) in
    if \(o s u b \neq\) nil then
    if \(o s u b \neq\) nil then
        inout-going-reaches-sub(inout, chid, osub, level')
        inout-going-reaches-sub(inout, chid, osub, level')
        else
        else
            (let mk-Channel-to-route-connection \({ }_{1}(\) chidset, sridset \() \in\) connects
            (let mk-Channel-to-route-connection \({ }_{1}(\) chidset, sridset \() \in\) connects
        be s.t. chid \(\in\) chidset in
        be s.t. chid \(\in\) chidset in
    let srset \(t^{\prime}=\{\) select-signalroute(srid, srset \() \mid\) srid \(\in\) sridset \(\}\) in
    let srset \(t^{\prime}=\{\) select-signalroute(srid, srset \() \mid\) srid \(\in\) sridset \(\}\) in
    union \{inout-going-reaches-sigroute(inout, sr, pset, level') \(\mid s r \in\) srset \(\left.\left.^{\prime}\right\}\right)\) )
    union \{inout-going-reaches-sigroute(inout, sr, pset, level') \(\mid s r \in\) srset \(\left.\left.^{\prime}\right\}\right)\) )
    type: $\quad$ (IN |OUT) Channel-identifier ${ }_{1}$ Block-definition $_{1}$ Qualifier $_{1} \rightarrow$ Reachability-set

```
type: \(\quad\) (IN |OUT) Channel-identifier \({ }_{1}\) Block-definition \(_{1}\) Qualifier \(_{1} \rightarrow\) Reachability-set
```

Objective Obtain from a block the in-/outgoing partial Reachability set leading from/to a given channel.

## Parameters

inout Indicates whether the in- or outgoing Reachabilities are wanted.
chid The identifier of the channel.
block The block definition.
level $\quad$ The qualifier of the enclosing system or substructure.
Result The in-/outgoing partial Reachabilities.

[^0]Objective Obtain from a block substructure the in-/outgoing partial Reachability set leading from/to a given channel.

## Parameters

inout Indicates whether the in- or outgoing Reachabilities are wanted.
chid The identifier of the channel.
sub The block substructure definition.
level The qualifier of the enclosing block.
Result The in-/outgoing partial Reachabilities.

## Algorithm

Line 1-2 Decompose the block substructure and construct the qualifier denoting its level.
Line $3 \quad$ Obtain the set of identifiers of subchannels connected to the channel.
Line $4 \quad$ Obtain the set of subchannels connected to the channel.
Line 5 Construct all in-/outgoing partial Reachabilities leading from/to and including one of the subchannels.

```
inout-going-reaches-prcs(inout, srid,prcs,level)}
    (let mk-Process-definition 
        (is-Process-graph (grordec)
        ->{\mathbf{mk}-\mp@subsup{I}{dentifier }{1}\mp@code{(level, prnm)},}
    is-Service-decomposition (grordec)
        ->(let level' = level \\langle\mathbf{mk}-Process-qualifier }\mp@subsup{}{1}{}(\mathrm{ prnm )> in
        inout-going-reaches-decomp(inout, srid, grordec, level'))))
type: (IN | OUT) Signal-route-identifier }\mp@subsup{\mp@code{Process-definition}\mp@subsup{1}{1}{}\mathrm{ -set Qualifier }}{1}{
    (Process-identifier }1|\mathrm{ Reachability)-set
```

Objective Obtain from a process definition the in-/outgoing partial Reachability set leading from/to a given signal route.

## Parameters

inout Indicates whether the in- or outgoing Reachabilities are wanted.
srid $\quad$ The identifier of the signal route.
prcs The process definition.
level $\quad$ The qualifier of the enclosing block.
Result The in-/outgoing partial Reachabilities.

## Algorithm

Line 1 Decompose the process definition.
Line 2-3 If the process is not decomposed into service instances then the singleton Reachability set containing its identifier is returned.

Line 4-6 Otherwise the in-/outgoing Reachabilities are extracted from the service decomposition.
inout-going-reaches-decomp(inout, srid, decomp, level) $\triangleq$

$$
\begin{align*}
& \text { (let mk-Service-decomposition } 1_{1}(\text {, servsrset, connects })=\text { decomp } \text { in }  \tag{6.4.2.6}\\
& \text { let mk-Signal-route-to-route-connection } \left.{ }_{1} \text { (sridset, servsridset }\right) \in \text { connects } \\
& \text { be s.t. srid } \in \text { sridset in } \\
& \text { let servsrset' }=\{\text { select-signalroute(servsrid, servsrset }) \mid \text { servsrid } \in \text { servsridset }\} \text { in } \\
& \left\{{\text { inout-going-reaches-sigroute(inout, servsr, level } \left.\left.) \mid \text { servsr } \in \text { servsrset }^{\prime}\right\}\right)}^{\text {(IN |OUT) Signal-route-identifier }{ }_{1} \text { Service-decomposition }{ }_{1} \text { Qualifier }_{1}}\right. \\
& \rightarrow \text { Reachability-set }
\end{align*}
$$

Objective Obtain from a service definition the partial Reachability set leading from/to a given (block level) signal route.

## Parameters

inout Indicates whether the in- or outgoing Reachabilities are wanted.
srid $\quad$ The identifier of the signal route.
decomp The service decomposition.
level The qualifier of the enclosing process.
Result The in-/outgoing partial Reachabilities.

## Algorithm

Line 1 Decompose the service decomposition.
Line $2 \quad$ Obtain the set of identifiers of service signal routes connected to the signal route.
Line $4 \quad$ Obtain the set of service signal routes connected to the signal route.
Line 5 Construct all in-/outgoing partial Reachabilities leading from/to and including one of the service signal routes.
inout-going-reaches-chan(inout, chan, bset, level) $\triangleq$
$\left(\right.$ let chid $=\mathbf{m k}$-Identifier ${ }_{1}\left(\right.$ level, $\mathbf{s}$-Channel-name ${ }_{1}($ chan $\left.)\right)$,
$\quad$ block $=$ select-block $($ connected-block $($ chan $)$, bset $)$ in
let inoutreaches $=$ inout-going-reaches-block $($ inout, chid, block, level $)$ in
\{append-chan-to-reach(inout, inoutreach, chan,level $) \mid$ inoutreach $\in$ inoutreaches $\})$
type: $\quad$ (IN | OUT) Channel-definition Block- definition $_{1}$-set Qualifier $_{1} \rightarrow$ Reachability-set $^{\text {Blo }}$
Objective Obtain the in-/outgoing partial Reachability set leading from/to and including a given non-local channel.

## Parameters

inout Indicates whether the in- or outgoing partial Reachabilities are wanted.
chan The channel definition.
bset The set of blocks defined at the same scope unit level as the channel.
level The qualifier of the enclosing block substructure (system level non-local channels are treated like local channels).

Result The in-/outgoing partial Reachabilities.

## Algorithm

Line $1 \quad$ Construct the identifier of the channel.
Line 2 Get the block connected to the channel.

