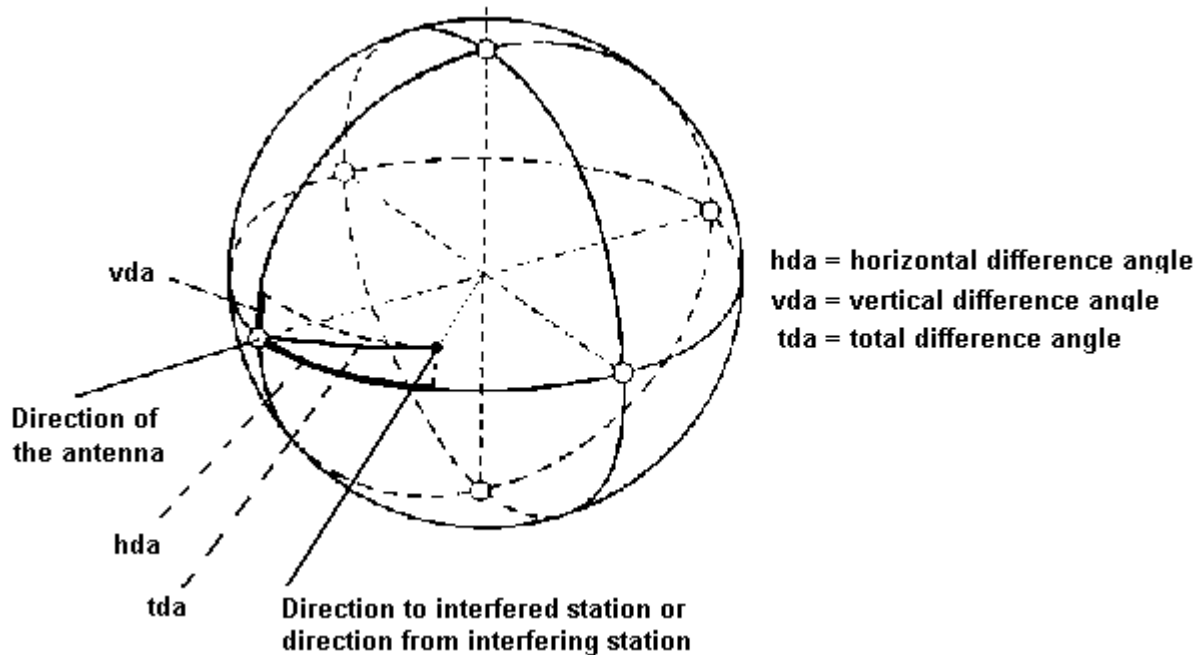


# **Annex 8B**

***Method for combining the horizontal and vertical antenna  
patterns  
in the Fixed Service***

**Three dimensional antenna pattern:**

Vertical difference angle  $vda = \text{Antenna\_elevation}(9B) - E_{TR}$ ,

where  $E_{TR}$  – vertical angle of the link e.g. between the antennas of interferer and interfered with stations.

In case of line of sight,

for interferer  $E_{TR}$  is calculated as follows:

$$E_{TR} = (h_r - h_t) / \text{distance} - \text{distance} / (2 a_e) \quad \text{rad},$$

where

$h_t$  – interferer (transmitter) antenna height above sea level,

$h_r$  – interfered with (receiver) antenna height above sea level,

$a_e$  – effective Earth radius,

distance – the distance between interferer and interfered with stations,

for interfered with station  $E_{TR}$  is calculated as follows:

$$E_{TR} = (h_t - h_r) / \text{distance} - \text{distance} / (2 a_e), \quad \text{rad},$$

In case of transhorizon path,

for interferer  $E_{TR}$  is calculated as follows:

$$E_{TR} = \Theta_t / 1000 \quad \text{rad},$$

where

$\Theta_t$  – interferer (transmitter) radio horizon angle (mrad),

for interfered with station  $E_{TR}$  is calculated as follows:

$$E_{TR} = \Theta_r / 1000 \quad \text{rad,}$$

where

$\Theta_r$  – interfered with (receiver) radio horizon angle (mrad).

The maximum difference angle in the horizontal plane (hda) is  $\pm 180$  degrees, the maximum difference angle in the vertical plane (vda) is also  $\pm 180$  degrees. The resulting total difference angle (tda) is between 0 and 180 degrees. The tda value is calculated using formula:

$$\text{tda} = \arccos ( \sin(\text{Ant}_{\text{vert}}) * \sin(\text{vda}) + \cos(\text{Ant}_{\text{vert}}) * \cos(\text{vda}) * \cos(\text{hda} - \text{Ant}_{\text{hor}}) )$$

where

$\text{Ant}_{\text{vert}}$  = difference angle between antenna elevation and elevation of the link and

$\text{Ant}_{\text{hor}}$  = difference angle between antenna azimuth and azimuth of the link.

Because  $\text{Ant}_{\text{vert}}$  and  $\text{Ant}_{\text{hor}}$  are 0, the resulting formula is:

$$\text{tda} = \arccos ( \cos(\text{vda}) * \cos(\text{hda}) )$$

Taking into account this total difference angle, the antenna attenuation for the horizontal plane ( $A_{\text{hor}}$ ) and for the vertical plane ( $A_{\text{vert}}$ ) are calculated.

If the horizontal antenna pattern is not symmetrical and the horizontal difference angle (hda) is negative (or between 180 and 360 degrees), the attenuation for the horizontal plane is calculated using the negative total difference angle (-tda).

If the vertical antenna pattern is not symmetrical and the vertical difference angle (vda) is negative (or between 180 and 360 degrees), the attenuation for the vertical plane is calculated using the negative total difference angle (-tda).

If both values for attenuation are equal, the resulting attenuation ( $A_{\text{resulting}}$ ) is equal to one of those values:

$$A_{\text{resulting}} = A_{\text{hor}} \text{ or}$$

$$A_{\text{resulting}} = A_{\text{vert}}$$

If the horizontal attenuation is greater than the vertical attenuation, the resulting attenuation ( $A_{\text{resulting}}$ ) is:

$$A_{\text{resulting}} = A_{\text{vert}} + (A_{\text{hor}} - A_{\text{vert}}) * \text{Abs}(hda) / (\text{Abs}(hda) + \text{Abs}(vda))$$

If the vertical attenuation is greater than the horizontal attenuation, the resulting attenuation ( $A_{\text{resulting}}$ ) is:

$$A_{\text{resulting}} = A_{\text{hor}} + (A_{\text{ver}} - A_{\text{hor}}) * \text{Abs}(vda) / (\text{Abs}(hda) + \text{Abs}(vda))$$

This value  $A_{\text{resulting}}$  is used for further calculations.