Line $3 \quad$ Obtain the in-/outgoing partial Reachabilities leading to the channel.
Line 4 Append the channel to each of the partial Reachabilities.
append-chan-to-reach(inout, inoutreach, chan, level) $\triangleq$

```
    (let chansigs = inout-going-signals-chan(inout, chan),
        chanpathelem \(=\) inout-going-path-elem-chan(inout, chan, level) in
    let \((\) reachendp, sigset, path \()=\) inoutreach in
    (reachendp, sigset \(\cap\) chansigs,
        cases inout:
        (IN \(\rightarrow\) 〈chanpathelem) path,
        OUT \(\rightarrow\) path \(\bullet\langle\) (chanpathelem \(\rangle)\) ))
type: \(\quad(I N \mid O U T)\) Reachability Channel-definition Qualifier \(_{1} \rightarrow\) Reachability
```

Objective Append a non-local channel to an in-/outgoing partial Reachability.

## Parameters

inout Indicates whether the partial Reachability is in- or outgoing.
inoutreach The partial Reachability.
chan The definition of the channel.
level The qualifier of the enclosing block substructure.
Result The partial Reachability where the channel has been appended.

## Algorithm

Line 1 Extract the signals carried by the channel in the direction indicated by inout. Note that if the channel is unidirectional in the opposite direction the extracted signal set is empty.
Line 2 Construct the Path-element for the channel path which goes in the direction indicated by inout.
Line 3 Decompose the partial Reachability into its destination/origin end point, the set of signals which can be carried along the partial Reachability, and its sequence of Path-elements.

Line 4-7 The new partial Reachability is constructed as follows: Its destination/origin end point is that obtained before (line 4), the set of signal it can carry is the intersection of the signal set obtained before and the signal set from the channel (line 4), and its sequence of Path-elements is the sequence obtained before with the channel Path-element added at its "outer" end point (line 5-7).
inout-going-path-elem-chan $($ inout, chan, level $) \triangleq$
(let mk-Channel-definition $1_{1}($ chnm, nodelay, , $)=$ chan in (mk-Identifier ${ }_{1}$ (level, chnm), inout-going-path-direction-chan(inout, chan), nodelay))
type: $\quad$ (IN | OUT) Channel-definition ${ }_{1}$ Qualifier $_{1} \rightarrow$ Path-element
Objective Obtain the in- or outgoing Path-element for a non-local channel.

## Parameters

inout Indicates whether the in- or outgoing Path-element is wanted.
chan $\quad$ The definition of the channel.
level The qualifier of the enclosing block substructure.

## Result

 The Path-element.
## Algorithm

Line $1 \quad$ Get the name and nodelay attribute of the channel.
Line 2-4 Return the Path-element consisting of the identifier of the channel (line 2), the direction (forward or reverse) of the in-/outgoing channel direction indicated by inout (line 3), and the nodelay attribute (line 4).
inout-going-reaches-sigroute(inout, sr, pset, level) $\triangleq$
(let srid $=\mathbf{m k}$ Identifier $_{1}\left(\right.$ level $^{\mathbf{s}} \mathbf{s}$-Signal-route-name $\left.{ }_{1}(s r)\right)$, prcs $=$ select-process(connected-process-or-service(sr),pset) in
let inoutreaches = inout-going-reaches-prcs(inout, srid, prcs, level) in
\{append-sigroute-to-reach(inout, inoutreach, sr, level)|inoutreach $\in$ inoutreaches \})
type: $\quad(I N \mid O U T)$ Signal-route-definition ${ }_{1}$ Process-definition $_{1}$-set Qualifier $_{1} \rightarrow$ Reachability-set $^{\text {Sen }}$
Objective Obtain the in-/outgoing partial Reachability set leading from/to and including a given non-local (block level) signal route. The function is analogous to inout-going-reaches-chan.

## Parameters

inout Indicates whether the in- or outgoing partial Reachabilities are wanted.
$s r$
pset The set of processes defined at the same scope unit level as the signal route.
level $\quad$ The qualifier of the enclosing block.
Result The in-/outgoing partial Reachabilities.

## Algorithm

Line $1 \quad$ Construct the identifier of the signal route.
Line $2 \quad$ Get the process connected to the signal route.
Line 3 Obtain the in-/outgoing partial Reachabilities leading to the signal route.
Line 4 Append the signal route to each of the partial Reachabilities.
append-sigroute-to-reach(inout, inoutreach, sr, level $) \triangleq$
(let srsigs = inout-going-signals-sigroute(inout, sr), srpathelem $=$ inout-going-path-elem-sigroute(inout, sr, level) in
(is-Identifier ${ }_{1}$ (inoutreach)
$\rightarrow$ (inoutreach, srsigs, 〈srpathelem〉),
is-Reachability(inoutreach)
$\rightarrow$ (let (reachendp, sigset, path $=$ inoutreach in (reachendp, sigset $\cap$ srsigs,

## cases inout:

$$
\text { (IN } \rightarrow\langle\text { srpathelem }\rangle \bullet \text { path, }
$$

OUT $\rightarrow$ path $\bullet\langle$ srpathelem $\rangle)$ ))))
(IN | OUT) (Process-Identifier ${ }_{1} \mid$ Reachability) Signal-route-definition $_{1}$ Qualifier $_{1} \rightarrow$ Reachability $^{\text {Pen }}$

Objective Append a non-local (block level) signal route to an in-/outgoing partial Reachability. The function is analogous to append-chan-to-reach.

## Parameters

inout Indicates whether the partial Reachability is in- or outgoing.
inoutreach A partial Reachability or a process identifier.
$s r \quad$ The definition of the signal route.
level The qualifier of the enclosing block.
Result The partial Reachability where the signal route has been appended.

## Algorithm

Line 1 Extract the signals carried by the signal route in the direction indicated by inout. Note that if the signal route is unidirectional in the opposite direction the extracted signal set is empty.

Line 2 Construct the Path-element for the signal route path which goes in the direction indicated by inout.
Line 3-4 If the partial Reachability is a (process) identifier the resulting partial Reachability has this process as destination/origin (depending on inout) end point, the signals carried by the signal route path as signal set, and a Path consisting of the signal route path only.

Line $5 \quad$ Handle the case where the partial Reachability is a "real" one.
Line 6 Decompose the partial Reachability into its destination/origin end point, the set of signals which can be carried along the partial Reachability, and its sequence of Path-elements.

Line 7-10 The new partial Reachability is constructed as follows: Its destination/origin end point is that obtained before (line 7), the set of signal it can carry is the intersection of the signal set obtained before and the signal set from the signal route (line 7), and its sequence of Path-elements is the sequence obtained before with the signal route Path-element added at its "outer" end point (line 8-10).
inout-going-reach-sigroute(inout, sr, level) $\triangleq$
(connected-process-or-service(sr),
inout-going-signals-sigroute(inout, sr),
〈inout-going-path-elem-sigroute(inout, sr, level)〉)
type: $\quad$ (IN | OUT) Signal-route-definition Q $_{1}$ Qualifier $_{1} \rightarrow$ Reachability $^{2}$
Objective Obtain the in-/outgoing partial Reachability consisting of a non-local (process level) signal route.

## Parameters

inout Indicates whether the in- or outgoing partial Reachability is wanted.
$s r \quad$ The definition of the signal route.
level The qualifier of the enclosing process.
Result The partial Reachability.

## Algorithm

Line 1-3 Construct and return the partial Reachability as follows: Its destination/origin (depending on inout) end point is the service connected to the signal route (line 1), its signal set is the set of signals carried by the signal route in the given direction (line 2), and its Path consists of the in-/outgoing path of the signal route (line 3).
inout-going-path-sigroute(inout, sr, level) $\triangle$

1 (mk-Identifier ${ }_{1}$ (level, s-Signal-route-name $1_{1}(s r)$ ),
2 inout-going-path-direction-sigroute(inout, sr),
3 NODELAY)
type: $\quad(I N \mid O U T)$ Signal-route-definition Qualifier $_{1} \rightarrow$ Path-element
Objective Obtain the in- or outgoing Path-element for a non-local signal route. The function is analogous to inout-going-path-elem-chan.

## Parameters

| inout | Indicates whether the in- or outgoing Path-element is wanted. |
| :---: | :--- |
| chan | The definition of the signal route. |
| level | The qualifier of the enclosing block or process. |
| esult | The Path-element. |

## Algorithm

Line 1-3 Return the Path-element consisting of the identifier of the signal route (line 1), the direction (forward or reverse) of the in-/outgoing signal route direction indicated by inout (line 2), and the quotation (Quot) value NODELAY because a signal route never has a delay (line 3).

### 6.4.3 Extraction of Input Signal Sets

extract-inputsigs-prcs(mk-Process-definition ${ }_{1}(,$, , prcdset, , , , , , , grordec $\left.)\right) \triangleq$
1 union $\{$ extract-inputsigs-prcd $($ prcd $) \mid \operatorname{prcd} \in \operatorname{prcdset}\} \cup$
2 extract-inputsigs-grordec(grordec)
type: $\quad$ Process-definition ${ }_{1} \rightarrow$ Signal-identifier $_{1}$-set
Objective Obtain the input signal set of a process.
Parameters
prcdset,grordec The set of procedures and the process graph/service decomposition in the process.
Result The set of signals which the process is able to receive.


#### Abstract

Algorithm process level. extract-inputsigs-grordec $($ grordec $) \triangleq$ (is-Process-graph $h_{1}$ grordec) $\rightarrow$ extract-inputsigs-graph(grordec), is-Service-decomposition ${ }_{1}$ (grordec) $\rightarrow$ extract-inputsigs-decomp(grordec)) type: $\quad\left(\right.$ Process-graph $_{1} \mid$ Service-decomposition $\left.{ }_{1}\right) \rightarrow$ Signal-identifier $_{1}$-set


Line 1-2 The set of signals which the process can receive is the union of the sets of signals which each contained procedure can receive and the set of signals which can be received by the process graph/services. Note that if the process is decomposed into services no procedures are defined at

Objective Obtain the set of signals which can be received (directly) by a process graph or service decomposition.

## Parameters

grordec The process graph/service decomposition.
Result The set of signals which can be received.
extract-inputsigs-decomp(mk-Service-decomposition $n_{1}($ servset, ,)) $\triangle$
1 union\{extract-inputsigs-serv(serv)|serv $\in$ servset $\}$
type: $\quad$ Service-decomposition ${ }_{1} \rightarrow$ Signal-identifier $_{1}$-set
Objective Obtain the set of signals which can be received by a service decomposition.

## Parameters

servset The service definitions contained in the decomposition.
Result The set of signals which can be received.

## Algorithm

Line 1 The set of signals which the decomposition can receive is the union of the input signals sets for each service.
extract-inputsigs-serv(mk-Service-definition ${ }_{1}($, prcdset, , , , , , graph $\left.)\right) \triangleq$
$1 \quad$ union $\{$ extract-inputsigs-prcd(prcd) $\mid$ prcd $\in \operatorname{prcdset}\} \cup$
2 extract-inputsigs-graph(graph)
type: $\quad$ Service-definition ${ }_{1} \rightarrow$ Signal-identifie $_{1}$-set
Objective Obtain the input signal set of a service.

## Parameters

prcdset,graph The set of procedures and the service graph in the service.
Result The set of signals which the service is able to receive.

## Algorithm

Line 1-2 The set of signals which the service can receive is the union of the sets of signals which each contained procedure can receive and the set of signals which can be received by the service graph.

```
extract-inputsigs-prcd(mk-Procedure-definition }
```

$1 \quad$ union $\{$ extract-inputsigs-prcd(prcd) $\mid$ prcd $\in$ prcdset $\} \cup$
2 extract-inputsigs-graph(graph)

```
type: }\quad\mp@subsup{\mathrm{ Procedure-definition }}{1}{}->\mp@subsup{\mathrm{ Signal--identifier }}{1}{}\mathrm{ -set
```

Objective Obtain the set of signals which can be received by a procedure.

## Parameters

prcdset,graph The set of procedures and the procedure graph in the procedure.
Result The set of signals which can be received by the procedure.

## Algorithm

Line 1-2 The set of signals which the procedure can receive is the union of the sets of signals which each contained procedure can receive and the set of signals which can be received by the procedure graph.

```
extract-inputsigs-graph \((\) graph \() \triangleq\)
(let \((\), statenodes \()=\) decomp - graph \((\) graph \()\) in
let savenodes \(=\left\{\right.\) svnd \(\mid \mathbf{m k}\)-State-node \({ }_{1}(\), svnd,,\() \in\) statenodes \(\}\),
inputnodes \(=\) union \(\left\{\right.\) inpnds \(\mid \mathbf{m k}\)-State-node \({ }_{1}(\), , inpnds, \() \in\) statenodes \(\}\) in
union \(\left\{\right.\) sigset \(\mid \mathbf{m k}\)-Save-signalset \({ }_{1}(\) sigset \() \in\) savenodes \(\} \cup\)
\(\left\{\right.\) sigid \(\mid \mathbf{m k}\)-Input-node \({ }_{1}(\) sigid,,\() \in\) inputnodes \(\left.\}\right)\)
type: \(\quad\left(\right.\) Process-graph \(_{1} \mid\) Service-graph \(_{1} \mid\) Procedure-graph \(\left._{1}\right) \rightarrow\) Signal-identifier \(_{1}\)-set
```

Objective Obtain the set of signals which can be received by a process, service or procedure graph.

## Parameters

graph The process/service/procedure graph.

## Result <br> The set of signals which can be received by the graph.

## Algorithm

Line $1 \quad$ Extract all state nodes from the graph.
Line 2-3 Extract all save nodes and input nodes from the state nodes.
Line 4-5 Extract all input signals from the save nodes and input nodes and return this signal set. Note that if the graph contains more than one state node, all input signals could be obtained from just one of the state nodes. However, the expression in line 4-5 also works when the graph contains no state nodes.

### 6.4.4 Update of Descriptors with Reachabilities

The following auxiliary domain is used in this section.
1 Reachability-or-endp $=$ Reachability-endp $\mid$ Reachability
This domain covers the possible kinds of members in partial Reachability sets which as mentioned earlier can either contain "real" Reachabilities or be singleton sets containing a Reachability-endpoint.
update-endpd(outreaches, pathelem, sigset, inreaches) $($ dict $) \triangleq$

$$
\begin{array}{cc}
1 & (\text { let } \text { totalreaches }=\{\text { total-reach }(\text { outreach, pathelem, sigset, inreach }) \mid  \tag{6.4.4.1}\\
2 & \text { outreach } \in \text { outreaches } \wedge \text { inreach } \in \text { inreaches }\} \\
3 & \text { update-endpd' } \text { in } \text { (tatreaches })(\text { dict }))
\end{array}
$$

Objective Construct total Reachabilities from an outgoing partial Reachability set, a bridging Path-element, the set of signals carried by this bridge, and an ingoing partial Reachability set, and insert the total Reachabilities in the Entity-dict.

## Parameters

outreaches The outgoing Reachability set.
It is either a "real" partial Reachability set or a singleton set containing a Reachability-endpoint.
pathelem
The bridging Path-element.
sigset
The signals carried by the bridge.
inreaches
The incoming Reachability set.
It is either a "real" partial Reachability set or a singleton set containing a Reachability-endpoint.
Result The Entity-dict where the total Reachabilities have been inserted.

## Algorithm

Line 1-2 Construct a set of (origin end point, total Reachability) pairs. The set contains one element for each outgoing and each ingoing partial Reachability.

Line 3 Use this set to insert total Reachabilities in the Entity-dict.

```
    (is-Reachability-endp(outreach) \(\wedge\) is-Reachability-endp(inreach)
    \(\rightarrow\) (let orgp \(=\) outreach
            destp \(=\) inreach in
        (orgp, (destp, sigset, 〈pathelem〉))),
    is-Reachability-endp(outreach)
    \(\rightarrow\) (let orgp \(=\) outreach,
            \((\) destp, insigs, inpath \()=\) inreach in
            (orgp, (destp, sigset \(\cap\) insigs, \(\langle\) pathelem \(\rangle\) inpath \()\) ),
    is-Reachability-endp(inreach)
    \(\rightarrow(\) let \((\) orgp, outsigs, outpath \()=\) outreach,
                destp \(=\) inreach in
            (orgp, (destp, outsigs \(\cap\) sigset, outpath \(\Delta\langle\) pathelem \(\rangle)\) )),
\(\top \rightarrow\) (let (orgp, outsigs, outpath) \(=\) outreach,
            \((\) destp, insigs, inpath \()=\) inreach in
        (orgp,(destp, outsigs \(\cap\) sigset \(\cap\) insigs, outpath \(\bullet\langle\) pathelem \(\rangle \wedge\) inpath \())\) ))
    Reachability-or-endp Path-element Signal-identifier \({ }_{1}\)-set Reachability-or-endp
    \(\rightarrow\) Reachability-endp Reachability
```

Objective Construct a total Reachability from an outgoing partial Reachability, a bridging Path-element, the signals carried by the bridge, and an ingoing partial Reachability.

## Parameters

outreach The outgoing partial Reachability.
pathelem The bridging Path-element.
sigset $\quad$ The signals carried by the bridge.
inreach The ingoing partial Reachability.
Result A pair consisting of an origin end point and a total Reachability.

## Algorithm

Line 1-4 If both partial Reachabilities are end points the origin of the total Reachability is the "outgoing" end point, the destination is the "ingoing" end point, the Path consists of the bridge, and the signal set is that of the bridge.
Line 5-8 If the outgoing partial Reachability is an end point and the ingoing partial Reachability is a "real" one, the origin of the total Reachability is the "outgoing" end point, the destination is that of the ingoing partial Reachability, the Path is the bridge appended in front of the ingoing partial Path, and the signals carried are those carried by both the bridge and the ingoing partial Path.
Line 9-12 This case is analogous to the case covered in line 5-8. Here the outgoing partial Reachability is a "real" one and the ingoing partial Reachability is an end point.

Line 13-15 If both partial Reachabilities are "real" Reachabilities the origin is that of the outgoing partial one, the destination is that of the ingoing partial one, the Path is the bridge connecting the two partial Paths, and the signals carried are those carried by the bridge and both partial Paths.
update-endpd'(totalreaches $)($ dict $) \triangleq$

$$
\begin{array}{ll}
1 & \text { if } \text { totalreaches }=\{ \} \text { then }  \tag{6.4.4.3}\\
2 & \text { dict } \\
3 & \text { else } \\
4 & \text { (let } \text { totalreach } \in \text { totalreaches } \text { in } \\
5 & \text { let }(\text { orgp, reach })=\text { totalreach } \text { in } \\
6 & \text { let dict' }=\text { add-reachability }(\text { orgp, reach })(\text { dict }) \text { in } \\
7 & \text { update-endpd'(totalreaches } \backslash\{\text { totalreach }\})(\text { dict })) \\
\text { type: } & (\text { Reachability-endp Reachability }) \text {-set } \rightarrow \text { Entity-dict } \rightarrow \text { Entity-dict }
\end{array}
$$

Objective Insert a set of total Reachabilities in the Entity-dict.

## Parameters

totalreaches A set of (origin end point, total Reachability) pairs.
Result The Entity-dict where the set of total Reachabilities has been inserted.

```
Algorithm
    Line 1-2 If the set of total Reachabilities is empty the Entity-dict is unchanged.
    Line 4-5 Select a pair from the set and decompose it.
    Line 6 Insert the selected total Reachability in the Entity-dict.
    Line 7 Insert the remaining total Reachabilities in the Entity-dict.
```

update-endpd-self(endp, sigset)(dict)\triangleq

```
```

update-endpd-self(endp, sigset)(dict)\triangleq

```
```

    (let reach = (endp, sigset, \langle\rangle) in
    ```
    (let reach = (endp, sigset, \langle\rangle) in
    let dict'= add-reachability(endp, reach)(dict) in
    let dict'= add-reachability(endp, reach)(dict) in
    let dict''= insert-input-signals(endp, sigset)(dict') in
    let dict''= insert-input-signals(endp, sigset)(dict') in
    dict')
    dict')
type: (\mp@subsup{Process-identifier }{1}{}|\mp@subsup{\mathrm{ Service-identifier }}{1}{})\mp@subsup{\mathrm{ Signal-identifier }}{1}{}\mathrm{ -set }->\mathrm{ Entity-dict}
type: (\mp@subsup{Process-identifier }{1}{}|\mp@subsup{\mathrm{ Service-identifier }}{1}{})\mp@subsup{\mathrm{ Signal-identifier }}{1}{}\mathrm{ -set }->\mathrm{ Entity-dict}
    Entity-dict
```

    Entity-dict
    ```

Objective Construct a total "self" Reachability for a process or service and insert it in the Entity-dict.

\section*{Parameters}
\(e n d p \quad\) The identifier of the process or service.
sigset The complete input signal set of the process or service.
Result The Entity-dict where the "self" Reachability has been inserted. If appropriate (i.e. if the entity is a service) the input signals are also inserted in the Entity-dict.

\section*{Algorithm}

Line 1 The destination of the "self" Reachability is the process/service, the Path is empty, and it carries the input signals of the process/service.

Line 2 Insert the Reachability in the Entity-dict.
Line 3 Insert the input signals in the Entity-dict if appropriate.
Line \(4 \quad\) Return the updated Entity-dict.
```

    (let (, sigset,) = reach in
        if sigset ={} then
        dict
        else
        (orgp = ENVIRONMENT
            (let oldreaches = dict(ENVIRONMENT) in
                dict + [ENVIRONMENT }\mapsto\mathrm{ oldreaches }\cup{\mathrm{ reach }]),
        (orgp, PROCESS) \in dom dict
            ->(let mk-ProcessDD(parmdl, init, maxi, ograph, oldreaches) = dict((orgp, PROCESS)) in
                dict +[(orgp, PROCESS)\mapsto\mathbf{mk}-ProcessDD(parmdl, init, maxi, ograph, oldreaches }\cup{\mathrm{ reach })]),
        (orgp, SERVICE) \in dom dict
            (let mk-ServiceDD(graph, insigs, oldreaches)=\operatorname{dict((orgp, SERVICE)) in}
                dict +[(orgp, SERVICE)}\mapsto\mathbf{mk}\mathrm{ -ServiceDD(graph, insigs,oldreaches }\cup{\mathrm{ reach })])))
        Reachability-endp Reachability }->\mathrm{ Entity-dict }->\mathrm{ Entity-dict
    ```

Objective Add a total Reachability to the Entity-dict.

\section*{Parameters}
orgp \(\quad\) The origin of the Reachability.
reach The Reachability.
Result The Entity-dict where the Reachability has been inserted (unless it carries no signals).

\section*{Algorithm}

Line 1-3 If the Reachability is empty then is not inserted in the Entity-dict.
Line 5-7 If the origin of the Reachability is the system environment, the Reachability is included in the ENVIRONMENT entry.

Line 8-10 If the origin of the Reachability is a process, the Reachability is added to its descriptor in the Entity-dict.

Line 11-13 If the origin of the Reachability is a service, the Reachability is added to its descriptor in the Entitydict.
insert-input-signals \((\) endp, sigset \()(\) dict \() \triangle\)
```

    \(((e n d p\), PROCESS \() \in \operatorname{dom}\) dict
        \(\rightarrow\) dict,
        \((e n d p\), SERVICE \() \in \operatorname{dom}\) dict
            \(\rightarrow(\) let mk-ServiceDD(graph,, reaches \()=\operatorname{dict}((\) endp, SERVICE \())\) in
                dict \(+[(\) endp, SERVICE \() \mapsto \mathbf{m k}\)-ServiceDD(graph, sigset, reaches) \(])\) )
    type: $\quad\left(\right.$ Process-identifier $_{1} \mid$ Service-identifier $\left._{1}\right)$ Reachability $\rightarrow$ Entity-dict $\rightarrow$ Entity-dict

```

Objective Insert the set of input signals for a process or service in the Entity-dict. (Actually the Entity-dict is only changed for services but it makes the definition of other functions easier.)

\section*{Parameters}
endp \(\quad\) The identifier of the process or service.
sigset The set of input signals.
Result The Entity-dict where the input signals have been inserted.

\section*{Algorithm}

Line 1-2 If the entity is a process, the Entity-dict is not changed because process descriptors do not contain an input signal field.

Line 3-5 If the entity is a service, the input signal field of its descriptor is updated with the input signal set.

\subsection*{6.5 Simple Information Extraction from Channels/Signal Routes}

This section defines some simple auxiliary functions for information extraction from channels and signal routes, such as whether a channel/signal route is internal to its enclosing scope unit, which signals are carried in a given direction (in or out) by a non-internal channel/signal route, which block/process/service is connected to a non-internal channel/signal route.

\subsection*{6.5.1 Information from All Channels/Signal Routes}
is-internal-chan \(\left(\mathbf{m k}\right.\)-Channel-definition \(\left.n_{1}\right)(,\), forwpath \(\left.)\right) \triangleq\)
1 (let mk-Channel-path \({ }_{1}(\) endp 1, endp 2,\()=\) forwpath \(\mathbf{~ i n}\)
\(2 e n d p 1 \neq \mathrm{ENVIRONMENT} \wedge e n d p 2 \neq\) ENVIRONMENT)
type: \(\quad\) Channel-definition \(_{1} \rightarrow\) Bool
Objective Test whether a channel is internal to its enclosing scope unit.

\section*{Parameters}
forwpath The forward channel path in the definition of the channel.
Result true if the channel is internal, false if the channel leads from or to the boundary of its enclosing scope unit.

\section*{Algorithm}

Line \(1 \quad\) Get the origin and destination end point of the channel.
Line 2 The channel is internal if none of its end points is the env of its enclosing scope unit. is-internal-sigroute \(\left(\mathbf{m k}\right.\)-Signal-route-definition \(\left.{ }_{1}\right)(\), forwpath, \(\left.)\right) \triangleq\)

1 (let mk-Signal-route-path \({ }_{1}(\) endp 1, endp 2\()=\) forwpath in
\(2 e n d p 1 \neq \mathrm{ENVIRONMENT} \wedge e n d p 2 \neq \mathrm{ENVIRONMENT}\) )
type: \(\quad\) Signal-route-definition \({ }_{1} \rightarrow\) Bool
Objective Test whether a signal route is internal to its enclosing scope unit.

\section*{Parameters}
forwpath The forward signal route path in the definition of the signal route.
Result true if the signal route is internal, false if the signal route leads from or to the boundary of its enclosing scope unit.

\section*{Algorithm}

Line 1 Get the origin and destination end point of the signal route.
Line \(2 \quad\) The signal route is internal if none of its end points is the env of its enclosing scope unit.
direction-signals-chan \(\left(\mathbf{m k}\right.\)-Channel-definition \({ }_{1}(,\), forwpath, orevpath \()\), pathdir \() \triangleq\)
```

    cases pathdir:
    (FORWARD
        \(\rightarrow\) (let mk-Channel-path \({ }_{1}(,\), forwsigs \()=\) forwpath \(\mathbf{i n}\)
            forwsigs),
        REVERSE
            \(\rightarrow\) if orevpath \(=\) nil then
            \{\}
                else
                (let mk-Channel-path \({ }_{1}(\), , revsigs \()=\) orevpath \(\mathbf{i n}\)
                revsigs))
    ```
        Channel-definition \(_{1}{\text { Path-direction } \rightarrow \text { Signal-identifier }_{1} \text {-set }}^{\text {St }}\)

Objective Extract from a channel the signals carried in a given direction (forward or reverse).

\section*{Parameters}
forwpath,orevpath The forward and optional reverse channel path in the definition of the channel.
pathdir The direction (forward or reverse) of which the signals are wanted.

\section*{Result The set of signals carried in the given direction.}

\section*{Algorithm}
line 2-4 If the forward signals are wanted then extract the signals from the forward channel path.
Line 5-10 If the reverse signals are wanted there are two possibilities: Either the channel is unidirectional so no signals are carried in the reverse direction (line 6), or the channel is bidirectional and then the signals are extracted from the reverse channel path (line 9-10).
direction-signals-sigroute(mk-Signal-route-definition 1 (, forwpath, orevpath \(),\) pathdir \() \triangleq\)
```

cases pathdir:
(FORWARD
(let mk-Signal-route-path (, , forwsigs)=forwpath in
forwsigs),
REVERSE
->if}\mathrm{ orevpath = nil then
{}
else
(let mk-Signal-route-path }1(,,\mathrm{ revsigs )= orevpath in
revsigs))

```
type: \(\quad\) Signal-route-definition \({ }_{1}\) Path-direction \(\rightarrow\) Signal-identifier \(_{1}\)-set

Objective Extract from a signal route the signals carried in a given direction (forward or reverse).

\section*{Parameters}
forwpath,orevpath The forward and optional reverse signal route path in the definition of the signal route.
pathdir The direction (forward or reverse) of which the signals are wanted.

\section*{Result The set of signals carried in the given direction.}

\section*{Algorithm}

Line 2-4 If the forward signals are wanted then extract the signals from the forward signal route path.
Line 5-10 If the reverse signals are wanted there are two possibilities: Either the signal route is unidirectional so no signals are carried in the reverse direction (line 6), or the signal route is bidirectional and then the signals are extracted from the reverse signal route path (line 9-10).
```

6.5.2 Information from Non-Internal Channels/Signal Routes
inout-going-signals-chan(inout, mk-Channel-definition ${ }_{1}(,$, forwpath, orevpath $\left.)\right) \triangleq$

```
```

(let mk-Channel-path ${ }_{1}($ endp 1, endp 2, forwsigs $)=$ forwpath in

```
(let mk-Channel-path \({ }_{1}(\) endp 1, endp 2, forwsigs \()=\) forwpath in
    cases inout:
    cases inout:
    (IN
    (IN
        \(\rightarrow(e n d p 1=\) ENVIRONMENT
        \(\rightarrow(e n d p 1=\) ENVIRONMENT
            \(\rightarrow\) forwsigs,
            \(\rightarrow\) forwsigs,
            orevpath \(=\mathbf{n i l}\)
            orevpath \(=\mathbf{n i l}\)
            \(\rightarrow\) \{\},
            \(\rightarrow\) \{\},
            \(\top \rightarrow\) (let \(\mathbf{m k}\)-Channel-path \(h_{1}(\), , revsigs \()=\) orevpath in
            \(\top \rightarrow\) (let \(\mathbf{m k}\)-Channel-path \(h_{1}(\), , revsigs \()=\) orevpath in
                revsigs)),
                revsigs)),
        OUT
        OUT
            \(\rightarrow(e n d p 2=\) ENVIRONMENT
            \(\rightarrow(e n d p 2=\) ENVIRONMENT
                \(\rightarrow\) forwsigs
                \(\rightarrow\) forwsigs
            orevpath \(=\mathbf{n i l}\)
            orevpath \(=\mathbf{n i l}\)
                \(\rightarrow\}\),
                \(\rightarrow\}\),
            \(\top \rightarrow\) (let \(\mathbf{m k}\)-Channel- path \(_{1}(\), , revsigs \()=\) orevpath in
            \(\top \rightarrow\) (let \(\mathbf{m k}\)-Channel- path \(_{1}(\), , revsigs \()=\) orevpath in
                                revsigs))))
                                revsigs))))
type: \(\quad(I N \mid O U T)\) Channel-definition \(_{1} \rightarrow\) Signal-identifier \(_{1}\)-set
```

type: $\quad(I N \mid O U T)$ Channel-definition $_{1} \rightarrow$ Signal-identifier $_{1}$-set

```

Objective Extract from a non-internal channel the signals carried in a given direction (in or out).

\section*{Parameters}
inout Indicates whether the in- or outgoing signals are wanted.
forwpath, orevpath The forward and optional reverse channel path in the definition of the channel.

\section*{Result The set of signals carried in the given direction.}

\section*{Algorithm}

Line \(1 \quad\) Get the two channel end points and the forward signals.
Line 3-9 Handle the case where the ingoing signals are wanted. If the origin end point of the channel is the scope unit boundary the ingoing signals are the forward signals of the channel (line 4-5); else if the channel is unidirectional (in the outgoing direction) the ingoing signal set is empty (line 6); else the ingoing signals are the reverse signals of the channel (line 8-9).

Line 10-16 Handle the case where the outgoing signals are wanted. The case is handled analogously to the one in line 3-9.
\[
\begin{equation*}
\text { inout-going-signals-sigroute(inout-mk-Signal-route-definition } \left.{ }_{1}(, \text { forwpath, orevpath })\right) \triangleq \tag{6.5.2.2}
\end{equation*}
\]
(let mk-Signal-route-path 1 (endp 1 , endp 2 , forwsigs \()=\) forwpath in cases inout:
(IN
\[
\begin{aligned}
& \rightarrow(\text { endp } 1=\text { ENVIRONMENT } \\
& \quad \rightarrow \text { forwsigs },
\end{aligned}
\]
orevpath \(=\mathbf{n i l}\)
\(\rightarrow\) \{\},
\(\top \rightarrow\) (let \(\mathbf{m k}\)-Signal-route-path \(h_{1}(\), , revsigs \()=\) orevpath in revsigs)),
OUT
\(\rightarrow(e n d p 2=\) ENVIRONMENT
\(\rightarrow\) forwsigs,
orevpath \(=\mathbf{n i l}\)
\(\rightarrow\) \{\},
\(\top \rightarrow\) (let \(\mathbf{m k}\)-Signal-route-path \(h_{1}(\), , revsigs \()=\) orevpath in revsigs))))
type: \(\quad(\) IN \(\mid\) OUT \()\) Signal-route-definition \({ }_{1} \rightarrow\) Signal-identifier \(_{1}\)-set
Objective Extract from a non-internal signal route the signals carried in a given direction (in or out).

\section*{Parameters}
inout Indicates whether the in- or outgoing signals are wanted.
forwpath,orevpath The forward and optional reverse signal route path in the definition of the signal route.
Result The set of signals carried in the given direction.

\section*{Algorithm}

Line \(1 \quad\) Get the two signal route end points and the forward signals.
Line 3-9 Handle the case where the ingoing signals are wanted. If the origin end point of the signal route is the scope unit boundary the ingoing signals are the forward signals of the signal route (line 4-5); else if the signal route is unidirectional (in the outgoing direction) the ingoing signal set is empty (line 6); else the ingoing signals are the reverse signals of the signal route (line 8-9).

Line 10-16 Handle the case where the outgoing signals are wanted. The case is handled analogously to the one in line 3-9.
inout-going-path-direction-chan(inout, mk-Channel-definition \(n_{1}\left(,\right.\), forwpath, \(\left.\left.^{\prime}\right)\right) \triangleq\)
(let mk-Channel-path \({ }_{1}(e n d p 1\), endp 2,\()=\) forwpath \(\mathbf{i n}\) cases inout:
(IN \(\rightarrow\) if \(e n d p 1=\) ENVIRONMENT then FORWARD else REVERSE, OUT \(\rightarrow\) if \(e n d p 2=\) ENVIRONMENT then FORWARD else REVERSE))
type: \(\quad(\) IN \(\mid\) OUT \()\) Channe-definition \(n_{1} \rightarrow\) Path-direction
Objective Get for a non-internal channel the direction (forward or reverse) of a given direction (in or out).

\section*{Parameters}
inout Indicates whether the in- or outgoing direction is wanted.
forwpath The forward channel path in the definition of the channel.

\section*{Result A forward/reverse channel direction indication.}

\section*{Algorithm}

Line \(1 \quad\) Get the two end points of the channel.
Line 3 Handle the case where the ingoing direction is wanted. If the channel origin is the scope unit boundary, the ingoing direction is forward, otherwise it is reverse.

Line 4 Handle the case where the outgoing direction is wanted. The case is analogous to that of line 3.
inout-going-path-direction-sigroute(inout, mk-Signal-route-definition \({ }_{1}\left(\right.\), forwpath, \(\left.\left.^{\prime}\right)\right) \triangleq\)
(let mk-Signal-route-path \({ }_{1}(\) endp 1, endp 2,\()=\) forwpath in cases inout:
(IN \(\quad \rightarrow\) if \(e n d p 1=\) ENVIRONMENT then FORWARD else REVERSE, OUT \(\rightarrow\) if \(e n d p 2=\) ENVIRONMENT then FORWARD else REVERSE))
type: \(\quad\) (IN | OUT) Signal-route-definition \({ }_{1} \rightarrow\) Path-direction

\section*{Objective Get for a non-internal signal route the direction (forward or reverse) of a given direction (in or out).}

\section*{Parameters}
inout Indicates whether the in- or outgoing direction is wanted.
forwpath The forward signal route path in the definition of the signal route.

\section*{Result A forward/reverse signal route direction indication.}

\section*{Algorithm}

Line \(1 \quad\) Get the two end points of the signal route.
Line 3 Handle the case where the ingoing direction is wanted. If the signal route origin is the scope unit boundary, the ingoing direction is forward, otherwise it is reverse.

Line 4 Handle the case where the outgoing direction is wanted. The case is analogous to that of line 3.
connected-block \(\left(\mathbf{m k}\right.\)-Channel-definition \(1_{1}(,\), forwpath \(\left.)\right) \triangleq\)
1 (let mk-Channel-path \({ }_{1}(\) endp 1 , endp2, \()=\) forwpath in
2 if \(e n d p 2=\) ENVIRONMENT then \(e n d p 1\) else \(e n d p 2\) )
type: \(\quad\) Channel-definition \(_{1} \rightarrow\) Block-definition \(_{1}\)
Objective Get for a non-internal channel the identifier of the block to which it is connected.

\section*{Parameters}
forwpath The forward channel path in the definition of the channel.

\section*{Result \\ The block identifier.}

\section*{Algorithm}

Line \(1 \quad\) Get the two end points of the channel.
Line 2 If the destination end point of the channel is the scope unit boundary, the connected block is the origin end point, else it is the destination end point.

1 (let mk-Signal-route-path \({ }_{1}(\) endp 1 , endp 2 , \()=\) forwpath in
2 if \(e n d p 2=\) ENVIRONMENT then \(e n d p 1\) else \(e n d p 2\) )
type: \(\quad\) Signal-route-definition \(_{1} \rightarrow\left(\right.\) Process-identifier \(_{1} \mid\) Service-identifier \(\left._{1}\right)\)

\section*{Objective Get for a non-internal signal route the identifier of the process or service to which it is connected.}

\section*{Parameters}
forwpath The forward signal route path in the definition of the signal route.

\section*{Result \\ The block identifier.}

\section*{Algorithm}

Line \(1 \quad\) Get the two end points of the signal route.
Line 2 If the destination end point of the signal route is the scope unit boundary, the connected process/service is the origin end point, else it is the destination end point.

\section*{\(7 \quad\) General-Purpose Auxiliary Functions}

This section defines some simple general-purpose functions for handling of SDL abstract syntax \(\left(\mathrm{AS}_{1}\right)\) domains.

\subsection*{7.1 Simple Identifier Handling}
enclosing-scopeunit \(\left(\mathbf{m k}\right.\)-Identifier \({ }_{1}(\) qual,\(\left.)\right) \triangleq\)
1 convert-to-identifier(qual)
type: \(\quad\) Identifier \(_{1} \rightarrow\) Identifier \(_{1}\)
Objective Get the identifier of the enclosing scope unit of an entity.

\section*{Parameters}
qual The qualifier in the identifier of the entity.
Result The identifier of the enclosing scope unit.

\section*{Algorithm}

Line \(1 \quad\) Convert the qualifier to an identifier denoting the same entity.
enclosing-block \(\left(\mathbf{m k}-\right.\) Identifier \(\left._{1}(q u a l),\right) \triangleq\)
1 convert-to-identifier(bloc-scopeunit (qual))
type: \(\quad\) Identifier \(_{1} \rightarrow\) Identifier \(_{1}\)
Objective Get the identifier of the enclosing block of an entity.

\section*{Parameters}
qual The qualifier in the identifier of the entity.
Result The identifier of the enclosing block.

\section*{Algorithm}

Line 1 Find the qualifier denoting the enclosing block and convert it to an identifier denoting the same entity.
block-scopeunit(qual)
(let pathitem \(=\) qual [len qual] in
if is-Block-qualifier \({ }_{1}\) (pathitem) then
convert-to-identifier(qual)
else
(let restqual \(=\langle q u a l[i]| 1 \leq i<\) len \(q u a l\rangle\) in
block-scopeunit(restqual)))
type: \(\quad\) Qualifier \(_{1} \rightarrow\) Identifier \(_{1}\)
Objective Get the identifier of the block which encloses (or is) a given entity.

\section*{Parameters}
qual The qualifier denoting the entity.
\[
\text { Result } \quad \text { The identifier of the enclosing block (or the entity itself if it is a block). }
\]

\section*{Algorithm}

Line \(1 \quad\) Get the rightmost path item in the qualifier.
Line 2-3 If the path item denotes a block the whole qualifier is converted to an identifier.
Line 5-6 Remove the rightmost path item from the qualifier and call the function recursively on the rest of the qualifier.
```

process-or-service-scopeunit(qual)\triangleq

```
```

    (let pathitem = qual[len qual] in
    ```
    (let pathitem = qual[len qual] in
    if is-Process-qualifier }\mp@subsup{1}{1}{(pathitem) }\vee\mathrm{ is-Service-qualifier }\mp@subsup{1}{1}{(pathitem) then
    if is-Process-qualifier }\mp@subsup{1}{1}{(pathitem) }\vee\mathrm{ is-Service-qualifier }\mp@subsup{1}{1}{(pathitem) then
        convert-to-identifier(qual)
        convert-to-identifier(qual)
        else
        else
        (let restqual = <qual[i]| 1\leqi< len qual\rangle in
        (let restqual = <qual[i]| 1\leqi< len qual\rangle in
        process-or-service-scopeunit(restqual)))
        process-or-service-scopeunit(restqual)))
type: }\quad\mathrm{ Qualifier 
```

type: }\quad\mathrm{ Qualifier

```

Objective Get the identifier of the process or service which encloses (or is) a given entity.

\section*{Parameters}
qual The qualifier denoting the entity.
Result The identifier of the enclosing process or service (or the entity itself if it is a process or service).

\section*{Algorithm}

Line \(1 \quad\) Get the rightmost path item in the qualifier.
Line 2-3 If the path item denotes a process or service the whole qualifier is converted to an identifier.
Line 5-6 Remove the rightmost path item from the qualifier and call the function recursively on the rest of the qualifier.
convert-to-identifier \((\) qual \() \triangleq\)
type: \(\quad\) Qualifier \(_{1} \rightarrow\) Identifier \(_{1}\)

Objective Convert a qualifier to an identifier denoting the same scope unit.

\section*{Parameters}
qual The qualifier.

\section*{Algorithm}

Line \(1 \quad\) Obtain the qualifier denoting the enclosing scope unit.
Line 2-9 Extract the scope unit name from the rightmost path item.
Line \(10 \quad\) Construct the identifier.
```

7.2 Selection of Definitions from Definition Sets
select-block(blid, bset) $\triangleq$
1 (let block $\in$ bset be s.t. $\mathbf{s}$-Block-name $1_{1}($ block $)=\mathbf{s}$-Name ${ }_{1}($ blid $)$ in
2 block)
type: $\quad$ Block-identifier $_{1}$ Block-definition $_{1}$-set $\rightarrow$ Block-definition $_{1}$

```

Objective Get from a set of block definitions the one denoted by a given identifier.

\section*{Parameters}
blid The block identifier.
bset The set of block definitions.
Result The block definition.

\section*{Algorithm}

Line 1 The block definition wanted is that with the same name as the name part of the identifier.
Line 2 Return the block definition.
select-process(prid, pset) \(\triangle\)
\(1 \quad\) (let prcs \(\in\) pset be s.t. \(\mathbf{s}\)-Process-name \({ }_{1}(\) prcs \()=\mathbf{s}\)-Name \(1_{1}(\) prid \()\) in
2 prcs)
type: \(\quad\) Process-identifier \(_{1}\) Process-definition \(_{1}\)-set \(\rightarrow\) Process-definition \(_{1}\)
Objective Get from a set of process definitions the one denoted by a given identifier.

\section*{Parameters}
prid The process identifier.
pset The set of process definitions.
Result The process definition.

\section*{Algorithm}

Line 1 The process definition wanted is that with the same name as the name part of the identifier.
Line \(2 \quad\) Return the process definition.
select-channel \((\) chid, cset \() \triangleq\)
1 (let chan \(\in\) cset be s.t. \(\mathbf{s}\)-Channel-name \({ }_{1}(\) chan \()=\mathbf{s}\)-Name \(e_{1}(\) chid \()\) in
2 chan)
type: \(\quad\) Channel-identifier \(_{1}\) Channel-definition \(_{1}\)-set \(\rightarrow\) Channel-definition \(_{1}\)
Objective Get from a set of channel definitions the one denoted by a given identifier.

\section*{Parameters}
chid The channel identifier.
cset The set of channel definitions.

\section*{Result The channel definition.}

\section*{Algorithm}

Line 1 The channel definition wanted is that with the same name as the name part of the identifier.
Line \(2 \quad\) Return the channel definition.
select-signalroute(srid, srset) \(\xlongequal{ }\)
1 (let \(s r \in\) srset be s.t. s-Signal-route-name \({ }_{1}(s r)=\mathbf{s}\)-Name \({ }_{1}(\) srid \()\) in
2 sr)
type: \(\quad\) Signal-route-identifier \({ }_{1}\) Signal-route-definition \(_{1}\)-set \(\rightarrow\) Signal-route-definition \(_{1}\)
Objective Get from a set of signal route definitions the one denoted by a given identifier.

\section*{Parameters}
srid The signal route identifier.
srset
The set of signal route definitions.
Result The signal route definition.

\section*{Algorithm}

Line 1 The signal route definition wanted is that with the same name as the name part of the identifier.
Line \(2 \quad\) Return the signal route definition.

\subsection*{7.3 Simple Decomposition of Behaviour Graphs}
decomp-graph \((\) graph \() \triangleq\)
```

cases graph:
(mk-Process-graph
mk-Service-graph (strt, stnds) }->\mathrm{ (strt, stnds),
mk-Procedure-graph (strt, stnds) }->\mathrm{ (strt, stnds))
type: (Process-graph }|\mathrm{ Service-graph }|\mathrm{ Procedure-graph }\mp@subsup{A}{1}{})
(Process-start-node }|\mathrm{ | Service-start-node }||\mp@subsup{\mathrm{ Procedure-start-node }}{1}{})\mp@subsup{\mathrm{ State-node }}{1}{}\mathrm{ -set

```

Objective Decompose a process/service/procedure graph into its start node and state node set.

\section*{Parameters}
graph The behaviour graph.

Objective Extract from a process/service/procedure start node its contained transition.

\section*{Parameters}
start The start node.

Result The contained transition.

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[^0]:    Algorithm
    Line 1-2 Decompose the block and construct the qualifier denoting its level.
    Line 3-4 If the block is substructured the in-/outgoing partial Reachabilities are extracted from the substructure.

    Line $6 \quad$ Obtain the set of identifiers of signal routes connected to the channel.
    Line $8 \quad$ Obtain the set of signal routes connected to the channel.
    Line $9 \quad$ Construct all in-/outgoing partial Reachabilities leading from/to and including one of the signal routes.
    inout-going-reaches-sub(inout, chid, sub, level) $\triangle$
    (let mk-Block-substructure-definition ${ }_{1}$ (bsnm, bset, connects, subchset, ,, $)=$ sub in
    let level' $=$ level $\left\langle\left\langle\mathbf{m k}\right.\right.$-Block-substructure-qualifier ${ }_{1}\left(\right.$ bsnm $\left.\left.^{\prime}\right)\right\rangle$ in
    let mk-Channel-connection ${ }_{1}($ chidset, subchidset $) \in$ connects be s.t. chid $\in$ chidset in
    let subchset $=\{$ select-channel $($ subchid, subchset $) \mid$ subchid $\in$ subchidset $\}$ in
    union \{inout-going-reaches-chan(inout, subchan, bset, level') $\mid$ subchan $\in$ subchset $\left.{ }^{\prime}\right\}$ )
    type: $\quad$ (IN | OUT) Channel-identifier ${ }_{1}$ Block-substructure-definition $_{1}$ Qualifier $_{1}$
    $\rightarrow$ Reachability-set

